Interplay of Nuclear, Neutrino and BSM Physics at Low-Energies INT 23-85w, Apr. 20 2023

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in collaboration with Wen-Hua Wu, Meng-Ru Wu & Henry T.-K.Wong Phys.Rev.Lett. [2206.06864] and [23xx.xxxx]

## Searching for Afterglow: Light Dark Matter Boosted by SNv







Introduction

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### The concept for supernova neutrino BDM

- Kinematics, BDM emissivity and flux
- Time-of-flight for direct  $m_{\chi}$  measurement
- Case studies for SN in and off the GC

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- From SN1987a and next galactic SN
- On DM-*v* and DM-*e* cross sections

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#### Summary



# Introduction

### Dark matter is *ubiquitous* in the Universe!



Distance (light years)

 $1\,\mathrm{pc}\approx 2.06\times 10^5\,\mathrm{AU}\approx 3.08\times 10^{16}\,\mathrm{m}$ 

## What is the essence of DM?





not-to-scale



not-to-scale

CDEX Collab.Hochberg+ (2016)LUX Collab.Geilhufe+ (2019)SENSEI Collab.Kim+ (2020)XENON Collab.Kahn+ (2020)Essig+ (2015)Knapen+ (2020)...Hochberg+ (2015)





#### not-to-scale

Dark matter indirect search



Dark matter indirect search









# The SNvBDM framework

# Galactic supernova

top-view





SN could be anywhere in MW

top-view







SN@GC

## **Galactic supernova**

SN@GC



duration: ~10s  $N_{\nu} \approx 10^{58}$   $\bar{E}_{\nu} \approx 10 - 15 \text{ MeV}$   $\frac{dn_{\nu}}{dE_{\nu}} = \sum_{i} \frac{L_{\nu_{i}}}{4\pi r^{2} \langle E_{\nu_{i}} \rangle} E_{\nu}^{2} f_{\nu_{i}}(E_{\nu})$ Duan+ 2006

### SN@GC

► Halo DM was scattered ( $\sigma_{\chi\nu}$ ) by SN $\nu$  and gets boosted (BDM)

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 $p_{\chi} = (m_{\chi}, \mathbf{0})$ 

 $p_{\nu} = (E_{\nu}, \mathbf{p}_{\nu})$ 

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• Only  $\alpha$  points toward Earth that is relevant



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- **BDM** emissivity  $j_{\chi}$  at  $\alpha$
- Distribution function  $f_{\chi}$  for  $\alpha$

SN@GC

$$\int f_{\chi}(\alpha, E_{\nu})d\Omega = 1$$

**Boosted** 

point

V













$$t' = \frac{r}{c} + \frac{\ell}{v_{\chi}} > \frac{R}{c}$$


# Timing the SNvBDM

▶ The arrival time of BDM at Earth *t*′, relative to the SN explosion

$$t' = \frac{r}{c} + \frac{\ell}{v_{\chi}} \bigotimes \frac{R}{c}$$



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▶ The arrival time of BDM at Earth *t*′, relative to the SN explosion

$$t' = \frac{r}{c} + \frac{\ell}{v_{\chi}} \ge \frac{R}{c}$$

▶ SN*v* burst will be followed by time-evolving BDM afterglow



### The BDM flux on Earth

- Halo DM is *boosted*:  $T_{\chi} \gg m_{\chi}$
- **BDM** emissivity at *α*: *distribution function*

$$f_{\chi}(\alpha, E_{\nu}) = \frac{\gamma^2 \sec^3 \alpha}{\pi (1 + \gamma^2 \tan^2 \alpha)^2}$$

The BDM *time-of-flight*:

$$t' = \frac{r}{c} + \frac{\ell}{v_{\chi}} > \frac{R}{c}$$

The flux on Earth





# The BDM flux on the Earth

Bertone+ (2005) Erkal+ (2019)

