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Istituto Nazionale di Fisica Nucleare

Possible new insights into strong PV in the nucleon's structure from DIS measurements

Matteo Cerutti

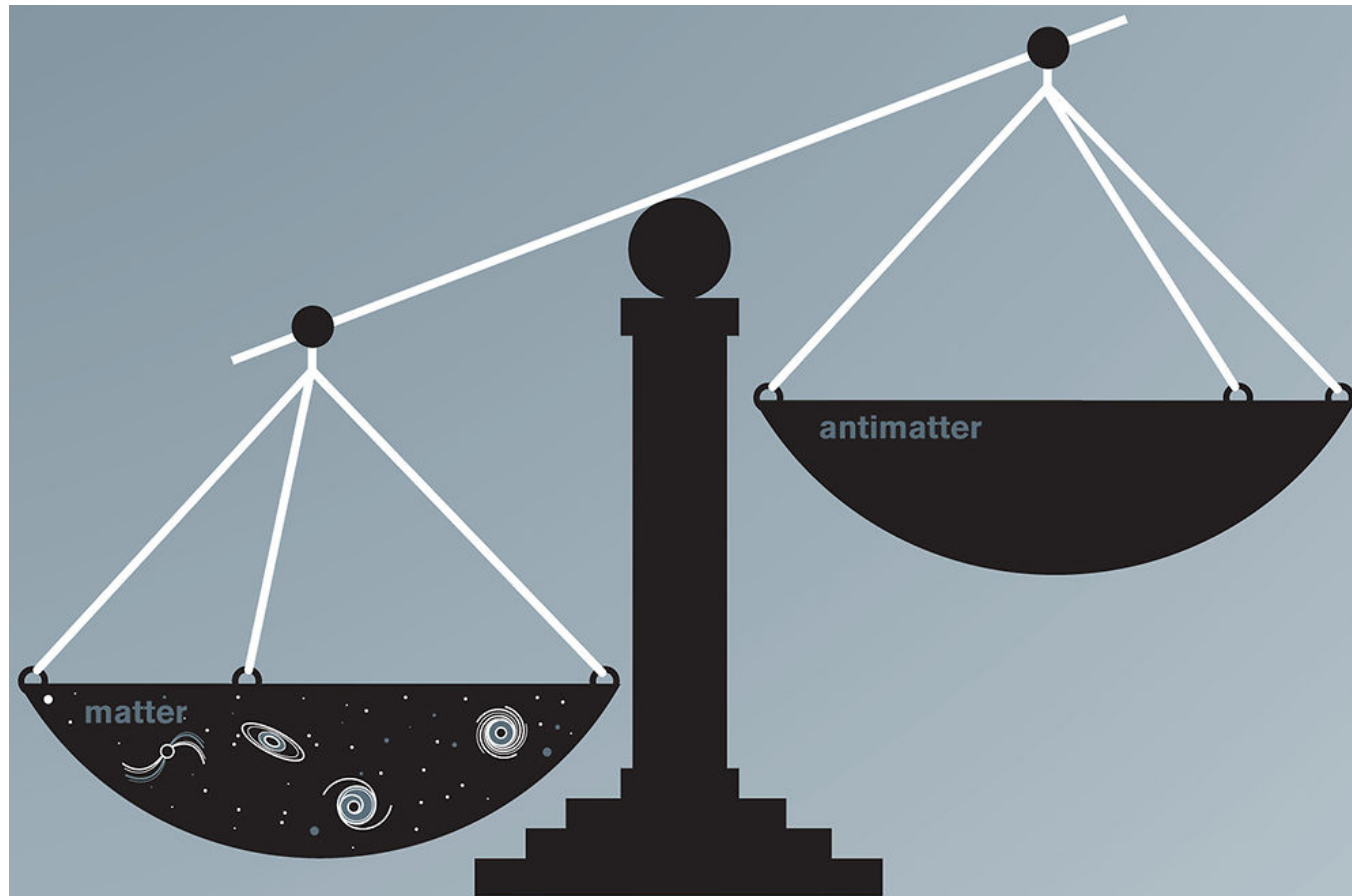
Electroweak and Beyond the Standard Model Physics at the EIC

Bacchetta, Cerutti, Radici, Zheng, PLB 849 (2024), arXiv: 2306.04704

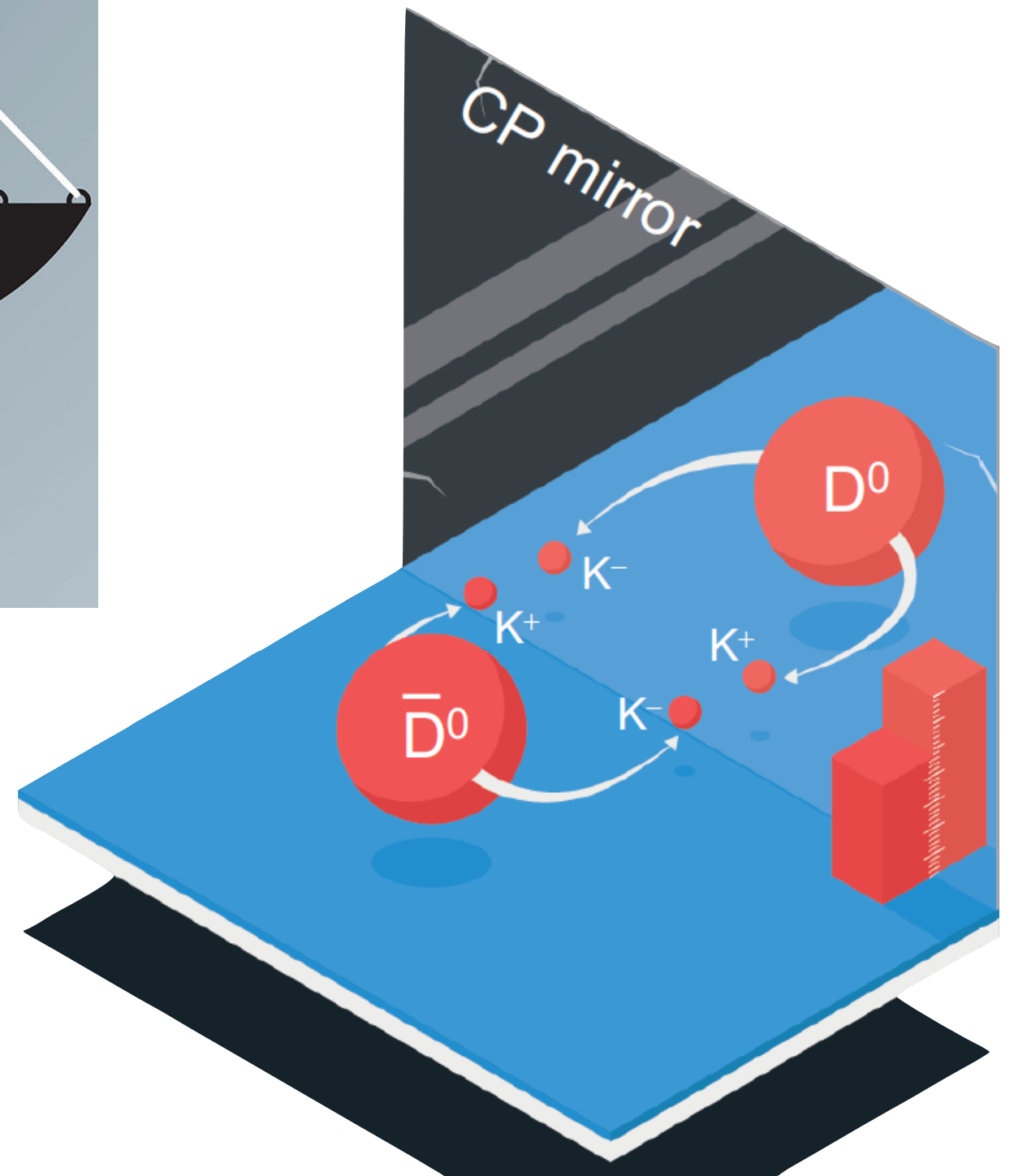


INT Seattle, February 12, 2024

Motivations



Investigation of the
“Strong CP problem”



Motivations

EW sector

CP violation is included

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Weak CP

CP violation is included



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too small...



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Strong CP

$$\mathcal{L}'_{\text{QCD}} = \mathcal{L}_{\text{QCD}} + \mathcal{L}^{\text{CP}}$$



Motivations

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Strong CP

$$\mathcal{L}'_{\text{QCD}} = \mathcal{L}_{\text{QCD}} + \mathcal{L}^{\text{CP}}$$

θ -term

SMEFT operators



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$$\mathcal{L}'_{\text{QCD}} = \mathcal{L}_{\text{QCD}} + \mathcal{L}^{\text{CP}}$$

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SMEFT operators



Nucleon electric dipole moment



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$$\mathcal{L}'_{\text{QCD}} = \mathcal{L}_{\text{QCD}} + \mathcal{L}^{\text{CP}}$$

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SMEFT operators



Nucleon electric dipole moment

never measured...



