

Small system flow from STAR



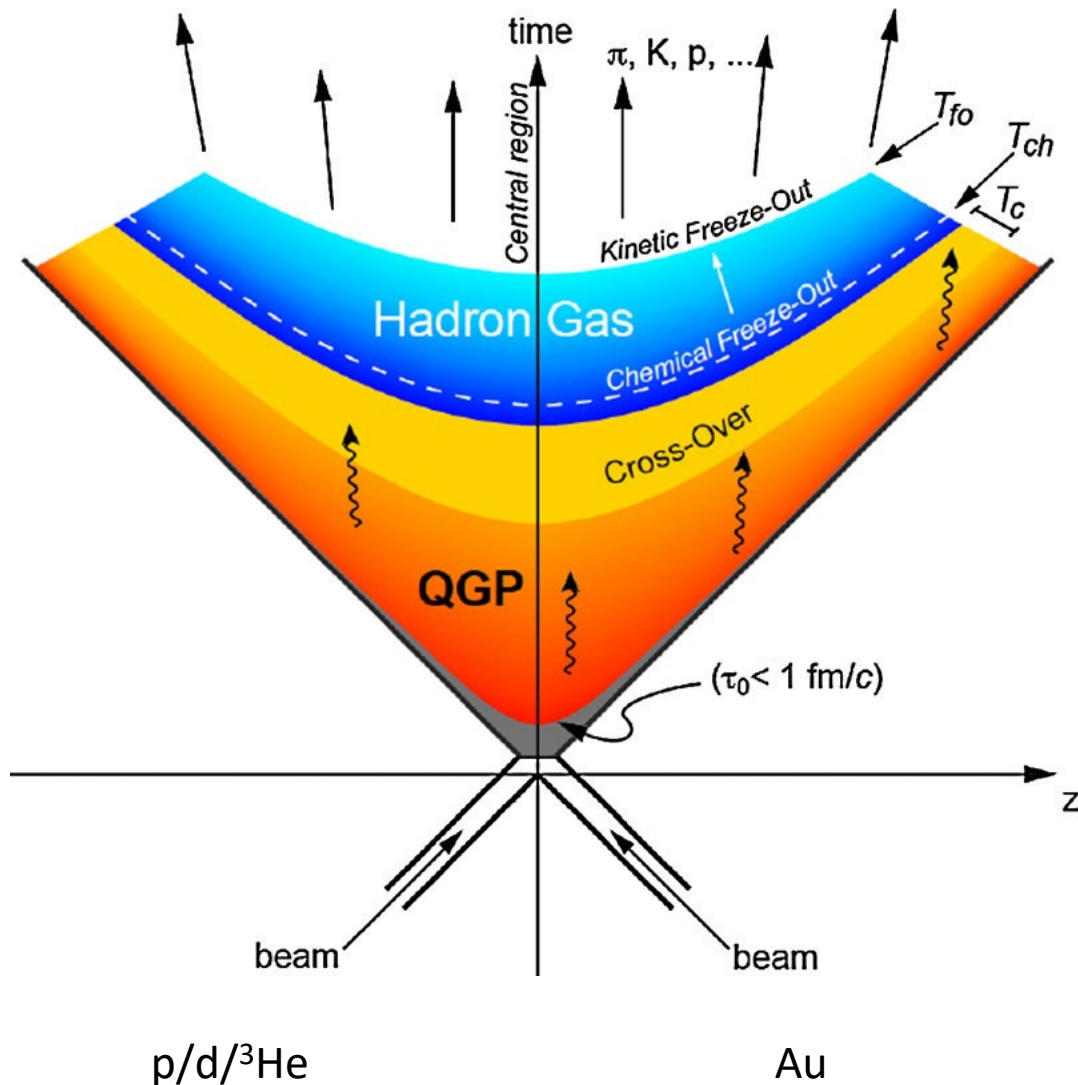
Shengli Huang

Outline:

- Introductions and Motivations
- Two-particle correlations at middle-rapidity
- Model Comparison and Discussion
- Summary



System evolution in small system



- ❑ Different Initial Spatial Geometry:
Nucleon Glauber vs. Sub-nucleon Glauber
- ❑ Hydro starts at $\tau \sim 0+$; $V_n \propto \varepsilon_n$ is expected
- ❑ IP-Glasma+Hydro:
Hydro starts at $\tau = 0.4 \text{ fm}/c$;
Large initial stage contribution
(initial momentum correlation; pre-flow ...)
- ❑ 3D Dynamical Glauber+Hydro:
Hydro starts at different time for different regions

Initial Geometry in Small-sized Systems

w/o gluon field fluctuation

With gluon field fluctuation

Model	a $\varepsilon_2^a(\varepsilon_3^a)$	b $\varepsilon_2^b(\varepsilon_3^b)$	c $\varepsilon_2^c(\varepsilon_3^c)$	d $\varepsilon_2^d(\varepsilon_3^d)$
$^3\text{He}+\text{Au}$	0.50(0.28)	0.52(0.35)	0.53(0.38)	0.64(0.46)
$d+\text{Au}$	0.54(0.18)	0.51(0.32)	0.53(0.36)	0.73(0.40)
$p+\text{Au}$	0.23(0.16)	0.34(0.27)	0.41(0.34)	0.50(0.32)

Model a: standard Glauber model *Phys. Rev. Lett.* **113**, 434 112301 (2014) $\sim \langle \varepsilon_n \rangle$

Model b: smooth gluon field sourced by nucleons *Phys. Rev. C* **94**, 024919 (2016) $\sim \varepsilon_n\{2\}$

Model c: smooth gluon field sourced by valence quark *Phys. Rev. C* **94**, 024919 (2016) $\sim \varepsilon_n\{2\}$

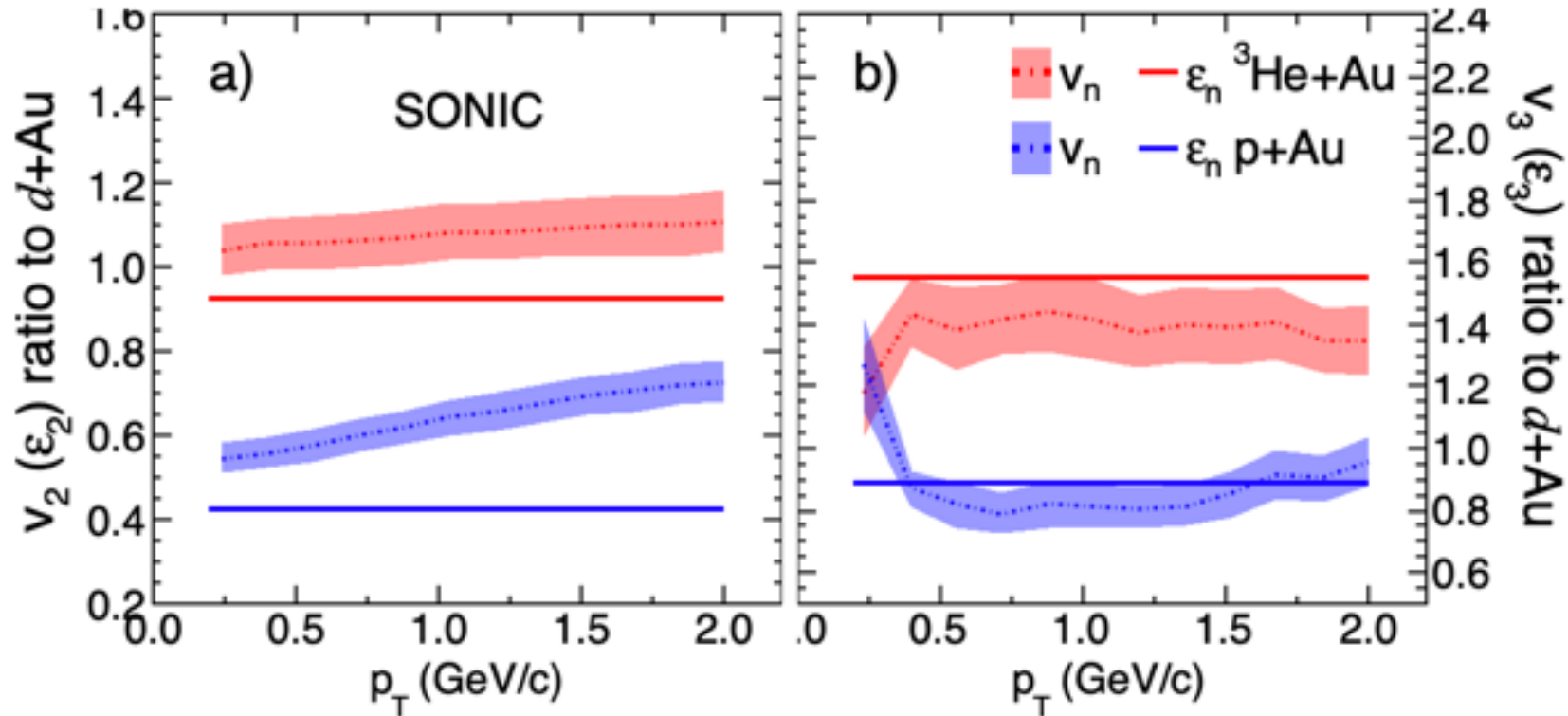
Model d: lumpy gluon field sourced by valence quark(IP-Glasma) *Phys. Rev. Lett.* **108**, 252301 $\sim \langle \varepsilon_n \rangle$

Sub-nucleon gluon field fluctuations: strong influence on the initial geometry eccentricity for small-sized system

Measuring flow in small-sized system can provide invaluable constraints for such effect

SONIC Hydro.

SONIC: P. Romatschke *Eur. Phys.J.C* 75, 305 (2015)

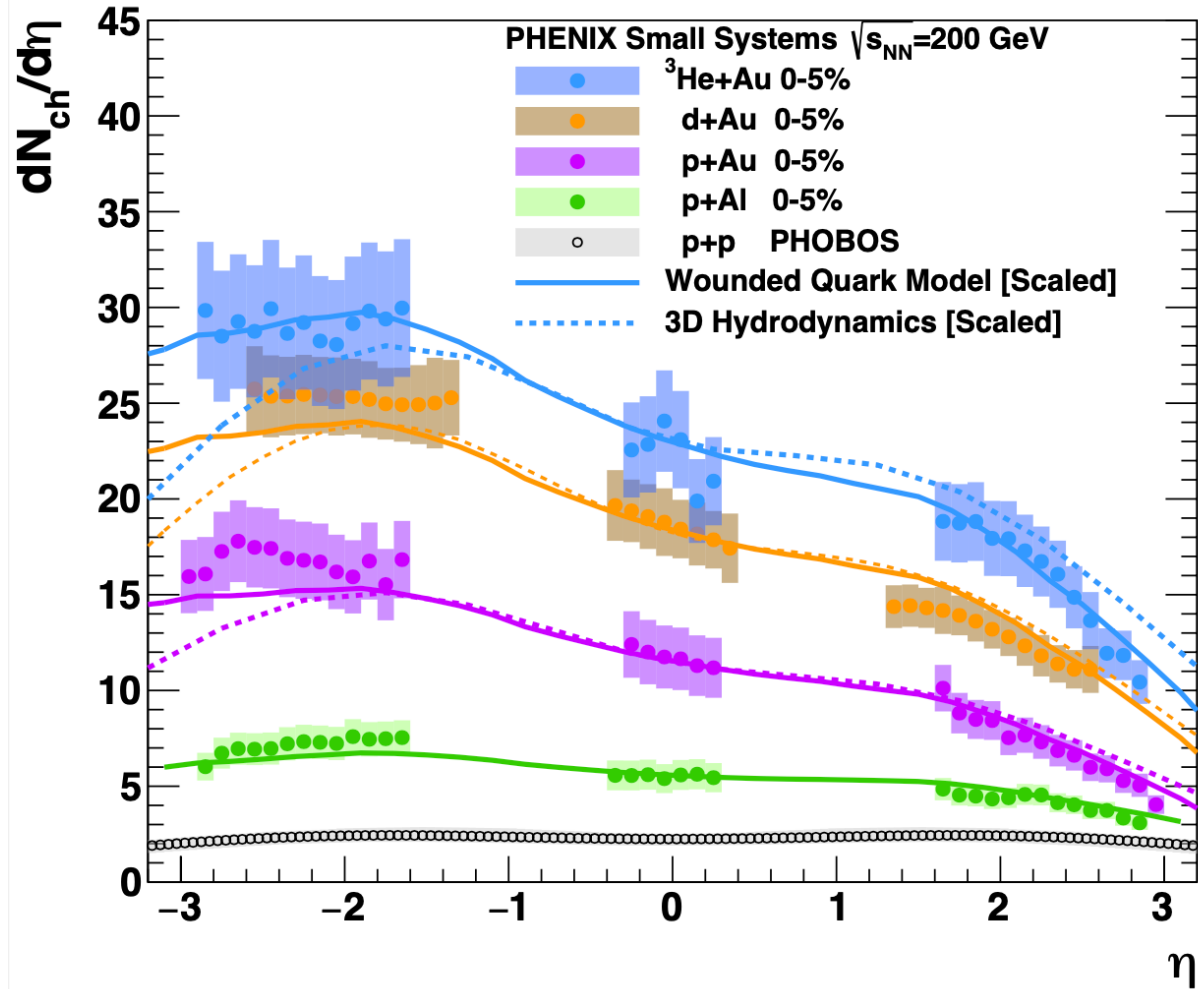


$v_n \propto \epsilon_n$ roughly hold for v_3

$v_2(pAu)/v_2(dAu)$ may be affected by different viscous correction function or others

v_n in $p/d/{}^3\text{He}+Au$ and their ratio will be helpful to address the initial spatial geometry and pre-equilibrium dynamics in the initial stage

Middle-middle vs. backward-middle rapidity correlation?

