

# Measurement of the Neutron Electromagnetic Form Factor Ratio at High $Q^2$ Using High Luminosity Polarized $^3\text{He}$ Target

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UNIVERSITY  
of VIRGINIA



U.S. DEPARTMENT OF  
**ENERGY**

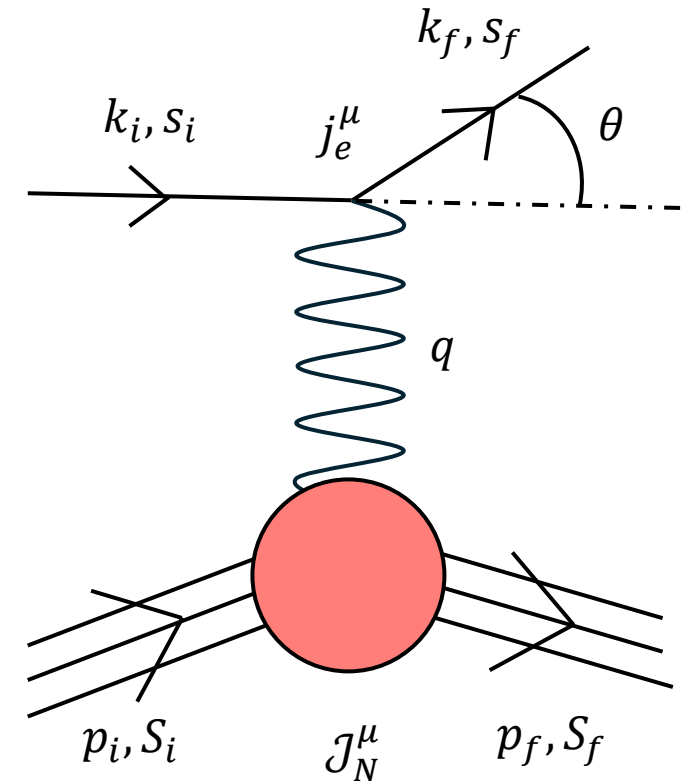
Jefferson  
Lab

# e – N Scattering & Form Factors

□ To measure the neutron's electromagnetic form factor ratio, we looked at the reaction  ${}^3\text{He} \vec{e}(\vec{e}^-, e^- n) pp$

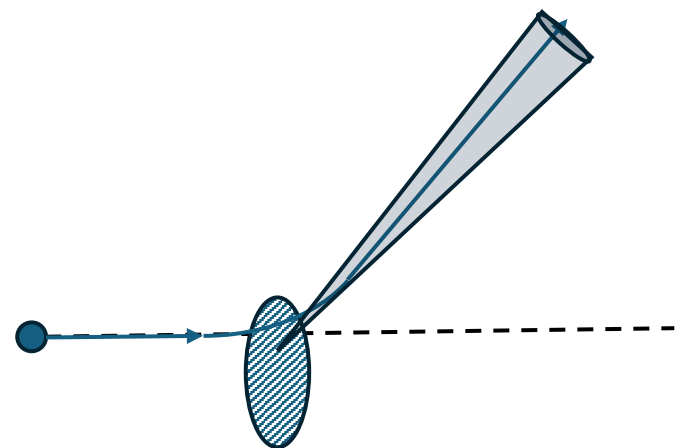
❖ Assuming only single photon exchange.

$$j_e^\mu = -ie\bar{u}(s_f; k_f)\gamma^\mu u(s_i; k_i)$$



$$\begin{aligned} k_i + p_i &= k_f + p_f \\ q &= k_i - k_f = p_f - p_i \\ Q^2 &= -q^2 = 4E_f^e E_i^e \sin^2\left(\frac{\theta}{2}\right) \leftarrow \text{Lab Frame} \end{aligned}$$

$$\begin{aligned} j_e^\mu(s_f, s_i; k_f, k_i) &\leftarrow \text{Electron current} \\ J_N^\mu(S_f, S_i; p_f, p_i) &\leftarrow \text{Nucleon current} \end{aligned}$$



$$\frac{d\sigma}{d\Omega} \propto \left| J_N^\mu \left( \frac{1}{Q^2} \right) j_\mu^e \right|^2$$

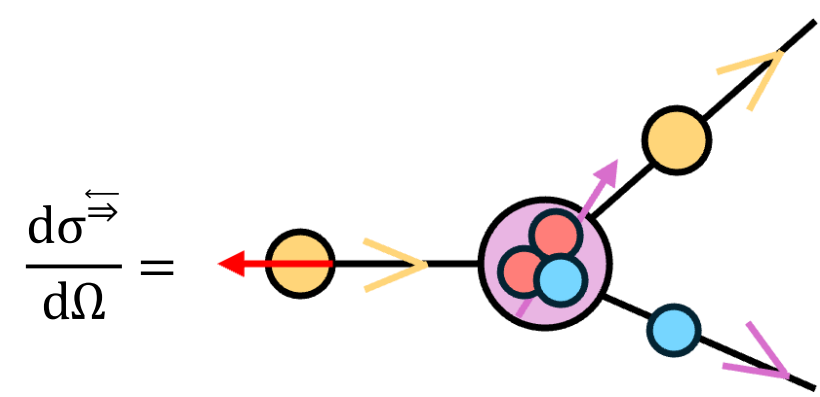
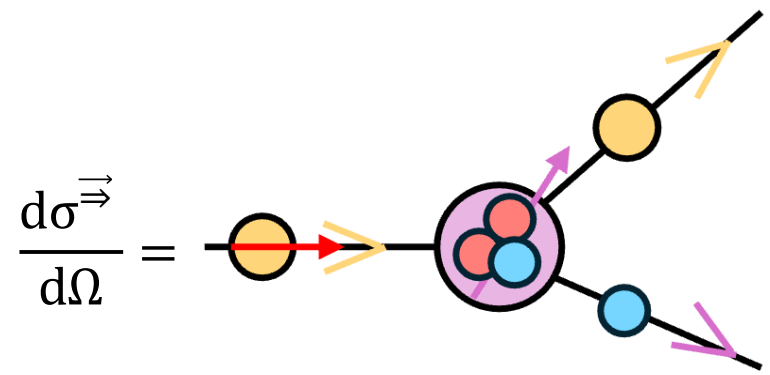
$$\frac{d\sigma}{d\Omega} = \frac{d\dot{N}}{d\Omega} \frac{1}{\mathcal{L}}$$

Measurement in Experiment

# Measuring $G_E^n / G_M^n$

- The GEn – II experiment at JLab uses the double polarization method for extracting the electromagnetic form factor ratio  $G_E^n / G_M^n$ 
  - ❖ This requires a polarized beam and target

$$A_{phys} = \frac{\left(\frac{d\sigma^{\vec{\Rightarrow}},}{d\Omega} - \frac{d\sigma^{\vec{\Leftarrow}},}{d\Omega}\right)}{\left(\frac{d\sigma^{\vec{\Rightarrow}},}{d\Omega} + \frac{d\sigma^{\vec{\Leftarrow}},}{d\Omega}\right)} = - \frac{1}{1 + \frac{\epsilon}{\tau} \left(\frac{G_E^n}{G_M^n}\right)^2} \left[ \left(\frac{G_E^n}{G_M^n}\right) \sqrt{\frac{2\epsilon(1-\epsilon)}{\tau}} P_x + \sqrt{1-\epsilon^2} P_z \right]$$

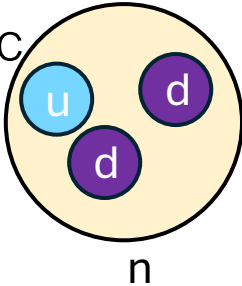


$P_x$  – target spin component  $\perp$  to  $\vec{q}$   
 $P_z$  – target spin component  $\parallel$  to  $\vec{q}$   
 $\epsilon = (1 + 2(1 + \tau) \tan^2(\theta/2))^{-1}$   
 $\tau = Q^2 / 4M_N^2$

# Why Measure Form Factors?

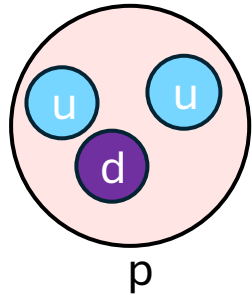
- Sach's and others have shown the form factors are connected to the charge radius and magnetic moment of the nucleon [1].

$$\langle r_{E,M}^2 \rangle = -6 \frac{dG_{E,M}}{dQ^2} \Big|_{Q^2=0}, \quad |\langle \mathbf{M} \rangle| = \mu = G_M(0)$$



- Cates, et al., have shown that one can decompose the nucleon form factors into the constituent quark form factors[2].

$$\begin{aligned} F_{1,2}^u &= 2F_{1,2}^p + F_{1,2}^n, \\ F_{1,2}^d &= 2F_{1,2}^n + F_{1,2}^p \end{aligned}$$



- Form factors provide constraints on the generalized parton distributions (GPDs) [3].
  - ❖ GPDs describe the non-perturbative structure of the nucleon.

- Quark and gluon densities and their angular momentum contributions to the nucleon

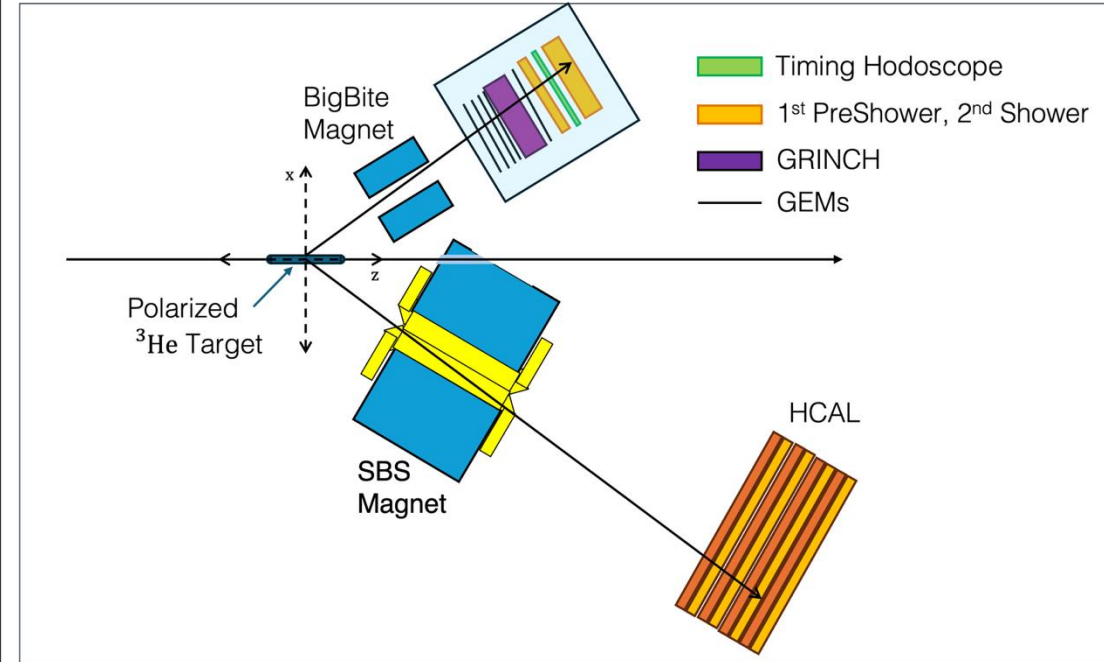
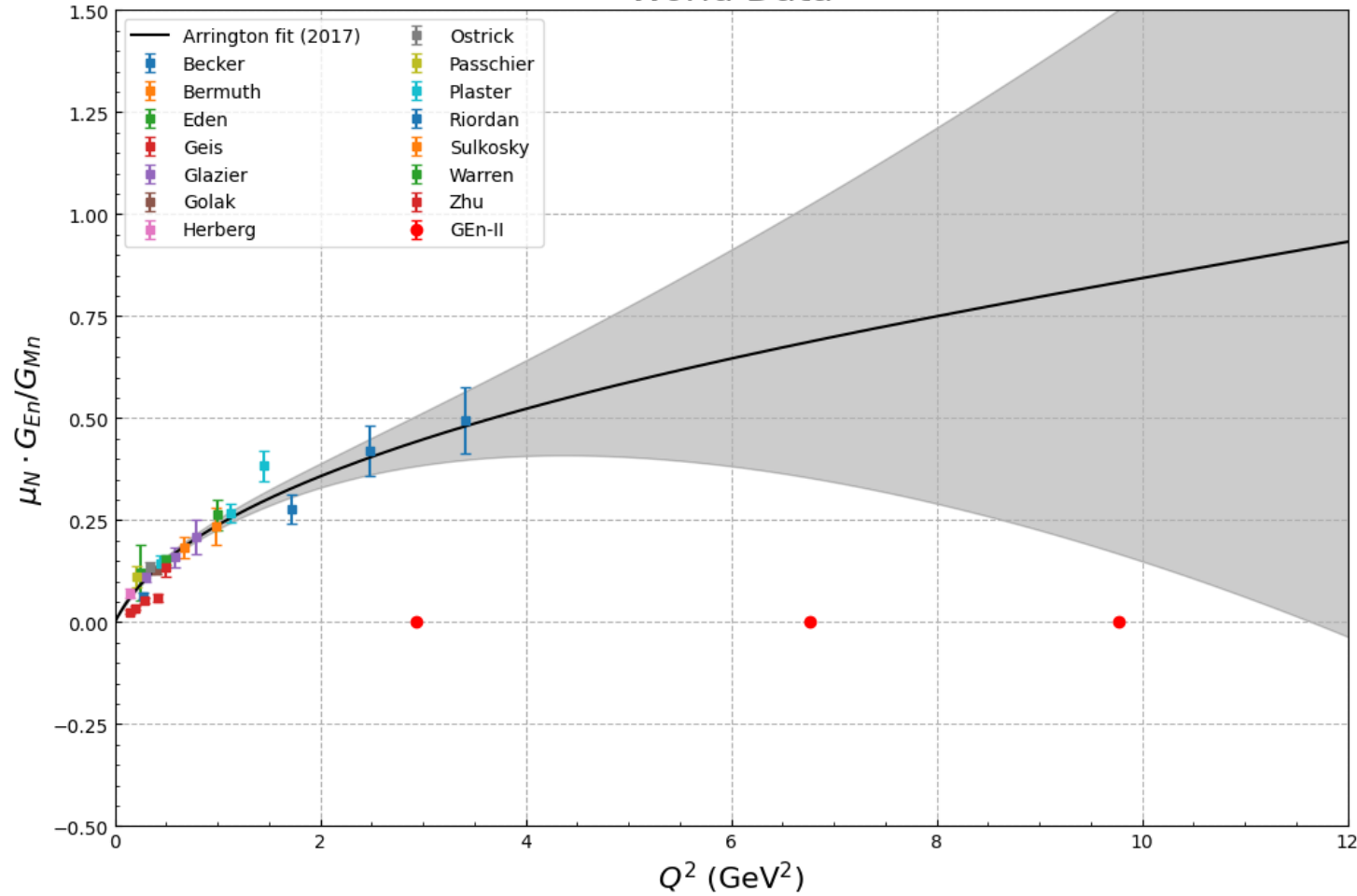
$$F_1 = \int_{-1}^1 dx H(x, \xi, Q^2), \quad F_2 = \int_{-1}^1 dx E(x, \xi, Q^2)$$

