Introduction	Nucleon size	Generalized T <sub>R</sub> ENTo formula	Strongly coupled pre-hydrodynamic stage	Weights	Conclusions & Outlook
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# Data-driven initial conditions for heavy-ion collisions

### Govert Nijs

### January 25, 2023

Based on:

- GN, van der Schee, 2206.13522
- GN, van der Schee, 2302.xxxxx



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## Trajectum

- New heavy ion code developed in Utrecht/MIT/CERN.
- Contains initial stage, hydrodynamics and <sup>2</sup>/<sub>5</sub> <sup>0.06</sup>
   freeze-out, as well as an analysis suite.
- Easy to use, example parameter files distributed alongside the source code.
- Fast, fully parallelized.
  - Figure (20k oversampled PbPb events at 2.76 TeV) computes on a laptop in 21h.
  - Bayesian analysis requires O(1000) similar calculations to this one.
- Publicly available at sites.google.com/ view/govertnijs/trajectum/.



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## Components of *Trajectum*



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## Hydrodynamics

Define 
$$(g^{\mu\nu} = \text{diag}(1, -1, -1, -1))$$
:

$$\Delta^{\mu\nu} = g^{\mu\nu} - u^{\mu}u^{\nu}, \quad \nabla^{\mu} = \Delta^{\mu\nu}\partial_{\nu}, \quad D = u^{\mu}\nabla_{\mu}, \quad \sigma^{\mu\nu} = \nabla^{\langle\mu}u^{\nu\rangle},$$

with  $\langle \rangle$  symmetrizing and removing the trace.

• We solve viscous hydrodynamics without currents, i.e.

$$\partial_{\mu}T^{\mu\nu} = 0, \quad T^{\mu\nu} = eu^{\mu}u^{\nu} - (P + \Pi)\Delta^{\mu\nu} + \pi^{\mu\nu},$$

•  $\pi^{\mu\nu}$  and  $\Pi$  follow the 14-moment approximation:

$$-\tau_{\pi}\Delta^{\mu}_{\alpha}\Delta^{\nu}_{\beta}D\pi^{\alpha\beta} = \pi^{\mu\nu} - 2\eta\sigma^{\mu\nu} + \delta_{\pi\pi}\pi^{\mu\nu}\nabla \cdot u \\ - \phi_{7}\pi^{\langle\mu}_{\alpha}\pi^{\nu\rangle\alpha} + \tau_{\pi\pi}\pi^{\langle\mu}_{\alpha}\sigma^{\nu\rangle\alpha} - \lambda_{\pi\Pi}\Pi\sigma^{\mu\nu}, \\ -\tau_{\Pi}D\Pi = \Pi + \zeta\nabla \cdot u + \delta_{\Pi\Pi}\nabla \cdot u\Pi - \lambda_{\Pi\pi}\pi^{\mu\nu}\sigma_{\mu\nu}.$$

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## Particlization

- At the freeze-out temperature  $T_{sw}$ , we turn the fluid back into particles.
- Particles are sampled thermally, and boosted with the fluid velocity  $u^{\mu}$ .
- We use the PTB prescription to match  $\pi^{\mu\nu}$  and  $\Pi$  across the transition, so that  $T^{\mu\nu}$  is smooth.
- After particlization, we use SMASH as a hadronic afterburner.

[Pratt, Torrieri, 1003.0413; Bernhard, 1804.06469]

## Bayesian analysis

- We want to fit 25 parameters to 653 data points.
- Two problems:
  - Even the fastest models are too slow.
  - The parameter space is large.
- The first problem is solved by replacing the model with an emulator trained on model simulations.
- The second problem is solved by using Markov Chain Monte Carlo (MCMC), which samples the posterior using importance sampling.



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## Data used in our most recent fit: integrated observables



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## Data used in our most recent fit: spectra



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## Data used in our most recent fit: $p_T$ -differential $v_2$



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## Bulk viscosity over entropy density $\zeta/s$



- Lower bulk viscosity than other groups.
- This is mostly due to the inclusion of  $p_T$ -differential observables.
- It is important to fit to as wide a range of data as possible (within reason).
- We varied the highest  $p_T$  bin included to check that our result was robust.
- [GN, van der Schee, Gürsoy, Snellings, 2010.15130]



Conclusions & Outlook

## Our evolving understanding of the initial state



- Initial conditions took a circle journey since 2016:
  - Small nucleon size at first, then larger, now small again.
  - Energy deposition went from  $T^{00} \propto (T_A T_B)^{2/3}$  to  $T^{00} \propto \sqrt{T_A T_B}$ , and now back to  $T^{00} \propto (T_A T_B)^{2/3}$ .
  - Pre-hydrodynamic stage increased in complexity from no dynamics, to free streaming, and now to a parameterized interpolation between weak and strong coupling.
- Progress was enabled by Bayesian analysis.
- We focus on the latest of these analyses: *Trajectum*-22.