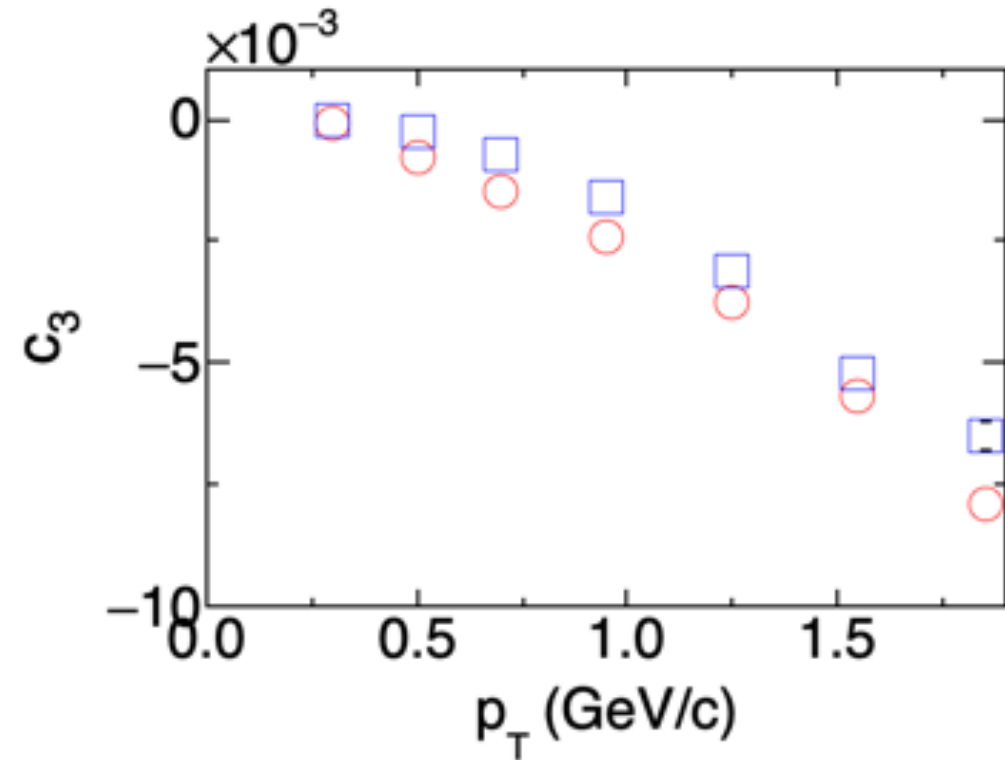
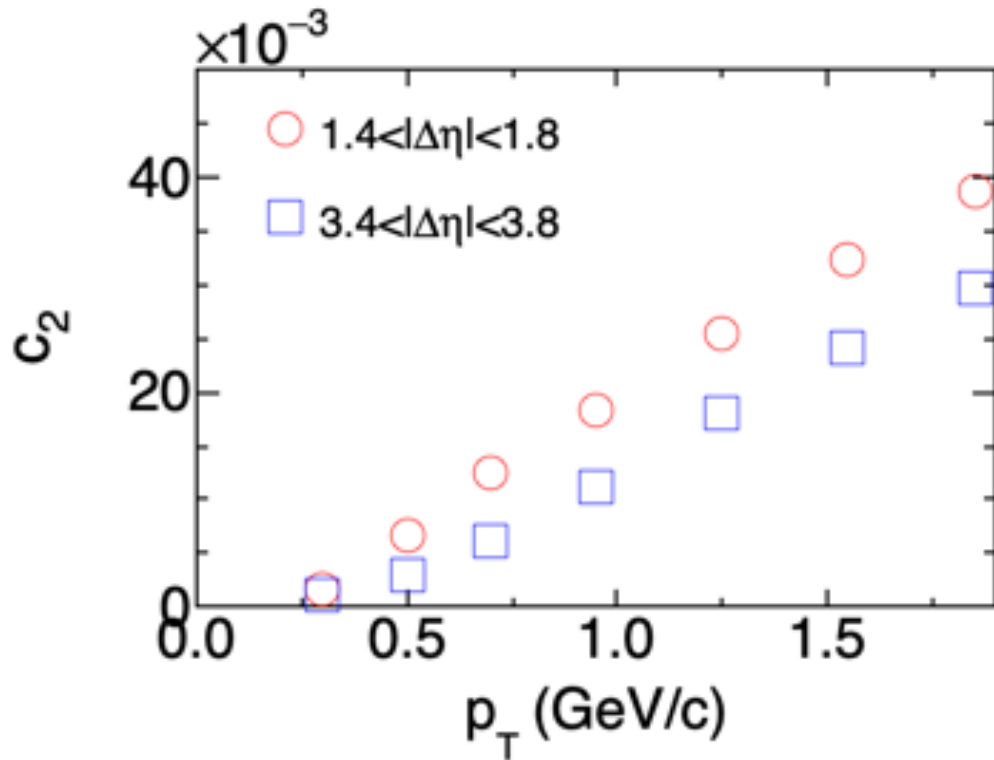


Multiplicity at backward rapidity in $\text{p}/\text{d}/^3\text{He}+\text{Au}$ is significantly different to that in $\text{p}+\text{p}$

Estimating the nonflow will be difficult by using $\text{p}+\text{p}$ as reference for backward-middle rapidity correlation

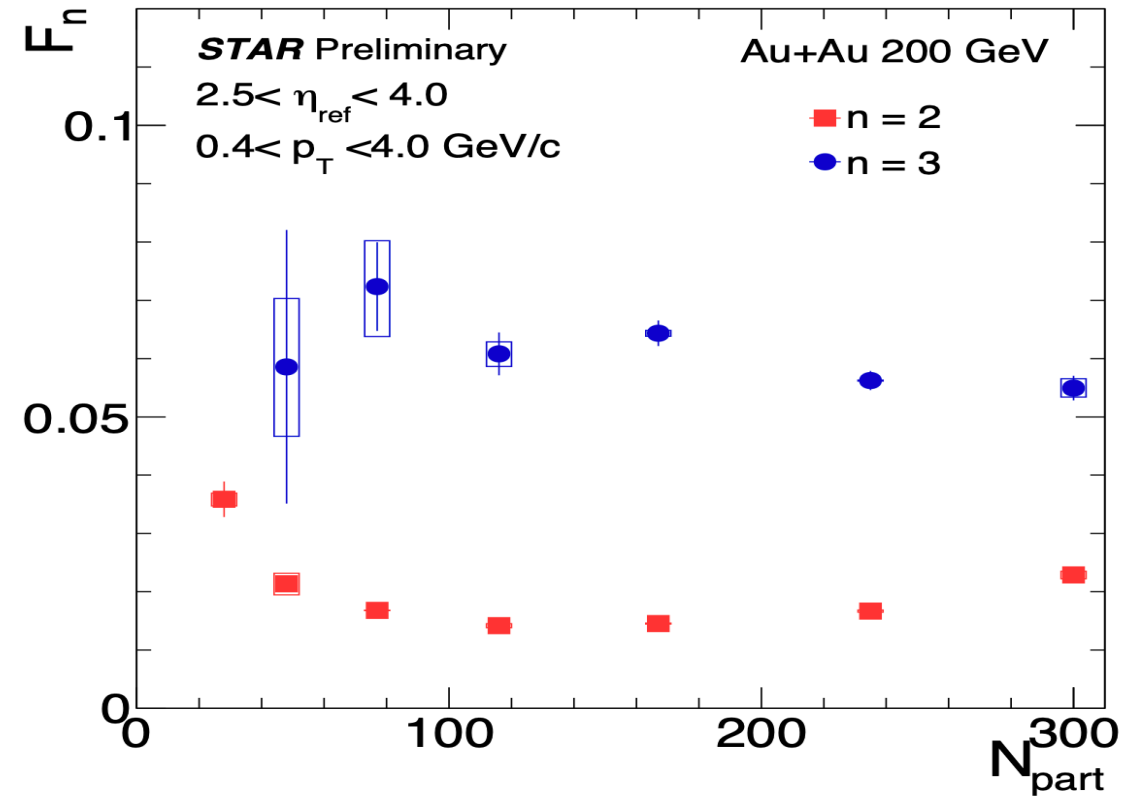
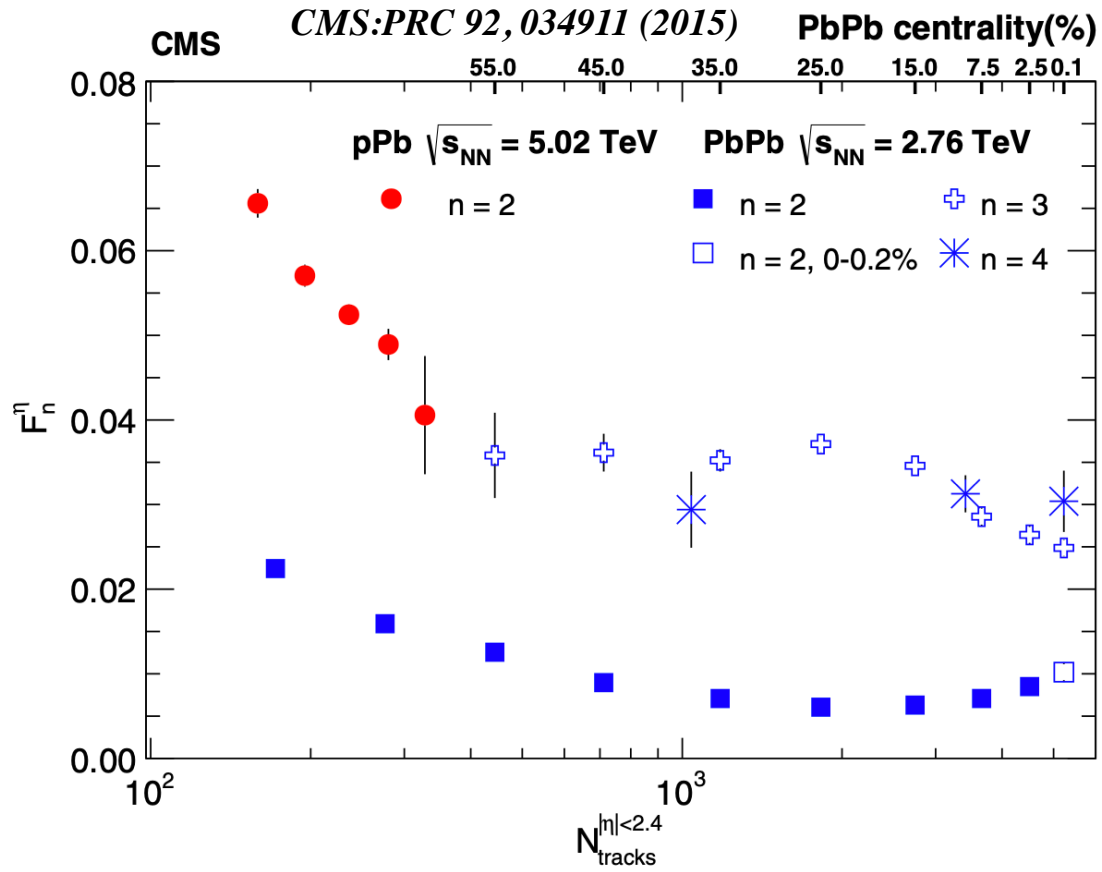
Nonflow for middle-middle rapidity correlations in $\text{p}/\text{d}/^3\text{He}+\text{Au}$ will be close to that in $\text{p}+\text{p}$

Nonflow vs. $\Delta\eta$ from pp@HIJING



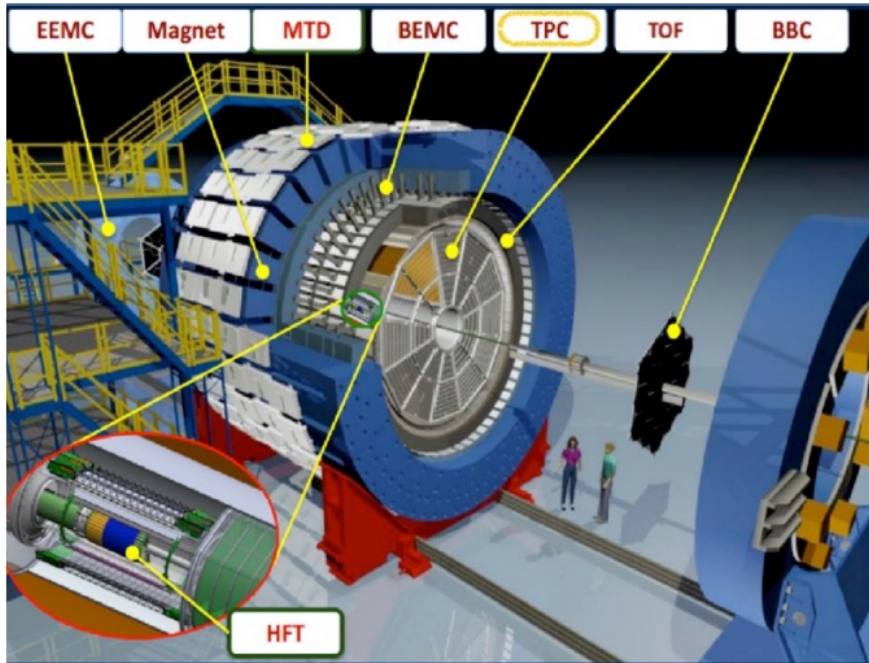
Larger $\Delta\eta$ has only tiny effect to suppress the nonflow for v_3 measurements

Longitudinal Decorrelation



Large decorrelation at low multiplicity:
 pPb > PbPb
 AuAu@200GeV > PbPb@2.76TeV
 $v_3 > v_2$

STAR Experiment at RHIC



Measurements for p/d/³He+Au collisions @ 200 GeV

➤ Centrality:

- i) Number of tracks in TPC $0.2 < p_T < 3.0 \text{ GeV}/c$, $|\eta| < 0.9$
- ii) BBC charge in Au-going direction $-5.0 < \eta < -3.3$

➤ Two-particle correlation functions constructed for trigger and associated particles ***both at middle rapidity***

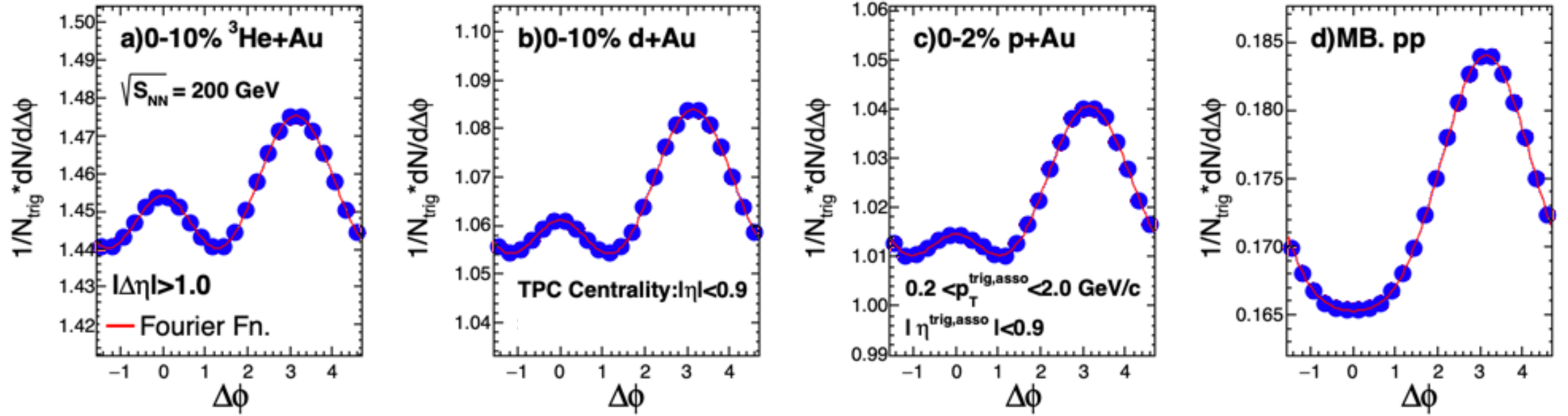
$$0.2 < p_T < 2.0 \text{ GeV}/c$$

$$|\eta| < 0.9$$

$$|\Delta\eta| > 1.0$$

- ✓ $v_2\{2\}(p_T)$, $v_3\{2\}(p_T)$ extracted from correlation functions following non-flow subtraction