$$\int_{-1}^1 dx x [H(x, \xi, \Delta^2) + E(x, \xi, \Delta^2)] = A(\Delta^2) + B(\Delta^2) \quad J_{q,g} = \frac{1}{2} [A_{q,g}(0) + B_{q,g}(0)] \quad J_q + J_g = \frac{1}{2}$$

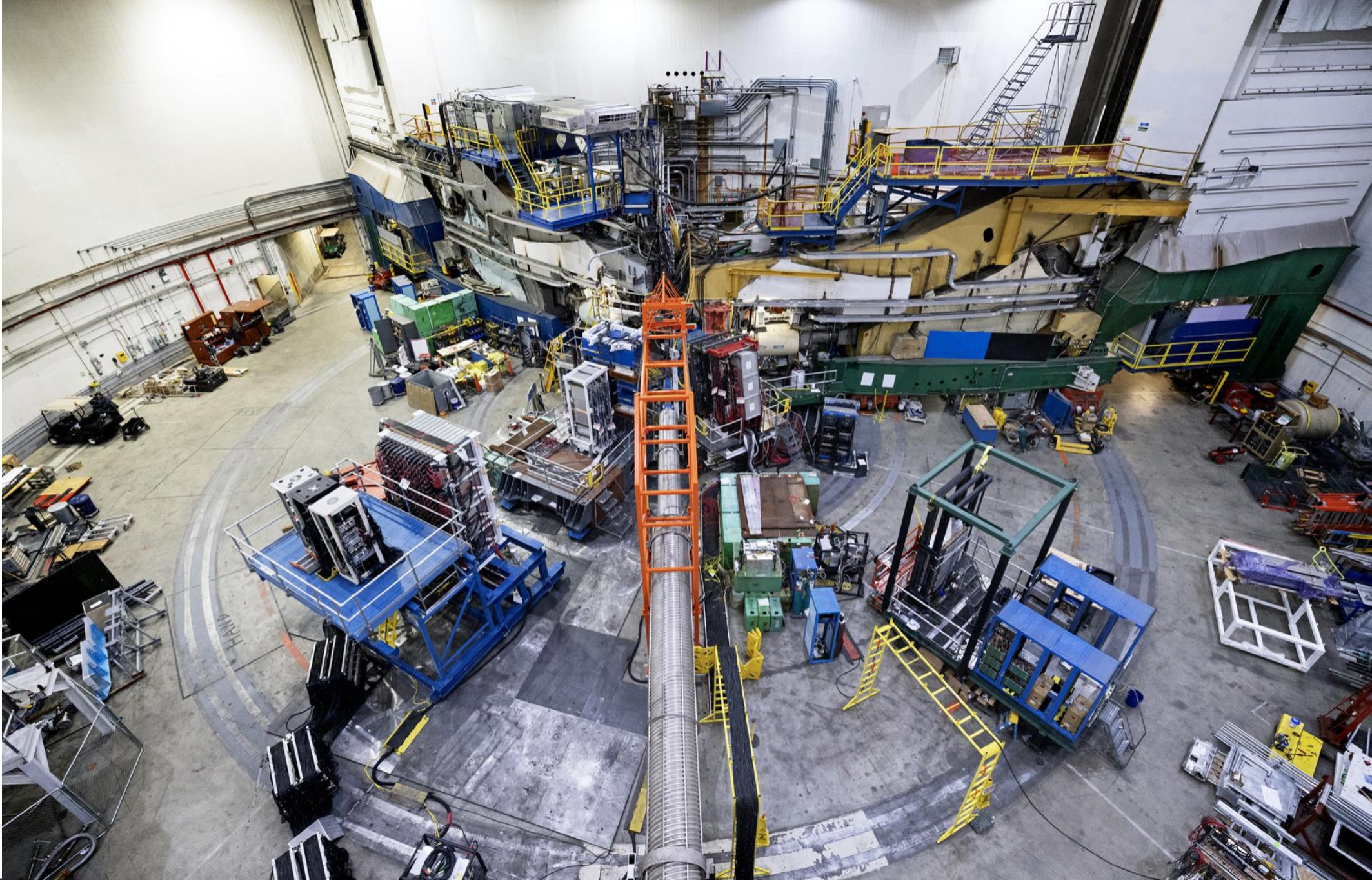
[1] F. J. Ernst, R. G. Sachs, and K. C. Wali, Phys. Rev. 119, 1105 (1960)., [2] G. D. Cates et al., Phys. Rev. Lett. 106, 252003 (2011). [3] M. Diehl, Physics Reports 388, 41 (2003).

# Select Data on $G_E^n/G_M^n$ and GEn-II Objective

World Data

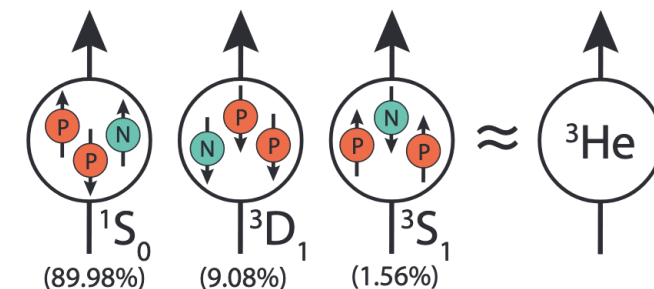
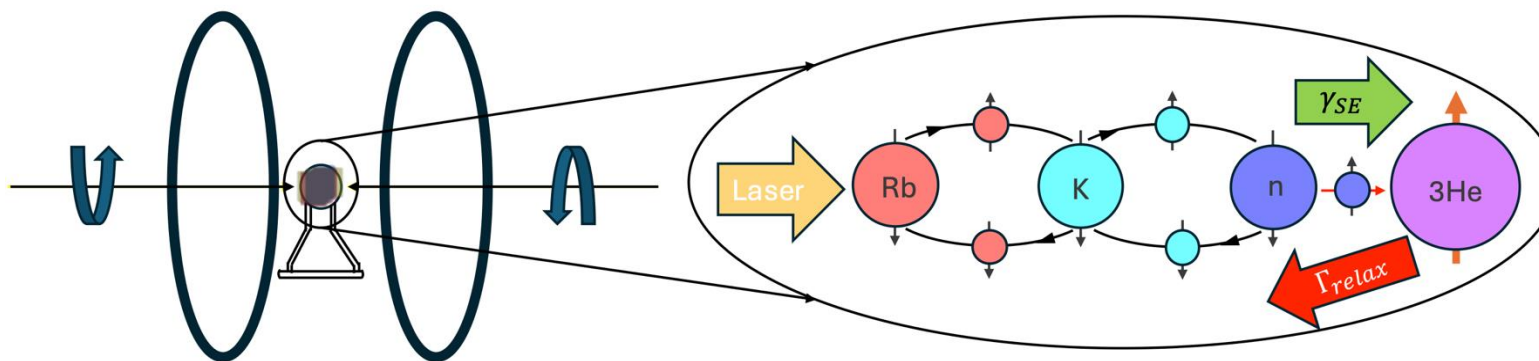
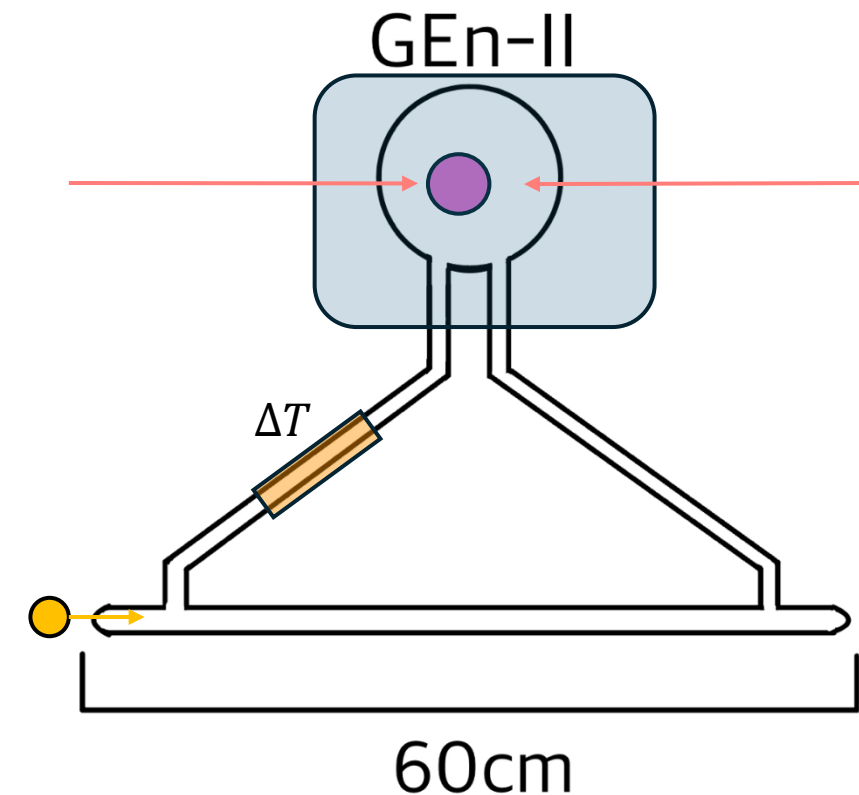


	$Q^2$ ( $\text{GeV}^2$ )	$E_{beam}$ (GeV)	$I_{beam}$ ( $\mu\text{A}$ )	$\theta_e$ (deg)
GEN2	2.93	4.29	45.0	29.5
GEN3	6.79	6.37	45.0	36.5
GEN3	9.78	8.45	45.0	35.0

