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Atmospheric effects with NICER

How do the assumptions on the neutron star atmosphere affect the neutron star parameter constraints with NICER?

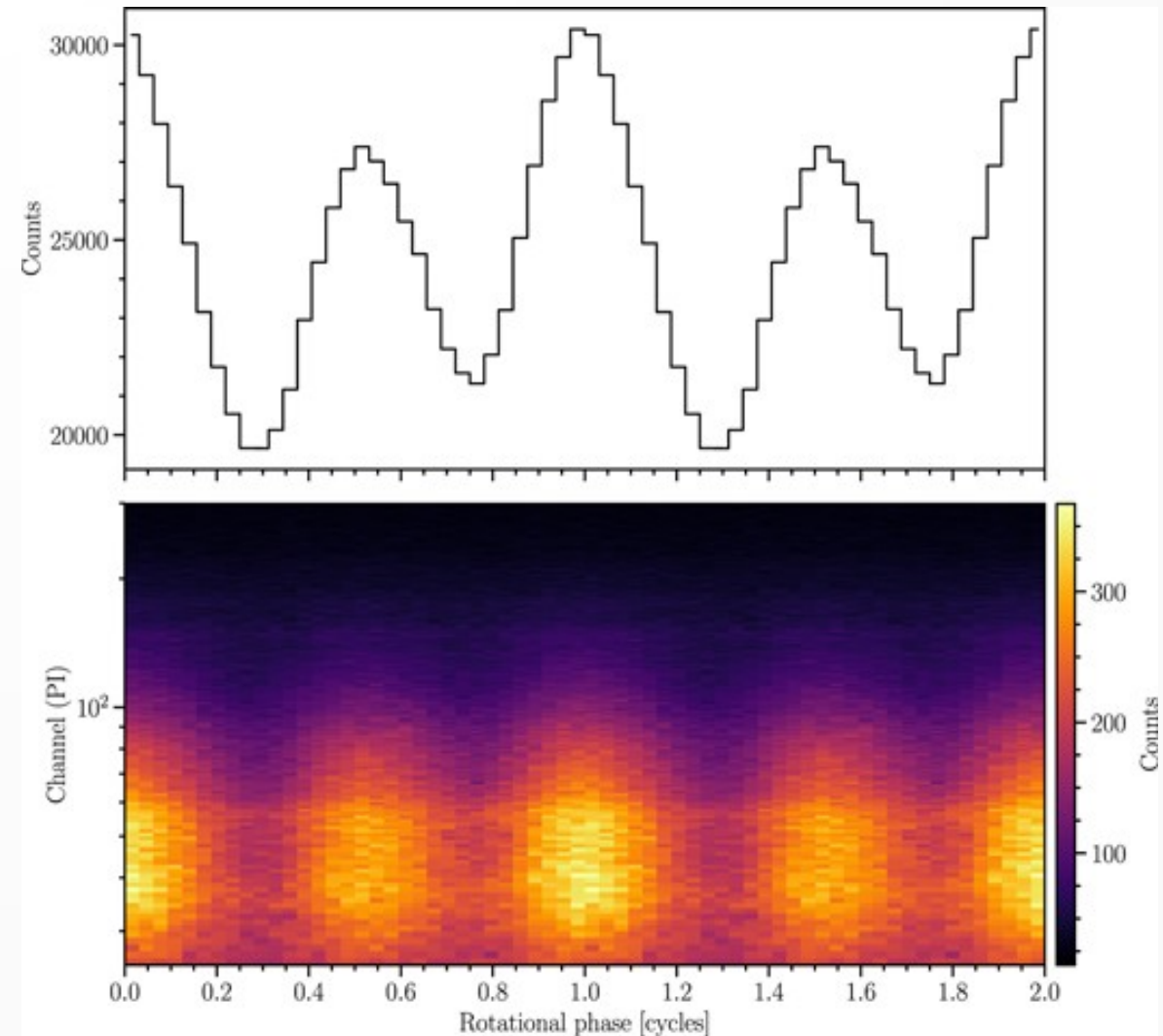
Tuomo Salmi, University of Amsterdam

Serena Vinciguerra, Devarshi Choudhury, Anna Watts, Wynn Ho, Sebastien Guillot,
Yves Kini, Bas Dorsman, Sharon Morsink, Slavko Bogdanov

t.h.j.salmi@uva.nl

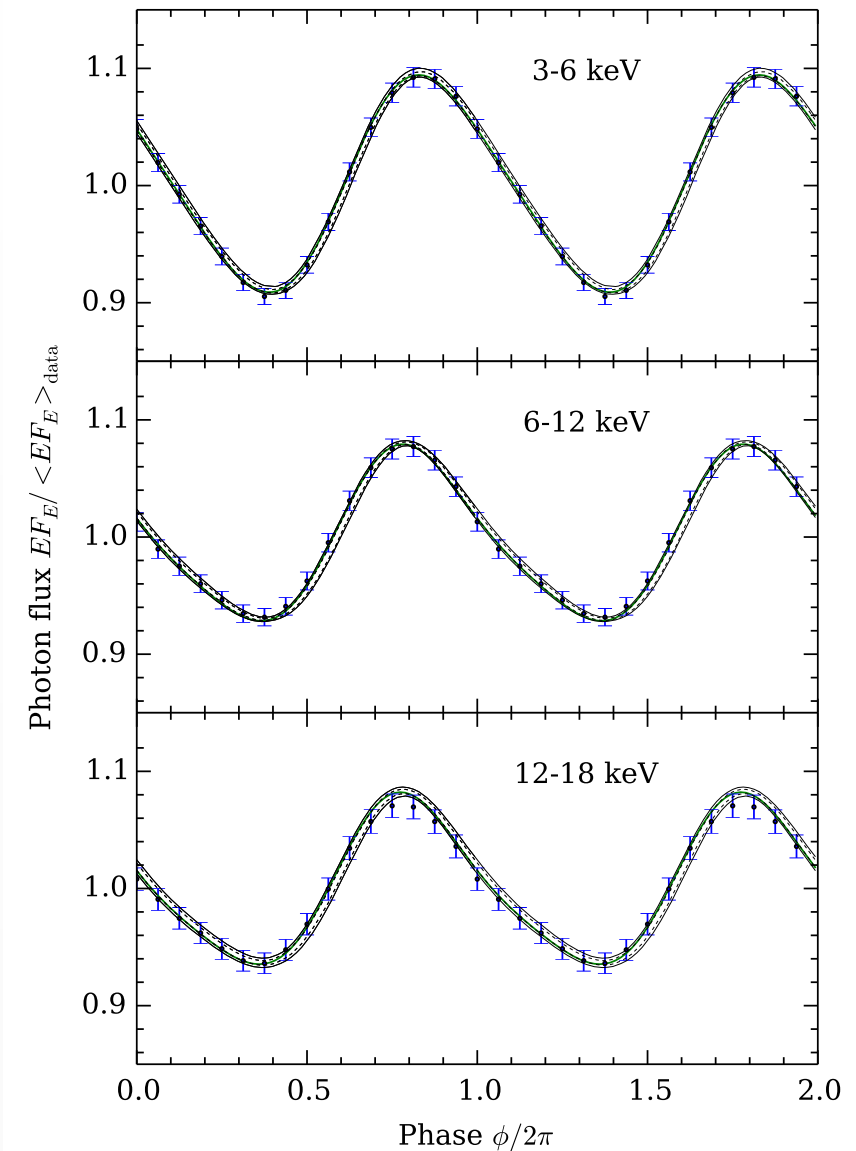
Introduction: Pulse profiles

- X-ray pulses and spectra can be modeled to infer neutron star (NS) mass (M) and radius (R)
- M & R → Equation of state of high-dense matter in NS core