Long-range two-particle correlators and v_n extraction (I)



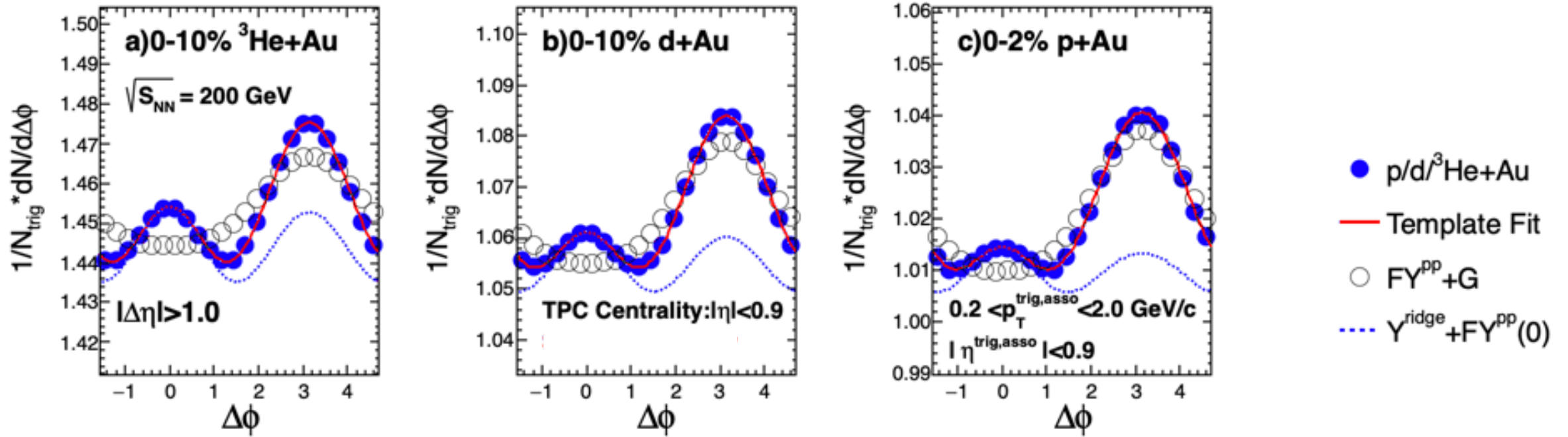
Four methods are employed for non-flow subtraction by using min-bias pp as a reference!

$$\frac{1}{N_{trig}} \frac{dN}{d\Delta\phi} = c_0 (1 + 2 \sum_{n=1}^4 c_n \cos(n\phi))$$

- ✓ 1. via c_0 : $c_{n,sub}^{sys.} = c_n^{sys.} - (c_0^{pp}/c_0^{sys.})c_n^{pp}$; $n=2,3$;
- ✓ 2. via near-side: $c_{n,sub}^{sys.} = c_n^{sys.} - (c_0^{pp}/c_0^{sys.})(Y_{NS}^{sys.}/Y_{NS}^{pp.})c_n^{pp}$; $n=2,3$
- ✓ 3. via c_1 : $c_{n,sub}^{sys.} = c_n^{sys.} - (c_1^{sys.}/c_1^{pp})c_n^{pp}$; $n=2,3$

$$v_{n,sub}^{sys.}(p_T) = c_{n,sub}^{sys.}(p_T, ref) / \sqrt{c_{n,sub}^{sys.}(ref)}$$

Long-range two-particle correlators and v_n extraction (II)

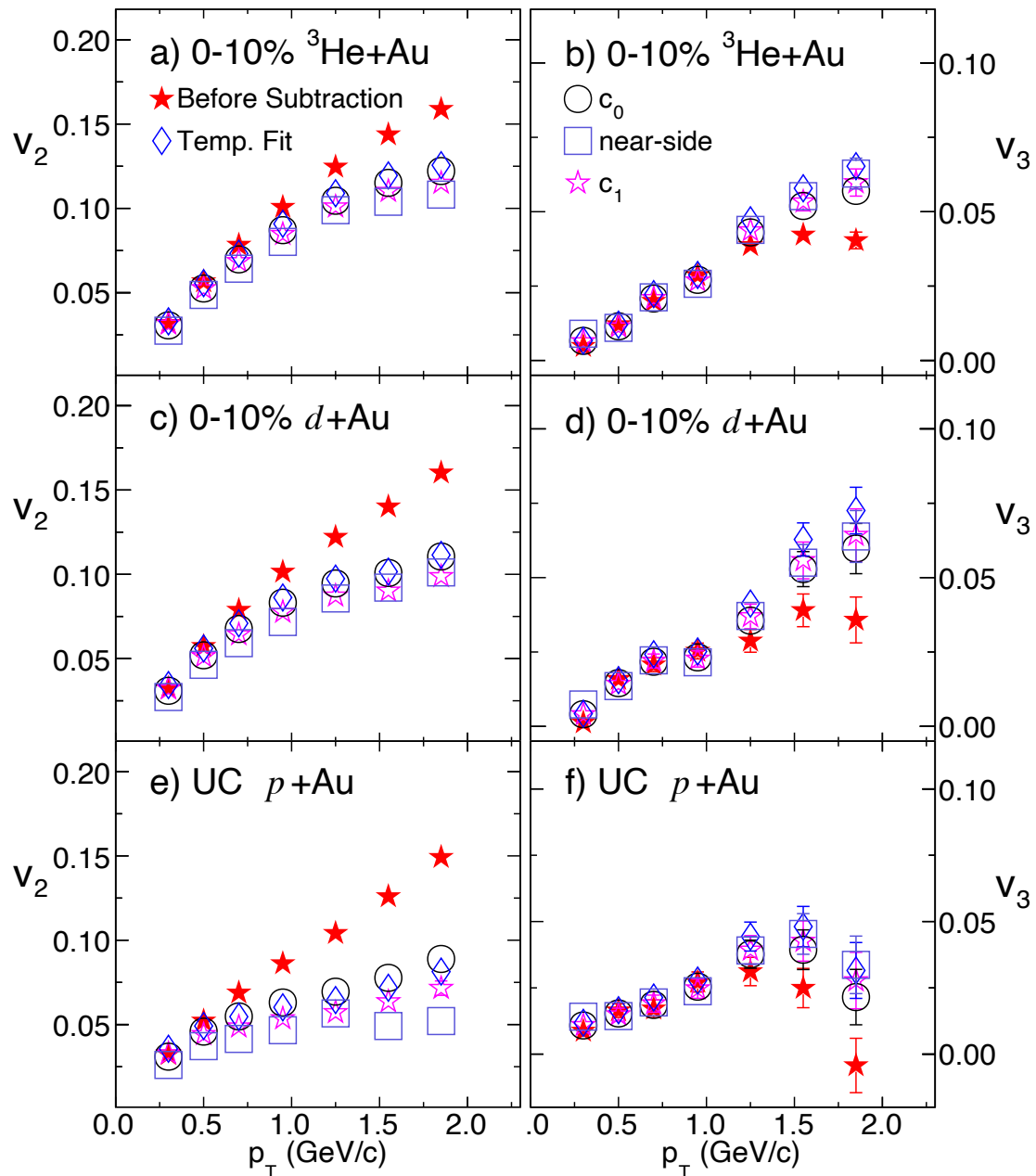


4. Template Fit *(ATLAS, PRL 116, 172301 (2016))*

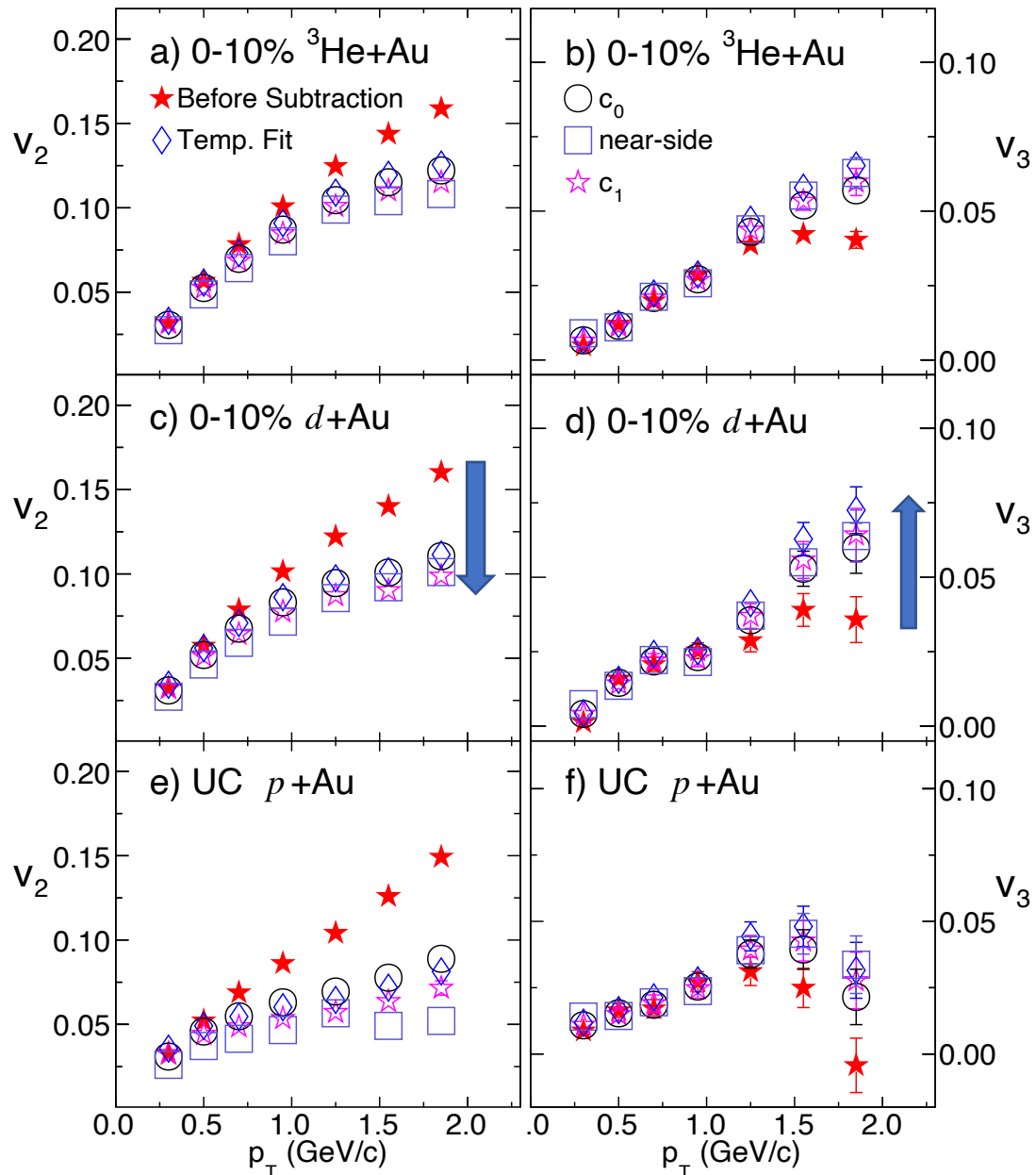
$$Y_{\text{templ.}}(\Delta\phi) = Y_{\text{ridge}}(\Delta\phi) + F Y_{\text{pp.}}(\Delta\phi)$$

$$Y_{\text{ridge}}(\Delta\phi) = G(1 + 2 \sum_{n=2}^4 c_n^{\text{sub}} \cos(n\Delta\phi))$$

“F” represents the modification for the long-range away-side jet between $\text{p}/\text{d}/^3\text{He}+\text{Au}$ and $\text{p}+\text{p}$



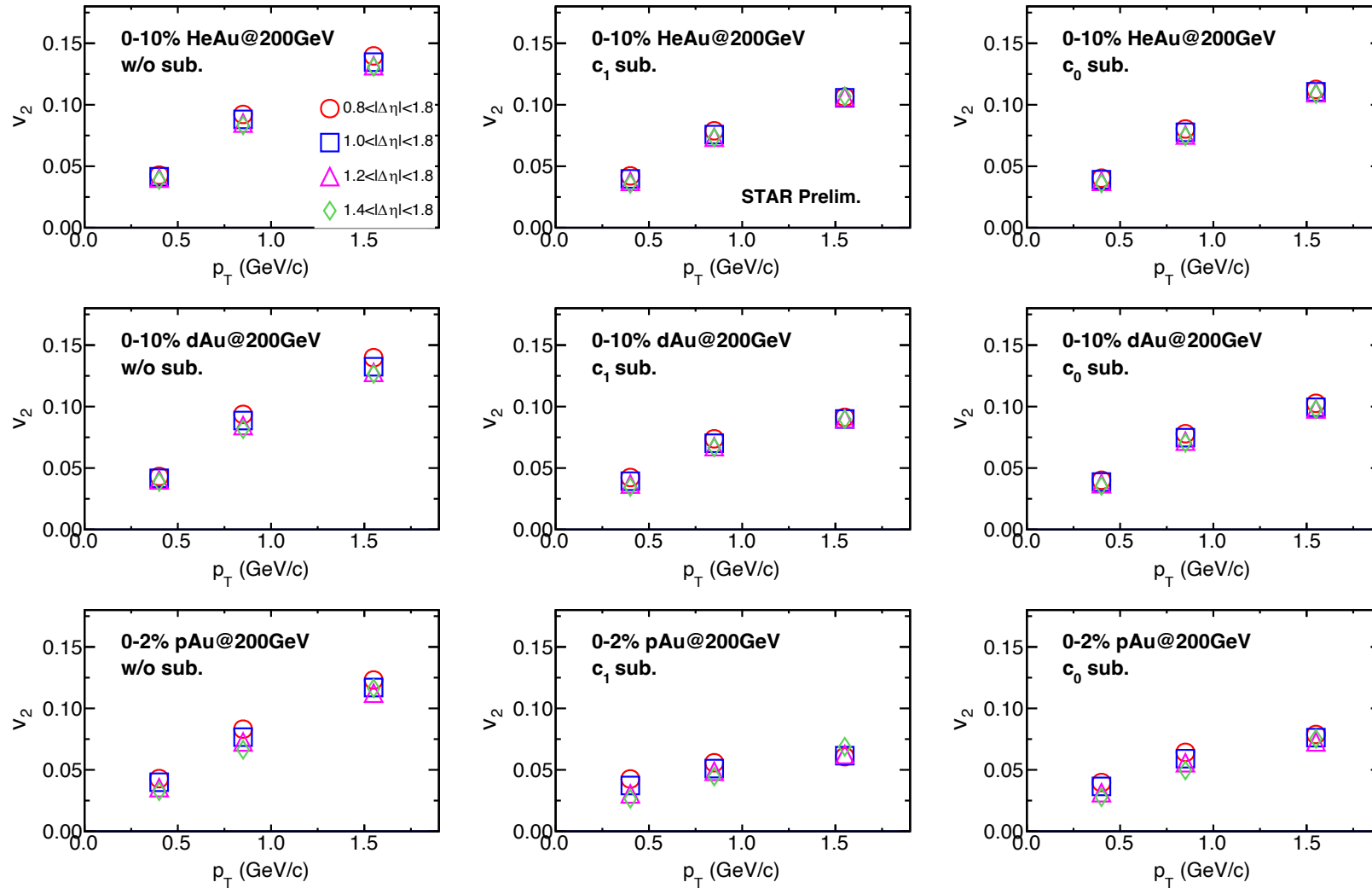
➤ **Non-flow subtracted v_2 and v_3 are method-independent**