Motivations

P-symmetry

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QCD sector

QCD Lagrangian is assumed to be invariant under parity transformations

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*Are there any effects of QCD
P-violation on the internal
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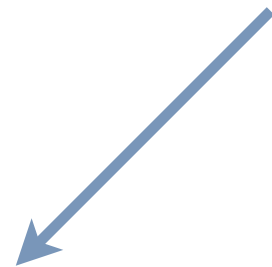
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Terms from EW sector

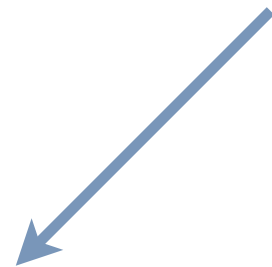
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Terms from QCD sector

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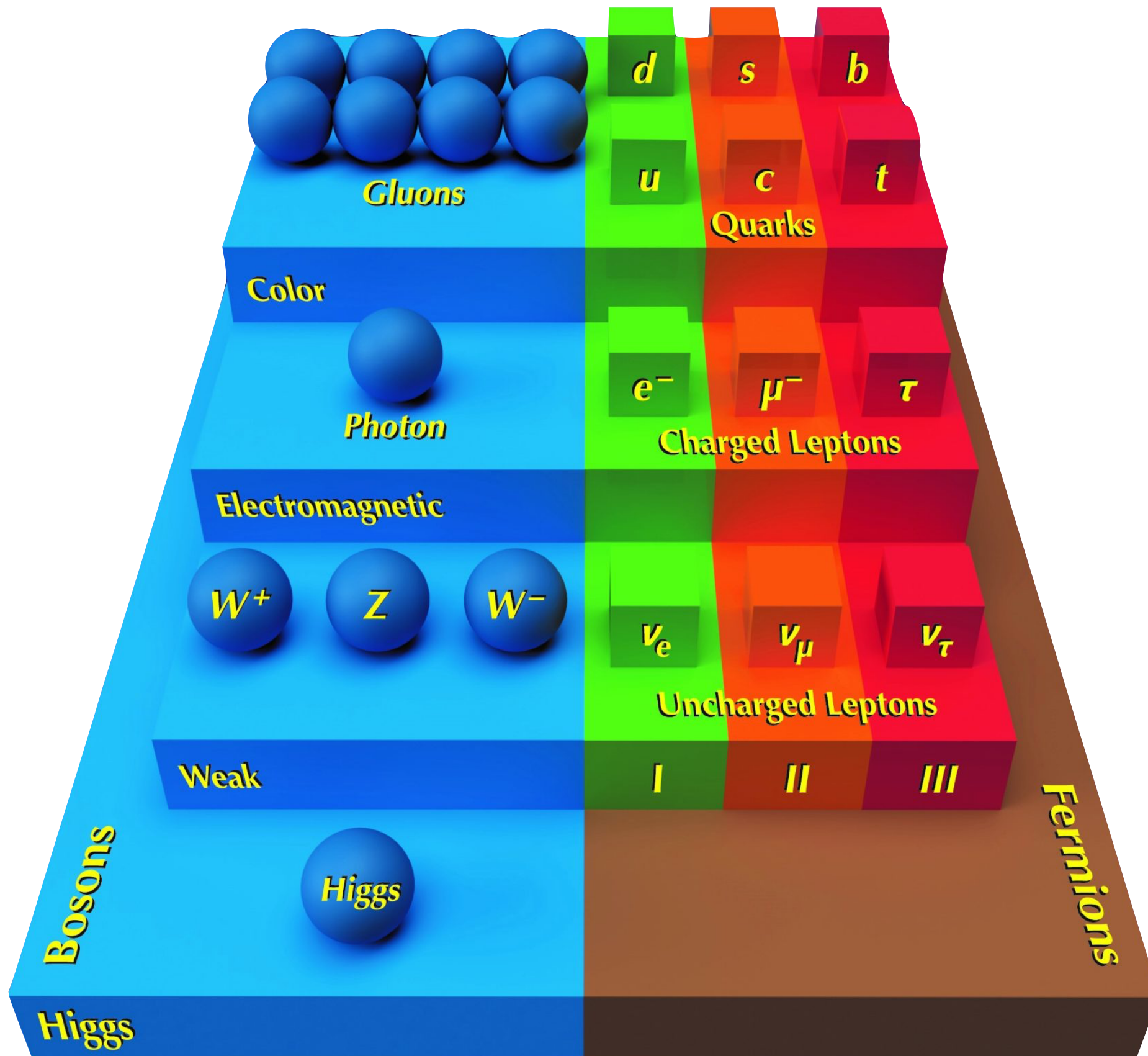
Weak P-violation