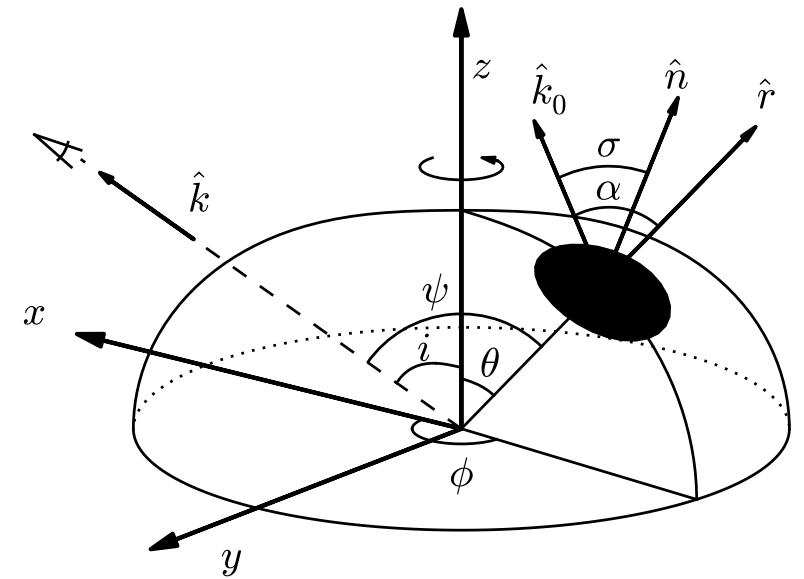
Introduction: Pulse profiles

- Pulse shapes depend on relativity (light bending, Doppler boosting, etc.) and thus on M&R.
- Pulses can differ between energies.



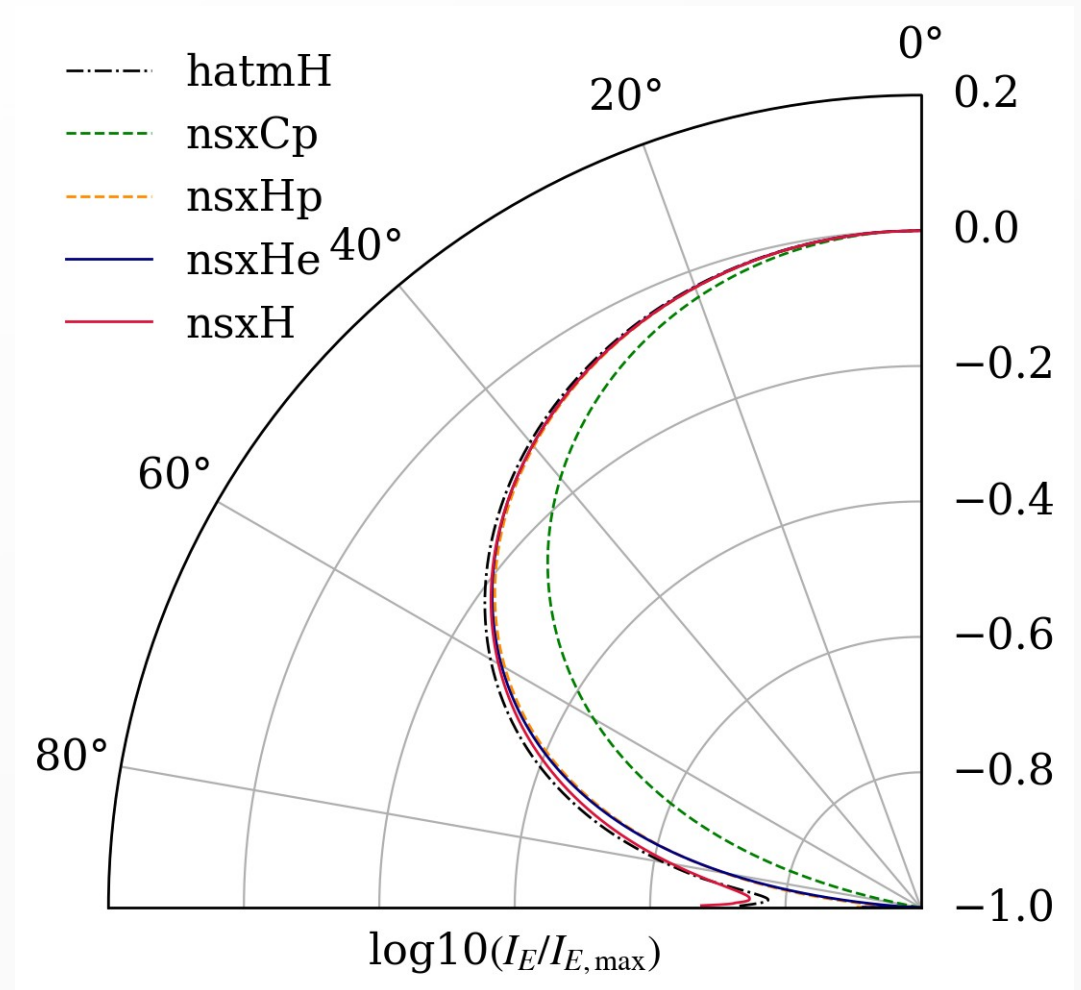
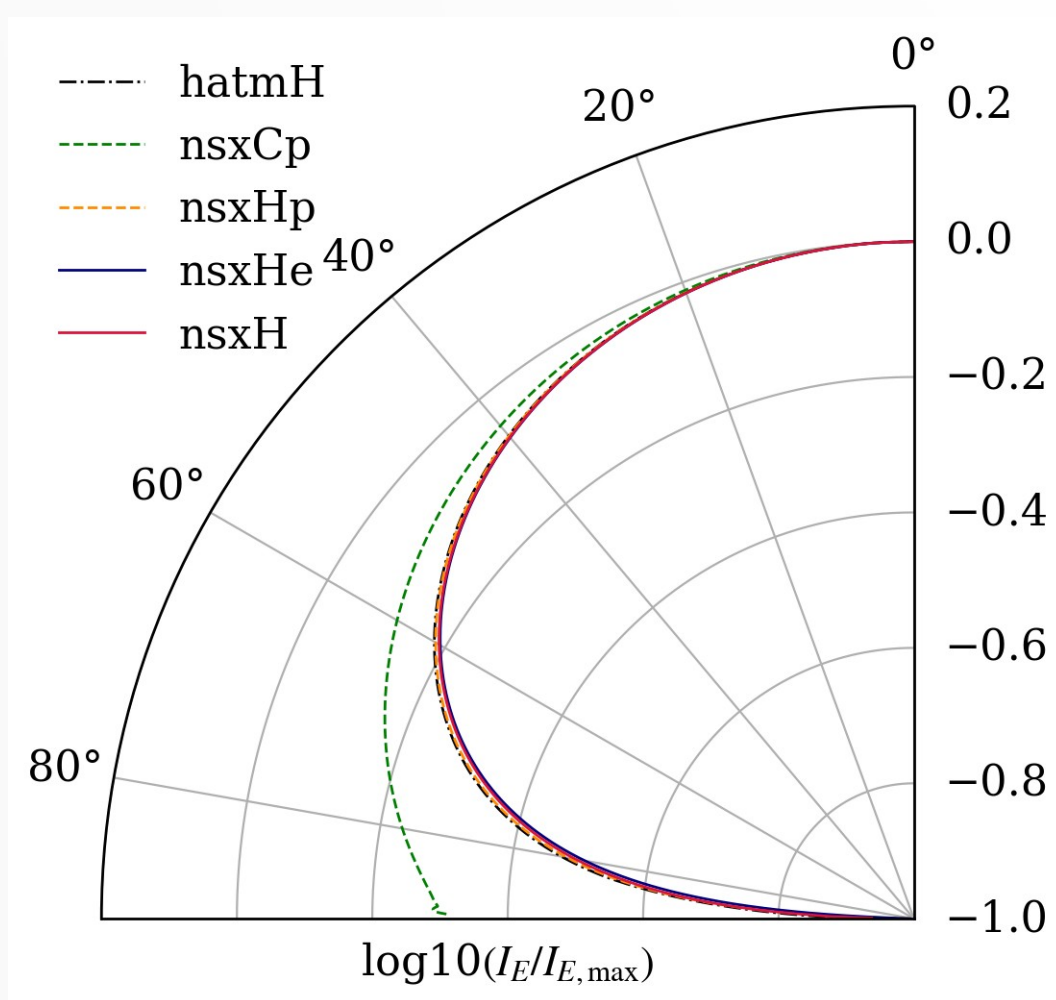
Introduction: Pulse profiles

