

# Theoretical Calculations for sub-GeV Dark Matter Detection

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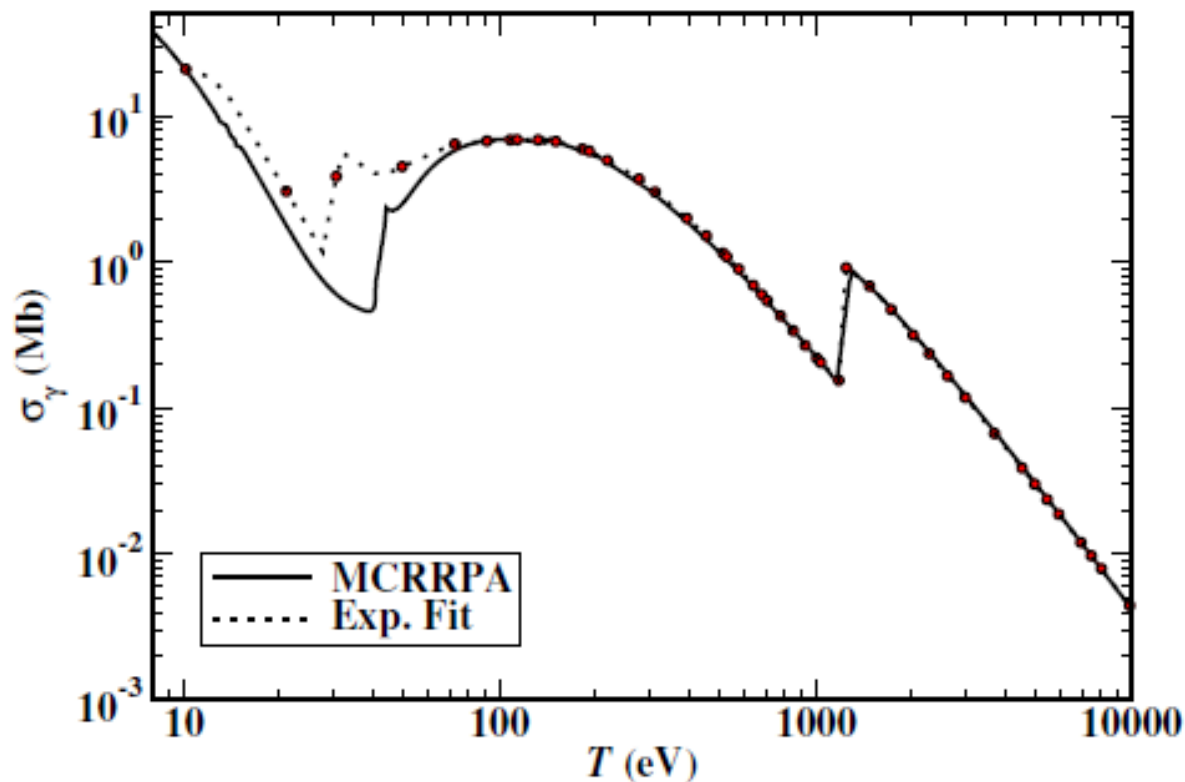
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# Sub-GeV Dark Matter

- Energy transfer might be more efficient with electron recoils (EC) than nuclear recoils (NC)
- DM: direct detection, velocity slow ( $\sim 1/1000$ ), max energy 1 keV for mass 1 GeV DM.
- Opportunity: Applying atomic physics at keV (low for nuclear physics but high for atomic physics)