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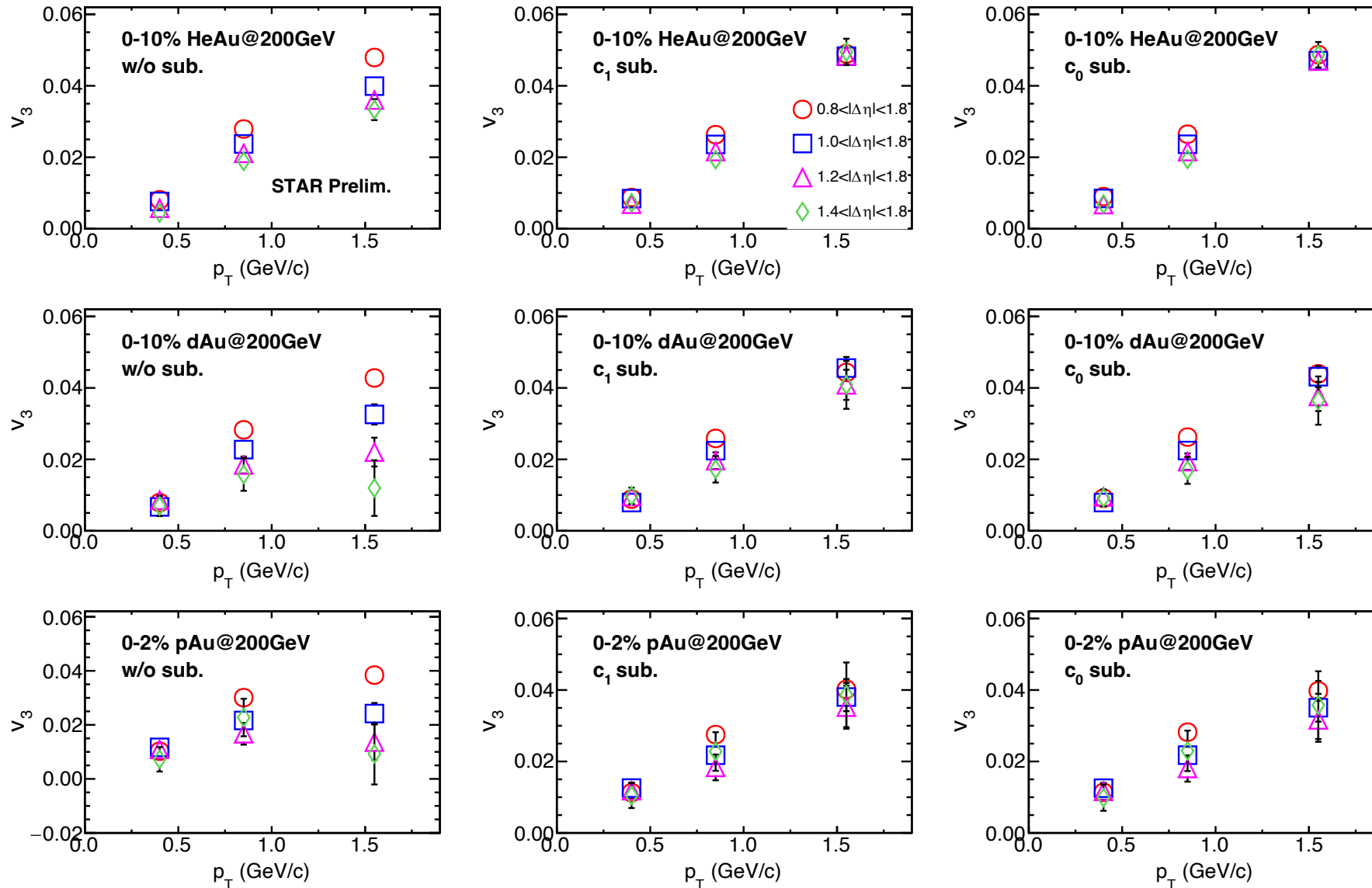
➤ **Non-flow flow subtractions decrease v_2 and increase v_3**

v_2 with different $\Delta\eta$ cut



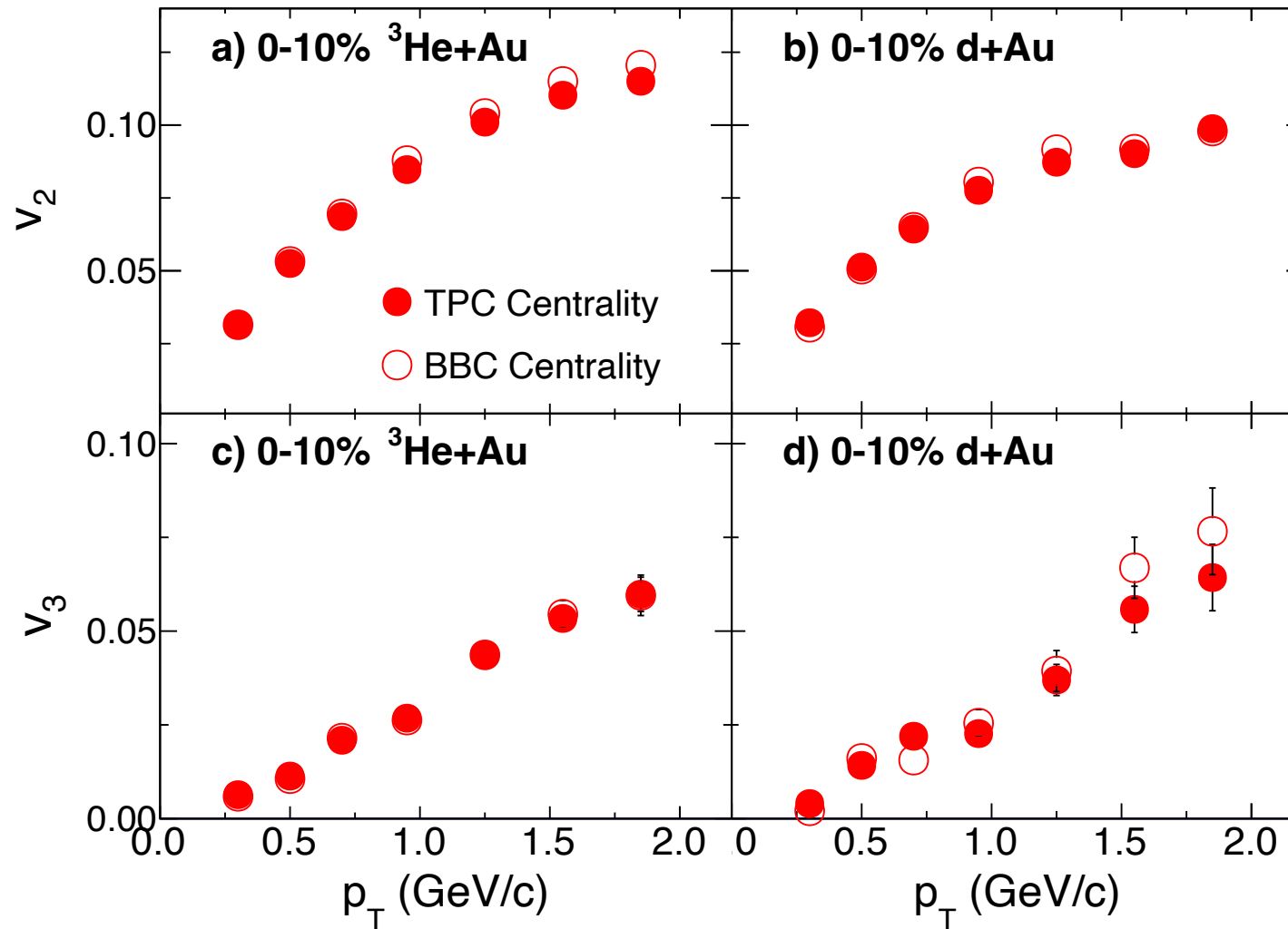
v_2 after nonflow subtraction is insensitive to $\Delta\eta$ cut and subtraction method

v_3 with different $\Delta\eta$ cut



v_3 after nonflow subtraction is also insensitive to $\Delta\eta$ cut and subtraction method

Differential v_2 and v_3 measurements for different centrality definitions

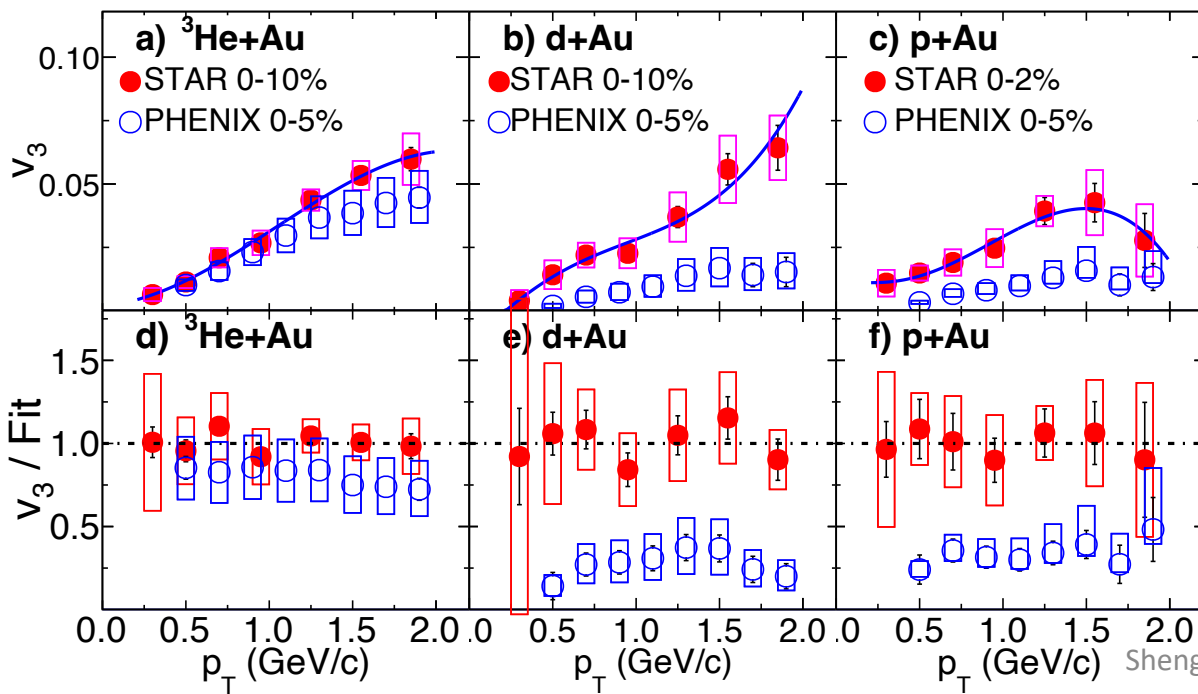
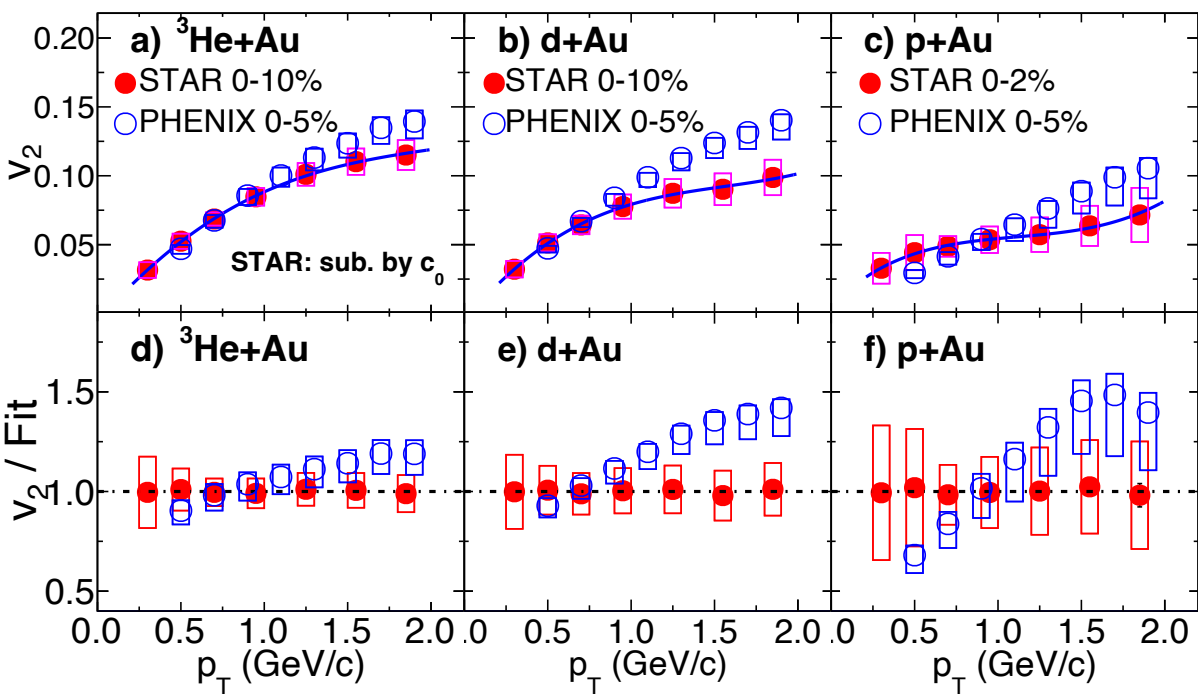


TPC centrality: Centrality and 2p correlation measured in same rapidity

BBC centrality: Centrality and 2p correlations measured in different rapidity, avoid auto-correlation

✓ **Results are consistent between two kinds of different centrality definitions with mid and backward rapidity regions**