- Flux: $dF_E = I_E d\Omega = (1 - u)^{1/2} \delta^4 I'(\sigma', E') \cos \sigma \frac{d \cos \alpha dS'}{d \cos \psi D^2}$
- Intensity of photons in the spot frame depends on both energy E' and emission angle σ' (and thus phase).
- Dependence on σ' called atmospheric beaming pattern.



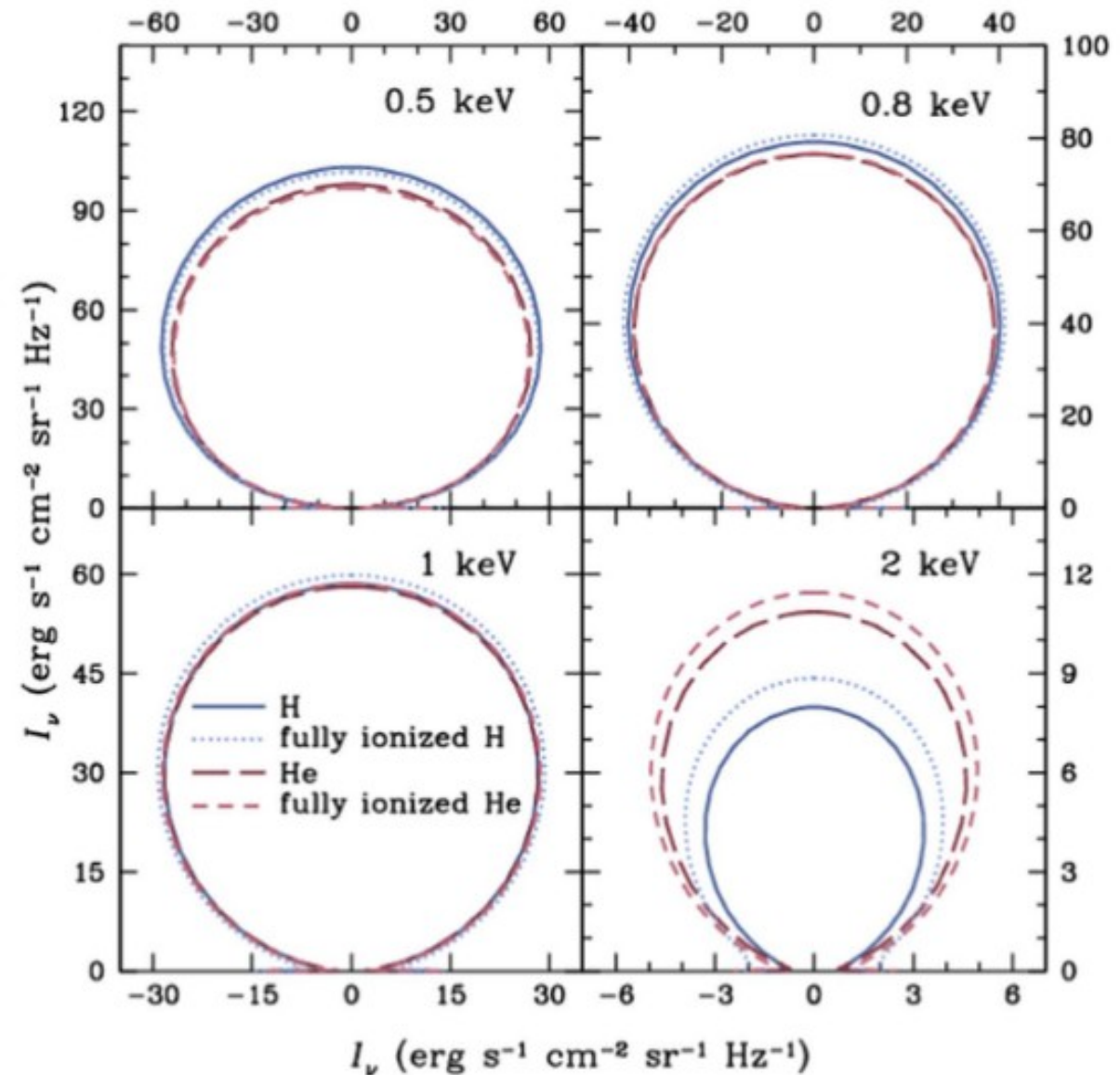
Introduction: Pulse profiles

- Beaming patterns at 0.5 keV (left) and 1.0 keV (right):