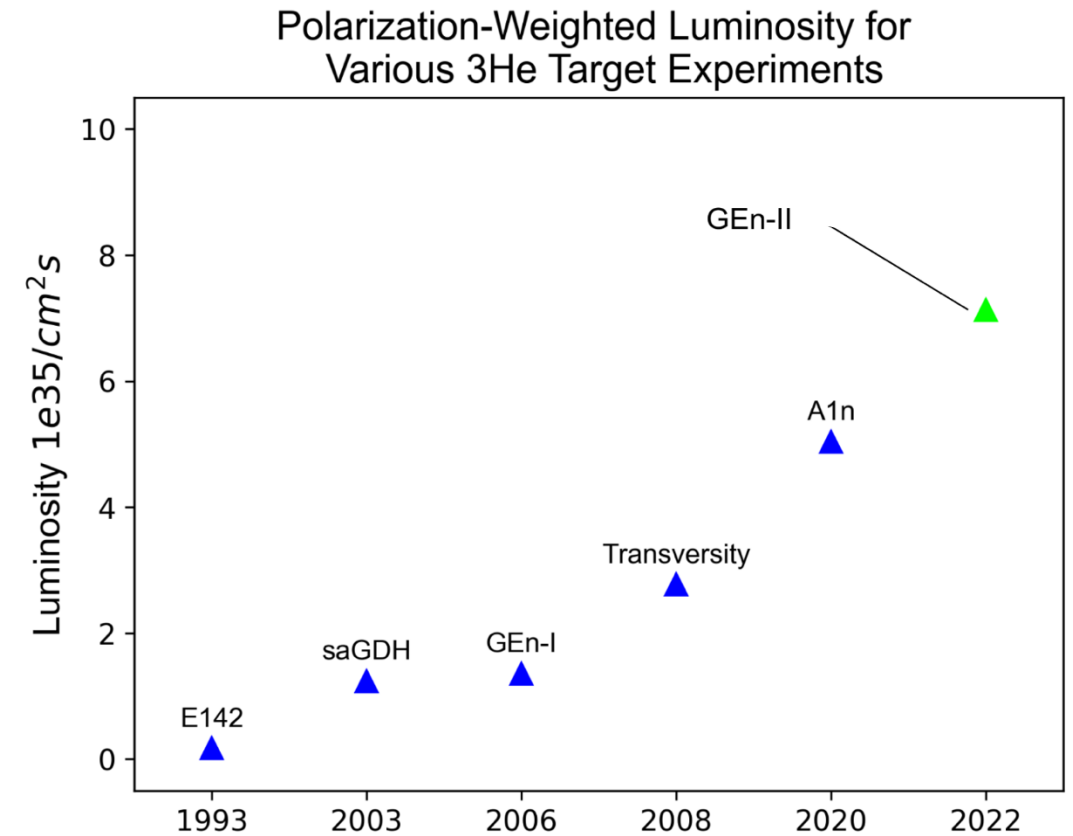
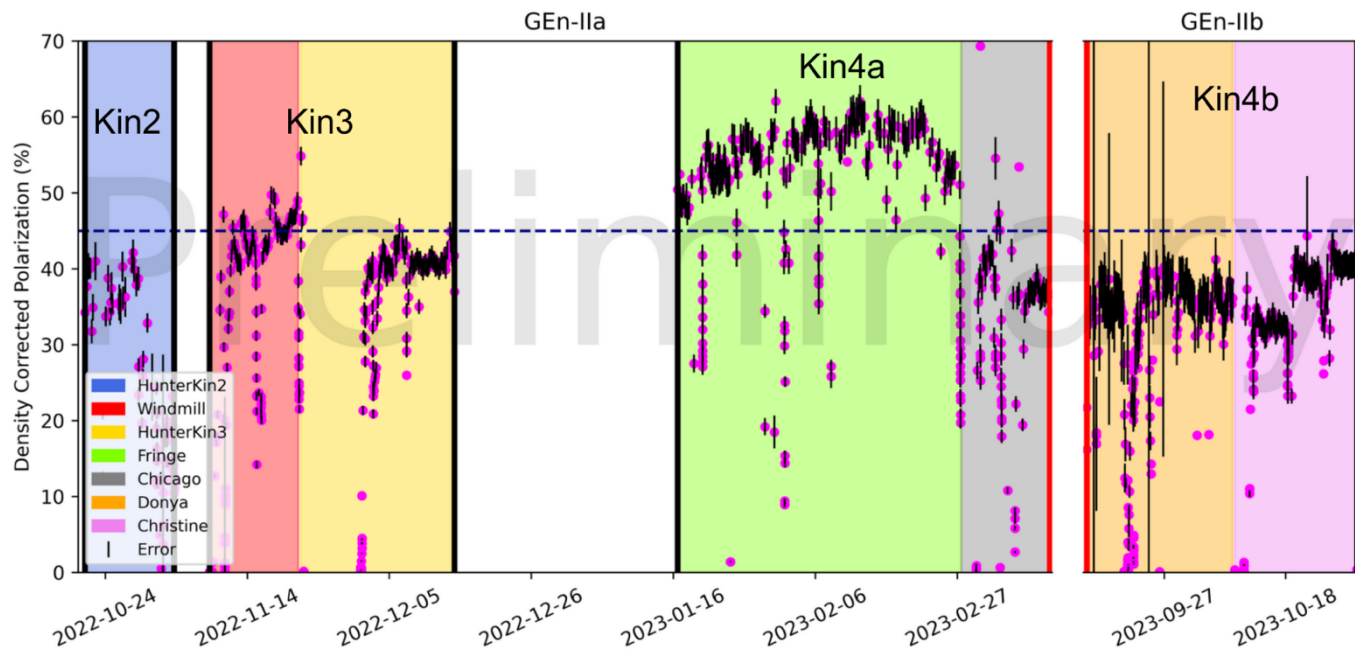


# Polarized $^3\text{He}$ Target

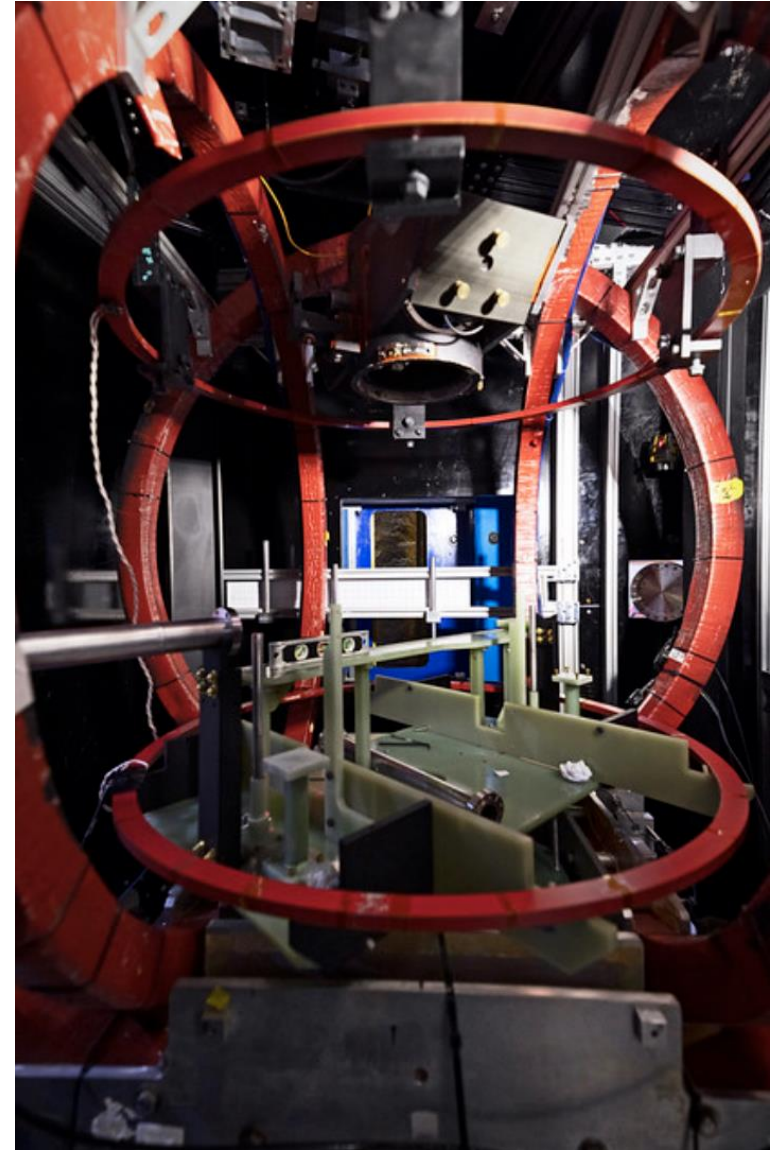
- In the PC the  $^3\text{He}$  is polarized via Spin-Exchange Optical Pumping (SEOP)
  - ❖ PC is placed in an oven at temperature  $T \sim 250\text{ }^\circ\text{C}$ 
    - Vaporizes the alkali and provides high enough vapor pressure for optimum spin exchange.
- The neutron predominately carries the polarization of the  $^3\text{He}$  nucleus.



# Polarized $^3\text{He}$ Target



# $^3\text{He}$ Target Pictures



Questions?