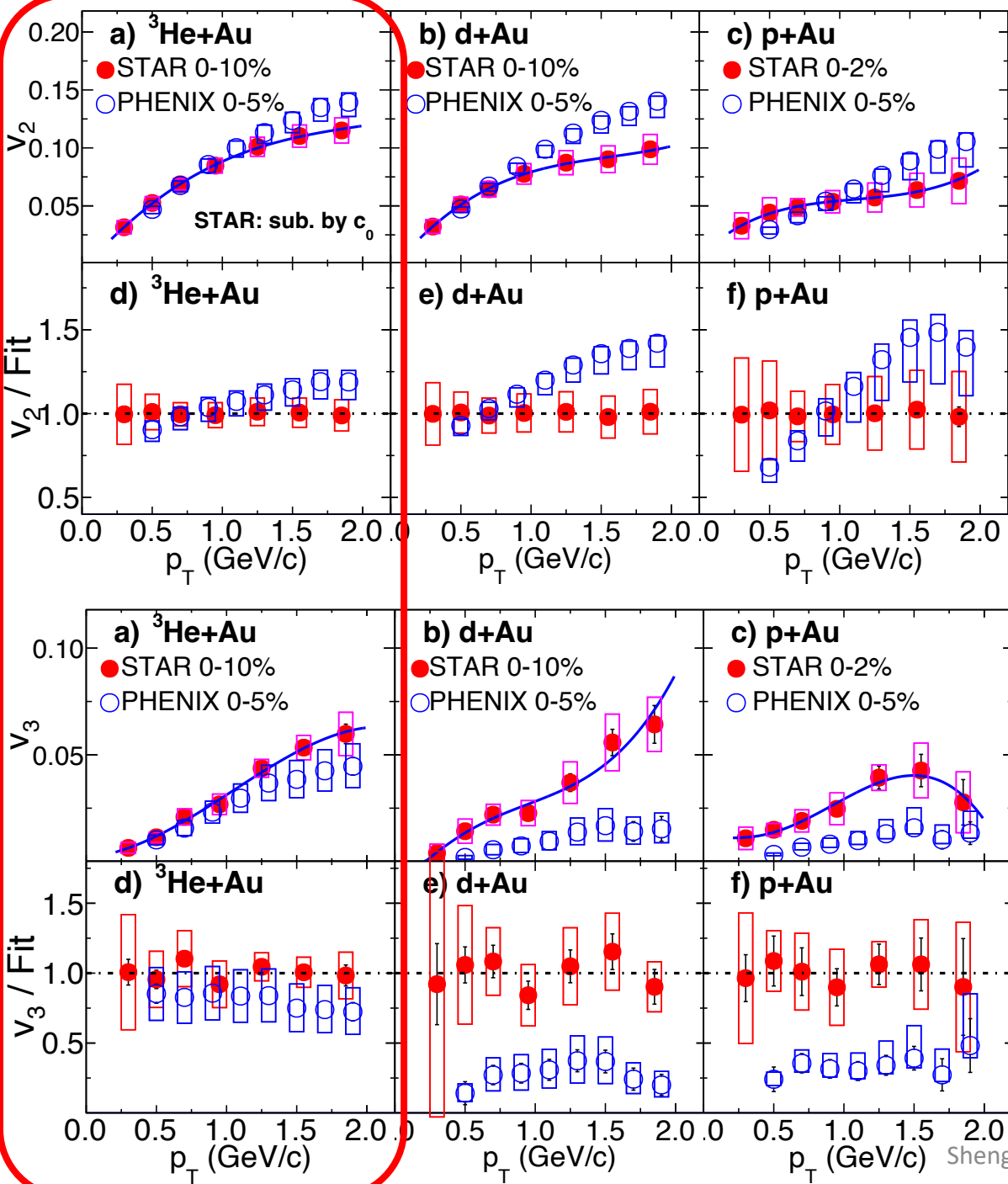
Detail Comparisons to PHENIX



PHENIX: Nature Phys. 15, 214 (2019)
STAR: 2210.11352

Detail Comparisons to PHENIX

➤ The STAR and PHENIX v_2 and v_3 for $^3\text{He}+\text{Au}$, show reasonable agreement

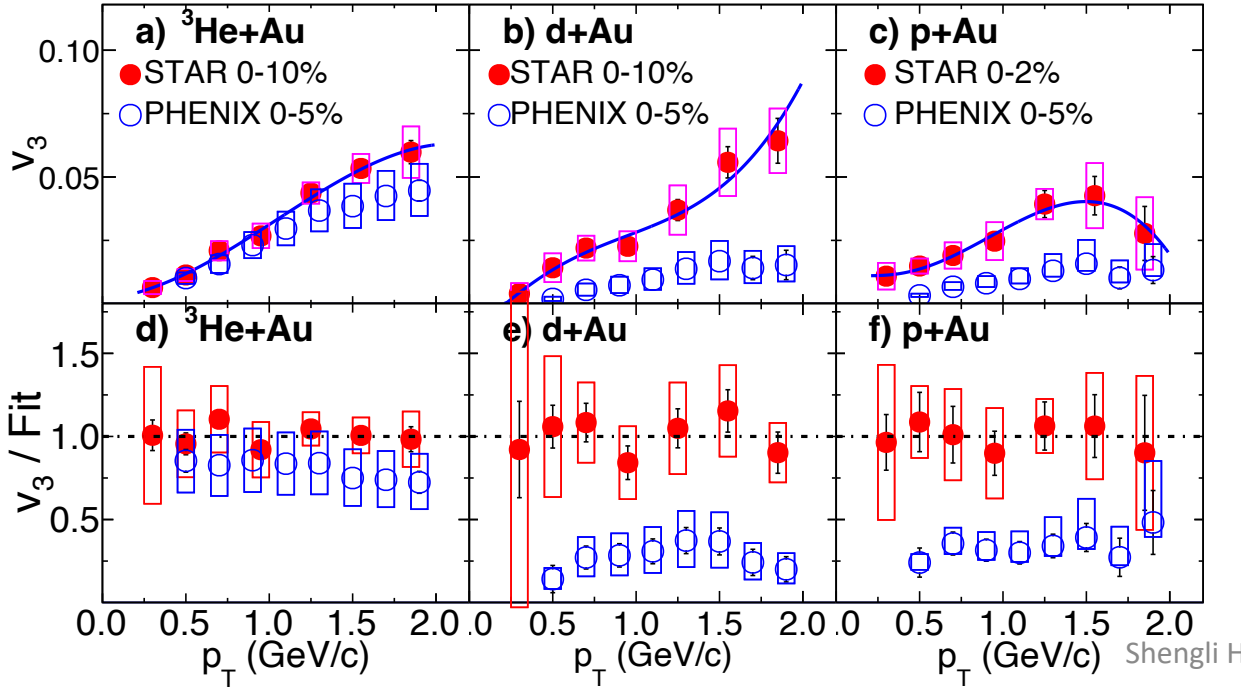
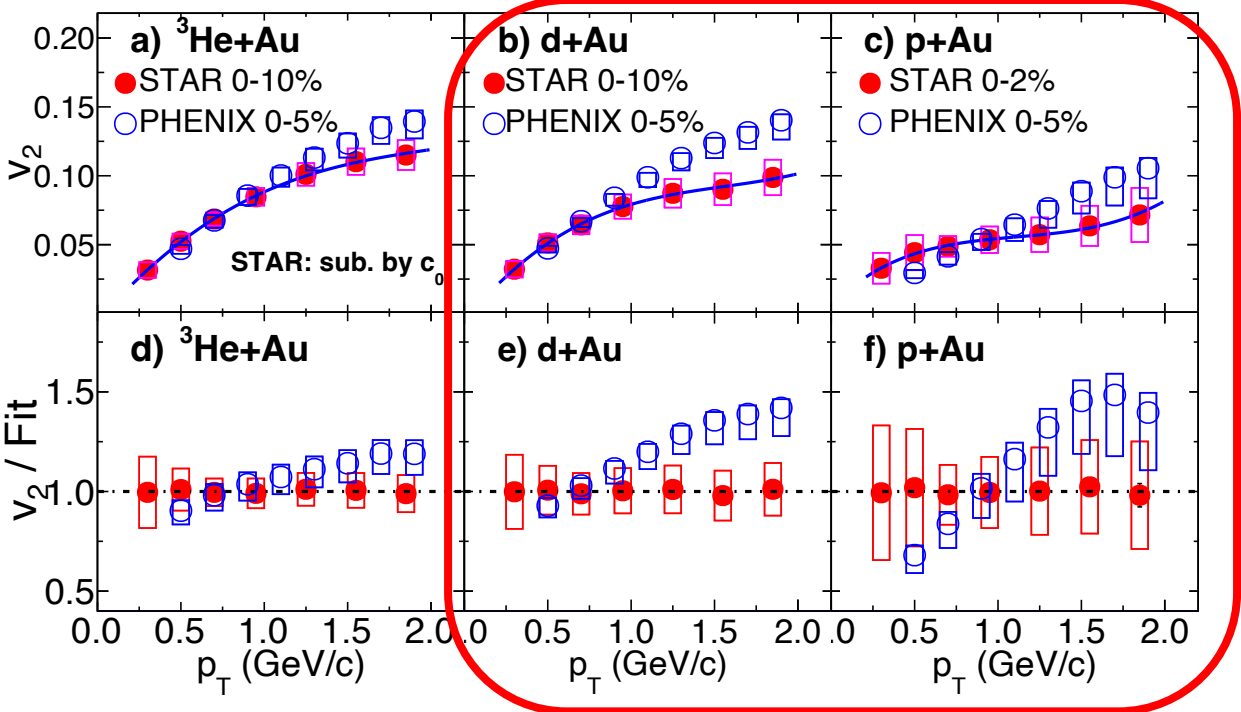


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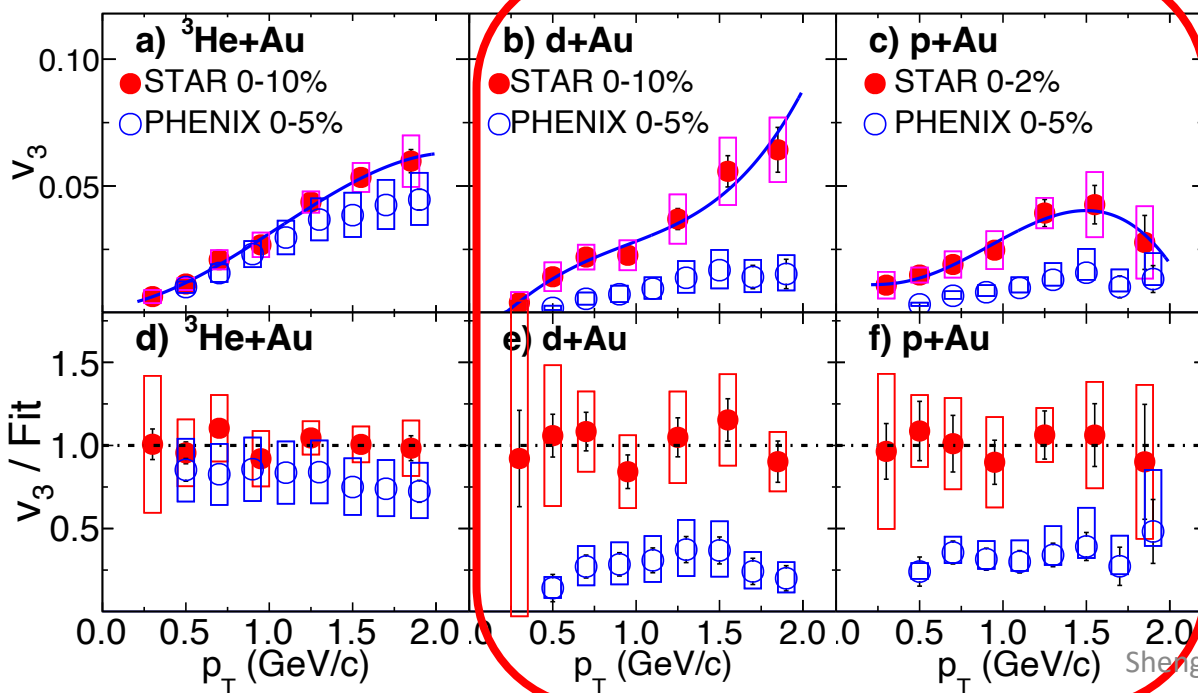
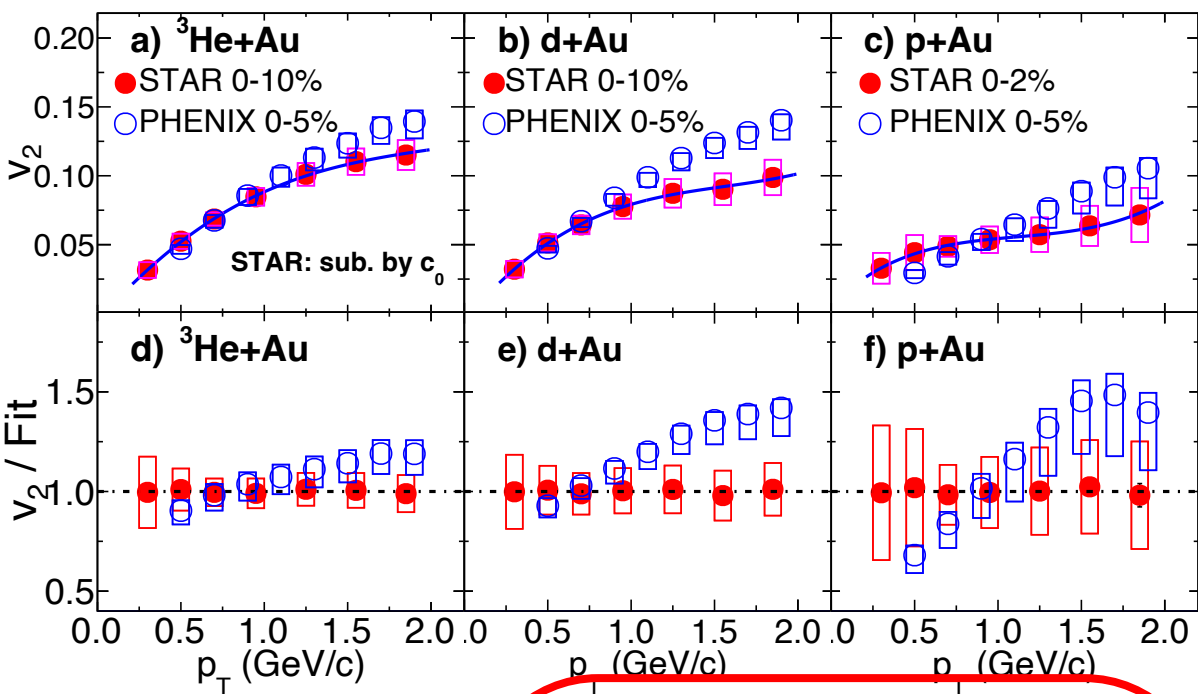
- The STAR and PHENIX v_2 and v_3 for $^3\text{He}+\text{Au}$, show reasonable agreement