Atmosphere models

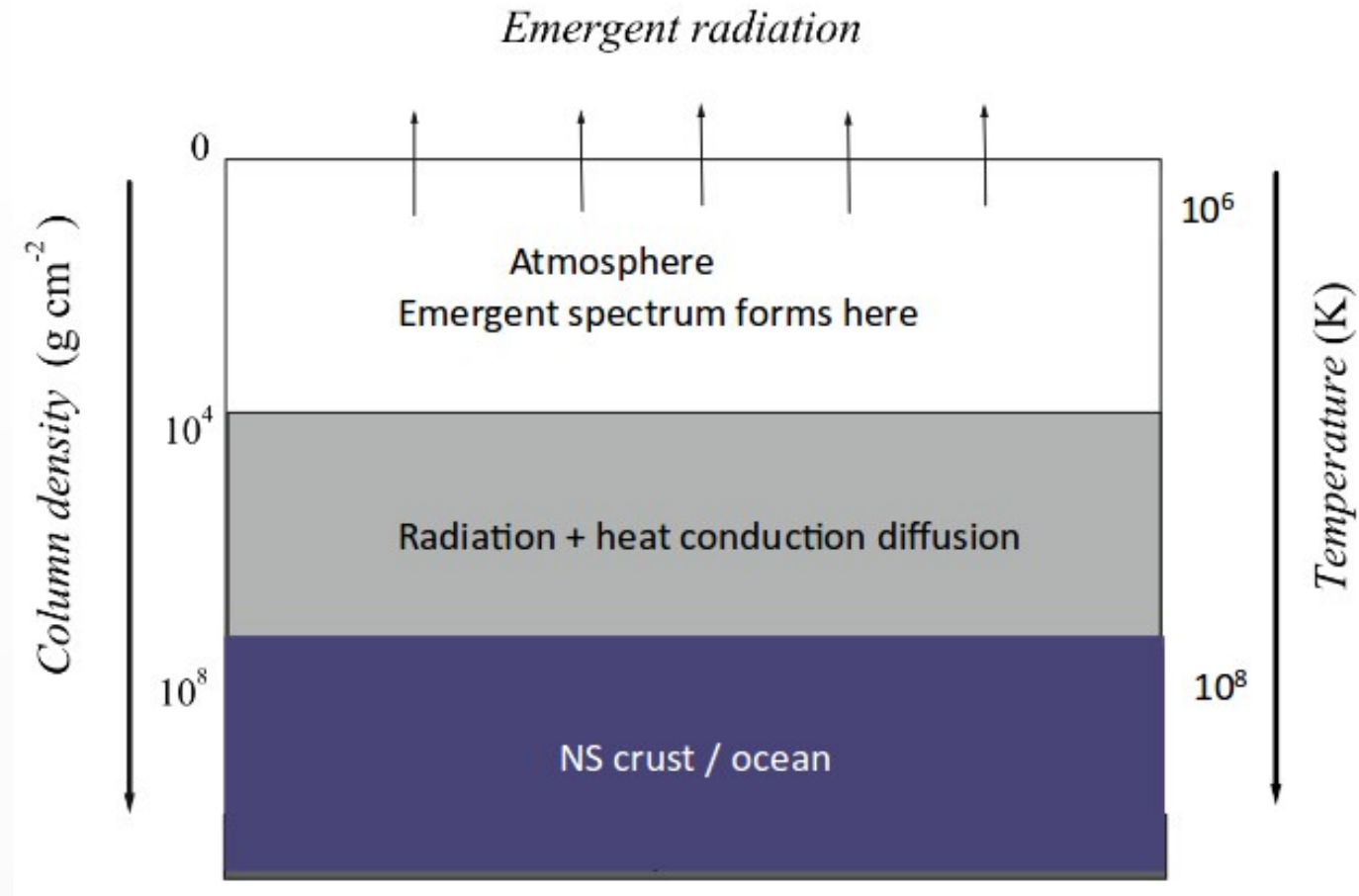
- The model for $I'(E', \sigma')$.
- Iterative models solving simultaneously NS **atmosphere structure** and **radiative transfer**.
- Assumptions:
 - Composition
 - Ionization state
 - Thomson vs Compton scattering
 - Depth of heat release
 - Magnetic field strength



Atmosphere models

- Models typically too slow for direct inference:
 - Using pre-computed intensity tables for a variety of parameters (non-accreting):

$E, \sigma, T_{\text{eff}}, \log(g) \dots$



Credit: V. Suleimanov

Radiative transfer equation

$$S(E, \mu)$$

$$S(x, \mu) = \frac{k(x)}{\sigma(x, \mu) + k(x)} B_x + \frac{\kappa_e}{\sigma(x, \mu) + k(x)} \\ \times \left(1 + \frac{C I(x, \mu)}{x^3} \right) x^2 \int_0^\infty \frac{dx_1}{x_1^2} \int_{-1}^1 d\mu_1 R(x, \mu; x_1, \mu_1) I(x_1, \mu_1)$$

$$x = E$$

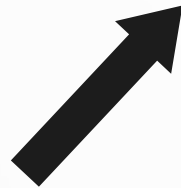
$$I(E, \mu)$$

$$\mu \frac{dI(E, \mu)}{d\tau(E, \mu)} = I(E, \mu) - S(E, \mu)$$

$$\mu = \cos \sigma'$$

Atmosphere structure

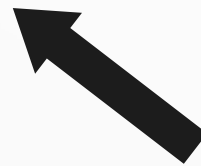
Temperature as
function of depth



$$2\pi \int_0^\infty dE \int_{-1}^{+1} [\sigma(E, \mu) + k(E)][I(E, \mu) - S(E, \mu)] d\mu = -Q^+$$