# Benchmark: Ge Photoionization



Exp. data: Ge solid

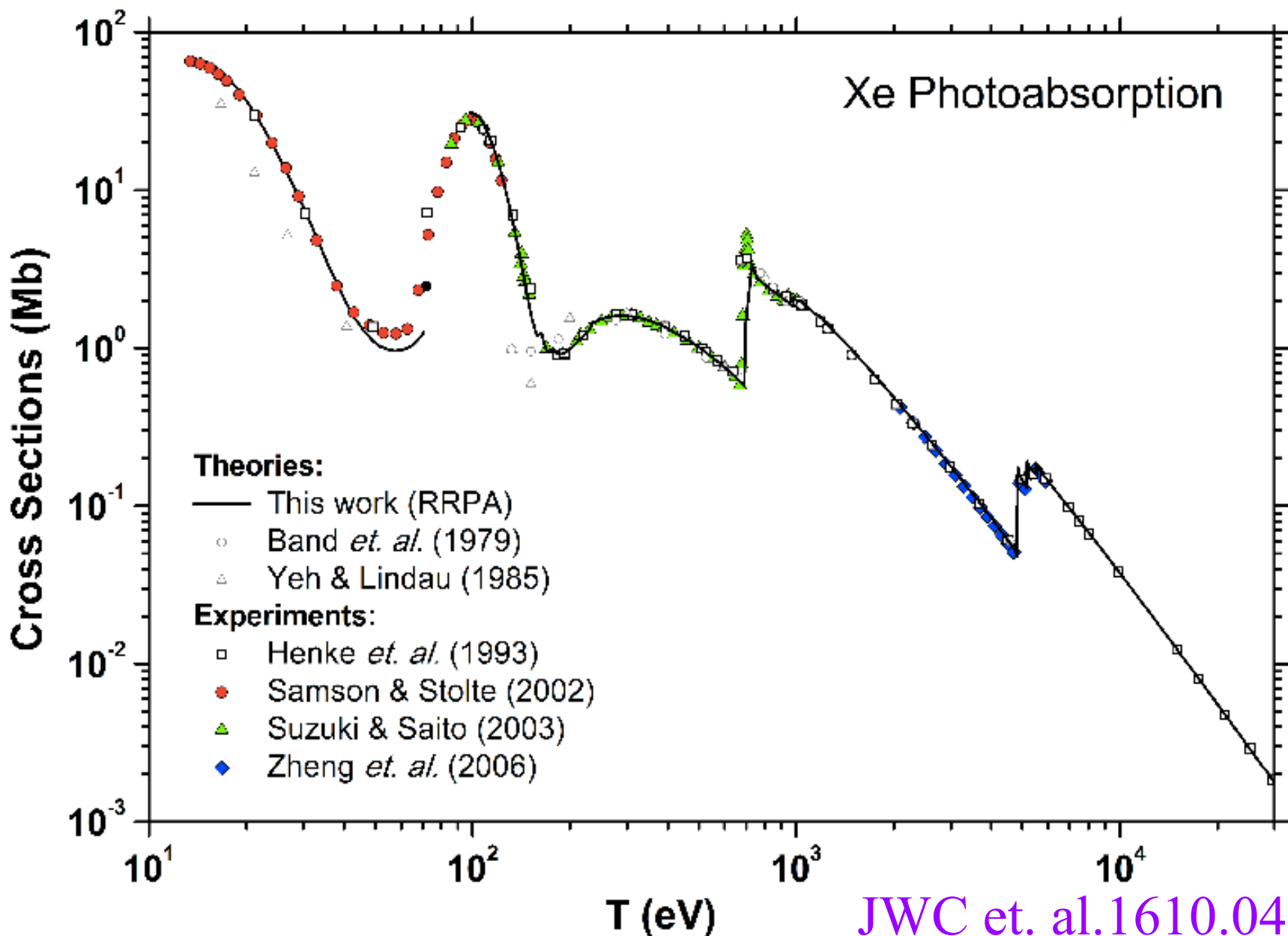
Theory: Ge atom (gas)

Above 100 eV error under 5%.

JWC et. al.

arXiv: 1311.5294

# Benchmark: Xe Photoionization



# ab initio MCRRPA Theory

- MCRRPA: multiconfiguration relativistic random phase approx.

Hartree-Fock : Reducing the N-body problem to a 1-body problem by solving the 1-body effective potential self consistently.



RPA: Including 2 particle 2 hole excitations



RRPA: Correcting the relativistic effect



MCRRPA: More than one configurations in Hartree-Fock; Important for open shell system like Ge where the energy gap is smaller than the closed shell case