[Giacalone, 2208.06839]

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## T<sub>R</sub>ENTo initial conditions

Nucleons A and B become wounded with probability

$$P_{ ext{wounded}} = 1 - \exp\left(-\sigma_{gg}\int d\mathbf{x}\, 
ho_A(\mathbf{x})
ho_B(\mathbf{x})
ight), \quad 
ho_A \propto \exp\left(rac{-|\mathbf{x}-\mathbf{x}_A|^2}{2w^2}
ight).$$

Each wounded nucleon desposits energy into its nucleus's *thickness* function  $\mathcal{T}_{A/B}$ :

$$\mathcal{T}_{A/B} = \sum_{i \in ext{wounded } A/B} \gamma \exp(-|\mathbf{x} - \mathbf{x}_i|^2/2w^2),$$

with  $\gamma$  drawn from a gamma distribution with mean 1 and standard deviation  $\sigma_{\rm fluct}.$ 

Actual formulas slightly modified because each nucleon has n<sub>c</sub> constituents.

[Moreland, Bernhard, Bass, 1412.4708, 1808.02106]

## The cross-section $\sigma_{AA}$ for different nucleon widths

- The cross-section depends strongly on the nucleon width w and the centrality normalization cent<sub>norm</sub>.
- ALICE finds: 7.67 ± 0.24 b.
- Cross-section measurement seems to require smaller w than earlier analyses.
- Basic observable: models should get this right.

[ALICE, 2204.10148; ALICE-PUBLIC-2022-004]



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## $\rho(v_2^2, \langle p_T \rangle)$ for different nucleon widths



- The correlation between  $v_2^2$  and  $\langle p_T \rangle$  is sensitive to the nucleon width w.
- Smaller *w* is preferred.
- This is a statistically challenging observable. [Giacalone, Schenke, Shen, 2111.02908] ◆□▶ ◆□▶ ◆豆▶ ◆豆▶ 三回■ のへの



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## Including the pPb and PbPb cross sections in the analysis

- Including the pPb and PbPb cross sections in the fit lowers w from 1 fm to 0.6 fm.
- Smaller width is now compatible with our knowledge of the proton.
- Result is robust under various fitting scenarios.



[ALICE, 2204.10148; ALICE-PUBLIC-2022-004; CMS, 1509.03893]

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## Implication for viscosities

- Smaller nucleons imply larger radial flow.
- Specific bulk viscosity ζ/s increases to compensate.
- Including σ<sub>AA</sub> reverses the preferred slope of specific shear viscosity η/s.
- Similar findings in IP-Glasma based Bayesian analysis presented at Quark Matter. [Heffernan, Jeon, Gale, Paquet, to appear]





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## Implication for $\rho(v_2^2, \langle p_T \rangle)$ (ALICE)

- We can use the full posterior to propagate uncertainties from parameters to observables.
- Much improved agreement with ALICE for  $\rho(v_2^2, \langle p_T \rangle)$ .





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## Implication for $\rho(v_2^2, \langle p_T \rangle)$ (ATLAS)



- Still some tension with ATLAS:
  - Kinematic cuts are different, probably needs 3+1D simulations to resolve.
  - Important to match the precise experimental procedure.



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## The TRENTo phenomenological ansatz

• The standard T<sub>R</sub>ENTo formula combines thickness functions of the two nuclei  $\mathcal{T}_A$  and  $\mathcal{T}_B$  into a *reduced thickness*  $\mathcal{T}$ , interpreted as an energy density:



• Binary scaling  $T = T_A T_B$  is not available.



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## The power of Bayesian <u>analysis</u>



- Can test theories for the initial state with TRENTO, in this case by comparing their scaling behavior.
- General workflow for testing theories/questions:
  - Introduce parameter(s) which parameterize the question.
  - Confront the generalized model with data using Bayesian analysis.
- Read off the posterior distribution for the parameter(s). [Bernhard, 1804.06469] ◆□▶ ◆母▶ ◆ヨ▶ ◆ヨ▶ ヨヨ ののべ

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## The q parameter

We make the following modification to the TRENTo formula:

$$\mathcal{T} \propto \left(rac{\mathcal{T}_A^p + \mathcal{T}_B^p}{2}
ight)^{q/p},$$

introducing the parameter q.

- We now include *binary scaling* as a limit when p = 0, q = 2.
- Assuming approximate conformality of the equation of state, we can also interpret the right hand side as an *entropy density* by setting q = 4/3.