# Backup Slides

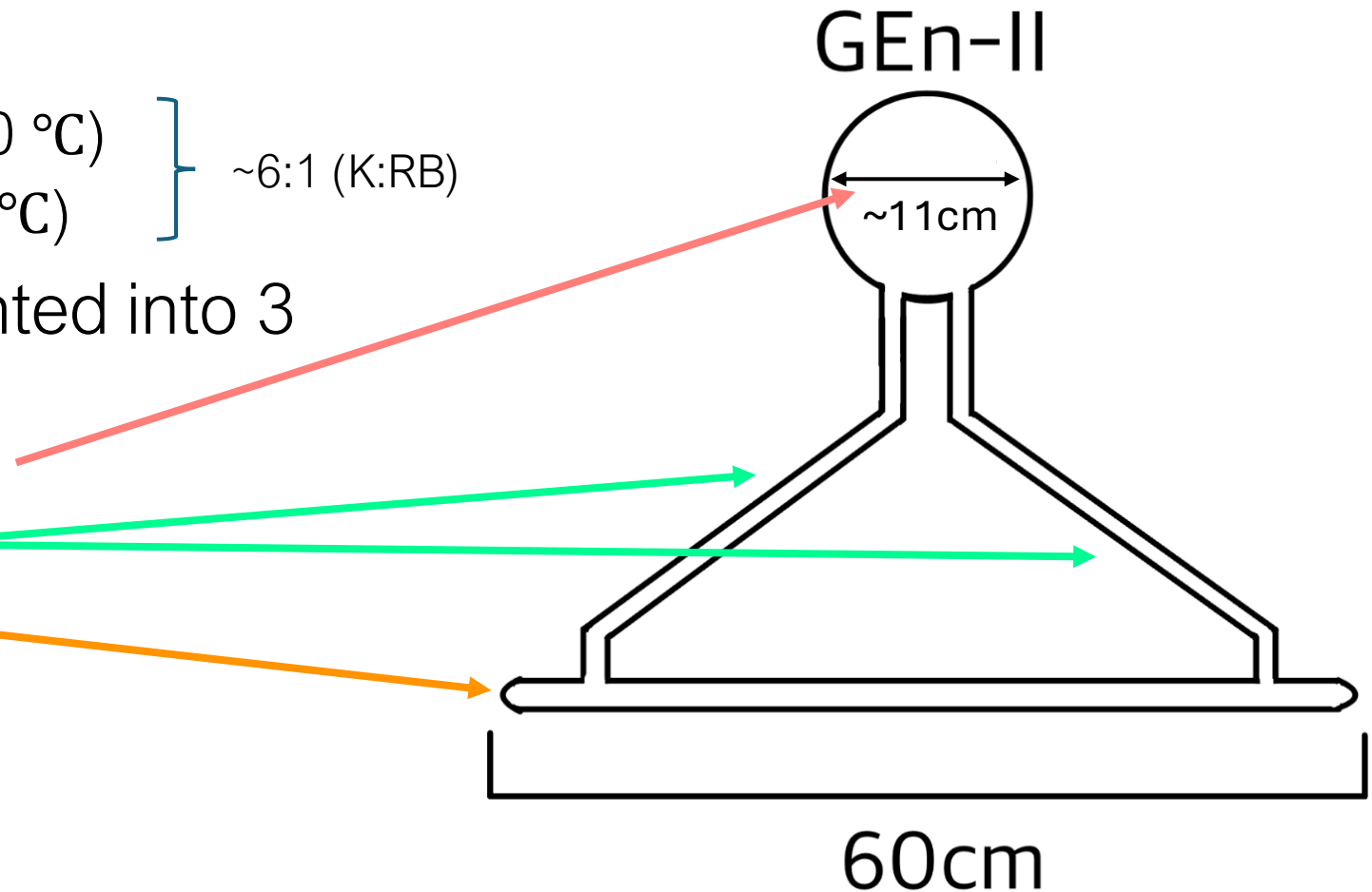
# Polarized $^3\text{He}$ Target

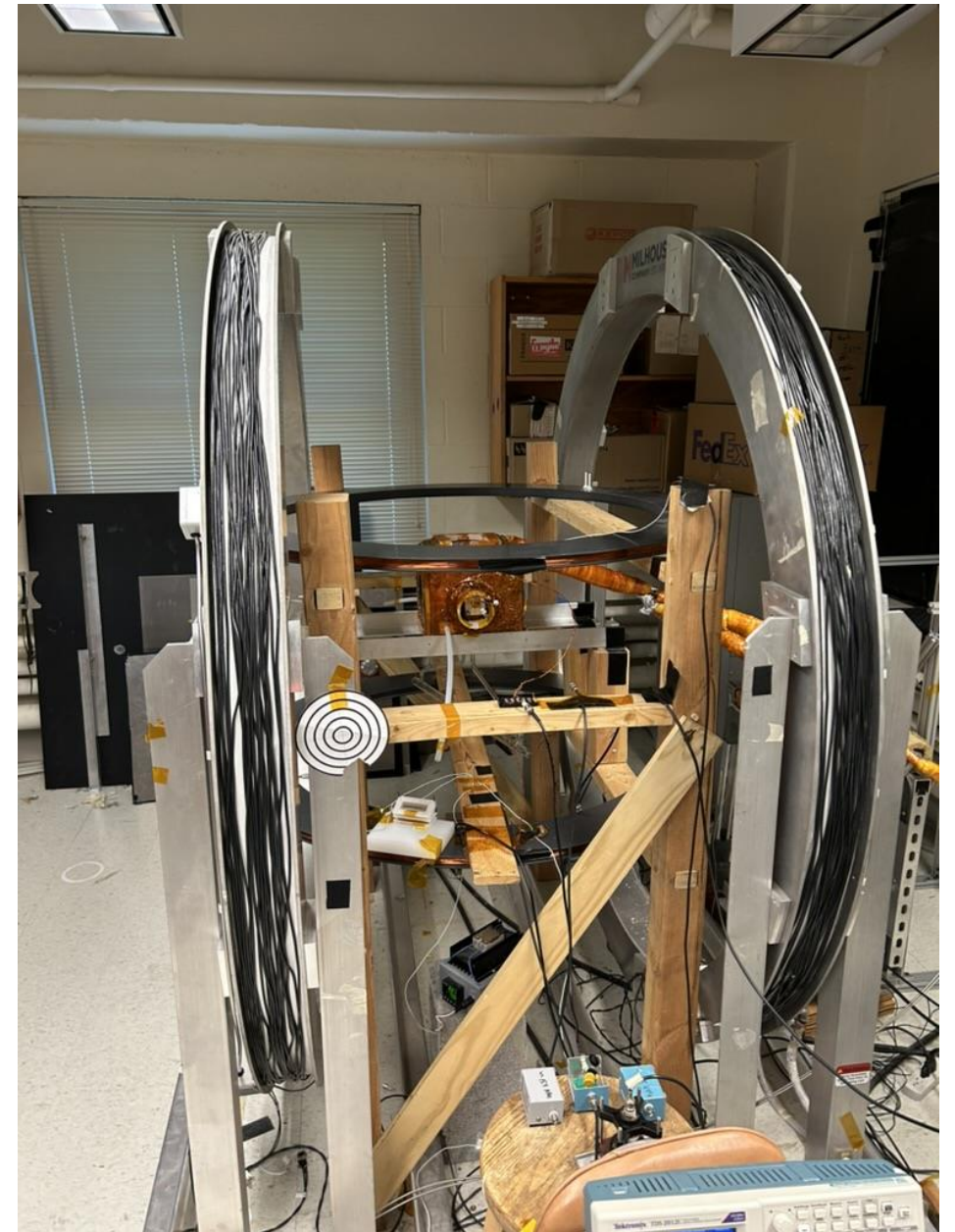
□ The target is filled with:

- ❖ 6-8 amg of  $^3\text{He}$
  - ❖ 0.1 amg of  $N_2$
  - ❖  $\sim 1e-5$  amg of Rb (@ 250 °C)
  - ❖  $\sim 1e-5$  amg of K (@ 250 °C)
- }  $\sim 6:1$  (K:RB)

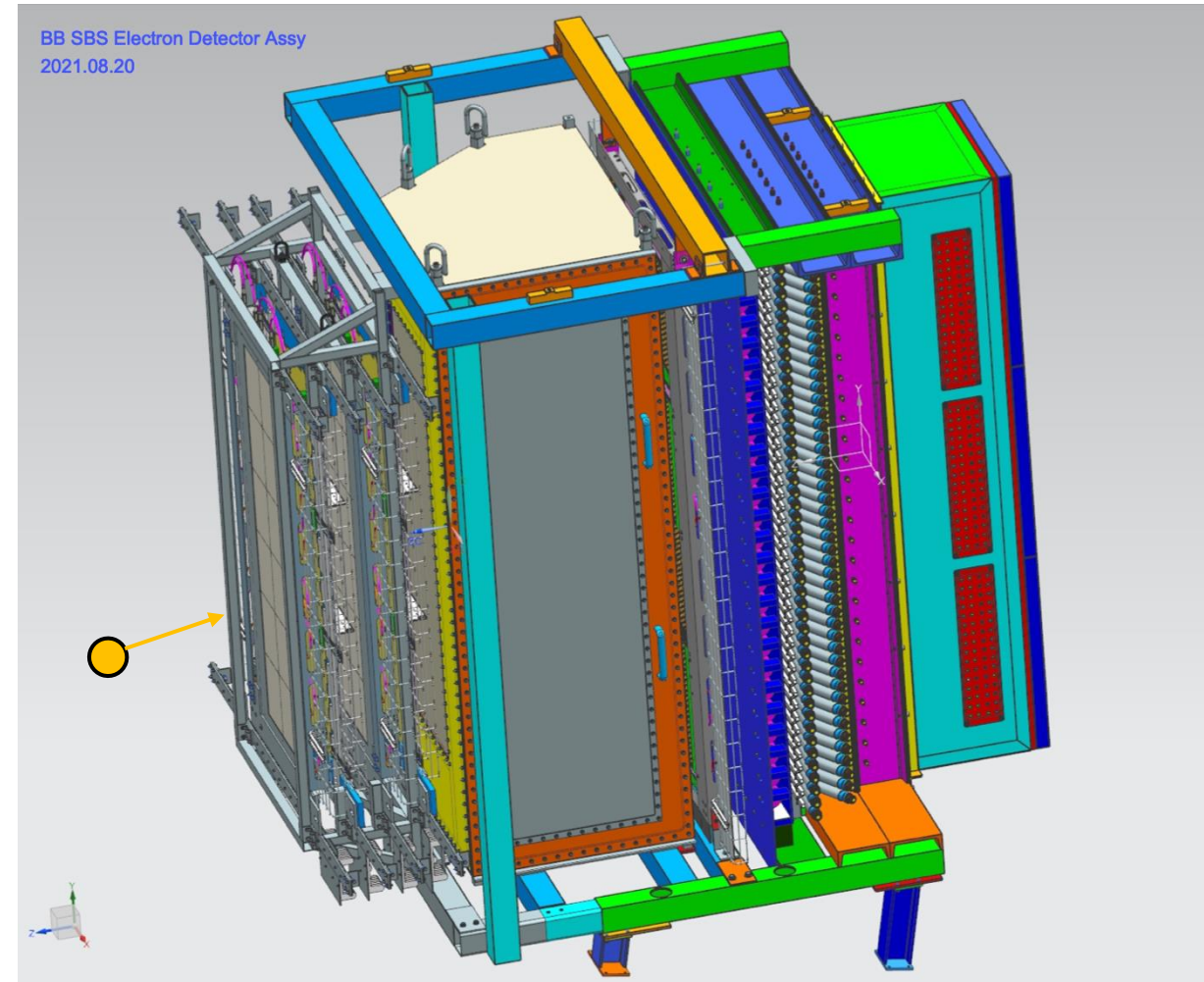
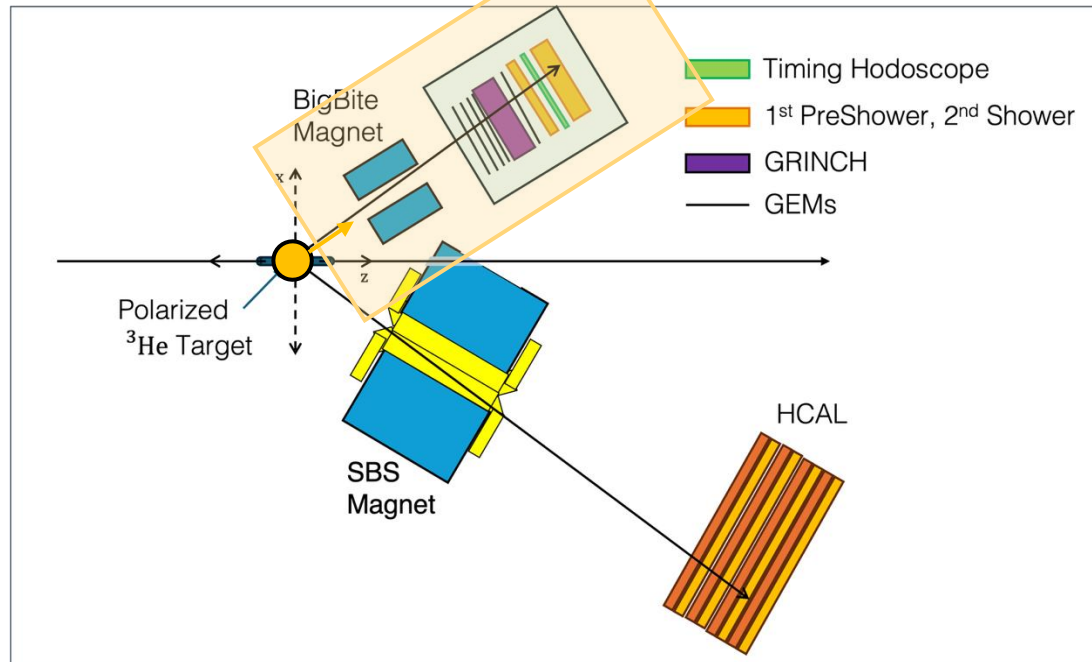
□ The target cell is segmented into 3 parts:

- ❖ The Pumping Chamber
- ❖ The Transfer Tubes
- ❖ The Target Chamber

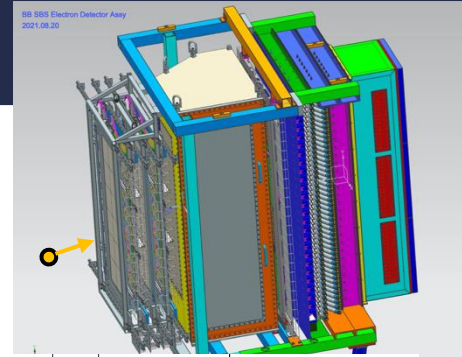




# Electron Arm

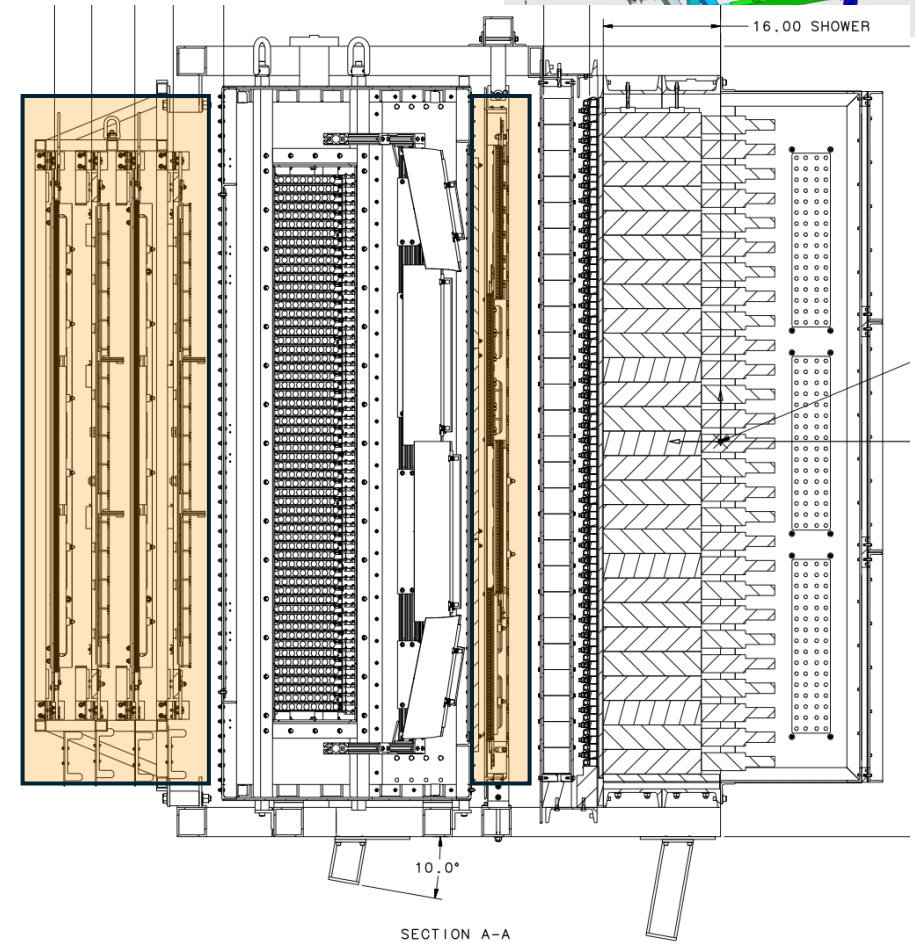
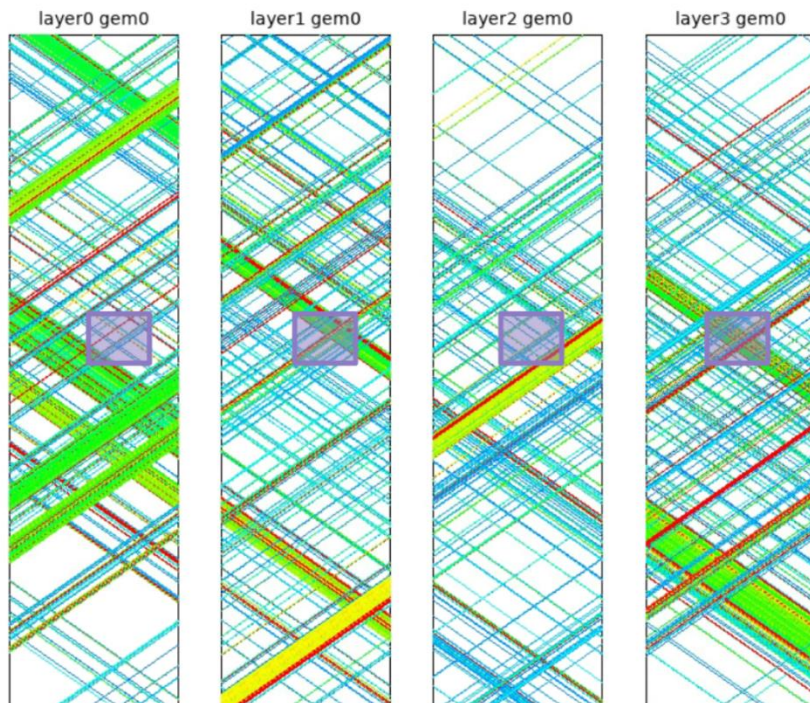