Energy balance+
Surface flux corrections

Radiative transfer
equation



$$I(E, \mu) \quad S(E, \mu)$$

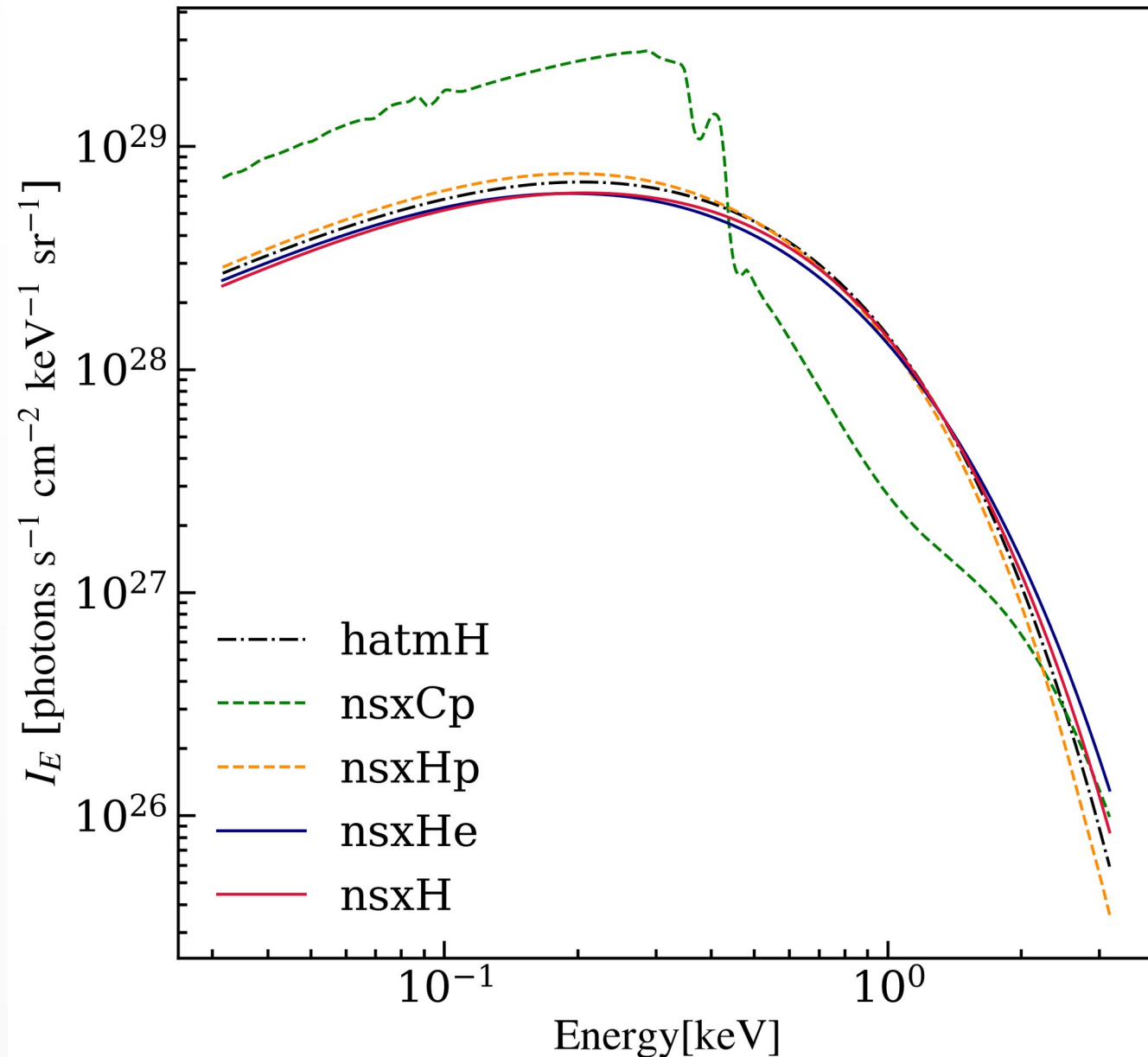
Effects on M&R constraints for NICER

- Different models tested

(Ho&Lai 2001, Ho&Heinke 2009, Salmi+2020):

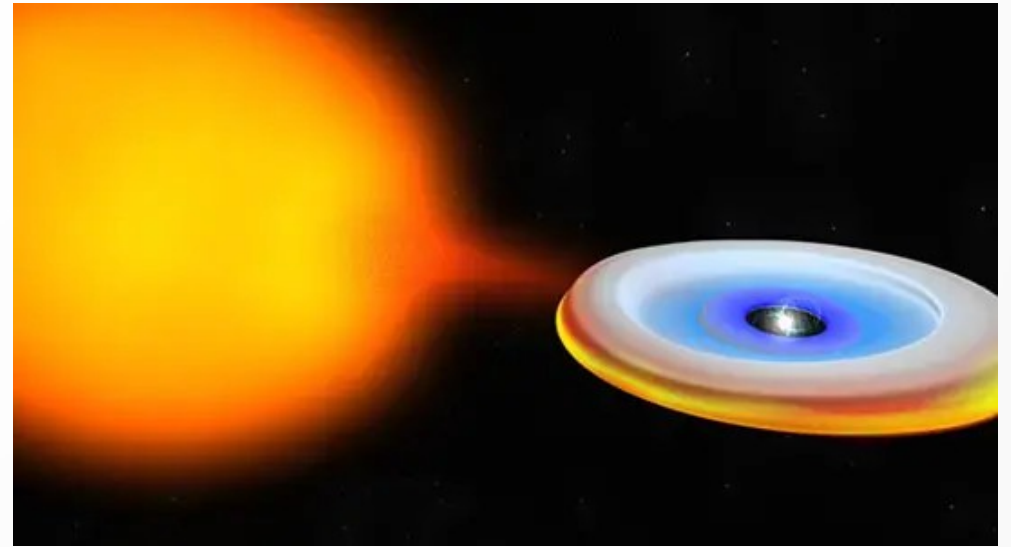
- Fully-ionized hydrogen (**nsxH**), used usually in NICER.
- Fully-ionized helium (**nsxHe**)
- Partially-ionized hydrogen (**nsxHp**)
- Partially-ionized carbon (**nsxCp**)
- Fully-ionized hydrogen but externally heated and from an independent algorithm (**hatmH**)

Salmi+2023 submitted



Effects on M&R constraints for NICER

- **Composition:** Hydrogen expected due to rapid sinking of heavier elements.... But helium (or heavier) possible if hydrogen was never accreted or there was nuclear burning.
- **Ionization state:** Accounting for it could affect but can be inaccurate for hotter neutron stars (due to limitations in opacity tables).
- **Deep-heating:** Accounting for non-deep-heating could affect if the bombarding particles are slow enough ($\gamma \sim < 100$, Salmi+2020), but typically they are expected to be much faster (Harding&Muslimov 2011).