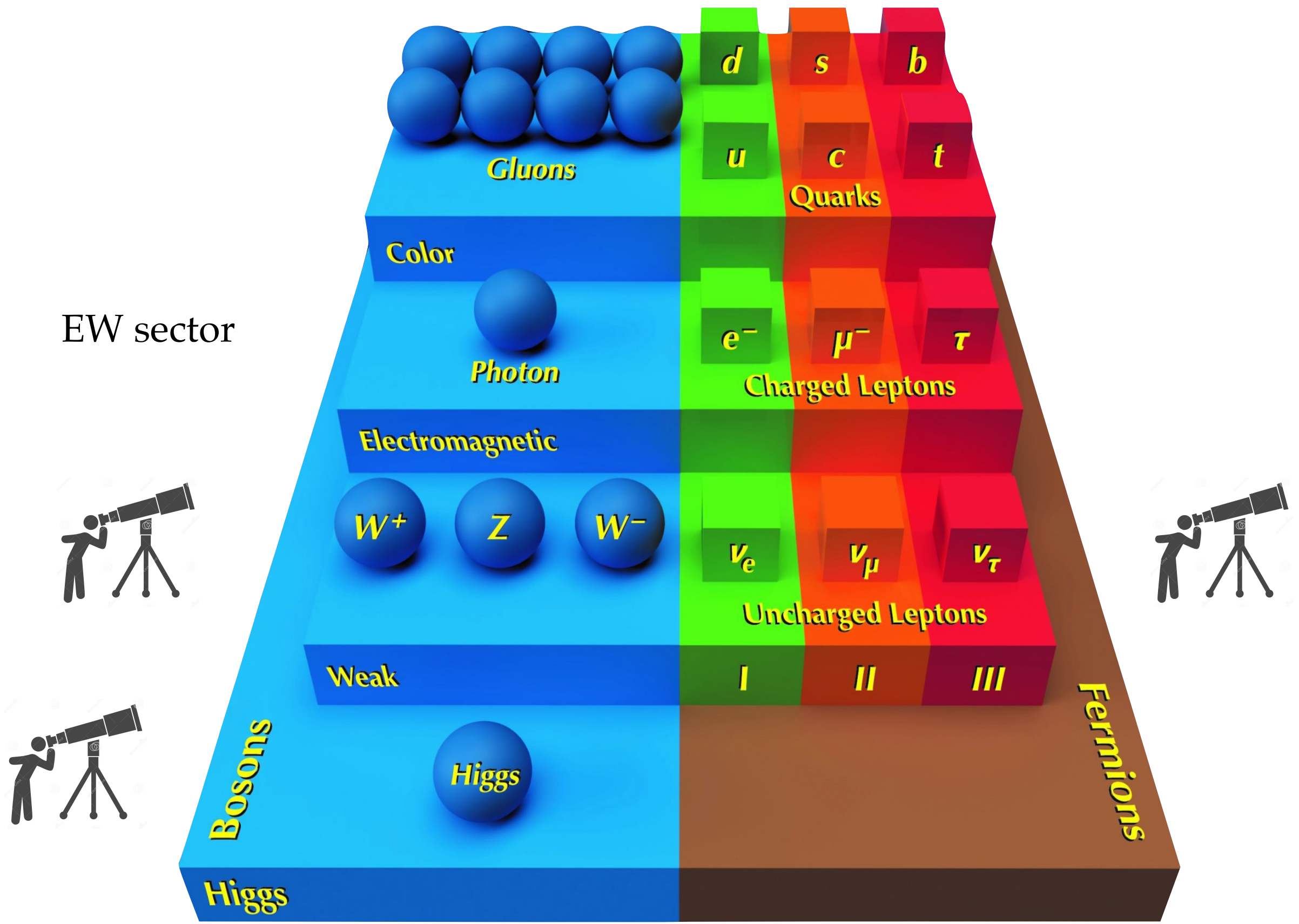


Terms from QCD sector

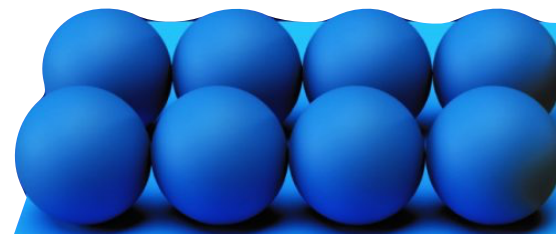
Strong P-violation





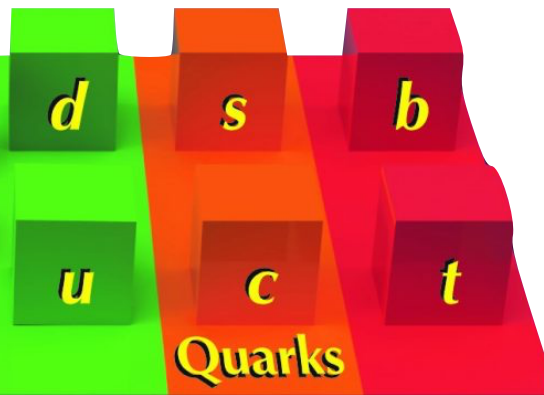


QCD sector



Gluons

Color



Quarks



EW sector



Photon

Electromagnetic



Charged Leptons



W^+

Z

W^-

Weak



Uncharged Leptons

I

II

III



Bosons



Higgs

Higgs

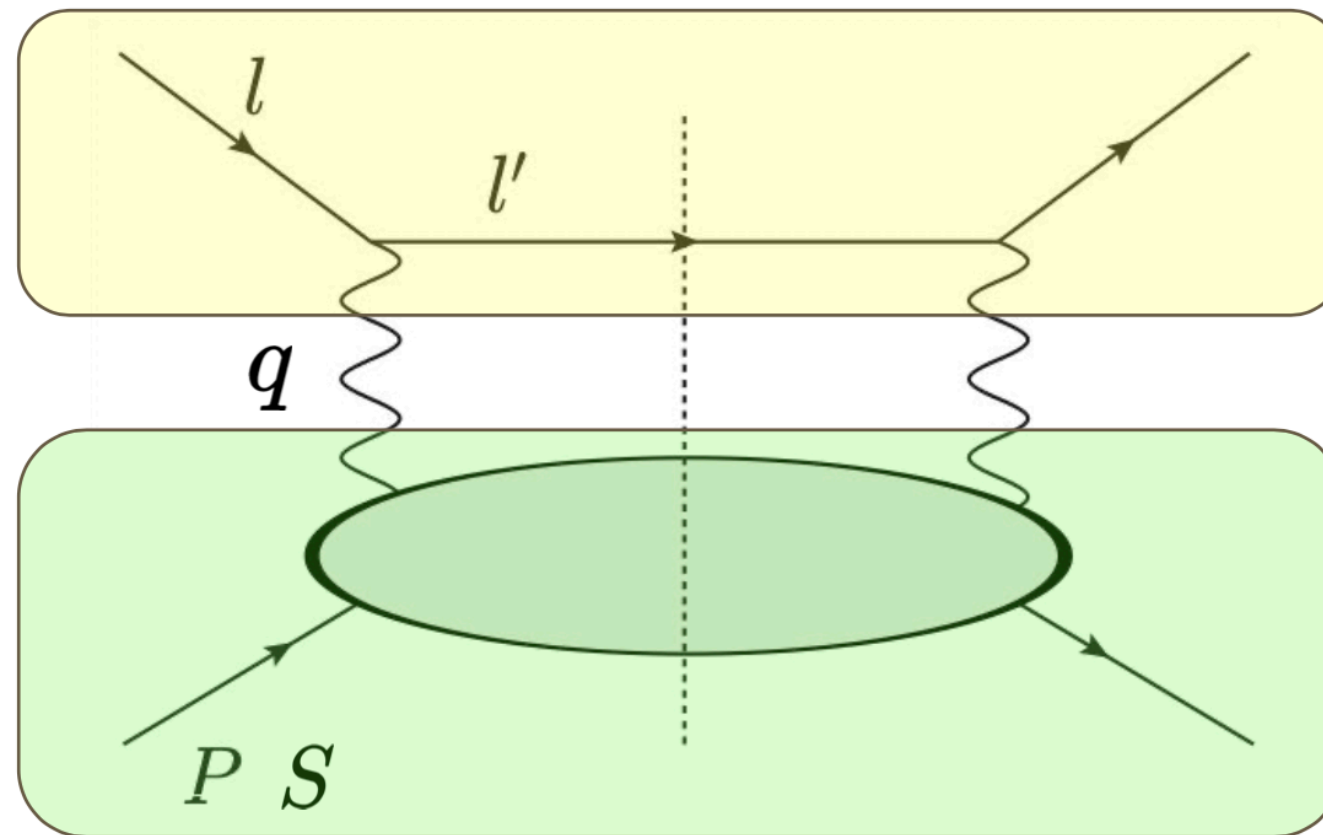
Fermions

Which implications could the
presence of strong P-violation cause
to inclusive DIS?

DIS Cross Section

$$\frac{d^3\sigma}{dx_B dy d\phi_S} = \frac{\alpha^2 y}{2Q^4} L_{\mu\nu}(l, l', \lambda_e) 2MW^{\mu\nu}(q, P, S)$$

Leptonic tensor - QED
(completely calculable)



Hadronic tensor - QCD
(NOT completely calculable)

J. Collins, "Foundation of Perturbative QCD"

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$$\eta^\gamma = 1 \quad \eta^{\gamma Z} = \left(\frac{G_F M_Z^2}{2\sqrt{2}\pi\alpha} \right) \frac{Q^2}{Q^2 + M_Z^2} \quad \eta^Z = (\eta^{\gamma Z})^2$$

Hadronic Tensor (unpolarized)

$$2MW_{\mu\nu}(q, P) = \sum_X \int \frac{d^3 P_X}{2E_X} \delta^4(P + q - P_X) \langle P | J_\mu^\dagger(0) | P_X \rangle \langle P_X | J_\nu(0) | P \rangle$$

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Dominant contribution on the Light-Cone

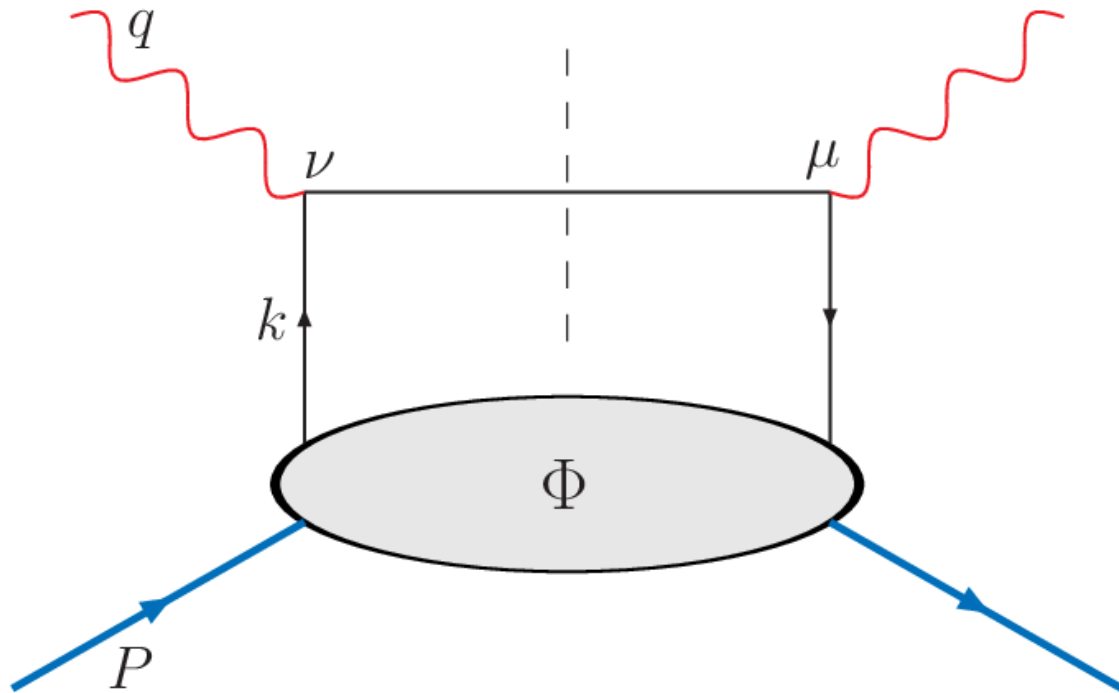
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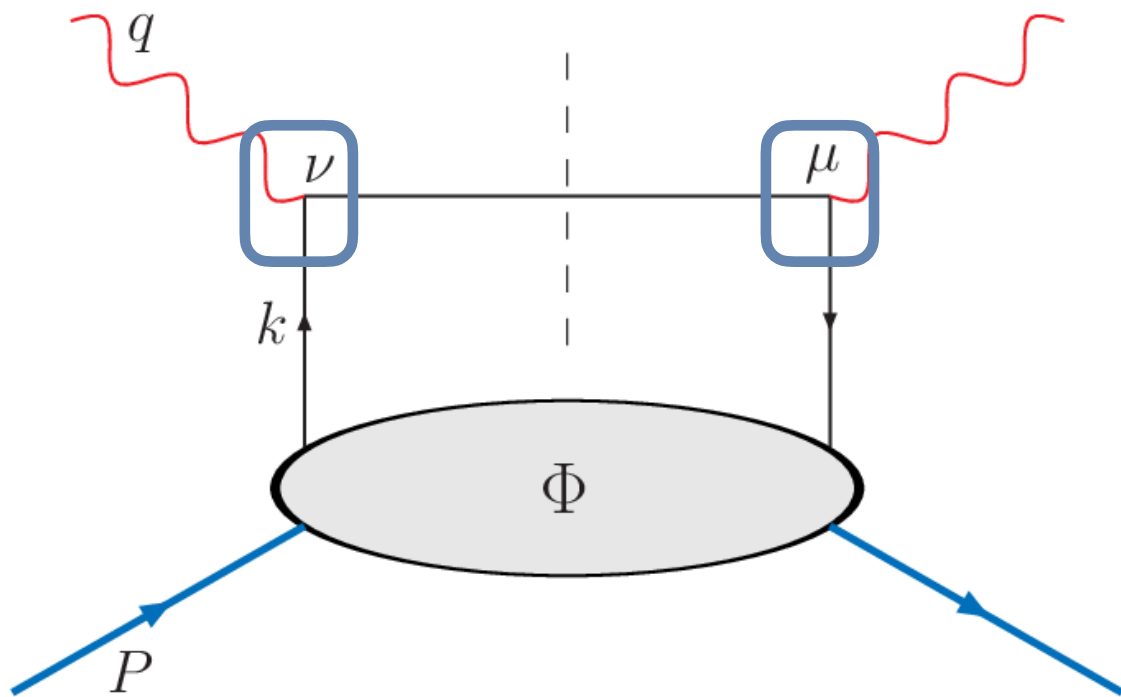
$$2MW^{\mu\nu}(q, P, S) = \sum_q e_q^2 \frac{1}{2} \text{Tr} [\Phi(q, P, S) \Gamma^\mu \gamma^+ \Gamma^\nu]$$