- The STAR and PHENIX measurements for v_2 are also in reasonable agreement for p/d+Au
 - ✓ Some difference (~25%) for $p_T > 1 \text{ GeV}/c$ in d+Au and $p_T < 1 \text{ GeV}/c$ in p+Au



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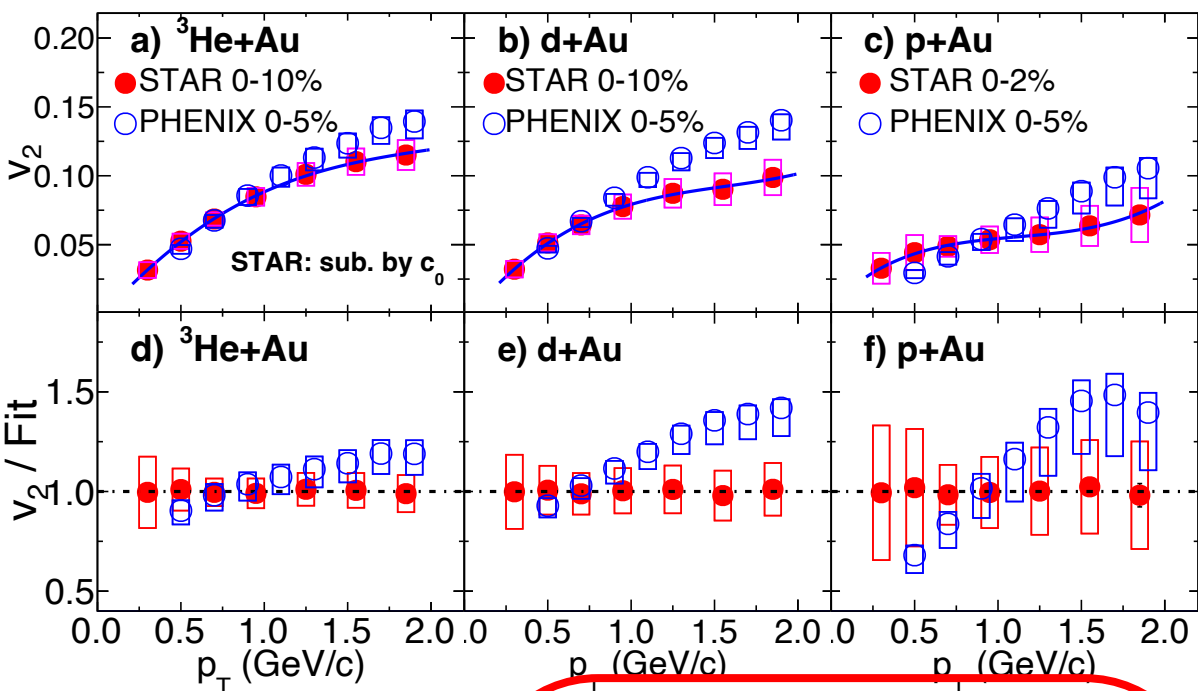
➤ The STAR and PHENIX v_3 for p/d+Au, show similar p_T dependence

- ✓ But magnitudes differ by a factor of 3
 - ✓ System-independent STAR v_3
 - ✓ System-dependent PHENIX v_3

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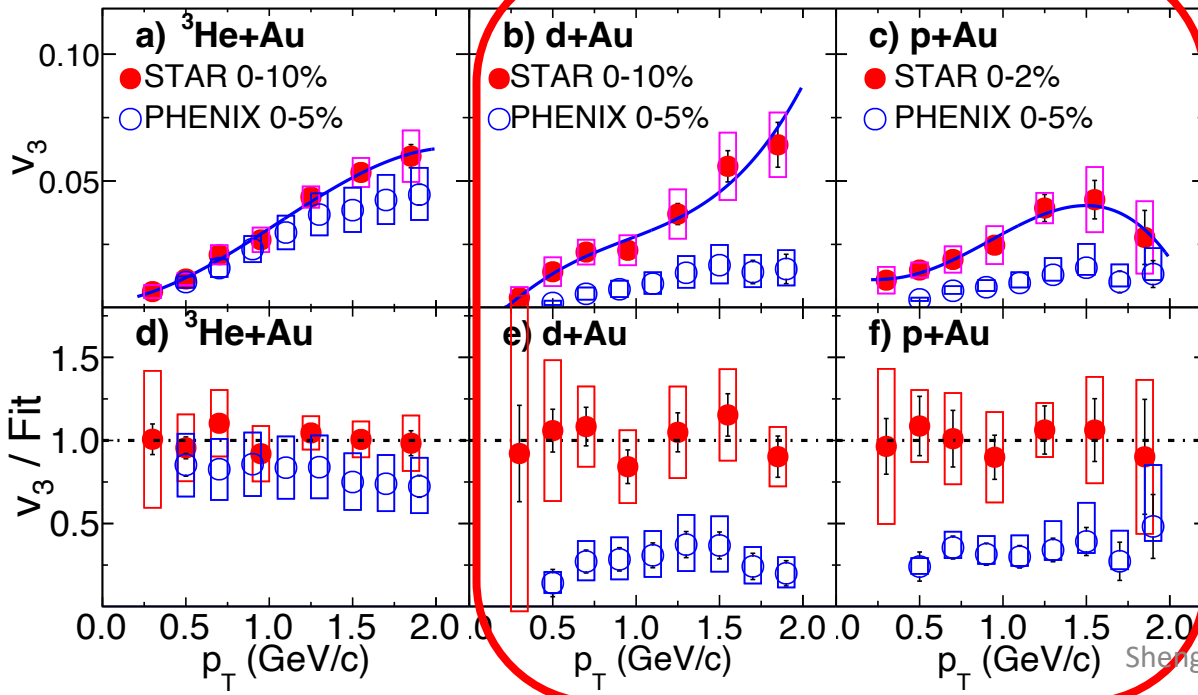
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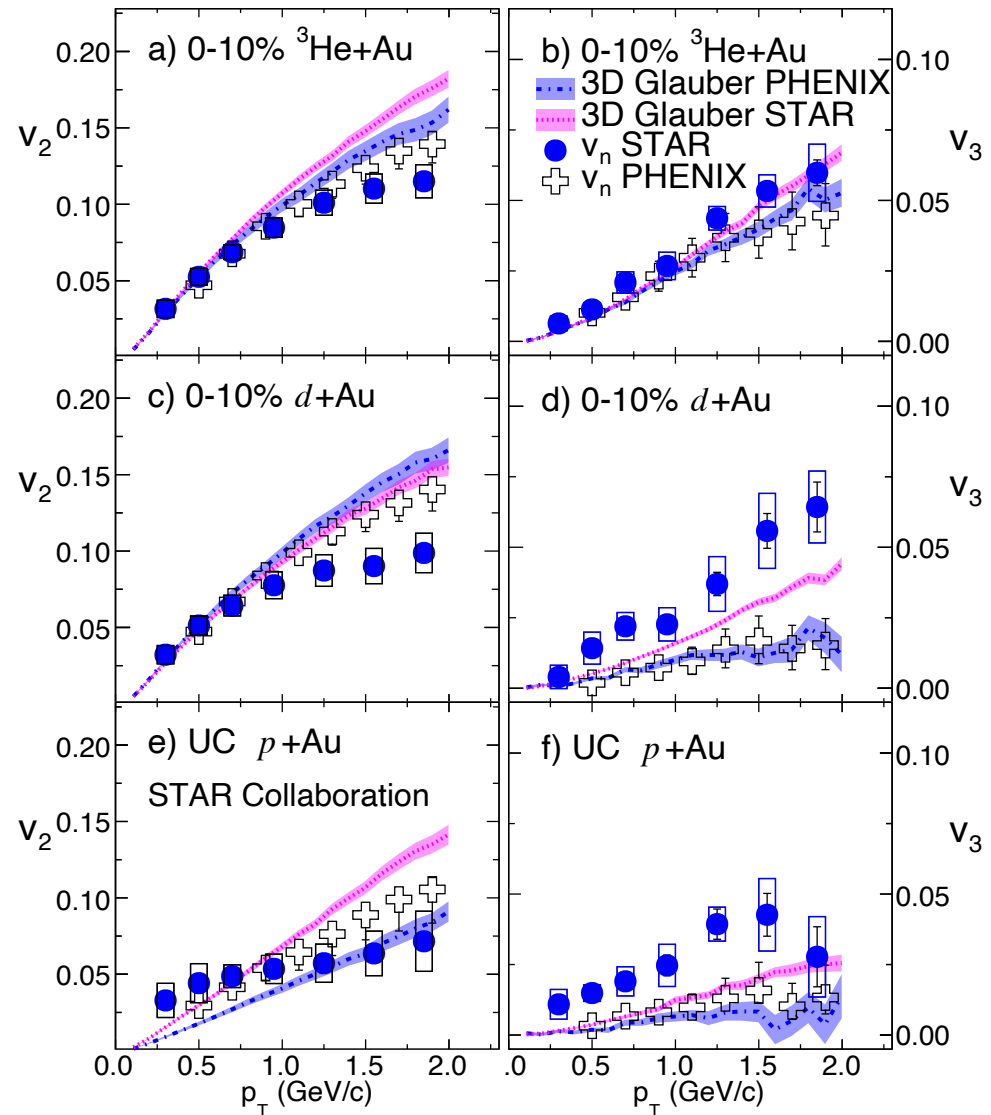


➤ The STAR and PHENIX v_3 for p/d+Au, show similar p_T dependence
 ✓ **But magnitudes differ by a factor of 3**
 ✓ **System-independent STAR v_3**
 ✓ **System-dependent PHENIX v_3**

➤ **Longitudinal decorrelation effect?**

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Comparison to 3D-Glauber model

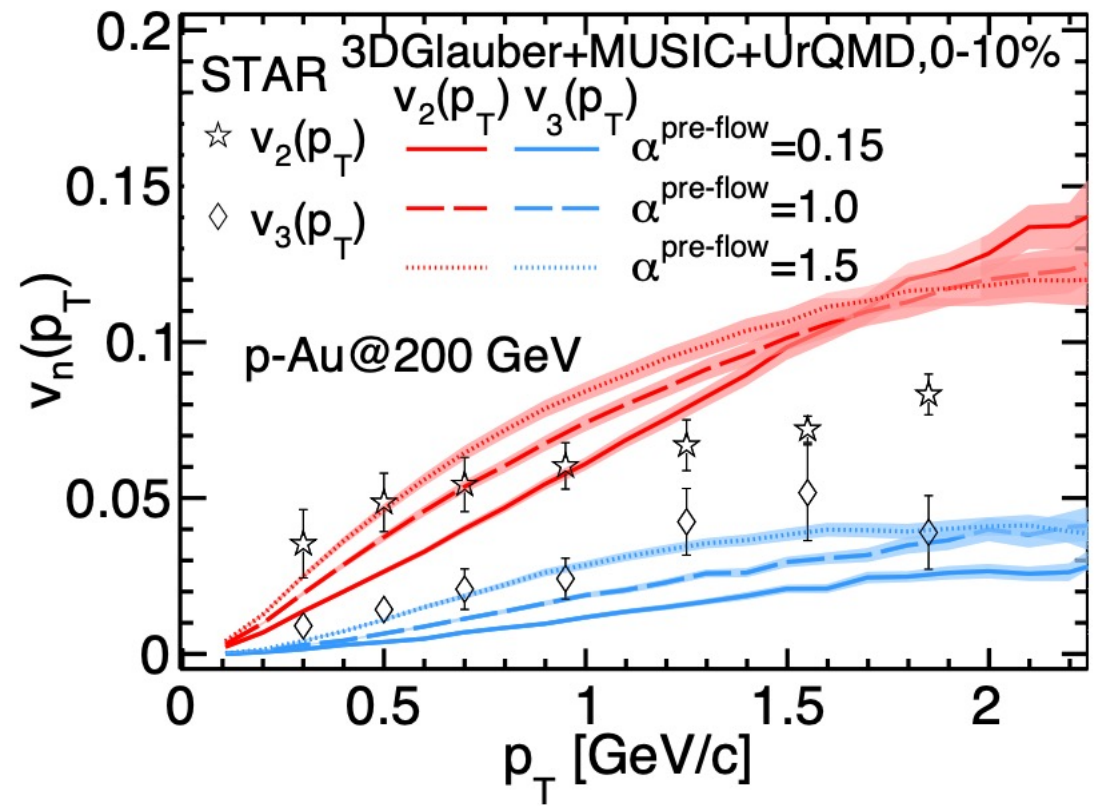
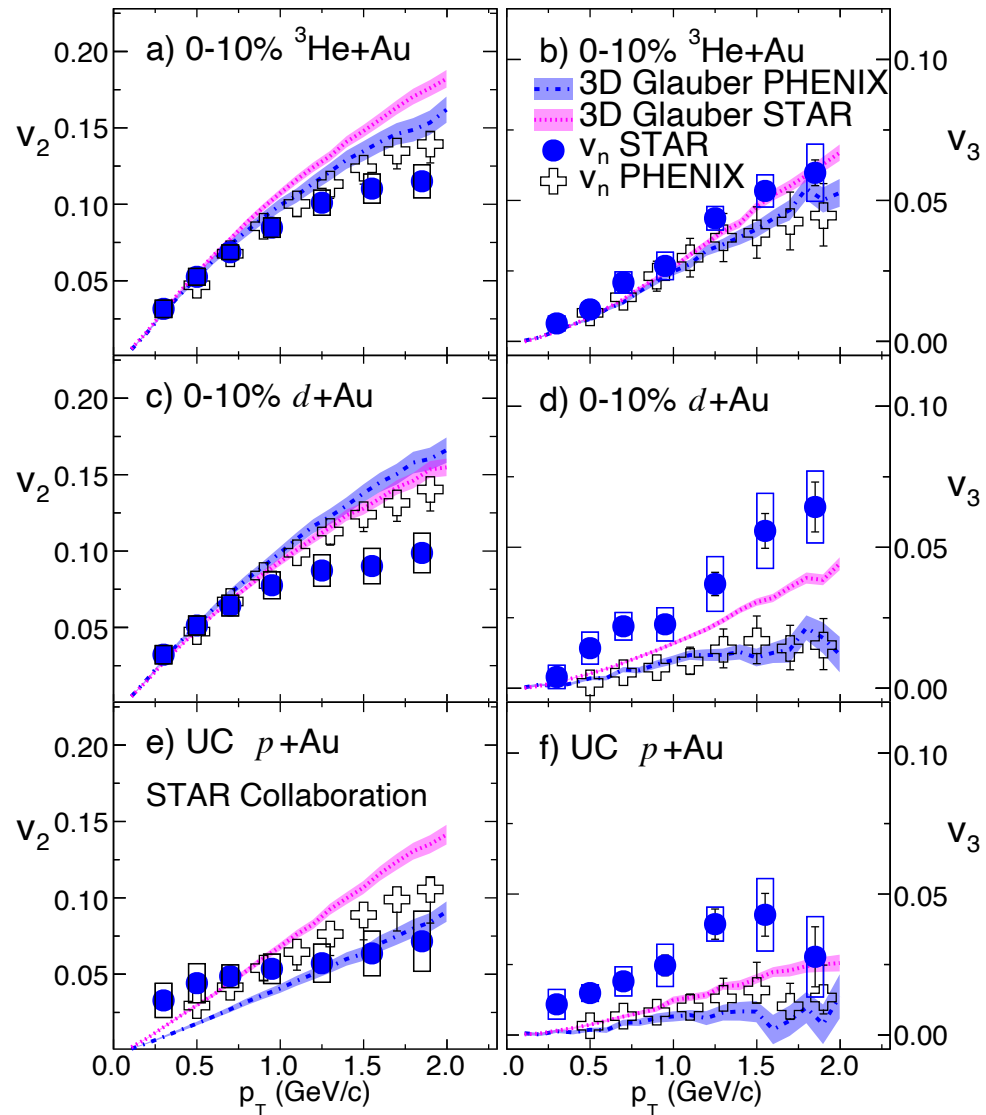