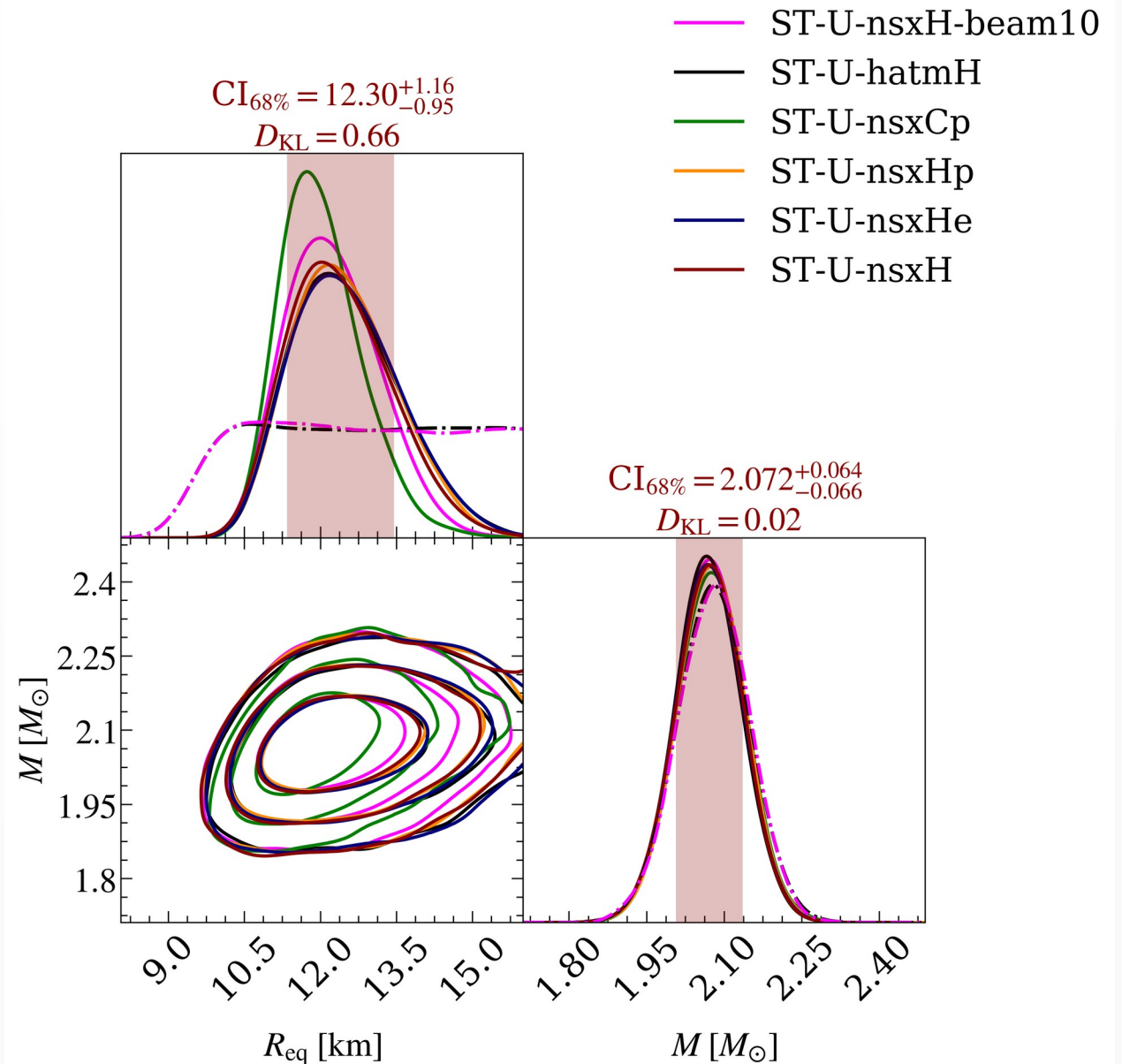


Credit: Bill Saxton; NRAO/AUI/NSF

J0740: 2 circular hot spots (ST-U)

- High-mass pulsar J0740 (studied in Miller+2021; Riley+2021; Salmi+2022).
- All choices produce consistent M&R constraints.
- Only carbon atmosphere disfavored based on Bayesian evidence.

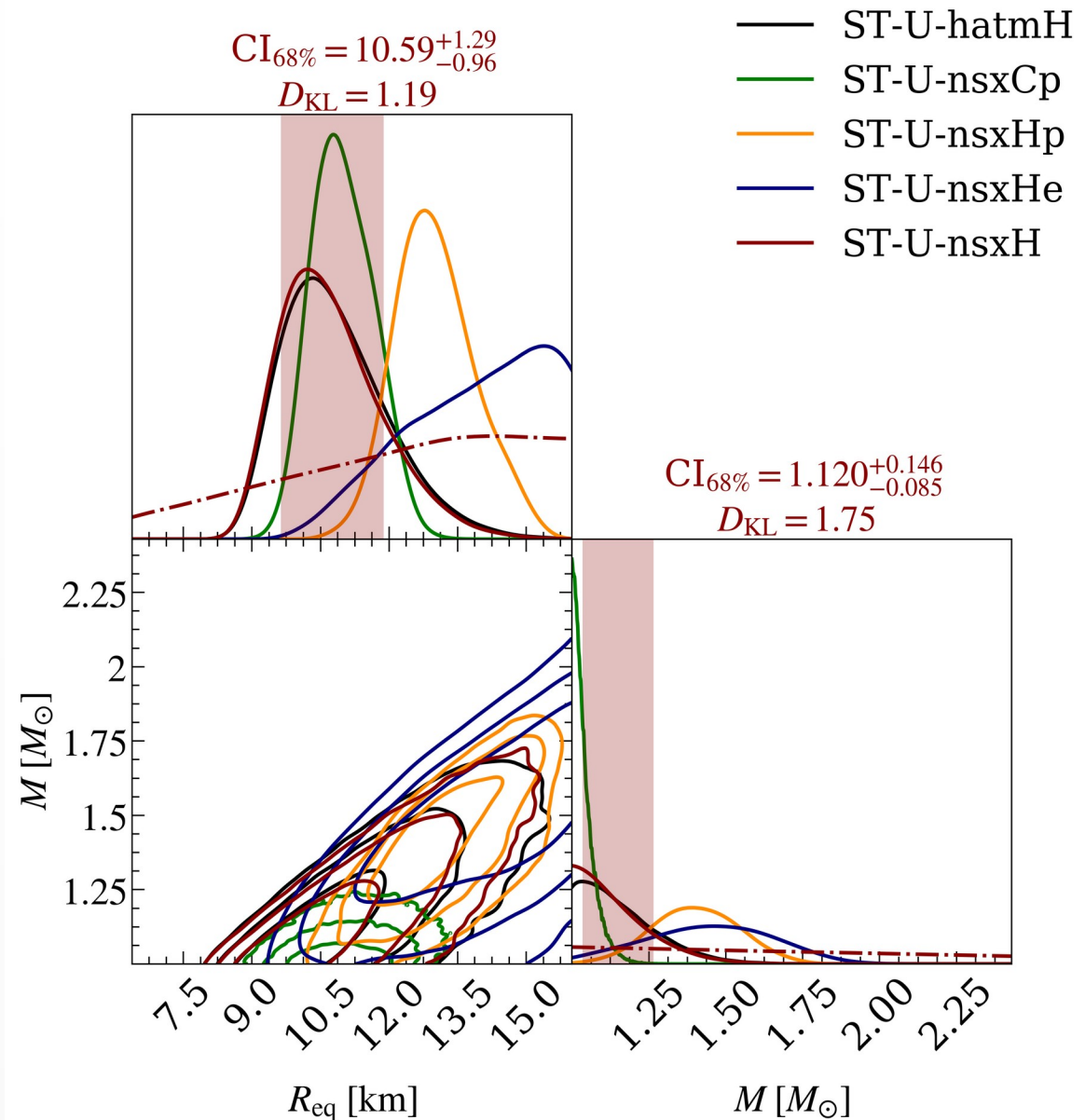
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J0030: 2 circular hot spots (ST-U)

- J0030 (studied in Miller+2019; Riley+2019).
- **Different M&R constraints, but not equally likely.**
- Deep-heating: No effect.
- Partial-ionization: Shift, but disfavored.
- C vs H: Shift, but disfavored.
- He vs H: Shift, evidence cannot distinguish.
 - 13-16 km vs 10-11 km.