# Electron Arm – GEMs

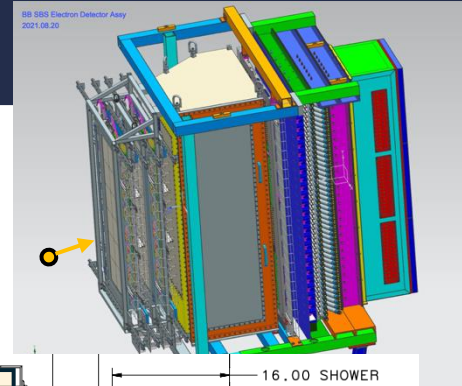


## Gas Electron Multiplier (GEM)

- ❖ 5 foil layers used for precise tracking
  - Precise target vertex reconstruction
    - resolution  $\sim 0.1\text{mm}$
  - Momentum reconstruction

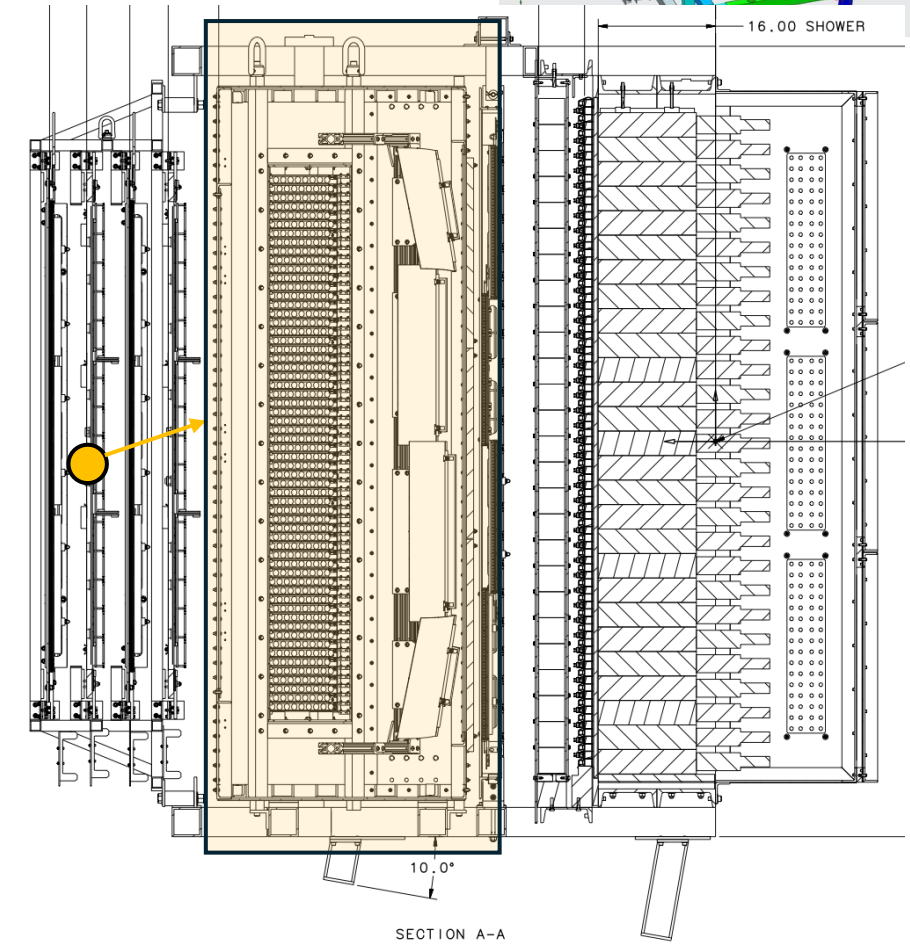
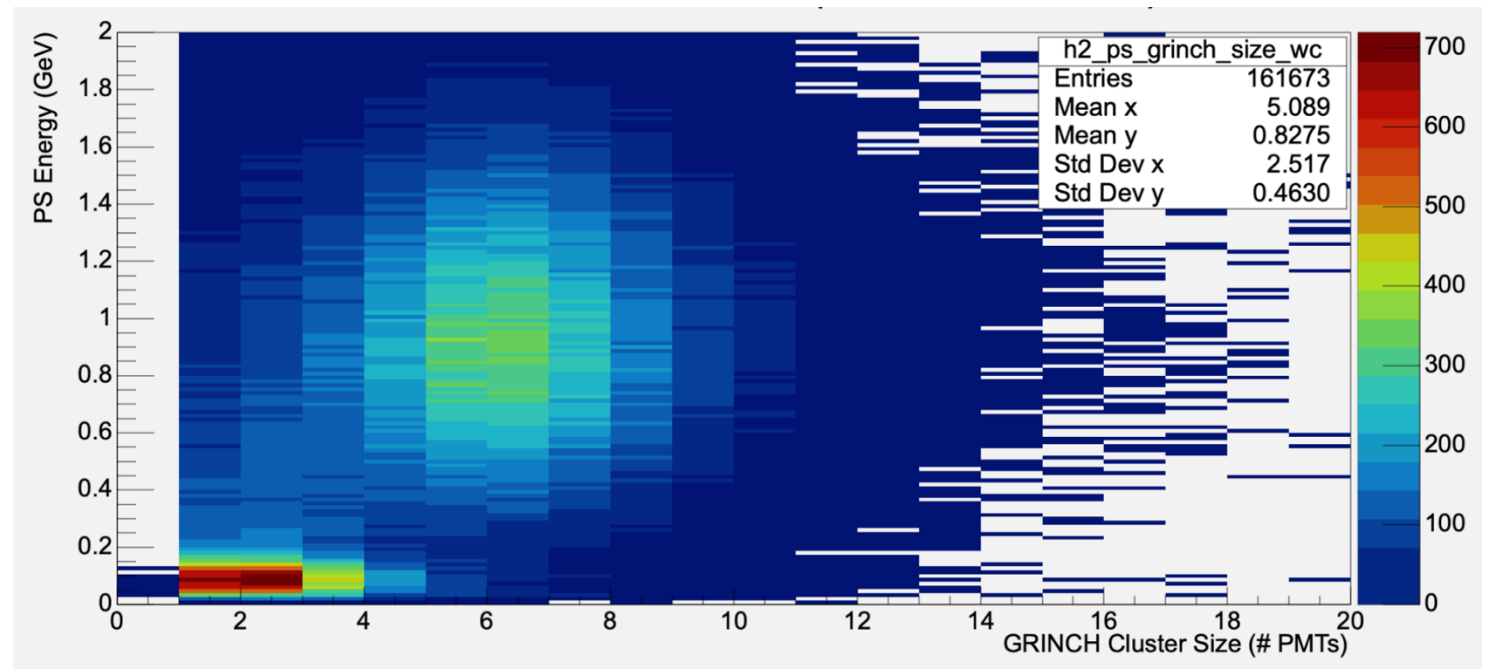


# Electron Arm – GRINCH

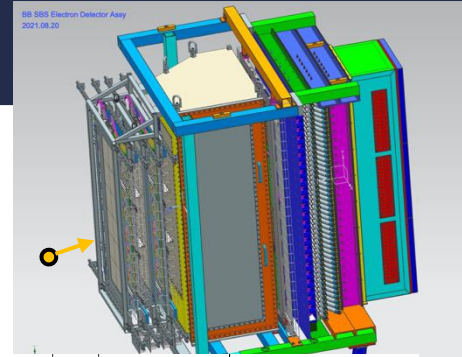


## Gas Ring Imaging Cherenkov (GRINCH)

- ❖ Provides particle identification
  - Distinguishing charged pions from electrons

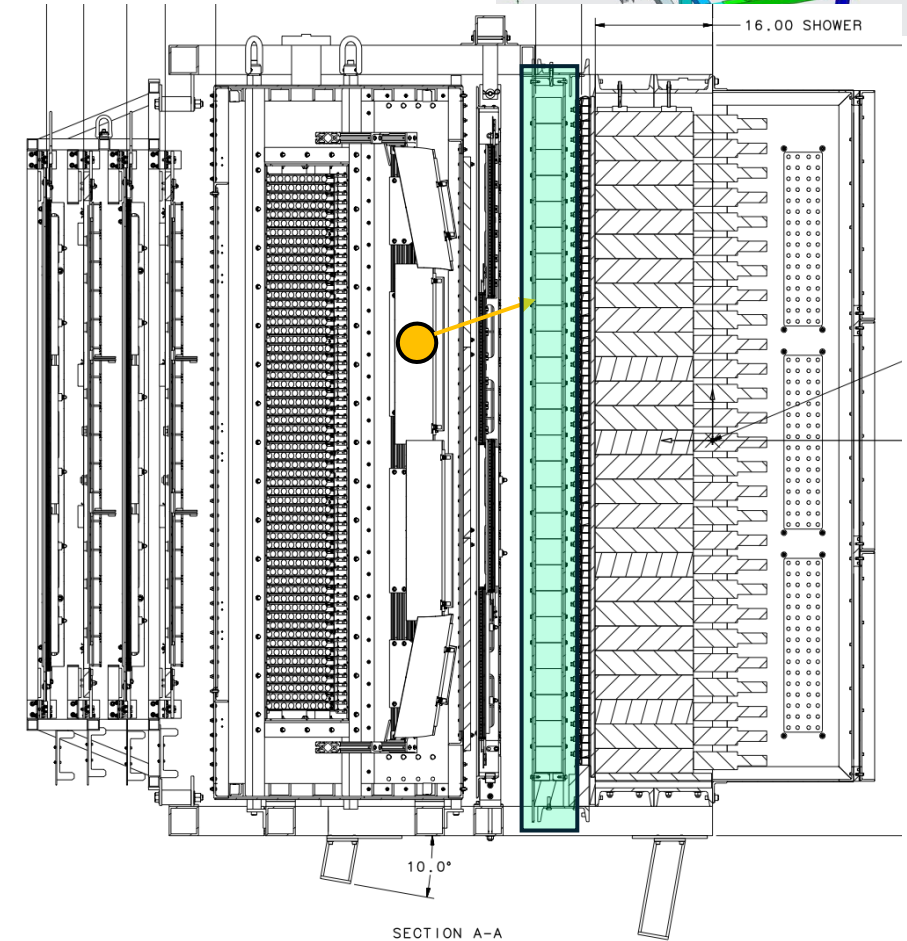
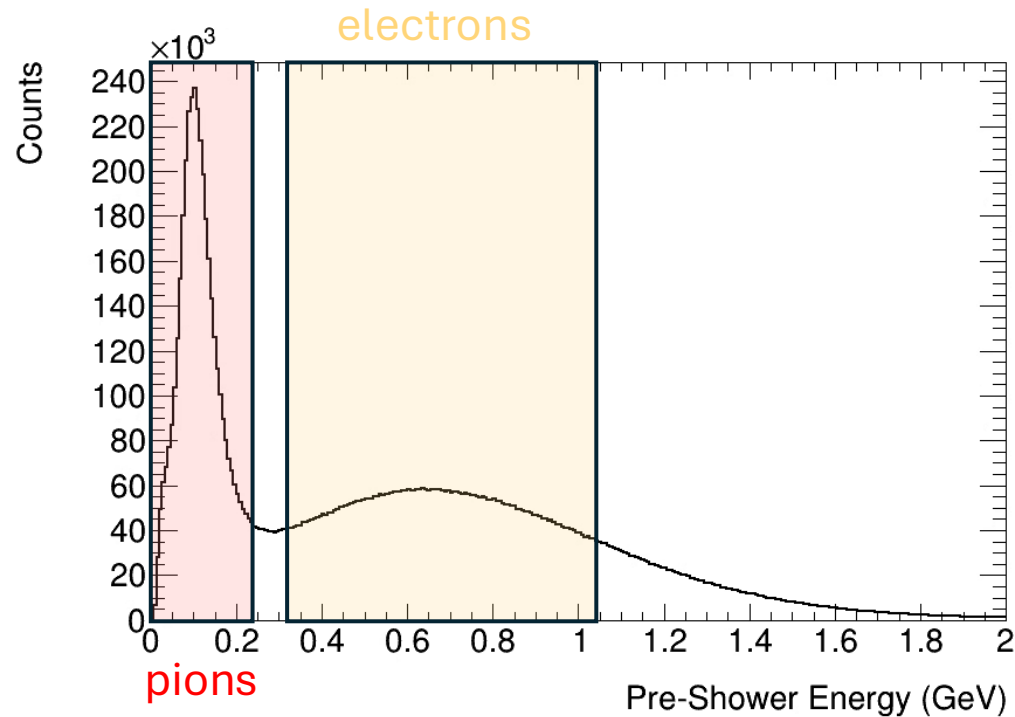
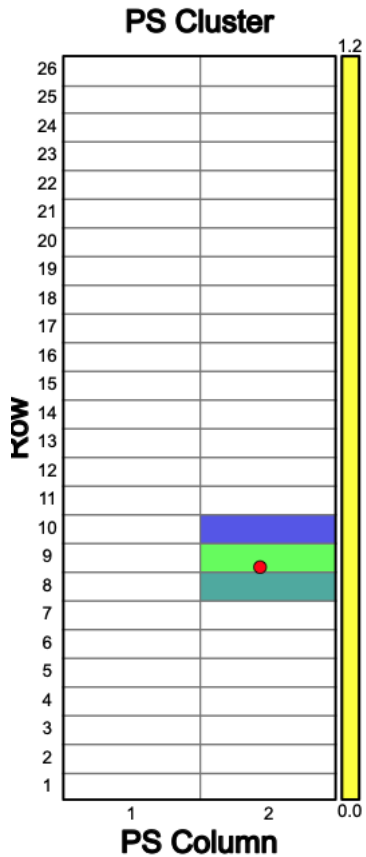


# Electron Arm – Calorimeter (pre-shower)

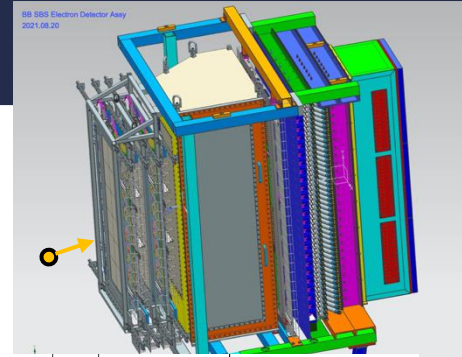


## Pre-Shower calorimeter

- ❖ Isolates MIPs and electron by energy deposition
- ❖ ADC timing and energy information.