3D Glauber indicates there are significant de-correlations in PHENIX v_3 measurements

Model still underestimates STAR measurements

X. Zhao & C. Shen PRC.107.014904

Comparison to 3D-Glauber model

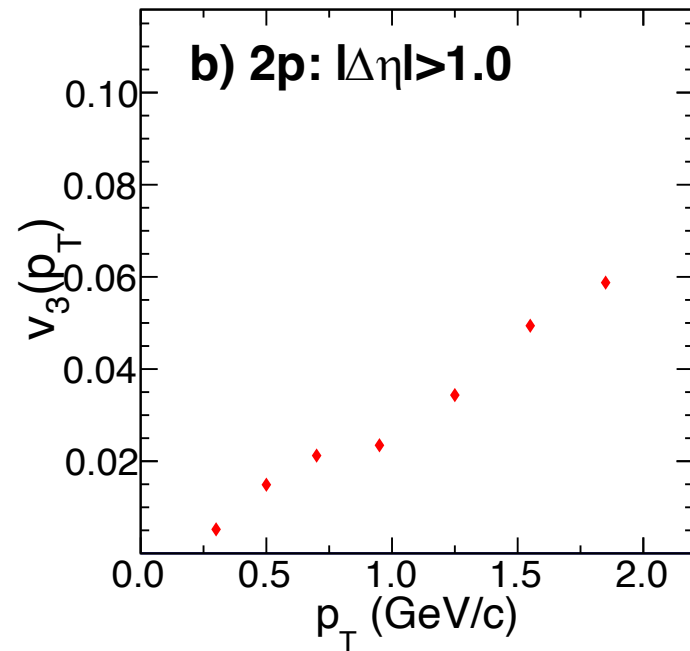
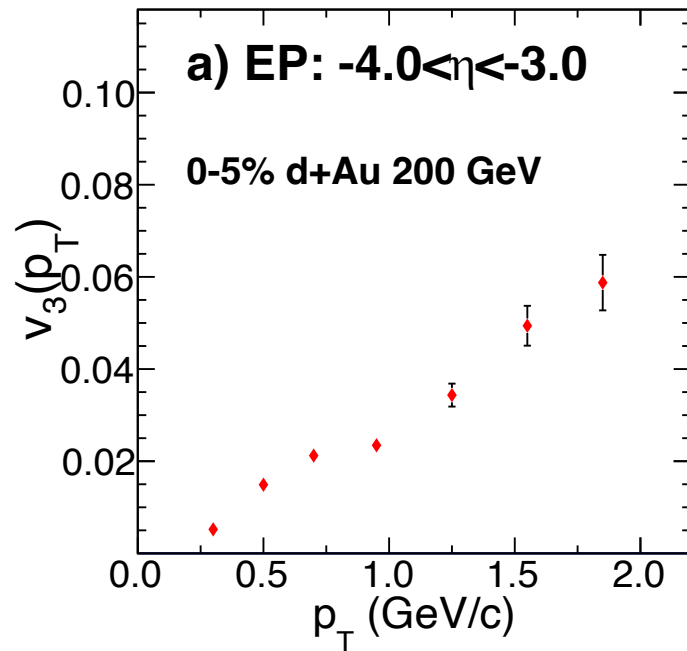


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Model still underestimates STAR measurements

Pre-flow + nonflow in future calculations?

X. Zhao & C. Shen PRC.107.014904



Projection from 100M 0-5% d+Au@200GeV
 from Run21 with improved acceptance

Mean values are from current measurements

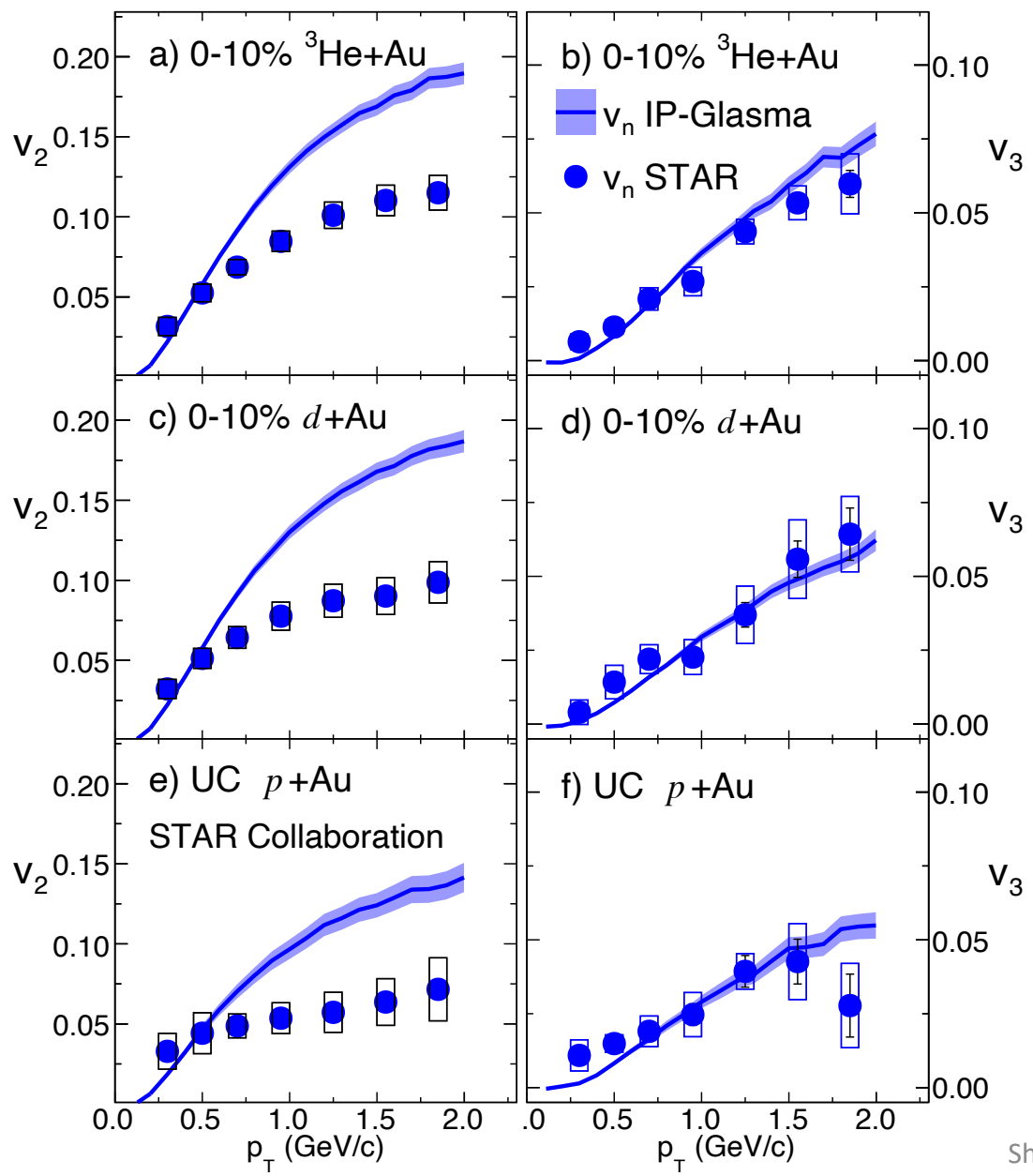
100M MB and 100M HM(0-5% selected by EPD) triggered events have been taken by STAR in 2021

Improved acceptance: iTPC ($|\eta| < 1.5$) + EPD($2.1 < |\eta| < 5.1$)

No Beam Cross Angle

Further investigate the longitudinal decorrelation in small-sized system

Comparison to IP-Glasma

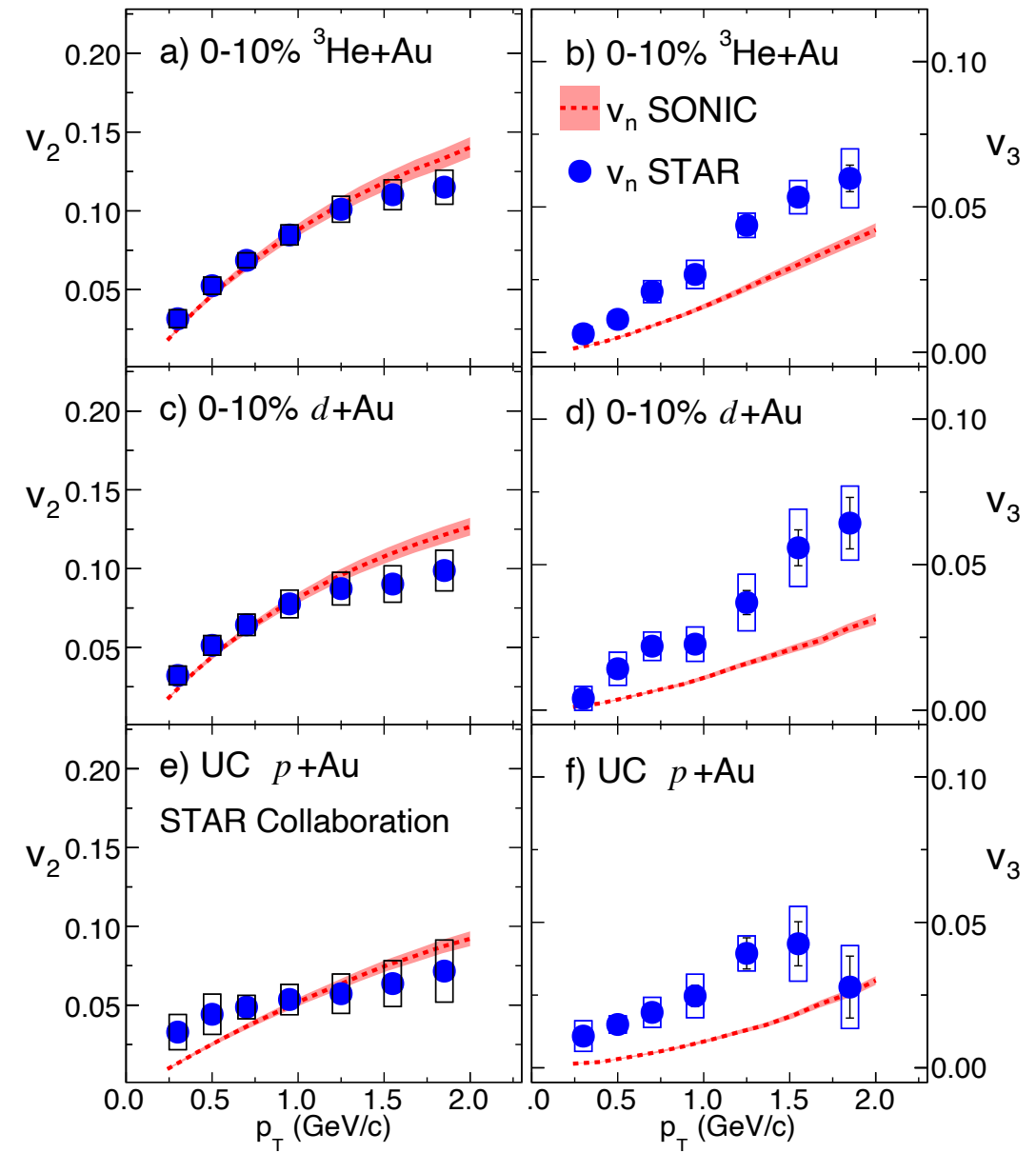


- **IP-Glasma+Hydro** includes sub-nucleonic gluon field fluctuations + initial momentum correlation + pre-flow.
- It is tuned to describe the data for large-sized systems and then extrapolated to small-sized systems
- It overpredicts v_2 but reproduces v_3 . Larger ϵ_2 or strong pre-flow from IP-Glasma model ?
- STAR measurements provide useful constraints on model tuning in future

IP-Glasma+Hydro: [Phys. Lett. B 803, 135322 \(2020\)](#)

Model	a	b	c	d
	$\epsilon_2^a(\epsilon_3^a)$	$\epsilon_2^b(\epsilon_3^b)$	$\epsilon_2^c(\epsilon_3^c)$	$\epsilon_2^d(\epsilon_3^d)$
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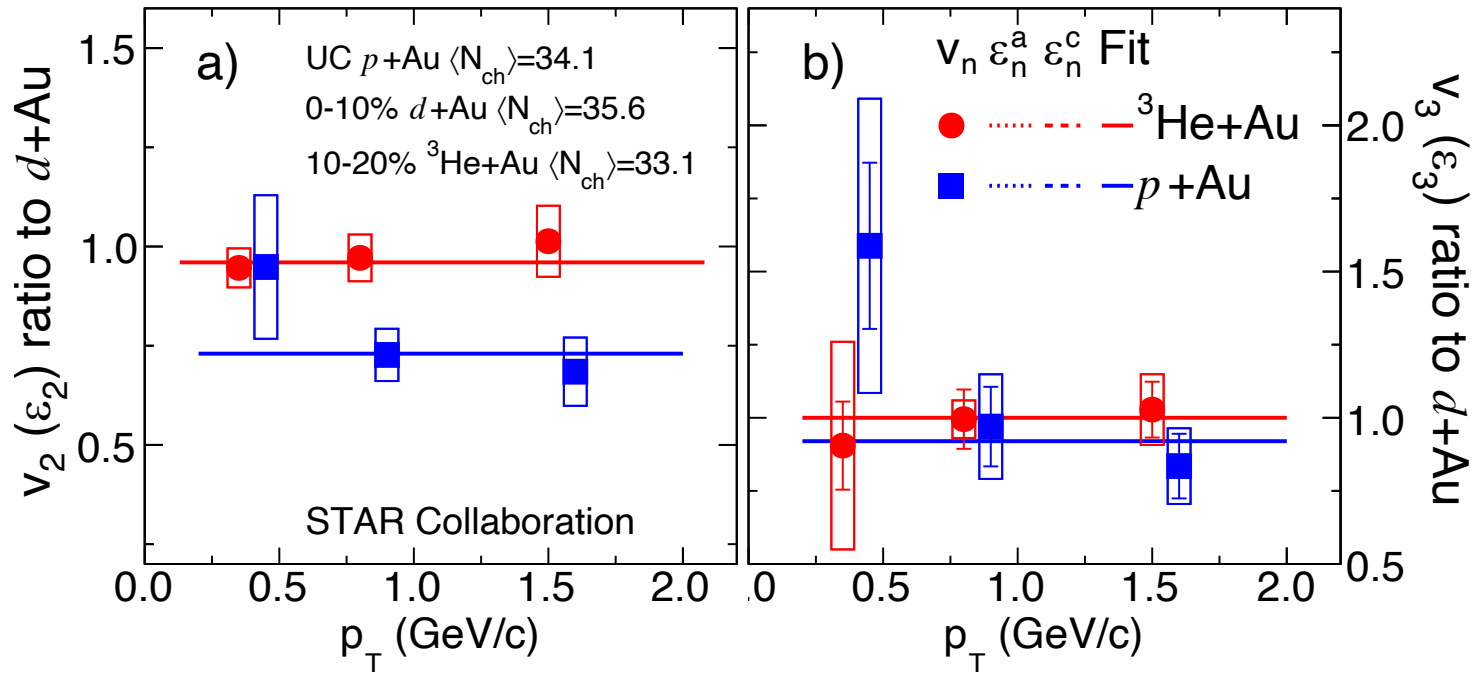
Comparison to SONIC