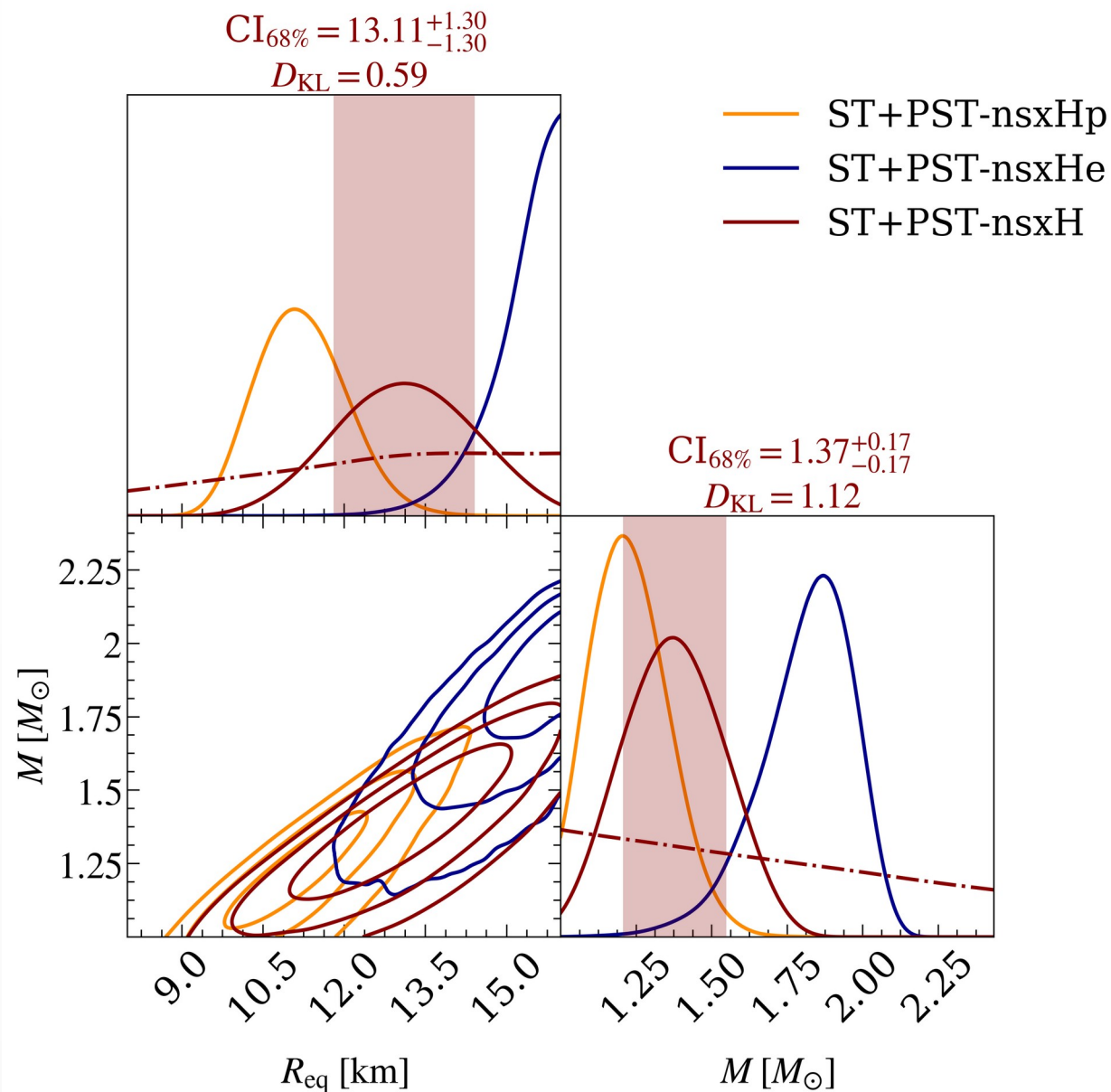
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J0030: 1 circle and 1 crescent (ST+PST)

- Preferred model from Riley+2019.
- More computationally expensive, thus only 3 cases tested.
- Again, **similar evidence for fully-ionized hydrogen and helium, but different radii** (12-14 km vs 15-16 km).
- Partially-ionized hydrogen disfavored but better fitting ST-U solutions were not even found: Sampling with 10k MultiNest livepoints not enough?

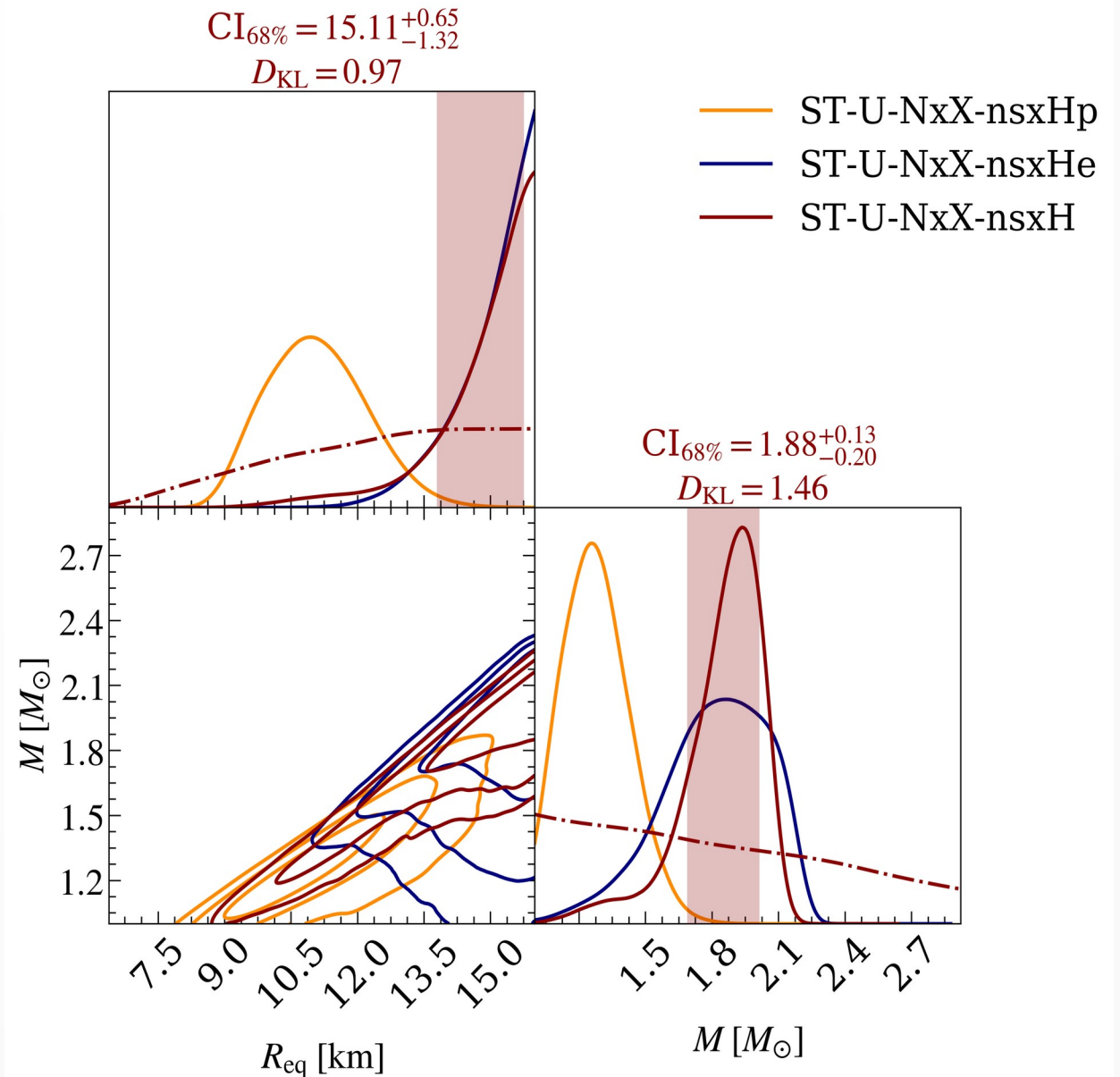
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J0030: 2 circular hot spots and XMM