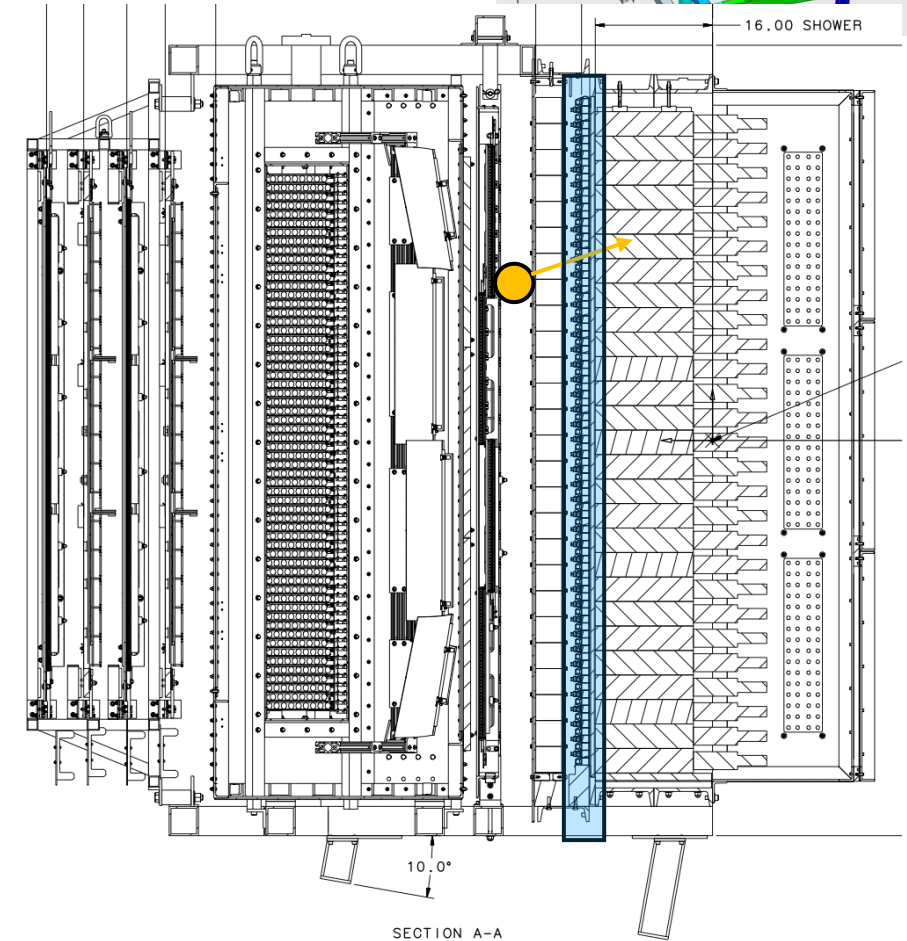
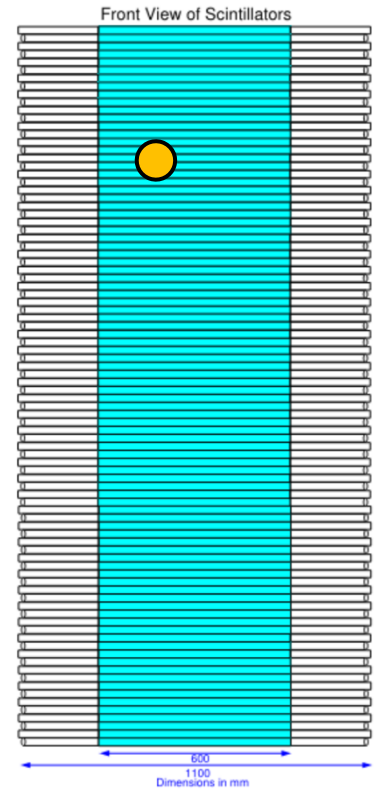
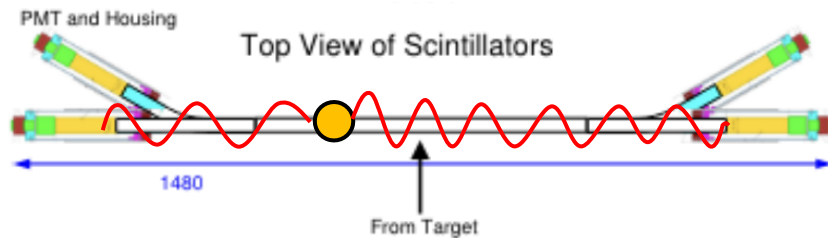


# Electron Arm – Timing Hodoscope

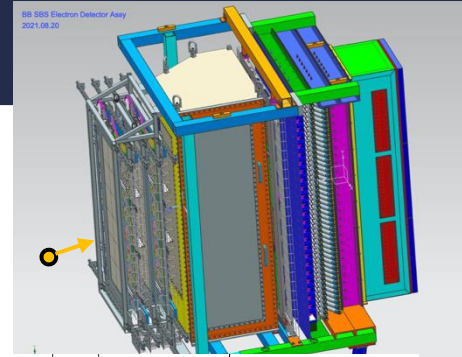


## Timing Hodoscope

- ❖ High resolution timing via Time-to-Digital Converters (TDC)
  - TDC clock resolution is ~60ps
    - Currently seeing timing resolution of 300ps

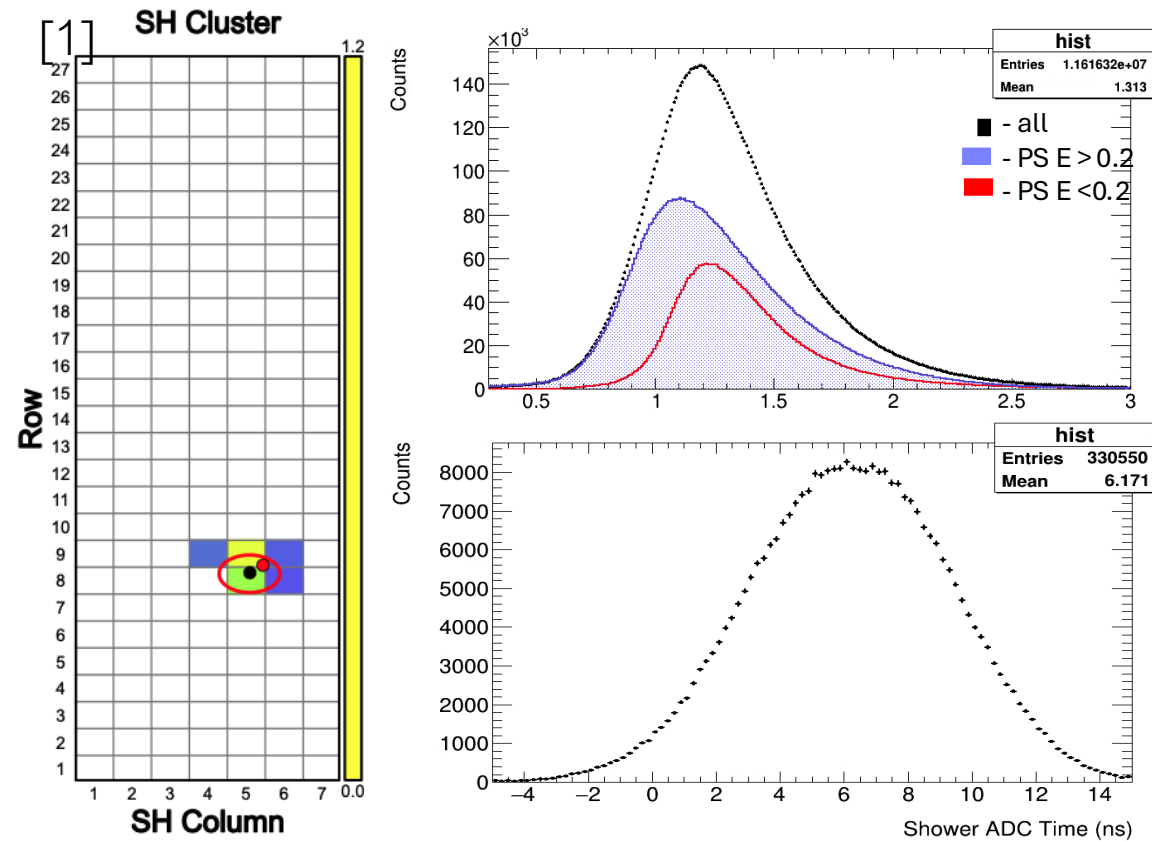


# Electron Arm – Calorimeter (shower)

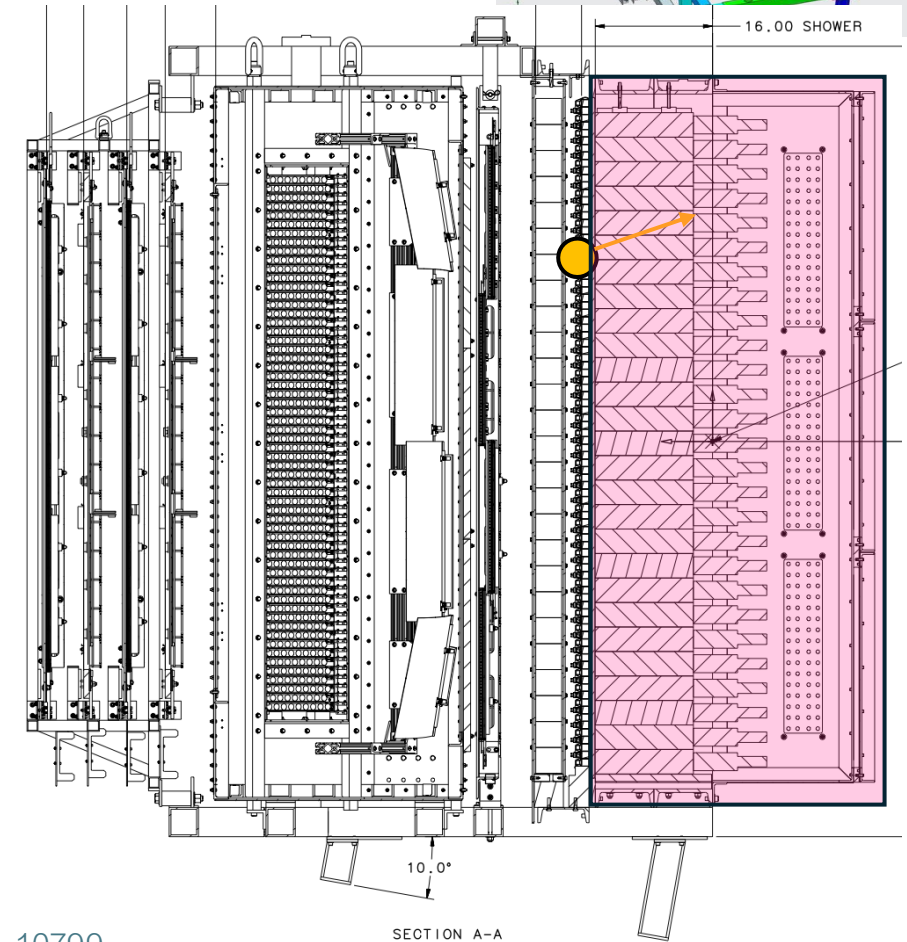


## Shower calorimeter

- ❖ Absorbs all remaining electron energy.
- ❖ Constrains track reconstruction.
- ❖ ADC timing and energy information.