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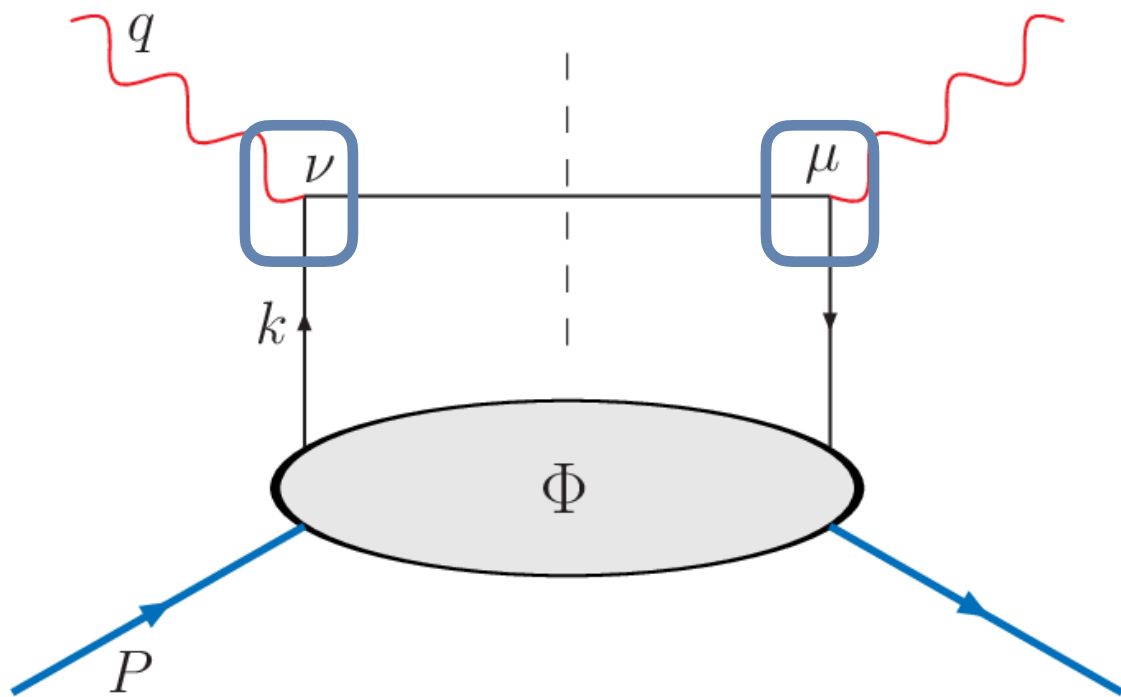
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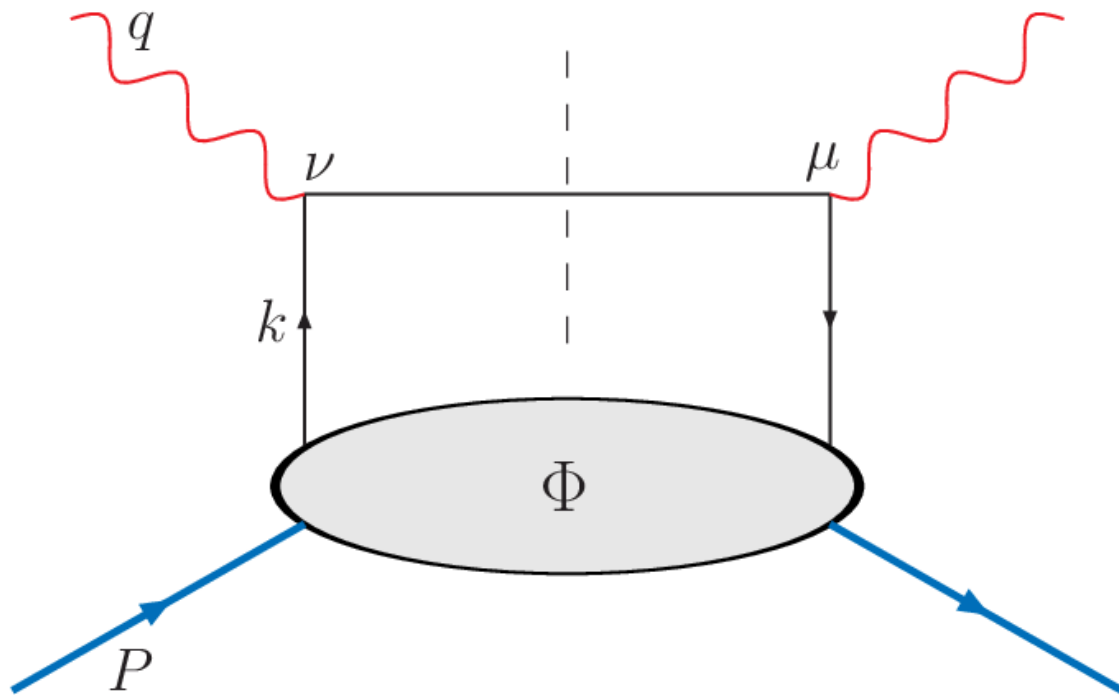


Vertices of the interactions

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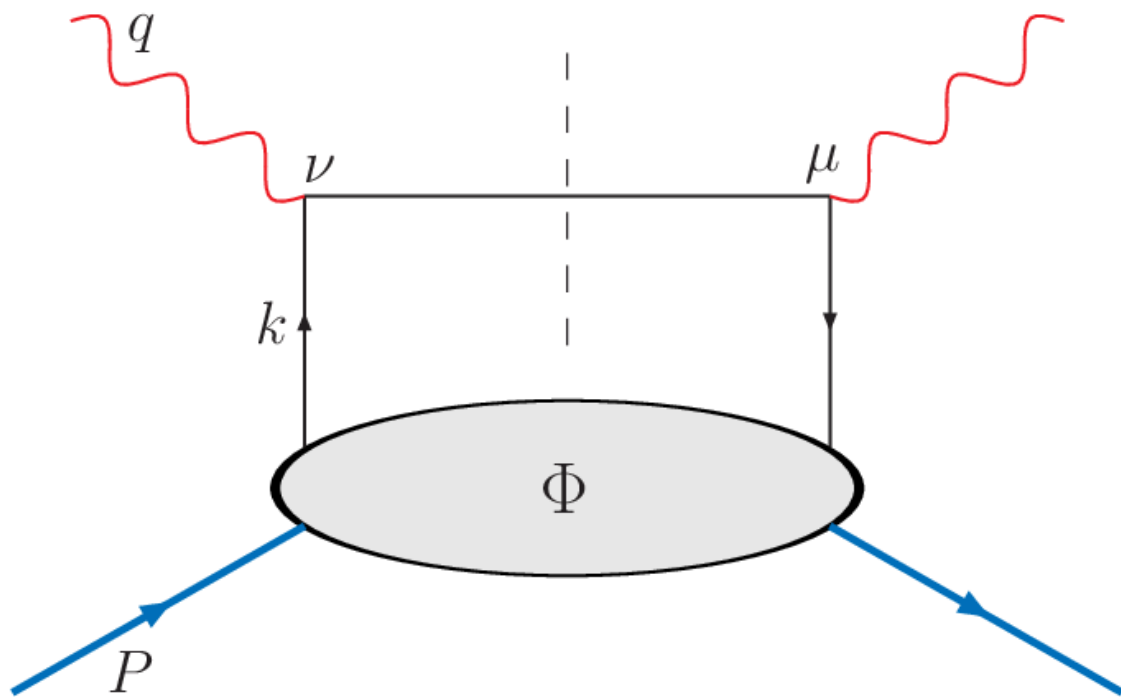


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Correlation distribution function

Hadronic Tensor (unpolarized)



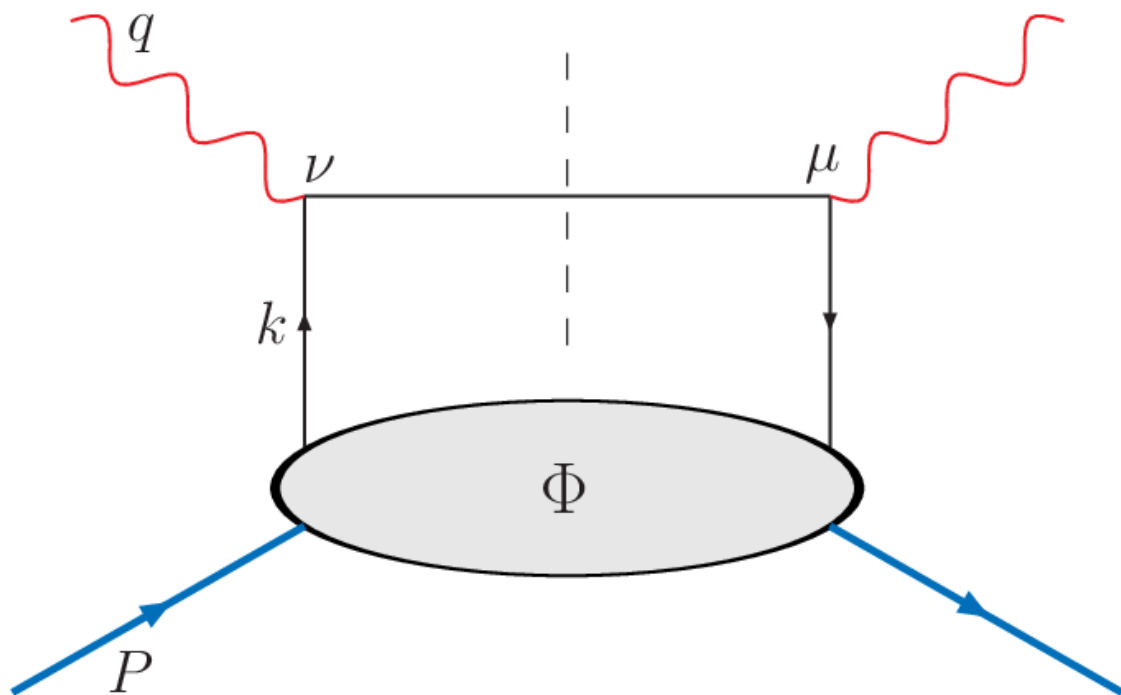
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Decomposition in partonic densities