# MCRRPA Theory

N-electron relativistic Hamiltonian

$$\mathcal{H}(t) = H + V(t)$$

Dirac Hamiltonian +  
Coulomb interaction

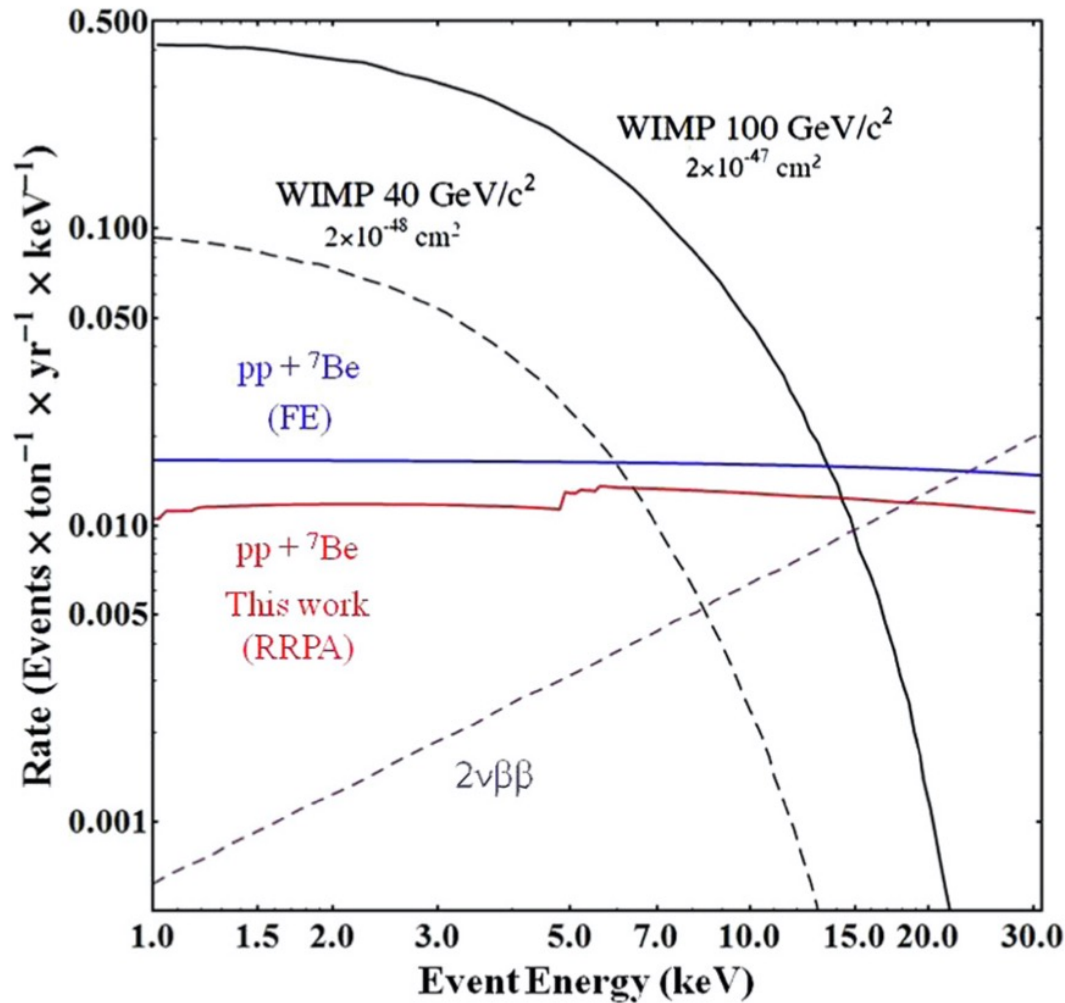
The rest of EM interaction

Solve initial wavefunction of atom

Solve final wavefunction  
by time evolution

A small detour to neutrino physics...

$\nu + A \rightarrow \nu' + A^+ + e^-$  **EC Background for  
DARWIN (LXe) 2-30 keV, Error 2-3%**