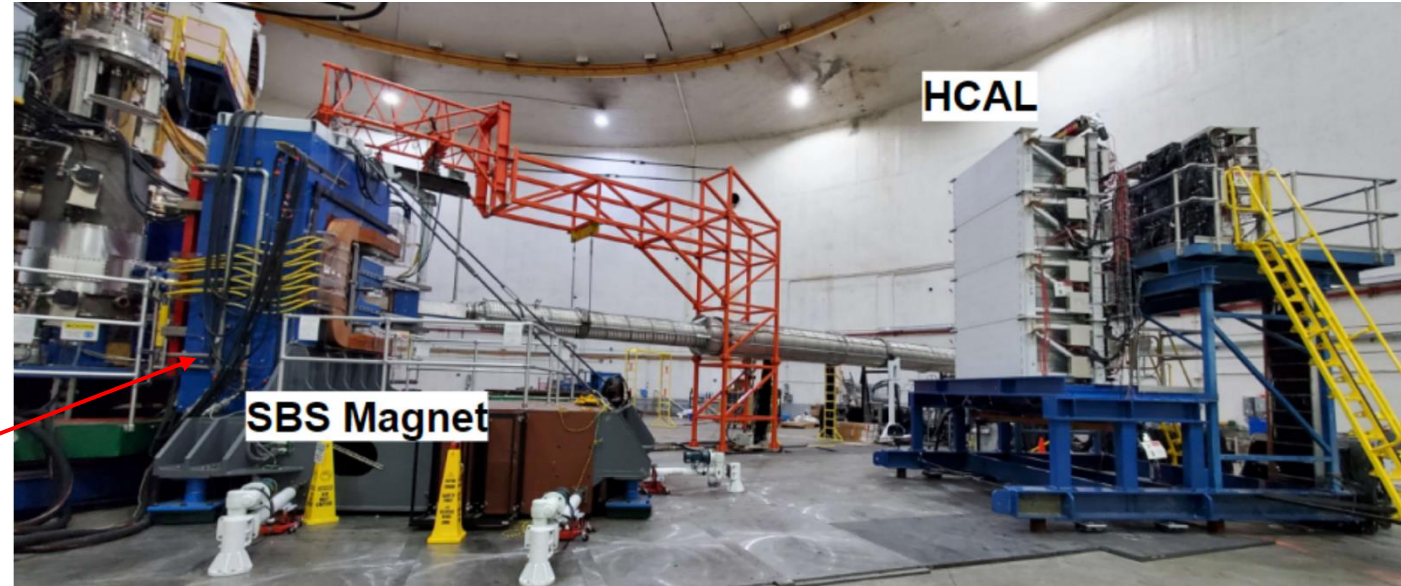
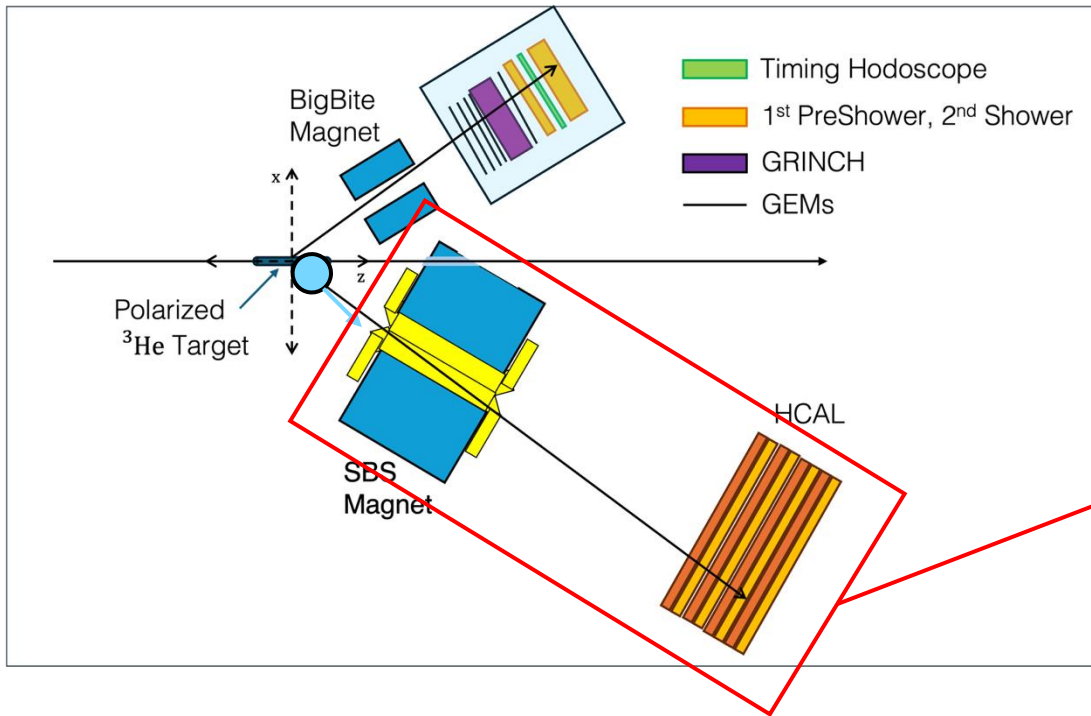


Calorimeter  
Performance:  
 $\delta_E/E \sim 0.062$   
 $\delta_t \sim 500ps$   
 $\delta_x \sim 1.2cm$



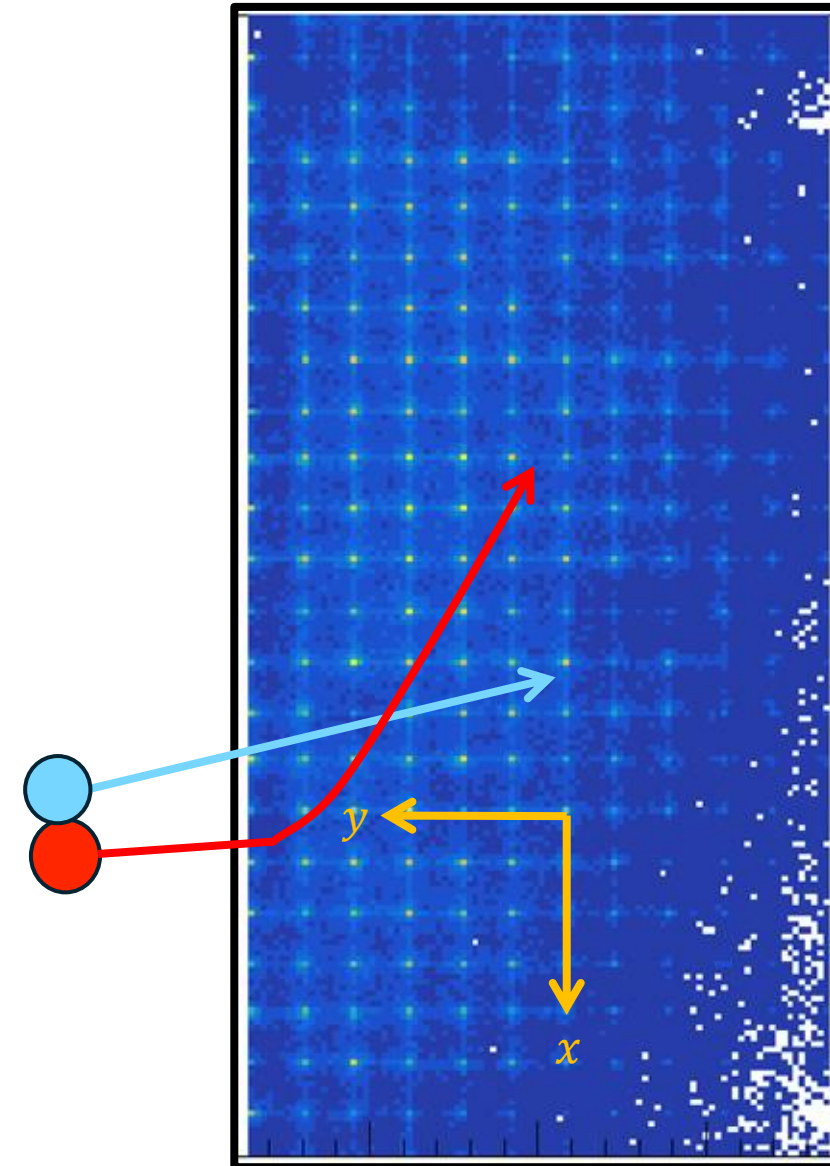
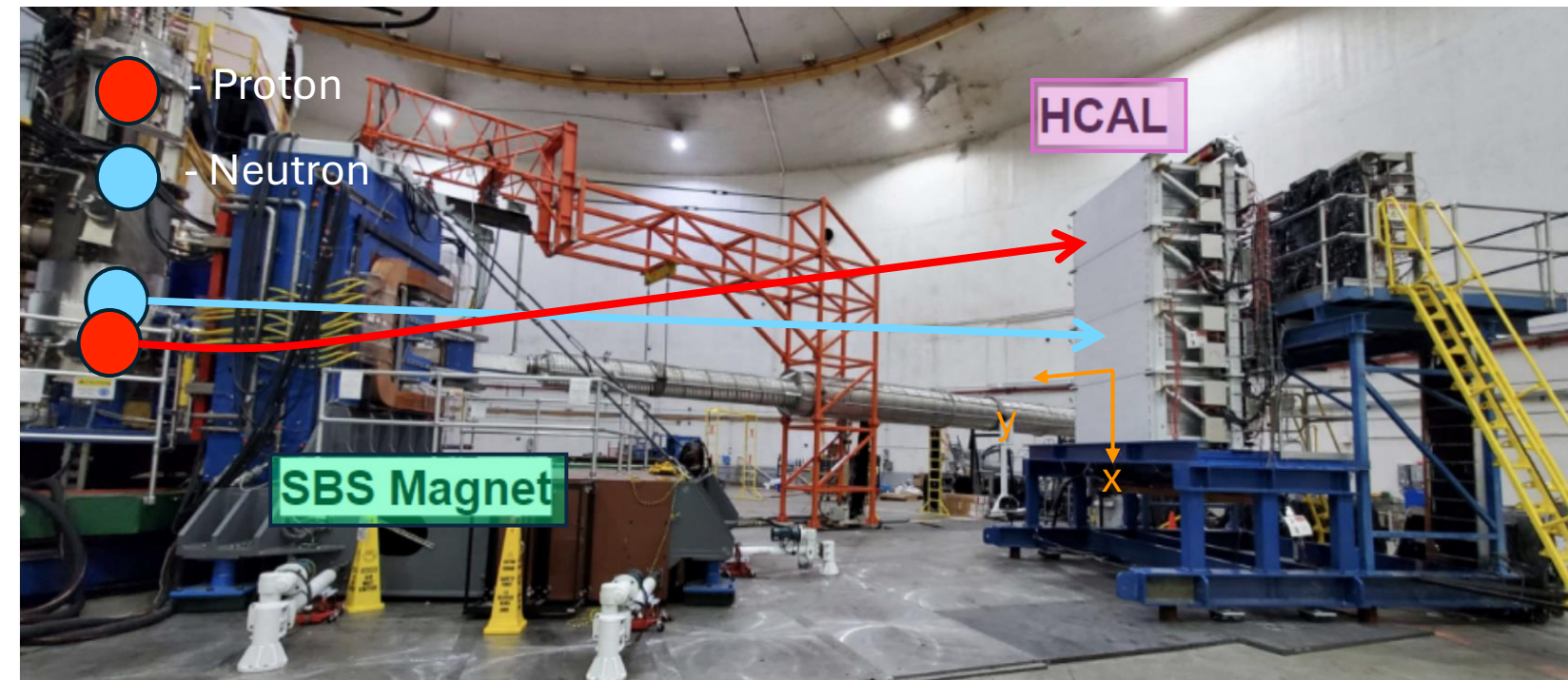
[1] Datta, et al. [arXiv:2601.10799](https://arxiv.org/abs/2601.10799)

# Hadron Arm



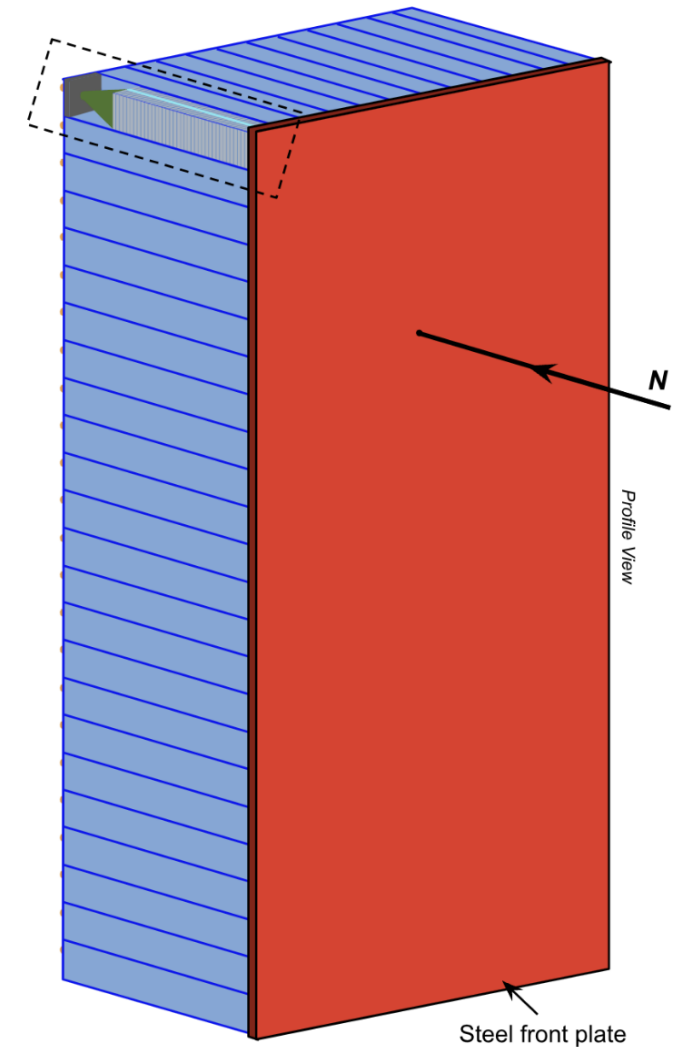
# Hadron Arm – Detector Package

- The SBS Magnet deflects protons, and neutrons remain undeflected
- The Hadronic Calorimeter (HCAL).