J. Collins, "Foundation of Perturbative QCD"

M. Anselmino et al., Z. Phys. C 64, 267 (1997)

Partonic Correlator (unpolarized)

Integrated correlator

$$\Phi_{ij}(x_B) = \int \frac{d\xi^-}{2\pi} e^{ik \cdot \xi} \langle P | \bar{\psi}_j(0) \psi_i(\xi) | P \rangle_{\xi^+ = \xi_T = 0}$$

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Leading twist contributions

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Partonic Correlator (unpolarized)

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$$\Phi_{\text{PV}}(x) \simeq \frac{1}{2} g_1^{\text{PV}}(x) \gamma^5 \gamma^-$$

$$\Phi(x) = \Phi_{\text{PE}}(x) + \Phi_{\text{PV}}(x)$$

5— DIS in collinear framework

Quark Polarization

Nucleon Pol.

	U	L	T
U	$f_1(x)$		
L		$g_1(x)$	
T			$h_1(x)$

5— DIS in collinear framework

PDFs occurring in DIS processes

Quark Polarization

	U	L	T
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5— DIS in collinear framework

PDFs occurring in DIS processes

Electric charge

Quark Polarization

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5— DIS in collinear framework

PDFs occurring in DIS processes

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Axial charge

5— DIS in collinear framework

PDFs occurring in DIS processes **with P violation**

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Anapole moment

Axial charge

Neutral-Current DIS

$$\frac{d\sigma^\pm}{dxdy} = \frac{2\pi\alpha^2}{xyQ^2} \left[\begin{aligned} & \left(Y_+ + \gamma^2 y^2 / 2 \right) (F_{2UU} + \lambda F_{2LU}^\pm) \\ & - y^2 (F_{L,UU} + \lambda F_{L,LU}^\pm) \\ & - \frac{Y_-}{\sqrt{1 + \gamma^2}} (x F_{3UU}^\pm + \lambda x F_{3LU}) \end{aligned} \right]$$

$$\frac{d\sigma^\pm}{dxdy} = \frac{2\pi\alpha^2}{xyQ^2} \left[Y_+ F_2^\pm - y^2 F_L^\pm \mp Y_- x F_3^\pm \right]$$

Particle Data Group, Tanabashi, et al., PRD 98 (2018)

Focus: structure function $x F_3(x, Q^2)$

$$x F_{3LU}(x, Q^2) = x F_3^{(\gamma)} - g_V^e \eta_{\gamma Z} x F_3^{(\gamma Z)} + (g_V^e{}^2 + g_A^e{}^2) \eta_Z x F_3^{(Z)}$$

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$$x F_3^{(\gamma)}(x, Q^2) = 0$$

$$x F_3^{(\gamma Z)}(x, Q^2) = \sum_q 2e_q g_A^q x f_1^{(q-\bar{q})}$$

$$x F_3^{(Z)}(x, Q^2) = \sum_q 2g_V^q g_A^q x f_1^{(q-\bar{q})}$$

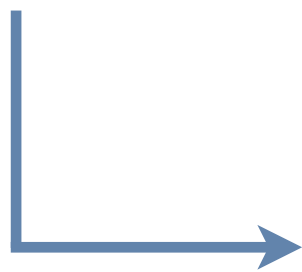
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Additional contributions
due to the new PV parton
distribution

$$x \Delta F_3^{(\gamma)}(x, Q^2) = - \sum_q e_q^2 x g_1^{\text{PV}(q+\bar{q})}$$

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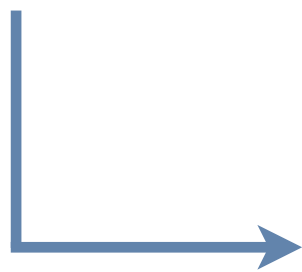
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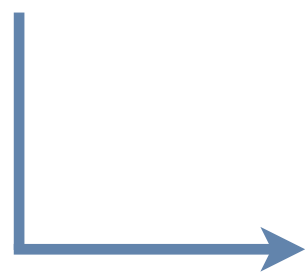
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**MAIN INNOVATION
OF PV-HYPOTESIS**



**Additional contributions
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Neutral-Current DIS

$$\frac{d\sigma^\pm}{dx dy} = \frac{2\pi\alpha^2}{xyQ^2} \left[\begin{aligned} & \left(Y_+ + \gamma^2 y^2 / 2 \right) (F_{2UU} + \lambda F_{2LU}^\pm) \\ & - y^2 (F_{L,UU} + \lambda F_{L,LU}^\pm) \\ & - \frac{Y_-}{\sqrt{1 + \gamma^2}} (x F_{3UU}^\pm + \lambda x F_{3LU}^\pm) \end{aligned} \right]$$

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Standard DIS structure functions

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Standard DIS structure functions

$$F_{2UU}(x, Q^2) = F_2^{(\gamma)} - g_V^e \eta_{\gamma Z} F_2^{(\gamma Z)} + (g_V^e{}^2 + g_A^e{}^2) \eta_Z F_2^{(Z)},$$

$$F_{2LU}^\pm(x, Q^2) = \mp g_A^e \eta_{\gamma Z} F_2^{(\gamma Z)} \pm 2g_V^e g_A^e \eta_Z F_2^{(Z)},$$

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Phenomenology

Experimental information

PVDIS Asymmetry

$$A_{PV} \equiv \frac{d\sigma(\lambda = 1) - d\sigma(\lambda = -1)}{d\sigma(\lambda = 1) + d\sigma(\lambda = -1)}$$

PVDIS Collaboration, *Nature* 506 (2014)
D. Wang et al., *Phys.Rev.C* 91 (2015)

Experimental information

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Contribution of g_1^{PV} in each of
the structure functions due to
 γZ and Z channels

$$Y_{\pm} = 1 \pm (1 - y)^2$$

Available experimental data sets

HERA dataset
(Run I + II combined)

H1 Collaboration, Eur. Phys. J. C 78 (2018)

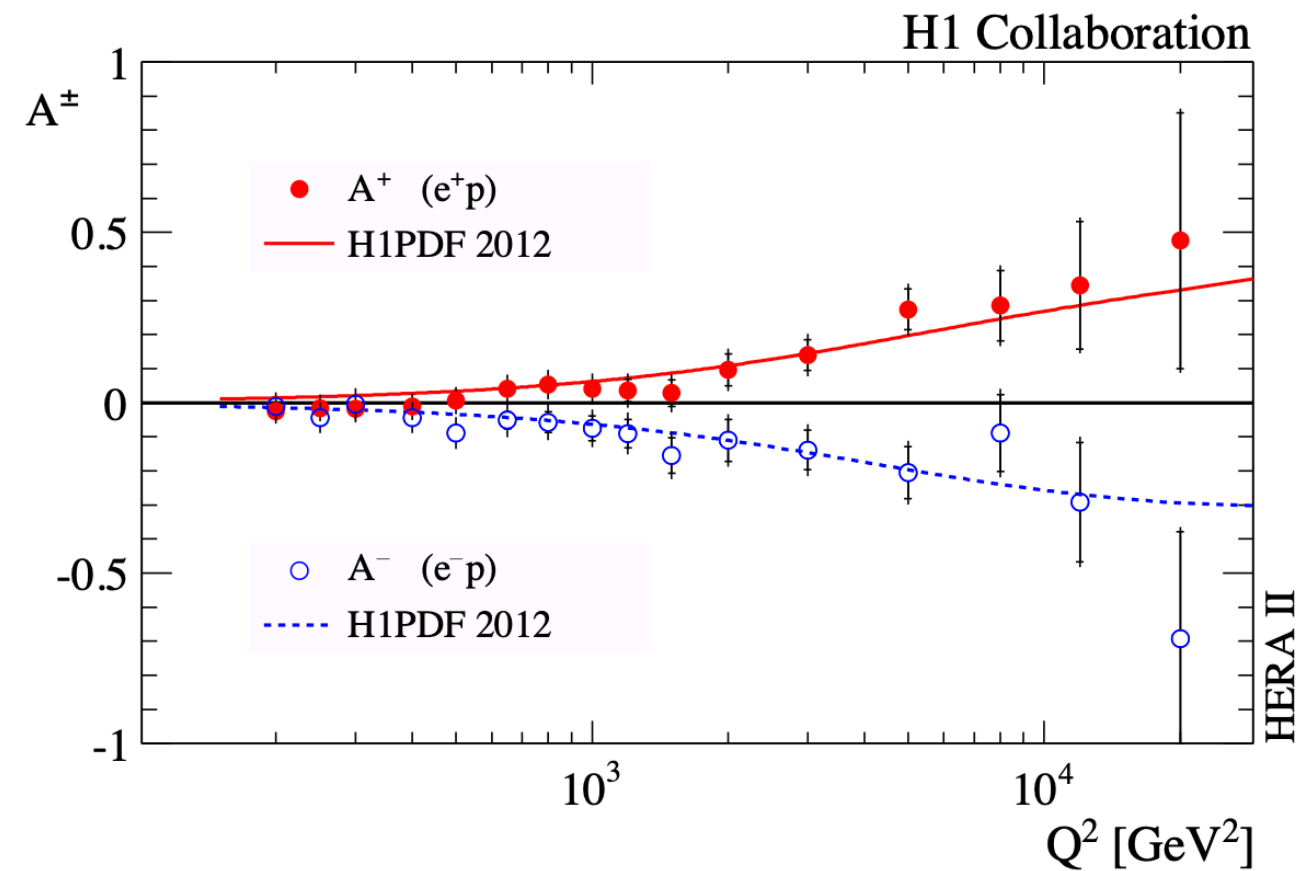
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e^+ asymmetry: 136 data