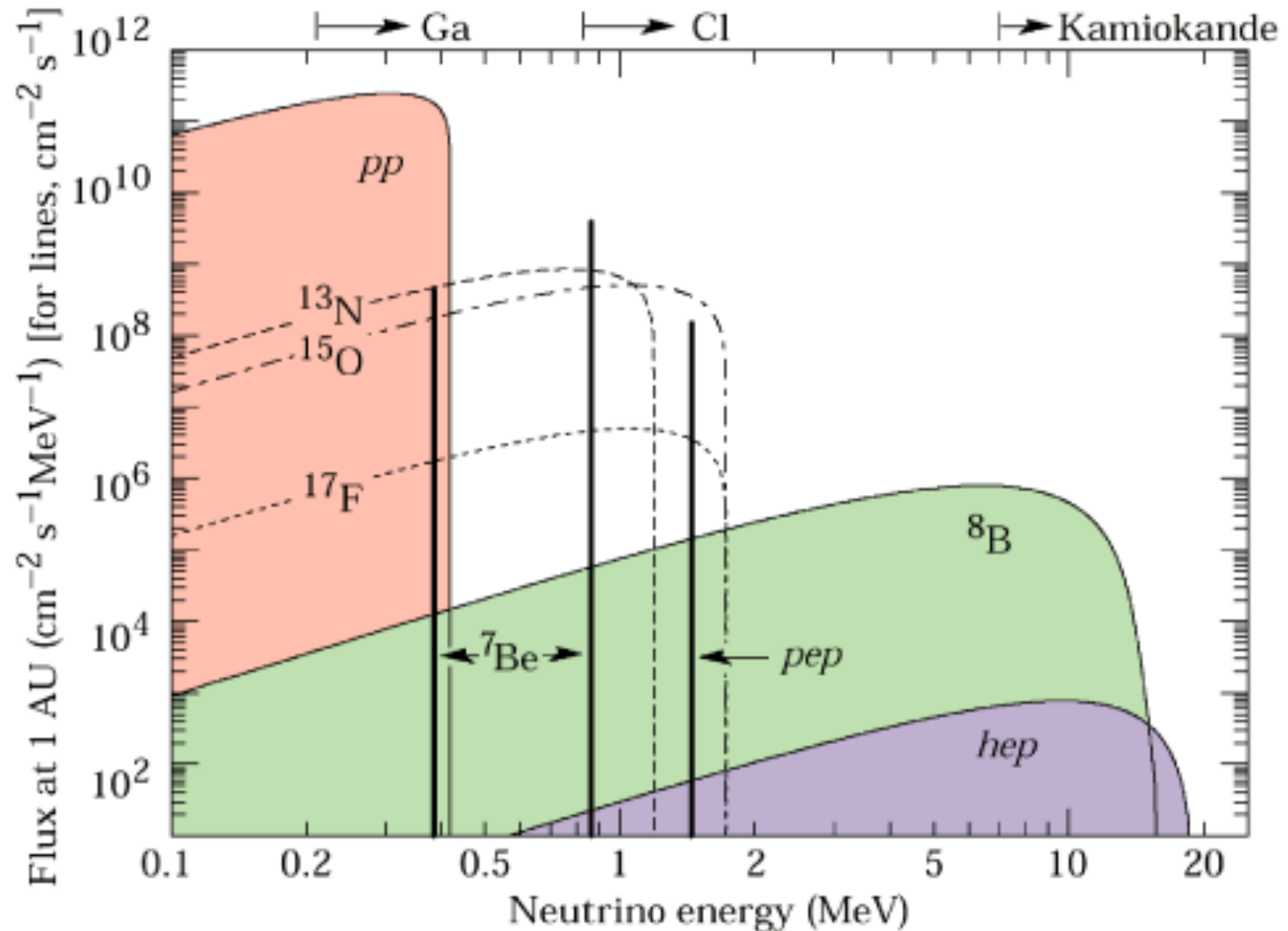


99.5% ER  
Rejection,  
50% NR  
acceptance

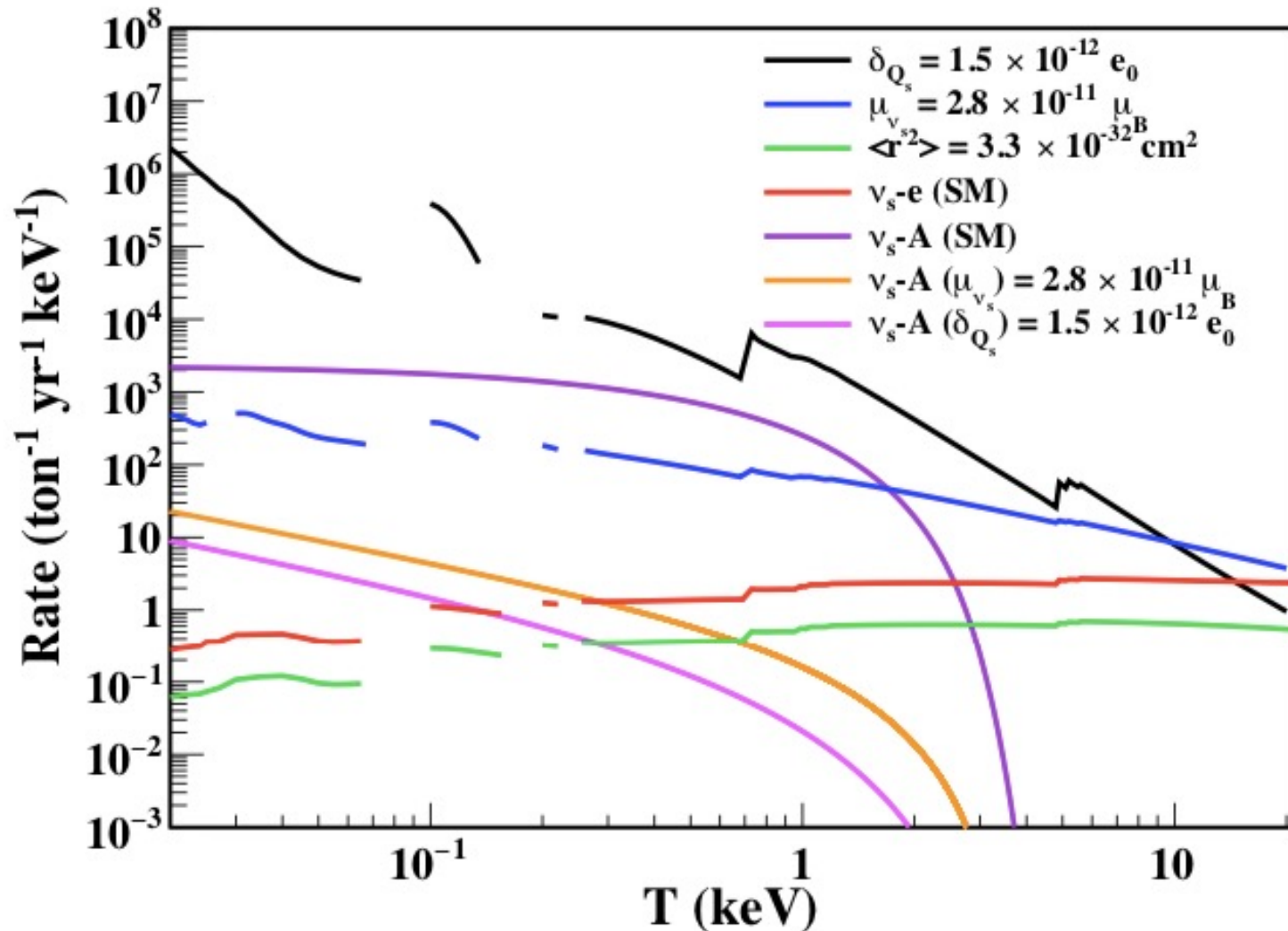
JWC et. al.  
1610.04177



# Solar Neutrino Flux



# Xe atomic ionization with ab initio MCRRPA Theory



Multi-ton LXe detectors are also excellent solar neutrino detectors!