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## Posterior distribution for q

- Binary scaling (q = 2) is strongly disfavored.
- Fixing the nucleon width w at different values has a large effect on the fitted value for q.
- Fixing w = 0.4 fm favors  $q \approx 4/3$ .
- Weighted distribution is close to w = 0.4 fm distribution.



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## Comparing to IP-Glasma

- This corresponds to q = 1.5.
- IP-Glasma is compatible with our posterior.



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[Borghini et al., 2209.01176]

## Strongly coupled pre-hydrodynamic stage: early effort

 In AdS/CFT simulations of the initial stage, the shear stress and bulk pressure quickly relax to their 'hydro' values:

$$\pi^{\mu\nu} = 2\eta\sigma^{\mu\nu}, \quad \Pi = -\zeta\nabla \cdot u.$$

- In free streaming however, the initialization of π<sup>µν</sup> and Π is qualitatively different.
- Use free streaming velocity as a proxy for this difference.



[van der Schee, Romatschke, Pratt, 1307.2539; GN, van der Schee, Gürsoy, Snellings, 2010.15134]



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## Free streaming pre-hydrodynamic stage

- T<sub>R</sub>ENTo creates matter at proper time  $\tau = 0^+$ .
- Propagate the matter using free streaming:

$$T^{\mu
u}(x, y, au_{\text{hyd}}) = rac{1}{ au_{\text{hyd}}} \int d\phi \, \hat{
ho}^{\mu} \hat{
ho}^{
u} \mathcal{T}(x - au_{\text{hyd}} \cos \phi, y - au_{\text{hyd}} \sin \phi),$$

with

$$\hat{\pmb{\rho}}^{\mu} = \left( egin{array}{cc} 1 & \cos\phi & \sin\phi \end{array} 
ight),$$

giving us the stress tensor  $T^{\mu
u}$  at proper time  $au= au_{
m hyd}.$ 

- Here  $\tau_{hyd}$  is the time at which hydrodynamics is started.
- The factor  $1/\tau_{hyd}$  is due to longitudinal expansion.

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## The *r*<sub>hyd</sub> parameter

We compute the hydrodynamic values for π<sup>μν</sup> and Π explicitly from the velocity u<sup>μ</sup>:

$$\pi^{\mu
u}_{\mathsf{hyd}} = 2\eta\sigma^{\mu
u}, \qquad \Pi_{\mathsf{hyd}} = -\zeta 
abla \cdot u.$$

We then mix the hydrodynamic values with the free streaming values and initialize hydrodynamics with

$$\begin{split} \pi^{\mu\nu} &= r_{\rm hyd} \pi^{\mu\nu}_{\rm hyd} + (1 - r_{\rm hyd}) \pi^{\mu\nu}_{\rm fs}, \\ \Pi &= r_{\rm hyd} \Pi_{\rm hyd} + (1 - r_{\rm hyd}) \Pi_{\rm fs}, \end{split}$$

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with  $r_{hyd} \in [0, 1]$  interpolating between the two scenarios.

## Need to go to second order

- Previous scheme fails: combination of large T<sub>R</sub>ENTo norm *N*, small hydro initialization time  $\tau_{hyd}$  and large specific shear viscosity  $\eta/s$  causes extreme particle yields, ruining the emulator.
- Need to go to second order, which penalizes large initial values for  $\pi^{\mu\nu}$  and  $\Pi$ .
- Use full 14-moment approximation:

$$\begin{aligned} -\tau_{\pi}\Delta^{\mu}_{\alpha}\Delta^{\nu}_{\beta}D\pi^{\alpha\beta} &= \pi^{\mu\nu} - 2\eta\sigma^{\mu\nu} + \delta_{\pi\pi}\pi^{\mu\nu}\nabla\cdot u \\ &- \phi_{7}\pi^{\langle\mu}_{\alpha}\pi^{\nu\rangle\alpha} + \tau_{\pi\pi}\pi^{\langle\mu}_{\alpha}\sigma^{\nu\rangle\alpha} - \lambda_{\pi\Pi}\Pi\sigma^{\mu\nu}, \\ -\tau_{\Pi}D\Pi &= \Pi + \zeta\nabla\cdot u + \delta_{\Pi\Pi}\nabla\cdot u\Pi - \lambda_{\Pi\pi}\pi^{\mu\nu}\sigma_{\mu\nu}, \end{aligned}$$

where we set the left hand side to zero, and solve for  $\pi^{\mu\nu}$  and  $\Pi.$ 



Strongly coupled pre-hydrodynamic stage

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## Posterior distribution for $r_{hydro}$

- r<sub>hyd</sub> = 1 is strongly favored over r<sub>hyd</sub> = 0, implying a preference for strongly coupled pre-hydrodynamic stage.
- Preference also becomes stronger for larger hydro initialization time τ<sub>hyd</sub>.
- One can see this as model averaging, albeit cheaper since we can interpolate between models with a continuous parameter.