➤ *SONIC model* with initial geometry eccentricity without gluon field fluctuations under-predicts v_3 in all systems

Model	a	b	c	d
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The system dependence



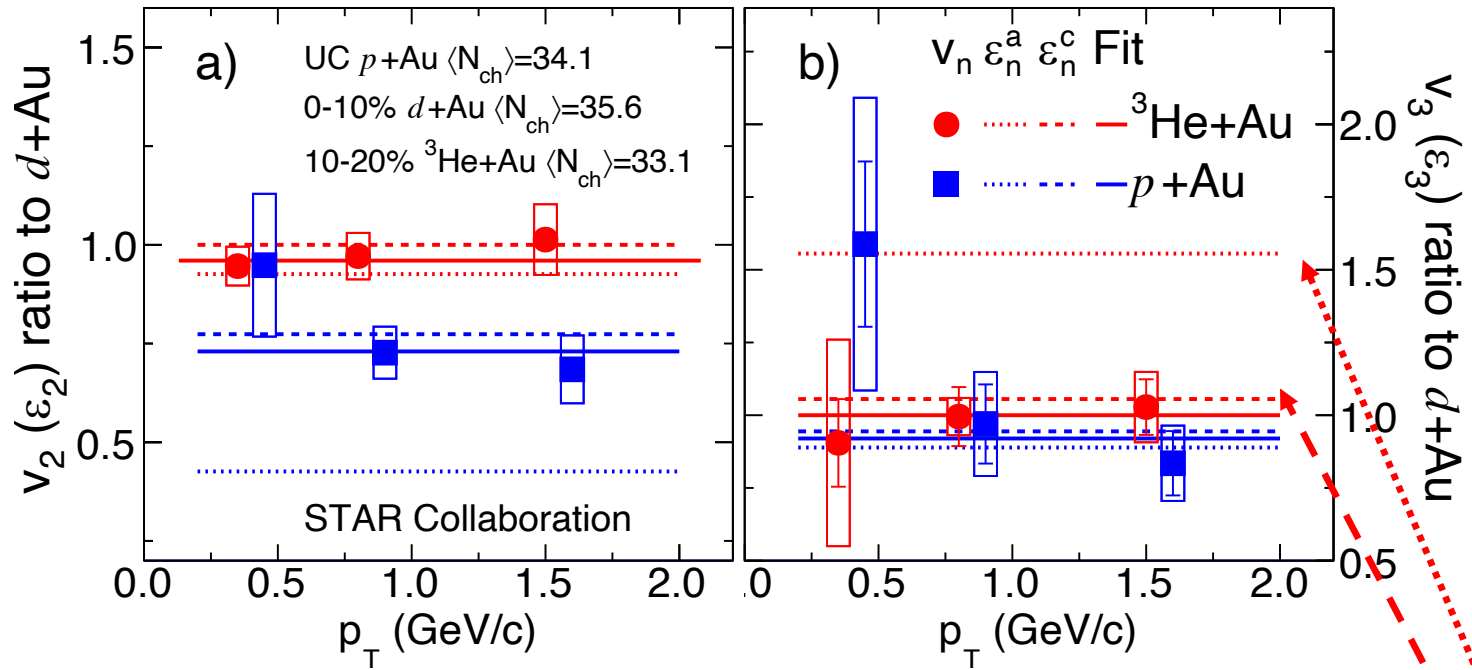
Final state contribution is expected largely canceled out in v_n ratio due to similar multiplicity

It will be helpful to address the initial spatial geometry and contribution from initial stage

$$V_2({}^3HeAu) \approx v_2(dAu) > v_2(pAu)$$

$$V_3({}^3HeAu) \approx v_3(dAu) \approx v_3(pAu)$$

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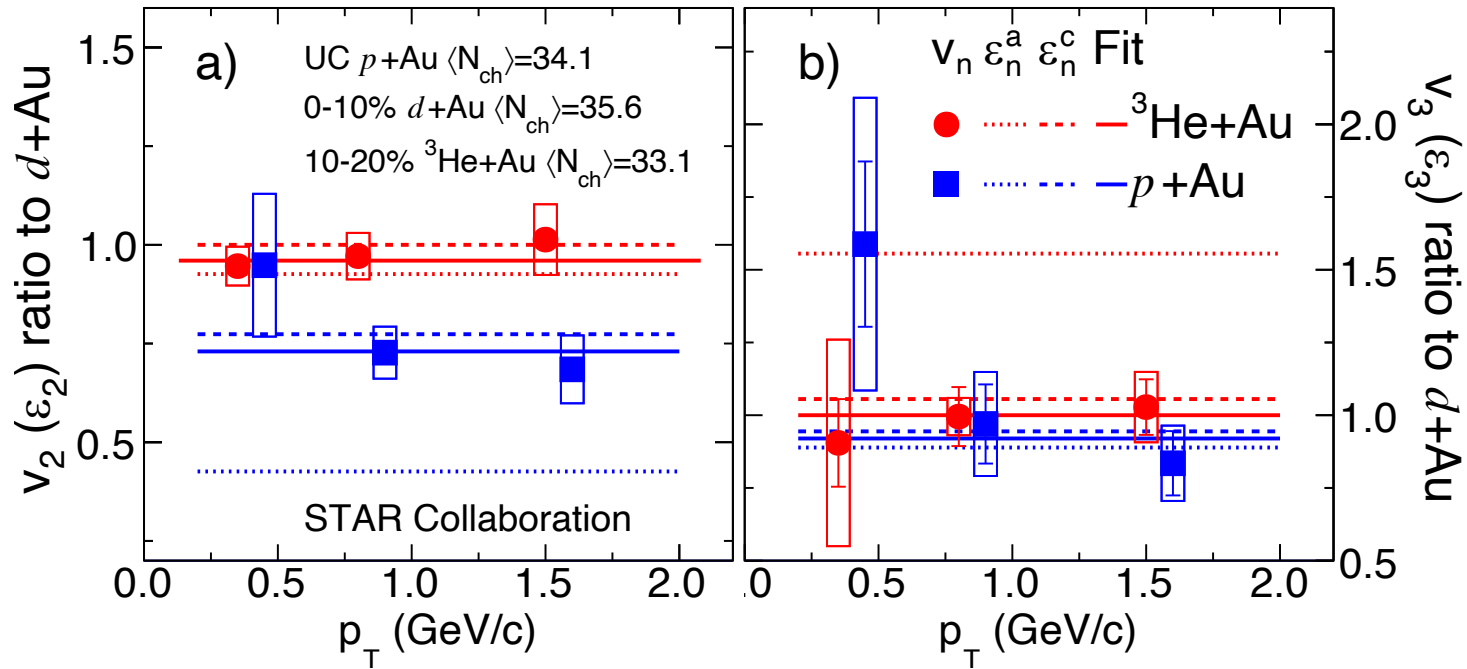
$$V_3({}^3\text{He}Au) \approx v_3(dAu) \approx v_3(pAu)$$

Two Base Lines:

Nucleon spatial Geometry

Sub-nucleon spatial Geometry

The system dependence



Final state contribution is expected largely canceled out for similar multiplicity

Ratio will be helpful to address the initial spatial geometry and contribution from initial stage

$$V_2(\text{HeAu}) \approx v_2(d\text{Au}) > v_2(p\text{Au})$$

$$V_3(\text{HeAu}) \approx v_3(d\text{Au}) \approx v_3(p\text{Au})$$

Two Base Lines:

Nucleon spatial Geometry

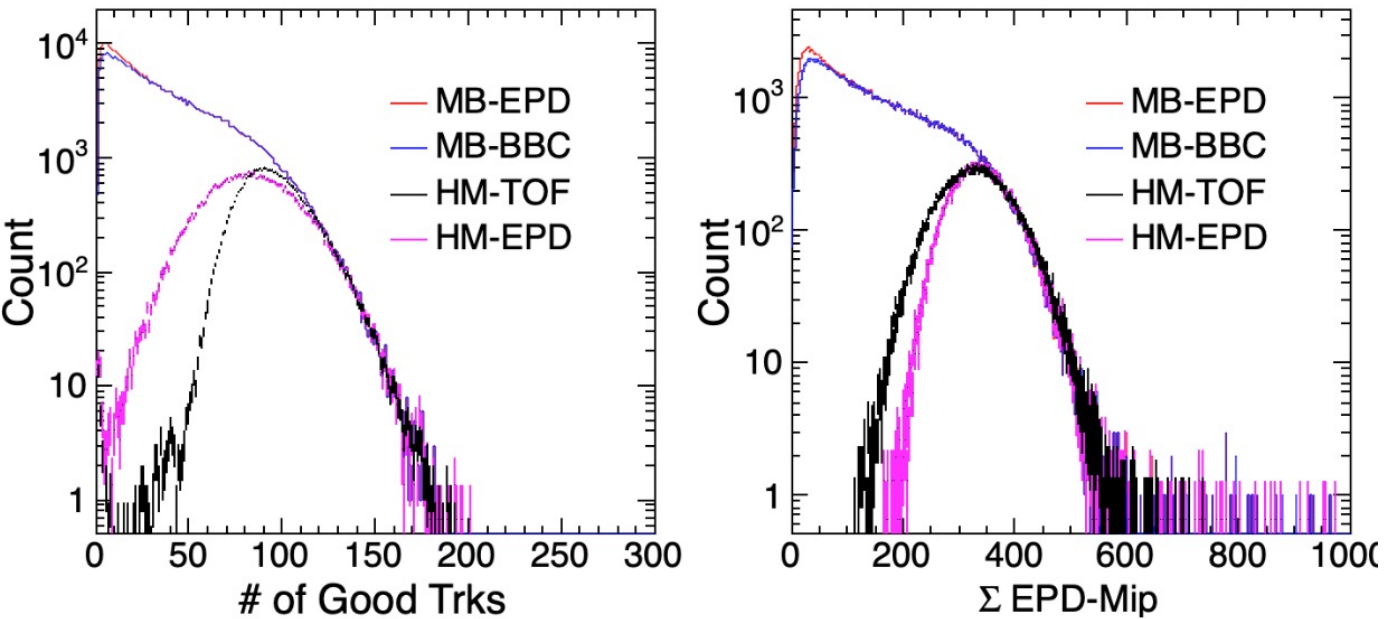
Sub-nucleon spatial Geometry

Sub-nucleon spatial Geometry + Hydro?

Or

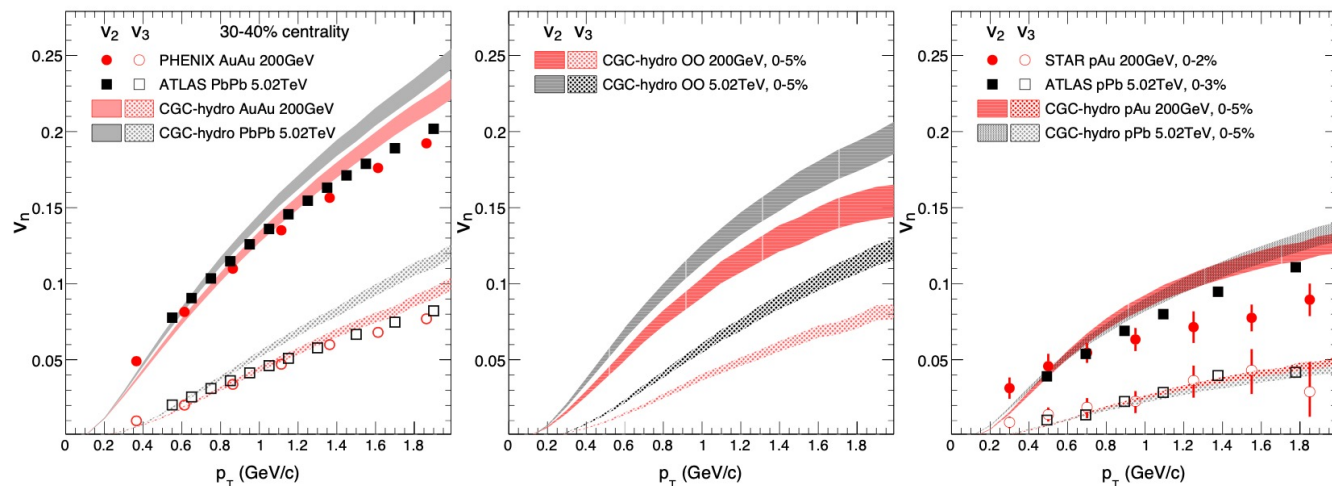
large initial stage contribution?

Outlook: O+O@RHIC 2021



➤ **STAR has taken 400M MB and 200M HM O+O events in 2021**

- ✓ Large rapidity coverage $|\eta| < 1.5$ due to iTPC upgrade
- ✓ Trigger HM event at both middle or forward rapidity



➤ **First** comparison between RHIC & LHC with **~identical Glauber geometry** but **different sub-nucleon fluctuation (Q_s)** for a factor of 10 difference in energy

STAR: BUR2020

- STAR measured v_2 and v_3 as a function of p_T in central p/d/ ^3He +Au collisions. The extracted flow signals are found to be consistent among different non-flow subtraction methods
- A system independent v_3 has been found, indicating that sub-nucleon gluon field fluctuations have a strong influence on initial geometry for small-sized systems
- In future, the new d+Au and O+O data will provide more information to study mini-QGP and sub-nucleon structure

Thanks!

Backup

HIJING vs. η Gap