# Hadronic Calorimeter

- This is a sampling calorimeter.
  - ❖ Only measures a portion of the nucleon's kinetic energy.
    - For GEn-II, it has a sampling fraction  $\sim 8\%$ .
- The ADC's provide the nucleon timing information.
- The small block segmentation provides nucleon position information.



# Acknowledgements

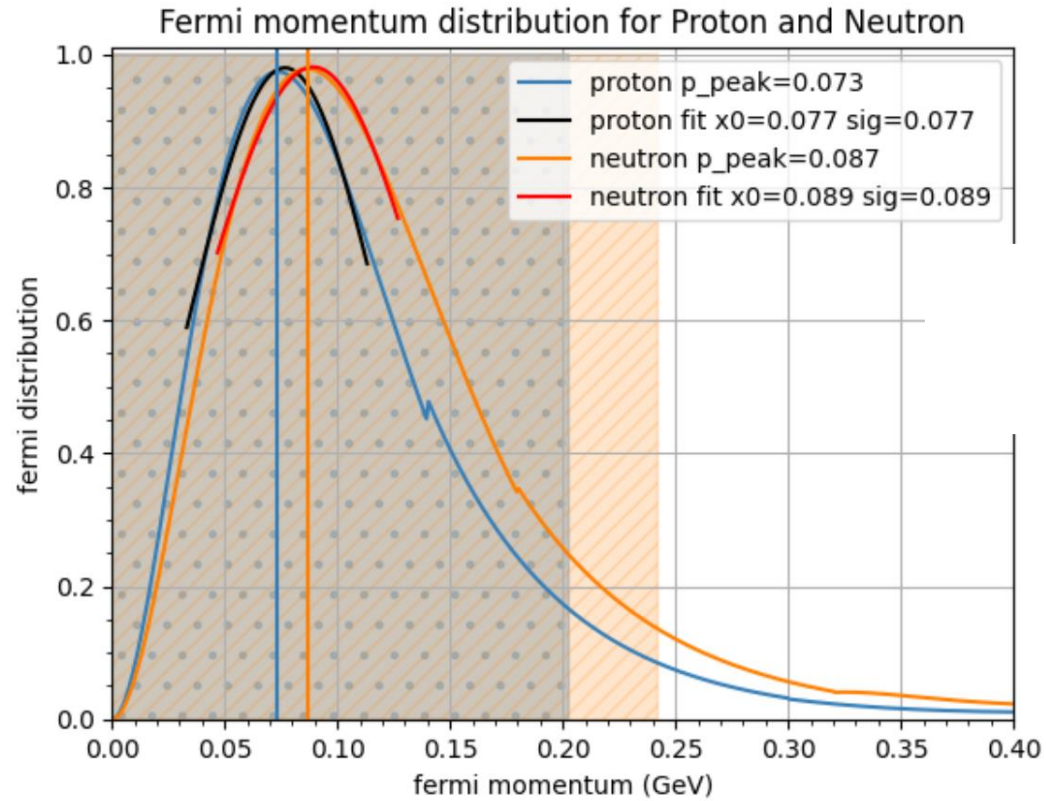
- ❑ Spokespeople
  - ❖ Todd Averett – William & Mary
  - ❖ Gordon Cates – University of Virginia
  - ❖ Bogdan Wojteskhowski – Jefferson Lab
- ❑ Graduate Students
  - ❖ Current
    - Faraz Chahili – Syracuse University
    - Kate Evans – William & Mary
    - Vimukthi Gamage – University of Virginia
    - Jack Jackson – William & Mary
    - Jacob Koenemann – University of Virginia
    - Braian Mederos – University of Virginia
  - ❖ Graduated
    - Sean Jeffas – University of Virginia; July 2024
    - Gary Penman – University of Glasgow; March 2025
    - Hunter Presley – University of Virginia; June 2025
- ❑ Special Thanks
  - ❖ Andrew Puckett – University of Connecticut
  - ❖ Arun Tadepalli – Jefferson Lab

# Luminosity Performance

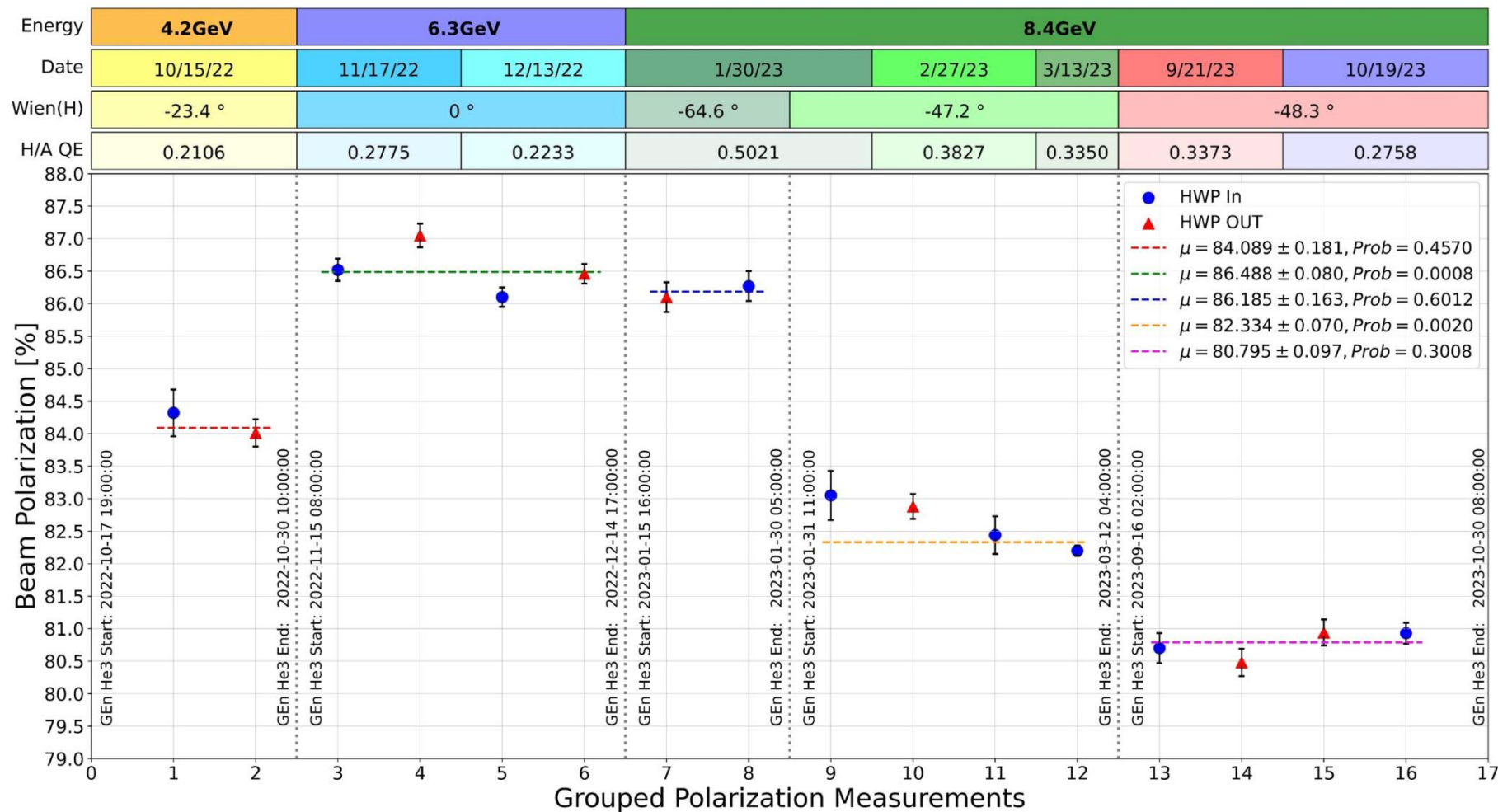
	Cell Name	Max Polarization	Average Polarization	Average Luminosity 1e35/cm^2s	Duration Installed
<b>Kinematic 2</b>	Hunter	42.22%	35.54%	<b>4.97</b>	20 days
<b>Kinematic 3</b>	Windmill	48.61%	43.74%	<b>8.34</b>	14 days
	Hunter	44.16%	39.32	<b>5.82</b>	24 days
<b>Kinematic 4</b>	Fringe	61.59%	55.14%	<b>10.26</b>	60 days
	Chicago	41.18%	38.92%	<b>4.72</b>	12 days
	Donya	45.56%	35.21%	<b>4.21</b>	31 days
	Christin	51.20%	36.70%	<b>5.40</b>	20 days

$$\langle \mathcal{L}_{exp} \rangle = \frac{\sum_{i=0}^N \mathcal{L}_i * T_i}{\sum_{i=0}^N T_i}$$

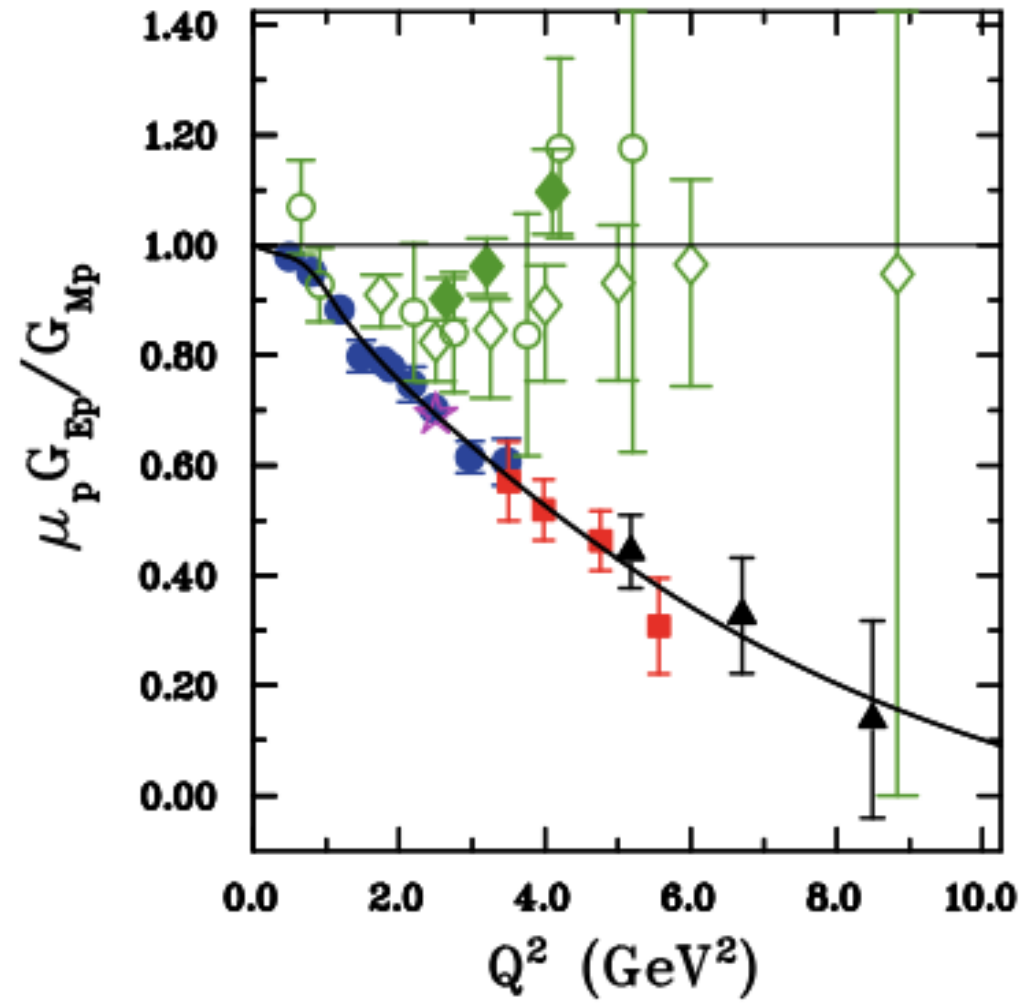
# He3 Nucleon Distribution Function



## Beam Polarimetry for GEn – Hall A Beam Polarization



# The $G_E^p/G_M^p$ Problem



[1] V. Punjabi et al., Eur. Phys. J. A 51, 79 (2015).