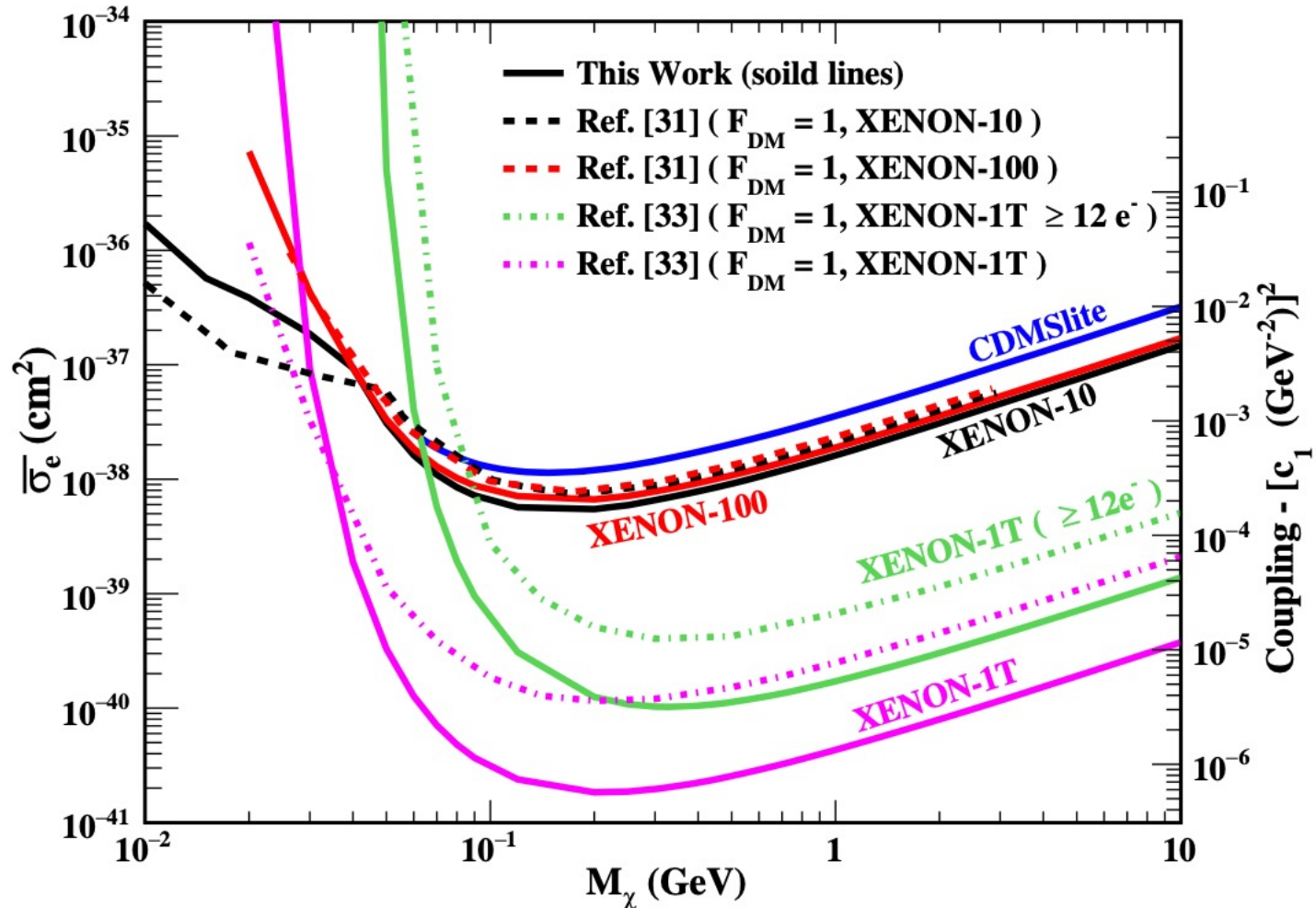
# Direct Light Dark Matter Detection

$$\chi + A \rightarrow \chi' + A^\dagger + e^-$$

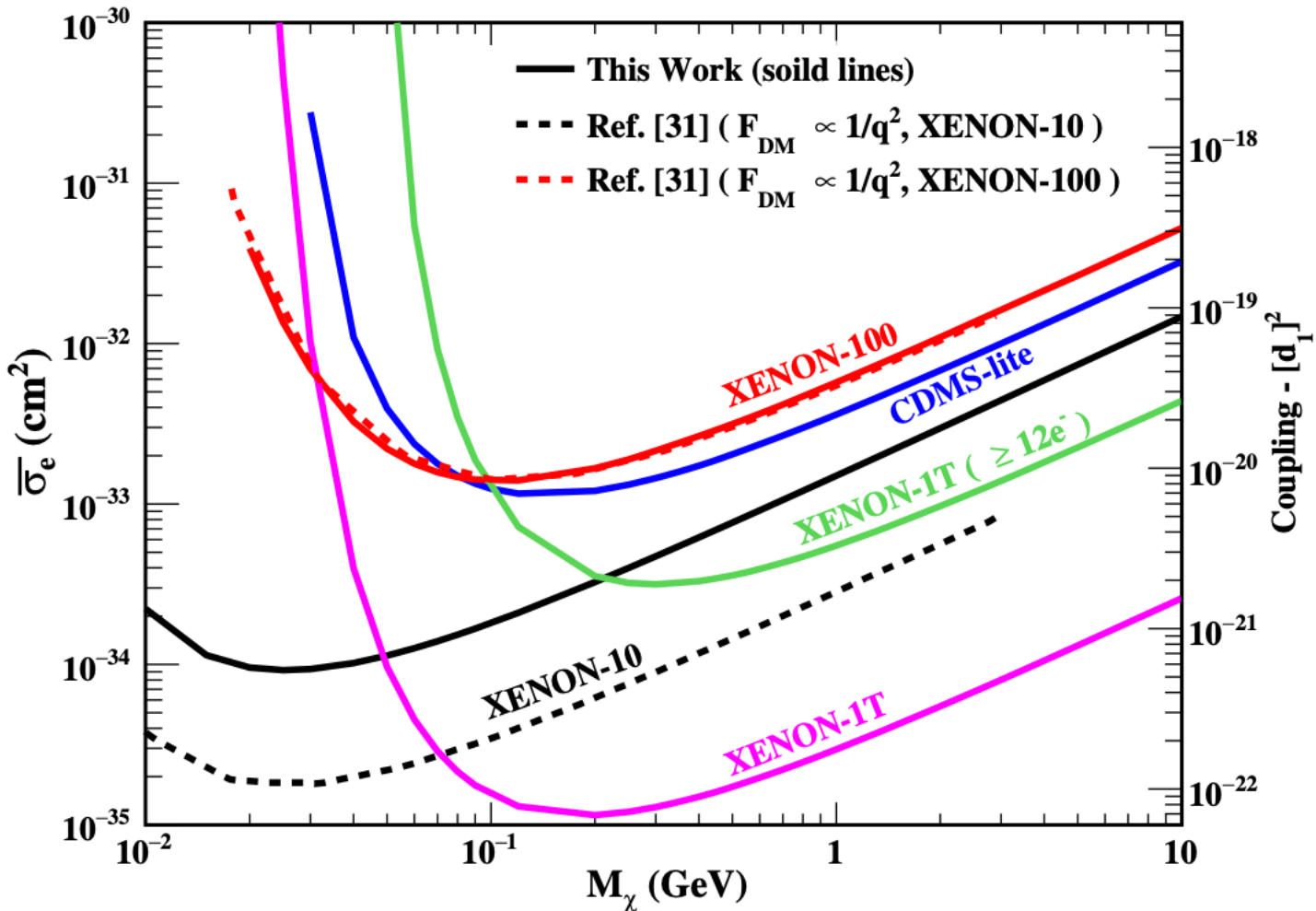
$$\mathcal{L}_{\text{SI}}^{(\text{LO})} = c_1 (\chi^\dagger \chi) (e^\dagger e) + d_1 \frac{1}{q^2} (\chi^\dagger \chi) (e^\dagger e)$$