e^- asymmetry: 138 data



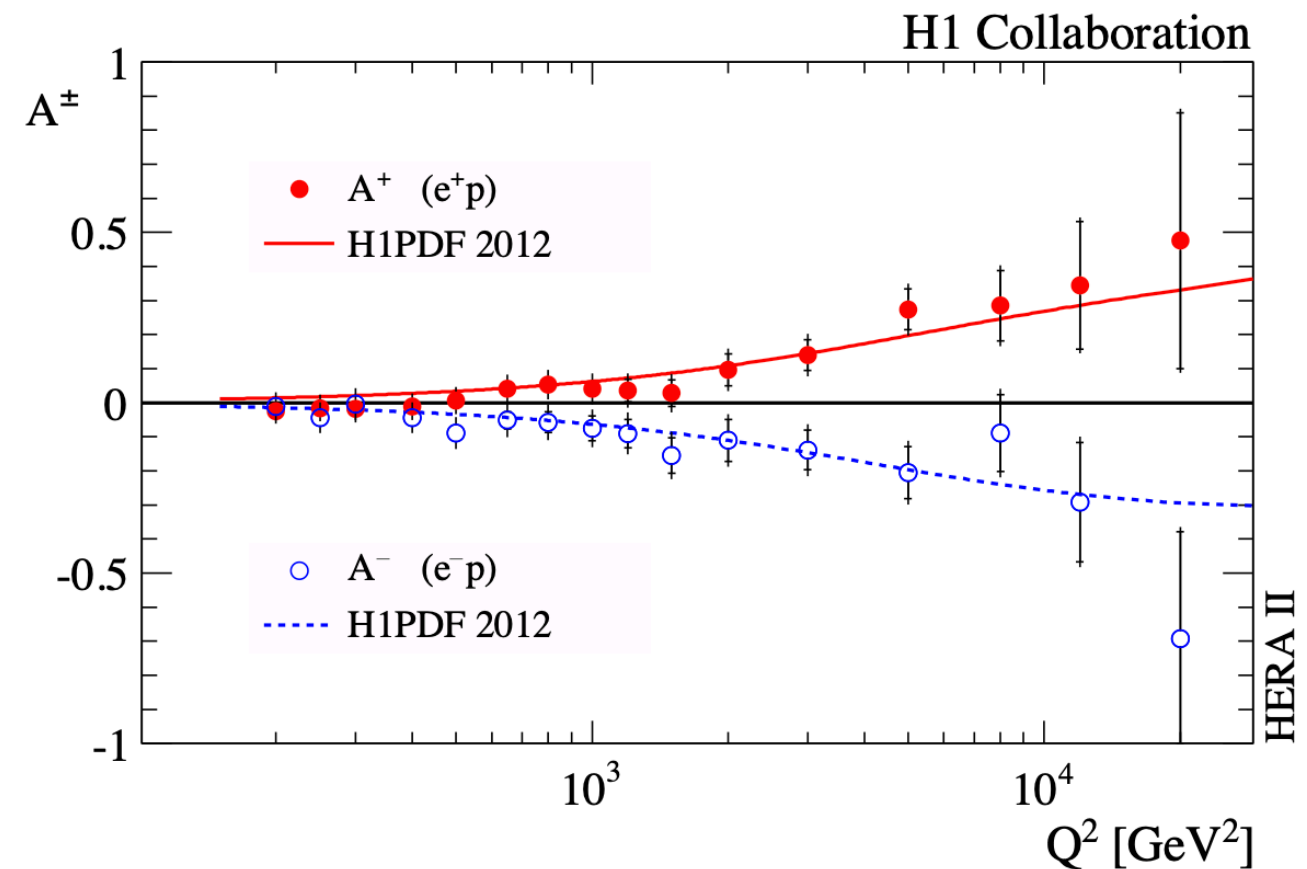
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JLab6 PVDIS dataset

PVDIS Collaboration, *Nature* 506 (2014)

D. Wang et al., Phys.Rev.C 91 (2015)

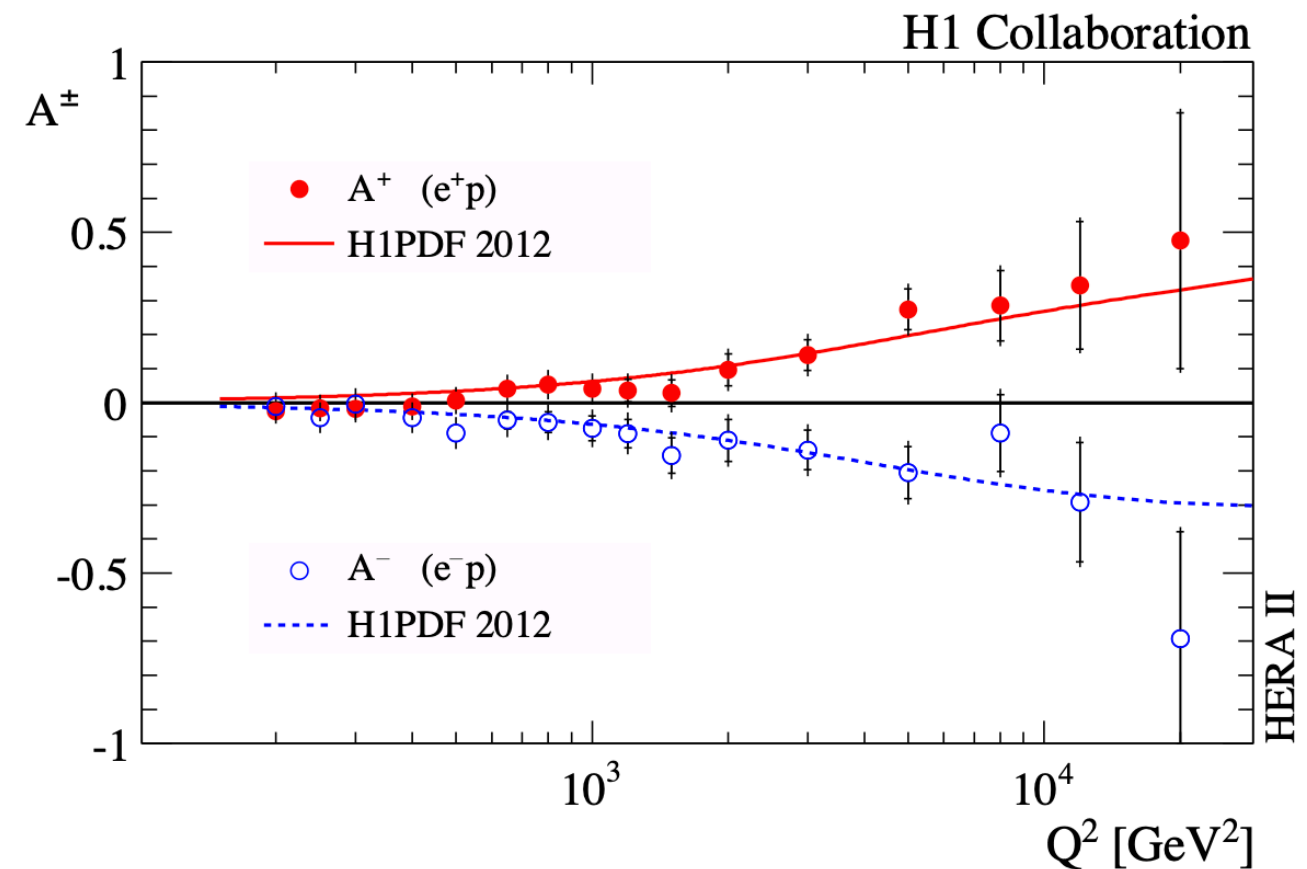
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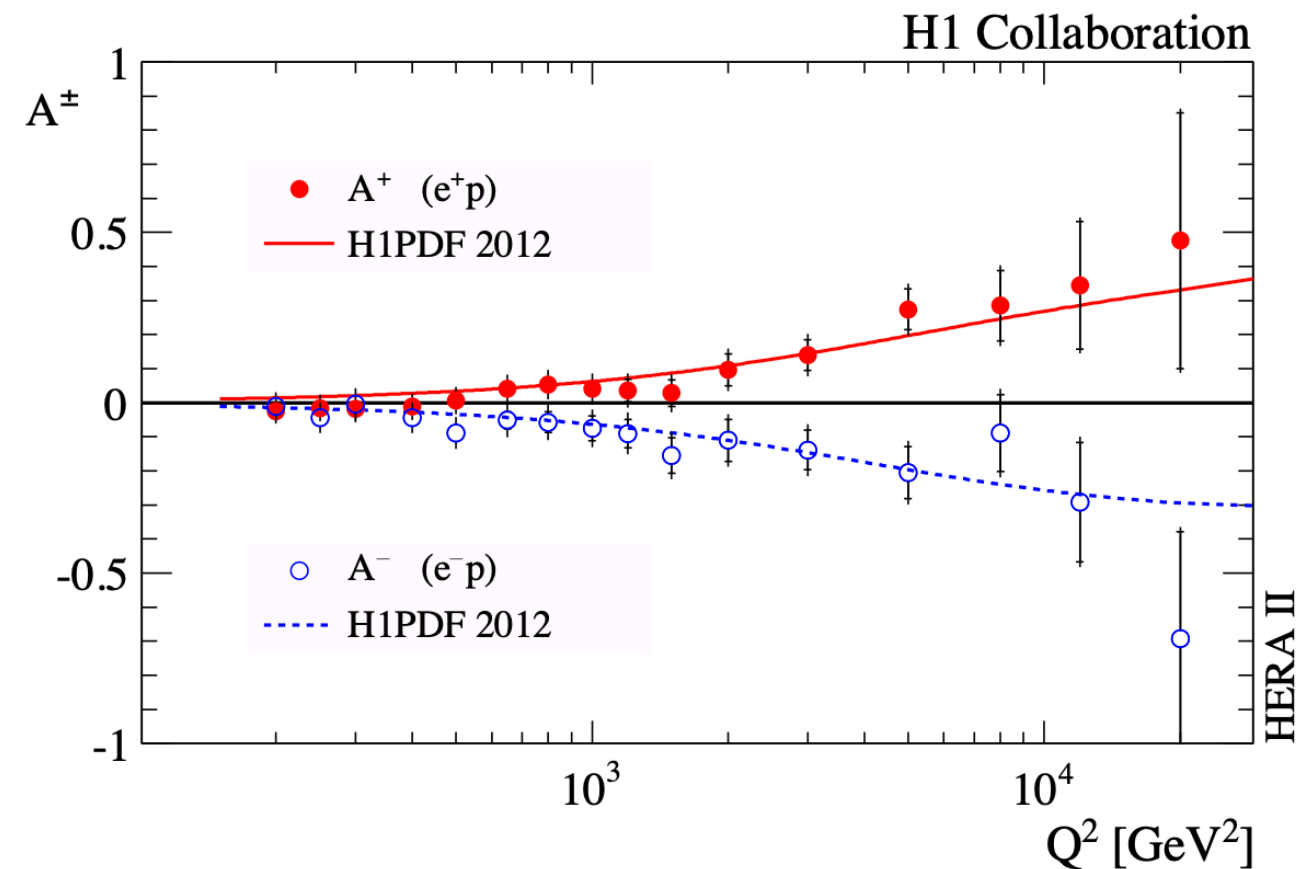
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SLAC-E122 dataset