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## Why weights?

- Higher p<sub>T</sub>, higher centralities are harder to model theoretically.
- Experimental correlation matrix is not available.
  - Figure shows  $1\sigma$  and  $2\sigma$ regions for  $\rho \in \{0, 0.9, -0.9, 0.99\}$ , with standard deviations the same.
  - Same difference between theory and experiment can be within 1σ or outside of 2σ depending on ρ.
  - Correlated observable classes can be over/underimportant for the Bayesian analysis.



## Definition of weights

In the bayesian analysis, the probability of the data given the parameter point x is given by:

$$P(D|x) = \frac{1}{\sqrt{(2\pi)^m \det \Sigma}} \exp\left(-\frac{1}{2}(y - y_{\exp})^T \Sigma^{-1}(y - y_{\exp})\right),$$

with y the vector of observables computed from x,  $y_{\text{exp}}$  the vector of the corresponding experimental data, and  $\Sigma$  the combined theory/experiment covariance matrix.

We define weights by replacing

$$P(D|x) = rac{1}{\sqrt{(2\pi)^m \det \Sigma}} \exp\left(-rac{1}{2}(y-y_{\exp})^T \omega \Sigma^{-1} \omega (y-y_{\exp})
ight),$$

where  $\omega$  is the diagonal matrix containing the weight for each observable.

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## Choice of weights

- We choose for weights  $\omega$ :
  - 1/2 for every particle identified observable.
  - 1/2 for p<sub>T</sub>-differential observables, and an additional
    - $(2.5 p_T[GeV])/1.5$  if  $p_T > 1$  GeV.
  - (100 c[%])/50 if the centrality class c is beyond 50%.
- Weighting only worsens the average discrepancy slightly.
- Distribution of discrepancies makes more sense.

	$\langle (y_{theo}) \rangle$	$\bar{\omega}$			
	$\sigma_{\rm AA}$ & $\omega$	ω	$\sigma_{\sf AA}$	neither	
$dN_{\rm ch}/d\eta$	0.55	0.60	1.23	1.22	1.00
$dN_{\pi^{\pm},k^{\pm},p^{\pm}}/dy$	0.76	0.70	0.60	0.57	0.48
$dE_T/d\eta$	1.59	1.51	0.82	0.77	0.48
$\langle p_T \rangle_{\mathrm{ch},\pi^{\pm},K^{\pm},p^{\pm}}$	0.66	0.60	0.88	0.72	0.46
$\delta p_T / \langle p_T \rangle$	0.56	0.62	0.51	0.58	0.49
$v_n\{k\}$	0.58	0.51	0.54	0.49	1.00
$d^2 N_{\pi^{\pm}}/dy  dp_T$	1.19	1.07	0.86	0.92	0.20
$d^2 N_{K^{\pm}}/dy  dp_T$	1.41	1.27	0.79	0.73	0.20
$d^2 N_{p^{\pm}}/dy  dp_T$	1.35	1.21	0.73	0.67	0.25
$v_{2}^{\pi^{\pm}}(p_{T})$	0.81	0.74	0.46	0.44	0.19
$v_2^{K^{\pm}}(p_T)$	0.92	0.89	0.55	0.55	0.19
$v_2^{p^{\pm}}(p_T)$	0.49	0.47	0.34	0.35	0.25
$v_3^{\pi^{\pm}}(p_T)$	0.65	0.57	0.69	0.57	0.24
average	0.89	0.83	0.69	0.66	
$\sigma_{AA}$	1.13	3.80	1.53	3.40	1.00



Strongly coupled pre-hydrodynamic stage

Weights Conclusion

## How much do weights change the posteriors?



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## Conclusions

- Describing the experimental cross-section requires smaller nucleon width.
- Binary scaling in TRENTo is strongly disfavored.
- Reduced thickness  $\mathcal{T}$  should be interpreted as an entropy density.
- Scaling behavior of T<sub>R</sub>ENTo is compatible with IP-Glasma.
- Our fit favors a strongly coupled pre-hydrodynamic stage.
- Weighting makes the discrepancies between theory and experiment better distributed.

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## Outlook

- Much improved statistics: can now fit to p(v<sub>2</sub>{2}<sup>2</sup>, ⟨p<sub>T</sub>⟩) directly.
- Bayesian analysis with 3+1D simulations.
- Nuclear structure with <sup>16</sup>O and <sup>20</sup>Ne.
- Interpolating between T<sub>R</sub>ENTo scaling and using the IP-Glasma scaling directly.



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## Correlations between parameters



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