### **Time-evolving BDM flux: Time-of-flight**

DM profile

$$n_{\chi}(r) = \frac{\rho_s}{m_{\chi}} \frac{1}{\frac{r}{r_s} (1 + \frac{r}{r_s})^n}, \quad (n, \rho_s, r_s) = \begin{cases} (2, 184 \,\mathrm{MeV} \,\mathrm{cm}^{-3}, 24.4 \,\mathrm{kpc}), & \mathrm{NFW} \,\mathrm{for} \,\mathrm{MW} \\ (3, 68 \,\mathrm{MeV} \,\mathrm{cm}^{-3}, 31.9 \,\mathrm{kpc}), & \mathrm{LMC} \,\,(\mathrm{SN1987a}) \end{cases}$$

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• Defined a time-shifted coordinate  $t = t' - R_s/c$ : a delayed time relative to the arrival of SN*v* 



SNv burst detected on Earth

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### Direct *m<sub>X</sub>* measurement

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• Peak time  $t_p \sim R_s(1/v_\chi - 1/c)$ 

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The BDM velocity  

$$v_{\chi} = \sqrt{T_{\chi}(2m_{\chi} + T_{\chi})}/(T_{\chi} + m_{\chi})$$

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- Given  $T_{\chi}$  and  $t_p$ , the DM mass  $m_{\chi}$  is measured directly
- For direct search, the diff. recoil rate  $dR/dE_R$

$$\frac{dR}{dE_R} \propto \frac{\sigma_{\chi n}}{m_{\chi}}$$

The total propagation time

$$t' = \frac{r}{c} + \frac{\ell}{v_{\chi}}$$

• The distribution function for  $\alpha$ 

$$f_{\chi}(\alpha, E_{\nu}) = \frac{\gamma^2 \sec^3 \alpha}{\pi (1 + \gamma^2 \tan^2 \alpha)^2}$$





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max. t and  $f_{\chi}(\alpha_m) = 0$ 

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- The vanishing time *t*<sub>van</sub>: the *duration* of the afterglow
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max. t and  $f_{\chi}(\alpha_m) = 0$ 

which leads to the condition

$$\frac{\cos(\alpha_m - \theta)}{\cos \theta} = \frac{v_{\chi}(m_{\chi})}{c}$$





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**BDM flux vs.**  $m_{\chi}$ 



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- *t<sub>p</sub>* for LMC is delayed accordingly due to *R*<sub>LMC</sub> = 50 kpc > *R*<sub>GC</sub> = 8.5 kpc
- The LMC flux is smaller due to dilution from longer distance
- Lighter  $m_{\chi}$  could have  $t_p$  smaller than  $t_0$  due to  $v_{\chi} \rightarrow c$





 $(\mathcal{D})$ 



 $R_s = 8.5 \text{ kpc vs. } \beta$ 





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# Constraint and projected sensitivity

► The BDM event number estimation

$$N_{\chi} = N_e \sigma_{\chi e} \int_{t_0}^{t_{\rm exp}} dt \int_{T_{\rm th}}^{T_{\rm max}} dT_{\chi} \int_0^{\pi/2} 2\pi \sin\theta d\theta \frac{d\Phi_{\chi}}{dT_{\chi} d\Omega} \propto \sigma_{\chi e} \sigma_{\chi \nu}$$

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sky of interest
$$n_{\nu}(r), n_{\chi}(r) = \int_{0}^{\pi/2} e^{\theta} e^{\theta}$$

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exposure energy of sky of interest  
$$\prod_{n_{\nu}(r), n_{\chi}(r)} A = \prod_{d} \theta = \prod_{n_{\nu}(r), n_{\chi}(r)} A = \prod_{n_{\mu}(r), n_{\chi}(r)} A = \prod_{n_{\mu}$$

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▶ The BDM event number estimation



Super-K and Hyper-K -like detectors: 22.5 and 225 ktons

▶ The BDM event number estimation



- Super-K and Hyper-K -like detectors: 22.5 and 225 ktons
- Exposure time: 10 s to t<sub>van</sub> (duration of BDM flux, truncated at 35 yrs)



# **Directionality:** *θ***-dependency**

• The BDM event number

$$N_{\chi} = N_e \sigma_{\chi e} \int_{t_0}^{t_{exp}} dt \int_{T_{th}}^{T_{max}} dT_{\chi} \int_{\Delta \cos \theta} 2\pi \sin \theta d\theta \frac{d\Phi_{\chi}}{dT_{\chi} d\Omega} \propto \sigma_{\chi e} \sigma_{\chi \nu}$$

$$\bigwedge cos\theta = 0.05$$

# **Directionality:** *θ***-dependency**

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 $\Delta \cos\theta = 0.05$ 

- $N_{\chi}$  depends on the open angle  $\theta$  $\Delta \cos \theta = \cos \theta_{\min} - \cos \theta_{\max} = 0.05$
- Smaller  $m_{\chi}$  has narrower window for  $\theta$