MK Pandey et. al. 1903.06085

# Bounds on Short Range Spin Independent DM-e Coupling



# Bounds on Long Range Spin Independent DM-e Coupling

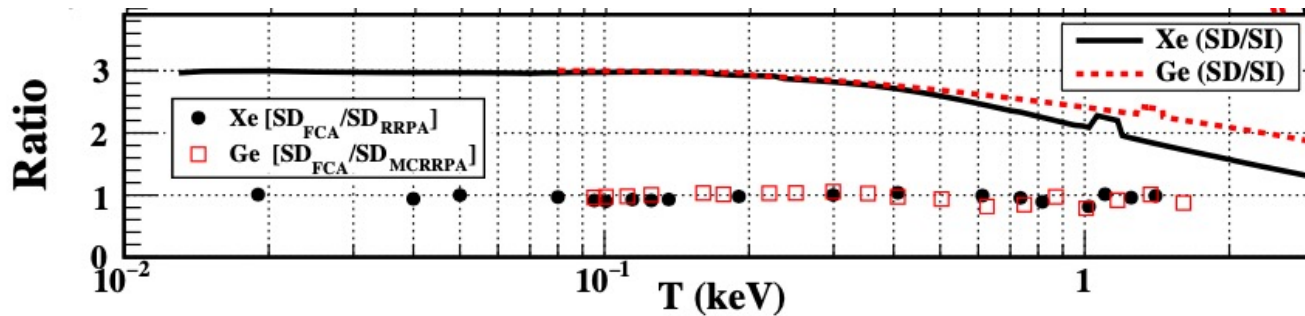


# Spin Dependent Cases

$$\mathcal{L}_{\text{SI}}^{(\text{LO})} = c_1 (\chi^\dagger \chi) (e^\dagger e) + d_1 \frac{1}{q^2} (\chi^\dagger \chi) (e^\dagger e)$$

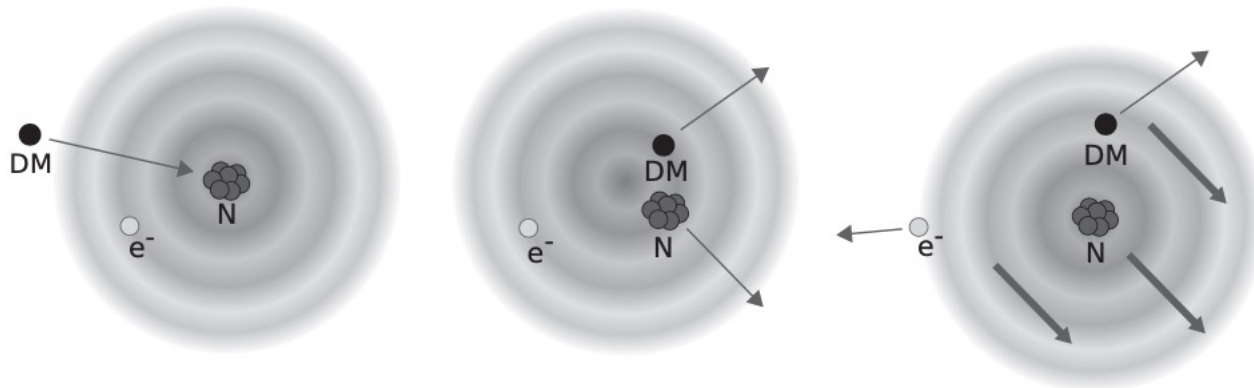
$$\mathcal{L}_{\text{SD}}^{(\text{LO})} = (c_4 + d_4/q^2) (\chi^\dagger \vec{S}_\chi \chi) \cdot (e^\dagger \vec{S}_e e)$$

$$\xi = R_{\text{SD}}^{(\text{ion})} / R_{\text{SI}}^{(\text{ion})}$$



# Migdal effect

- EC signal below NC threshold (Dolan, Kahlhoefer, McCabe, '18)