C.Y. Prescott et al., Phys. Lett. B (1979)

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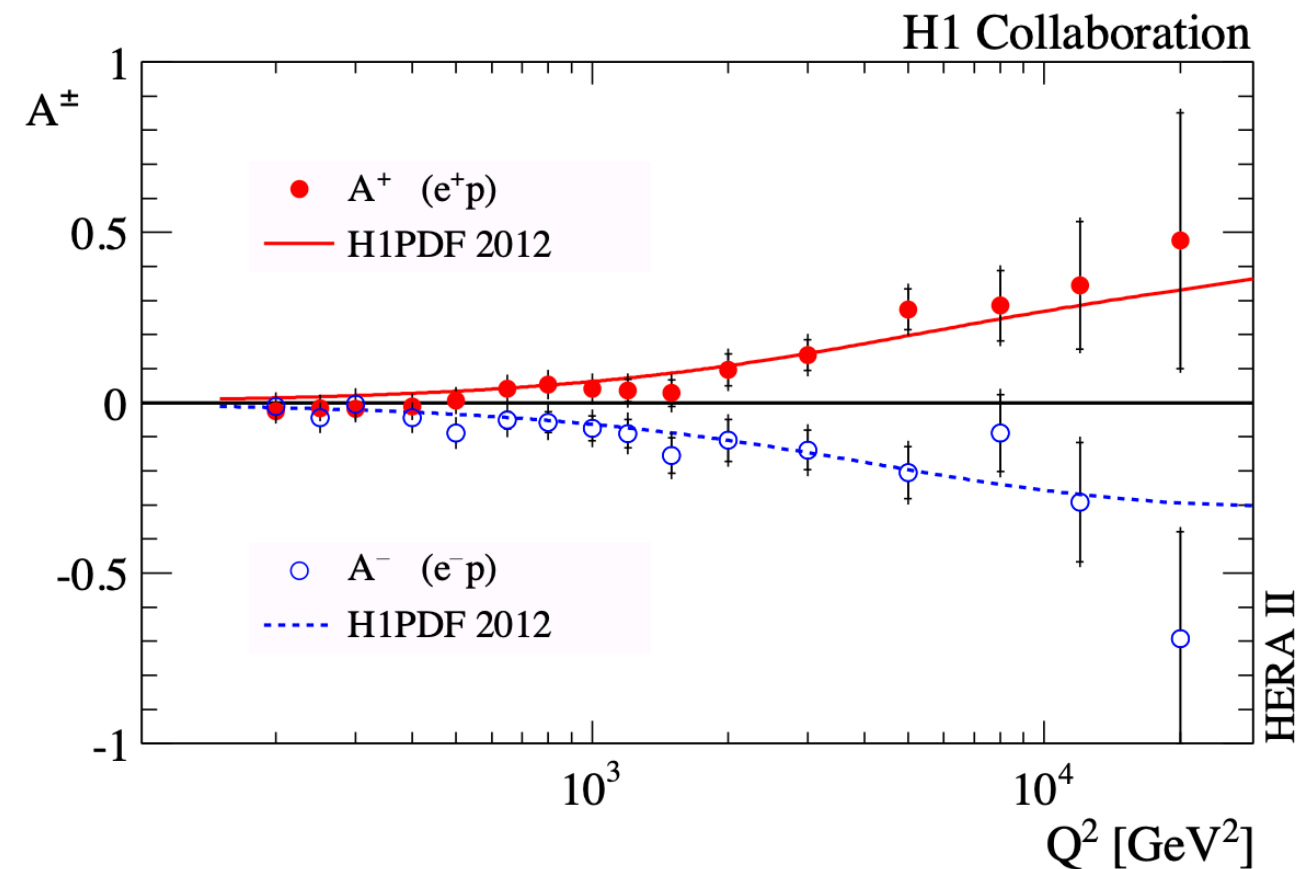
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e^- asymmetry: 11 data