- Constraining NICER background by fitting simultaneously NICER and XMM data.
- Evidence favors He against H. But both hit 16 km upper limit when fully ionized.
- Partially-ionized hydrogen infers smaller R but evidence disfavored.
- Need studies with more complex spot shapes and independent background estimates.

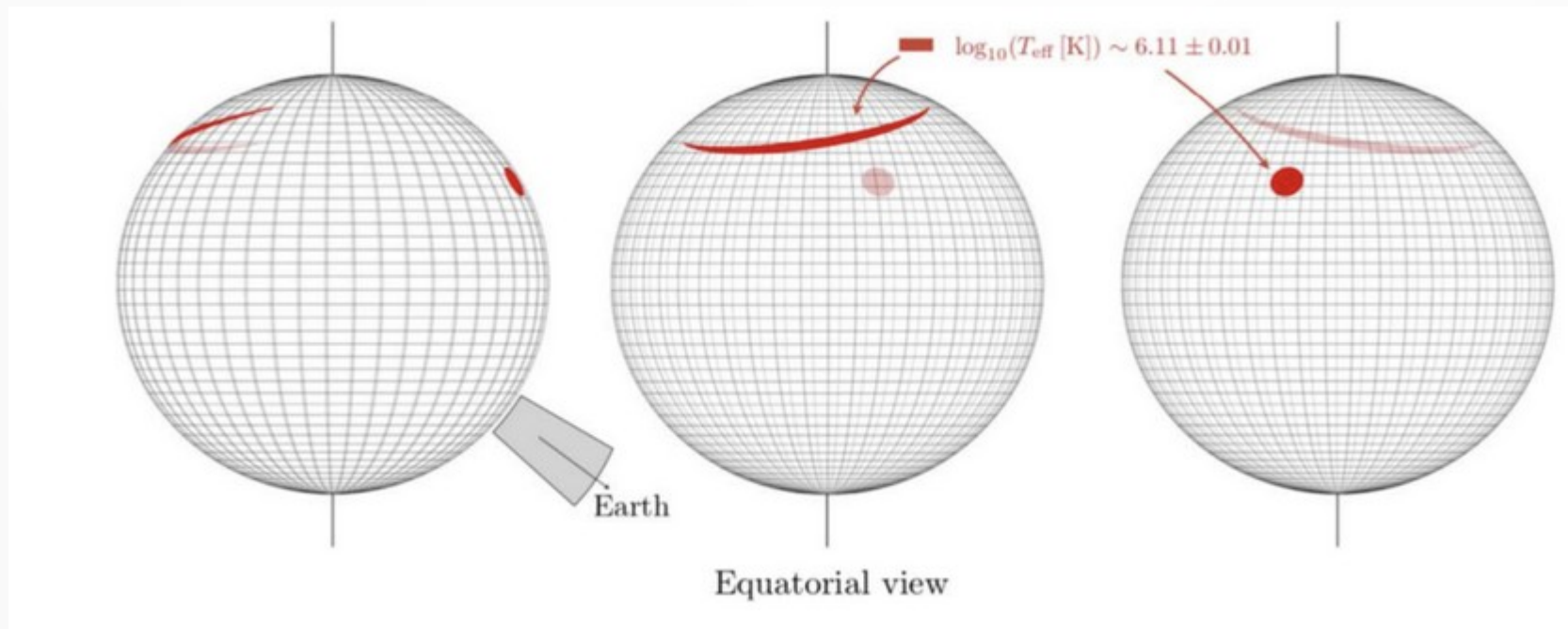
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Discussion

Possible reasons why J0030 different compared to J0740:

- No external prior constraints for NS mass or geometry for J0030.
- Higher number of observed counts for J0030.
- Favoring/allowing hot spots that are only seen if photons emitted always at high angles (having largest difference in beaming).



Conclusions and Future

- None of tested atmosphere assumptions affects M&R **J0740** constraints.
- H vs He assumption affects M&R **J0030** constraints, but He is considered less likely (although with higher evidence) and leads typically to unexpectedly high R for J0030.
- Other tested atmosphere assumptions either do not affect J0030 or they affect but have a much lower evidence.
- In future atmosphere models can be further explored and best ones inferred, especially with any new high-energy-resolution X-ray instruments.

Extra: Beaming parameterization

- Uncertainty in the predicted beaming pattern can also be parameterized:
- 4 new empirical beaming parameters, modifying the input from an atmosphere table.

$$I(E, \mu, a, b, c, d) = I(E, \mu)_{\text{NUM}} f(E, \mu, a, b, c, d), \quad (1)$$

where

$$f(E, \mu, a, b, c, d) = C \left(1 + a \left(\frac{E}{\text{keV}} \right)^c \mu + b \left(\frac{E}{\text{keV}} \right)^d \mu^2 \right)$$

Extra: J0030 with beaming

- Allowing max 5% correction to intensities below 60 deg emission angles (as typically between the atmosphere models):
 - Hydrogen solution same, helium a bit shifted.

Salmi+2023 submitted