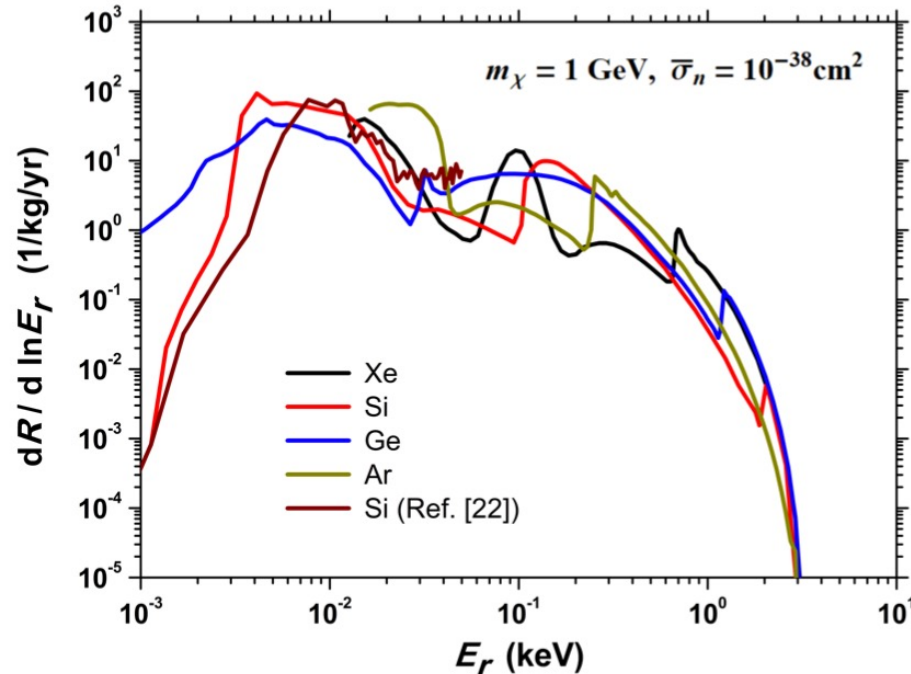




# Migdal effect via photoabsorption

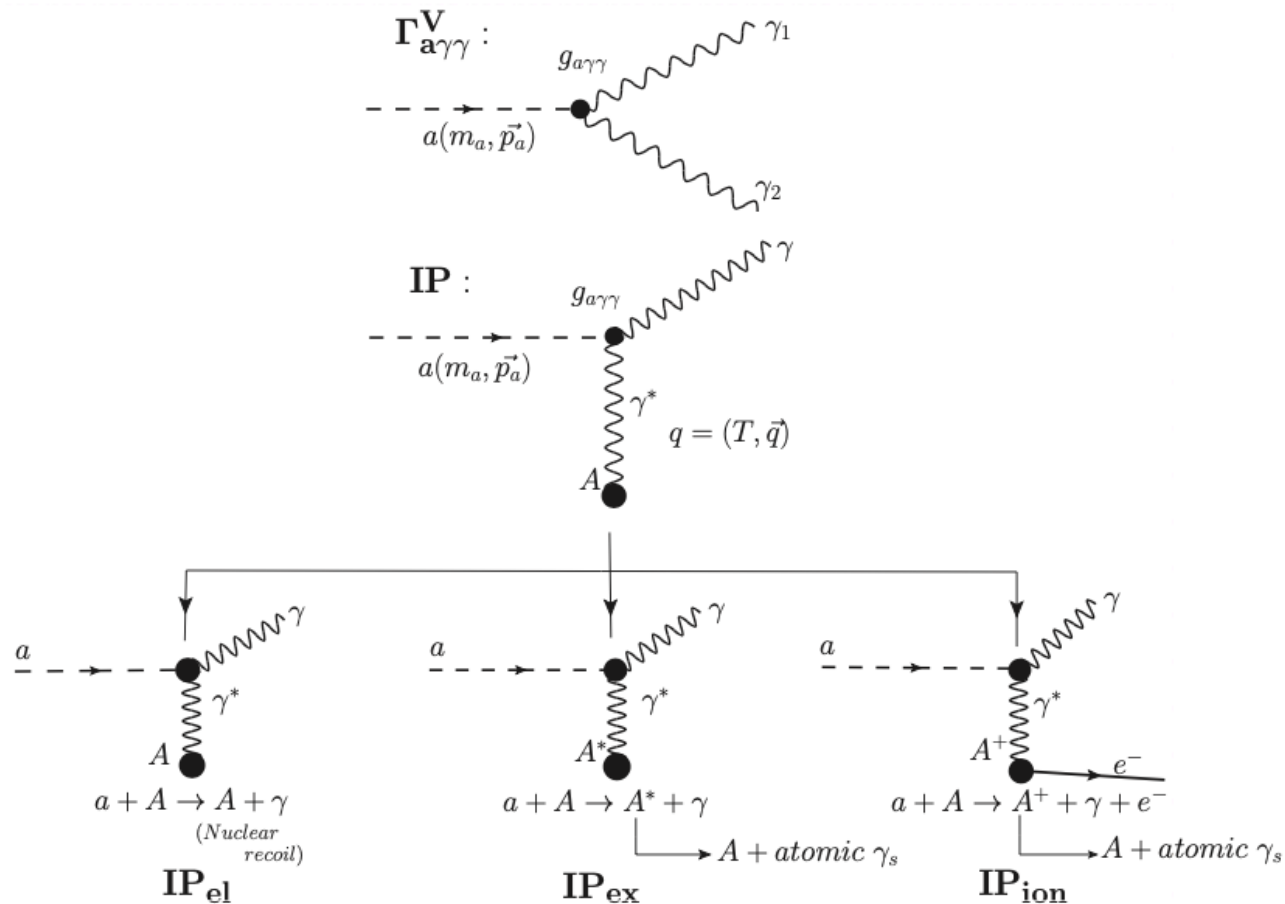
- CP Liu et al.: 2007.10965

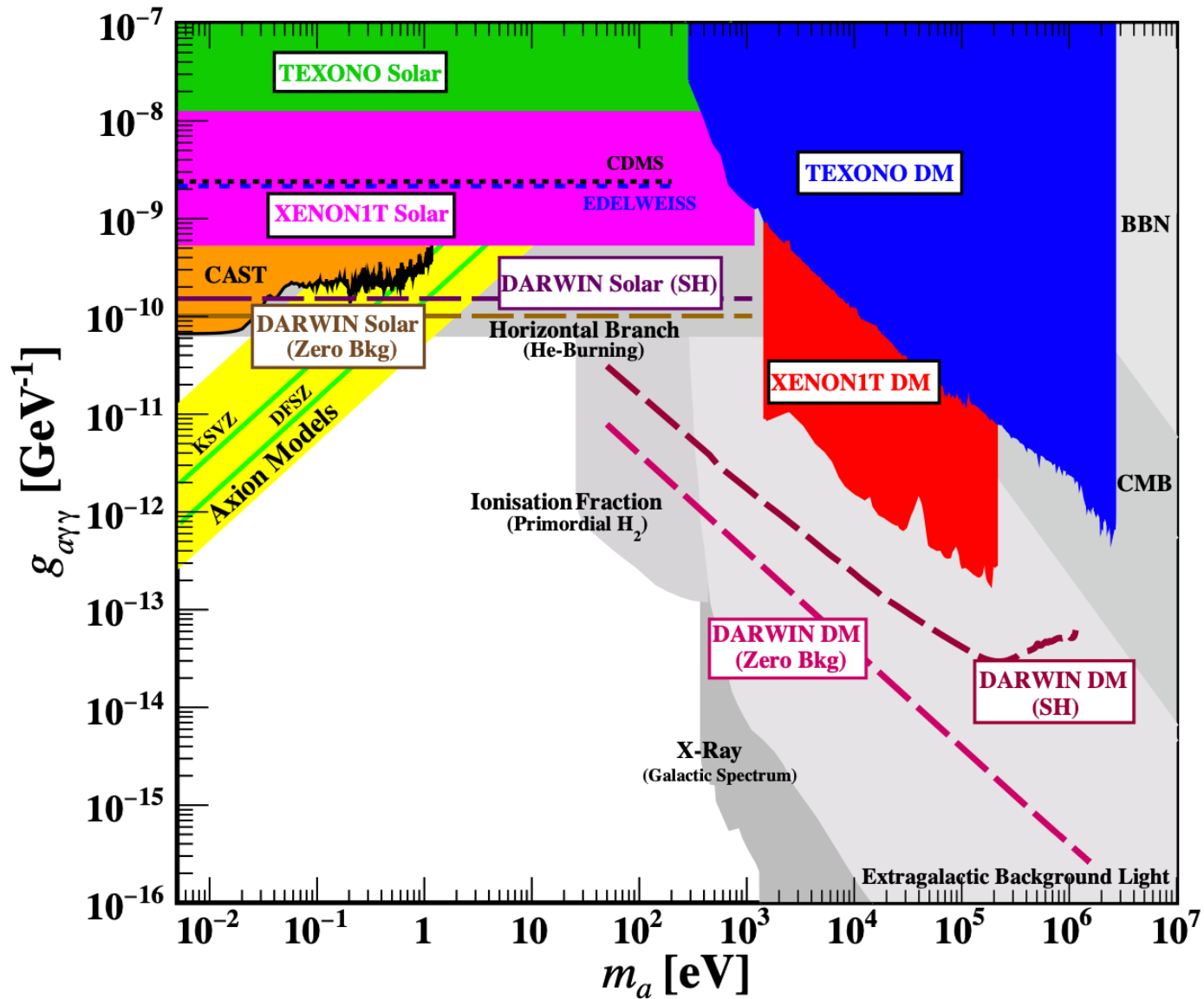
$$\frac{d\sigma^{(\text{MPA})}}{dE_R dE_r} = \frac{m_e^2}{\mu_N^2 v_\chi^2} \tilde{\sigma}_N(q_A) \frac{E_R}{E_r} \frac{\sigma_\gamma(E_r)}{4\pi^2 \alpha}$$



# New Limits on Axionlike Particle Coupling with the Photons

- C.-P. Wu et al.: 2206.07878





C.-P. Wu et al.: 2206.07878

# Summary

- Ab initio atomic tool indispensable to study DM detector response to light DM signal and neutrino background.
- Multi-ton LXe detectors could be very good solar neutrino detectors to measure pp flux to a few percent accuracy (limited by theory error) and constrain exotic neutrino electromagnetic properties with high precision.

# Backup slides

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# SI DM-e comparison