Hirata+ (1987) Battistoni+ (2005) Abe+ (SK) (2016)

# Total event and background



- The *rapid decreasing* of  $N_{\chi}$  vs.  $m_{\chi}$  indicates the tail part cannot be fully incorporated
- The background  $N_b \sim 526 M_T t_{exp}$  increases as  $t_{van} < t_{cut} = 35$  yrs but saturates when  $t_{van} > t_{cut}$

• The BDM event (taking  $\sigma_{\chi v} = \sigma_{\chi e}$ )

$$N_{\chi} = N_e \sigma_{\chi e} \int_{T_{\rm th}}^{T_{\rm max}} dT_{\chi} \int_{t_0}^{t_{\rm exp}} dt \frac{d\Phi_{\chi}}{dT_{\chi}}$$

- LMC (SN1987a):
  - Kamiokande: 1987-1996
  - Super-K: 1996 present
- $m_{\chi} < 1.1$  keV has  $t_{van} < 9$  years, which is unobservable to Super-K
- GC case is similar



# **Constraint and projected sensitivity**

Constraint and sensitivity are estimated by

 $\frac{N_{\chi}}{\sqrt{N_{\chi} + N_b}} = \begin{cases} 2.0, & \text{next GC SN} \\ 90\% \text{ CL}, & \text{SN1987a} \end{cases} \text{ with background } N_b \simeq 526 \times M_T \times t_{\text{exp}} \end{cases}$ 

The constraint and sensitivity are placed on  $s = \sqrt{\sigma_{\chi\nu}\sigma_{\chi e}}$  and assuming  $\sigma_{\chi\nu} = \sigma_{\chi e}$ 





# Summary

# Summary

- SNv BDM possesses *time-of-flight* and *directionality* 
  - Direct  $m_{\chi}$  measurement
  - Determining vanishing time
  - Determining sky of interest
  - Event selection
- Complementary probe to DM direct search
- Provides better constraint and sensitivity for light DM
- Results for BDM due to SN not limited to the GC are presented



# backups

# **BDM event and pheno realization**

The BDM event number

$$N_{\chi} = N_e \sigma_{\chi e} \int_{T_{\rm th}}^{T_{\rm max}} dT_{\chi} \int_{t_0}^{t_{\rm exp}} dt \frac{d\Phi_{\chi}}{dT_{\chi}} \propto \sigma_{\chi e} \sigma_{\chi \nu}$$

Non-zero  $\sigma_{\chi\nu}$  and  $\sigma_{\chi e}$  can be realized with dark photon *V* with portal(s) to the Standard Model sector

$$\mathcal{L}_{\text{eff}} = -\frac{1}{4} V_{\mu\nu} V^{\mu\nu} - \frac{1}{2} m_V V_{\mu} V^{\mu} + \frac{\epsilon}{2} F_{\mu\nu} V^{\mu\nu} + g_{\chi} V_{\mu} J_{\chi}^{\mu}$$

where  $V_{\mu\nu} = \partial_{\mu}V_{\nu} - \partial_{\nu}V_{\mu}$ 

- The kinetic mixing  $\varepsilon F_{\mu\nu}V^{\mu\nu}$  provides a portal to SM photon and  $e'V_{\mu}J^{\mu}$  provides extra portal(s) to other SM currents  $J^{\mu}$  (eg.  $L_{\mu}-L_{\tau}$  or Z-mass mixing)
- Effectively, we have the following diagram for  $\chi$ -*f* scattering where f = e, v

$$|\mathcal{M}_{\chi f}|^2 = \frac{2}{(t^2 - m_V^2)^2} g_{\chi}^2 e^{\prime 2} [s^2 + u^2 + 4t(m_f^2 + m_{\chi}^2) - 2(m_f^2 + m_{\chi}^2)^2]$$

