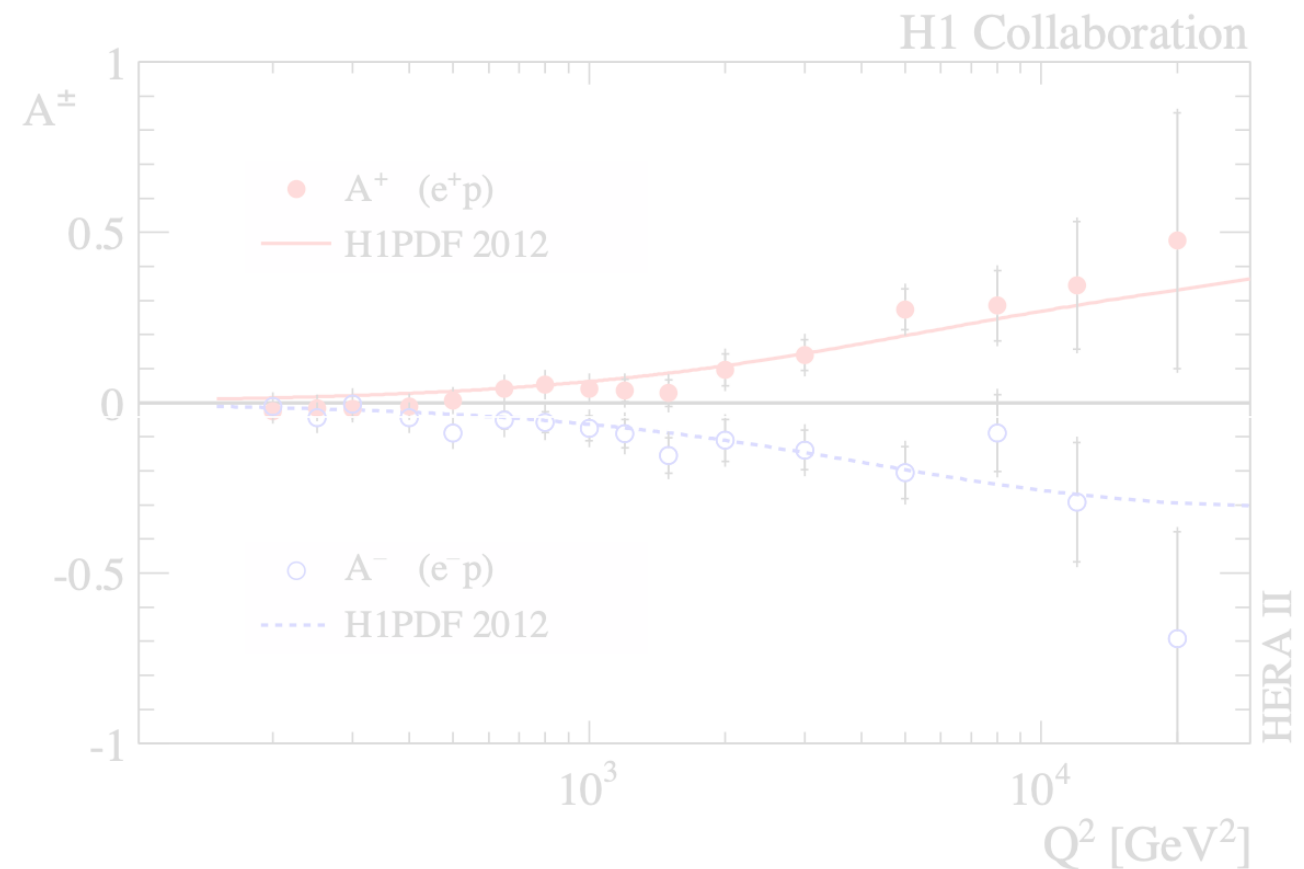
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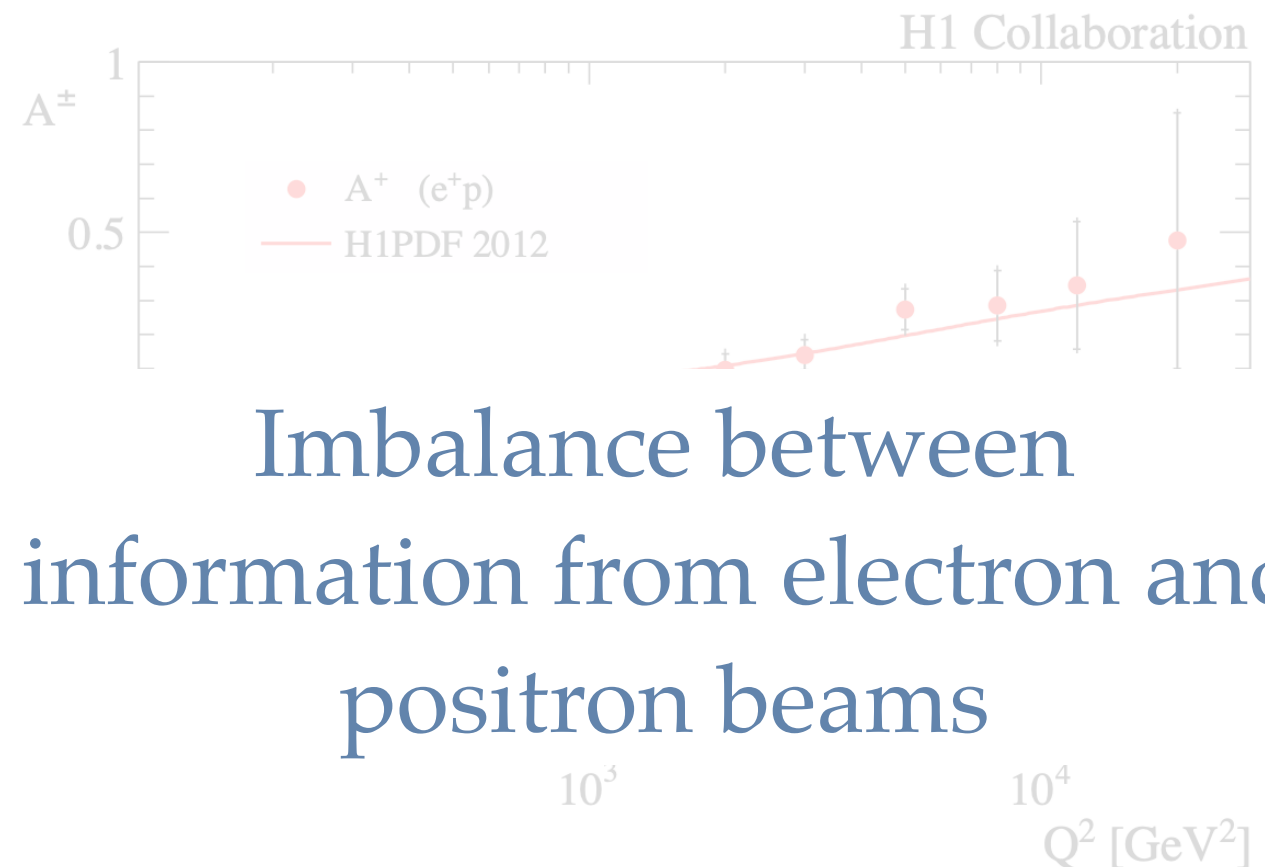
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Imbalance between
information from electron and
positron beams

e^- asymmetry: 2 data

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Experimental data: energy range

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$$C_{1u}^{\text{SM}} = -0.1887 - 0.0011 \times \frac{2}{3} \ln(\langle Q^2 \rangle / 0.14 \text{ GeV}^2)$$

$$C_{1d}^{\text{SM}} = 0.3419 - 0.0011 \times \frac{-1}{3} \ln(\langle Q^2 \rangle / 0.14 \text{ GeV}^2)$$

$$C_{2u}^{\text{SM}} = -0.0351 - 0.0009 \ln(\langle Q^2 \rangle / 0.078 \text{ GeV}^2)$$

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Parameterization of $g_1^{PV}(x, Q^2)$

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PV parton density comes from the structure

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1 parameter to be fitted

Error propagation in the analysis

PDF set for

Error propagation in the analysis

PDF set for

$$f_1(x, Q^2)$$

NNPDF4.0

Ball et al. (NNPDF), EPJ C 82 (2022)

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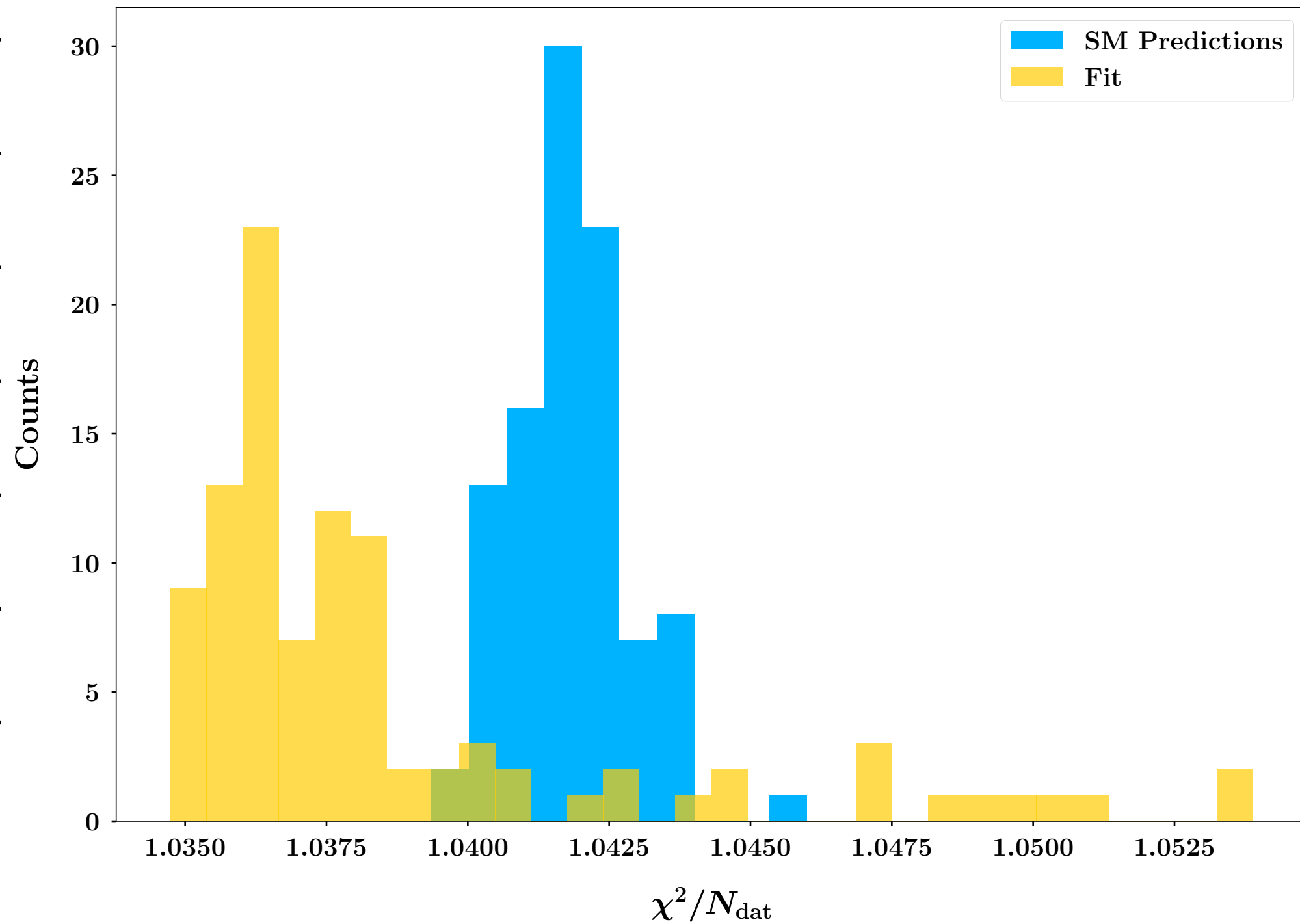
100 MC replicas experimental data

Statistical distribution of
100 values of parameter α

Results of the fit

	N of points	χ^2/N_{data} (SM)	χ^2/N_{data} (Fit)
HERA e^+	136	1.12	1.12
HERA e^-	138	0.98	0.98
JLab6	2	0.67	0.42
SLAC-E122	11	0.97	0.94
<i>TOTAL</i>	<i>287</i>	<i>1.042</i>	<i>1.037</i>

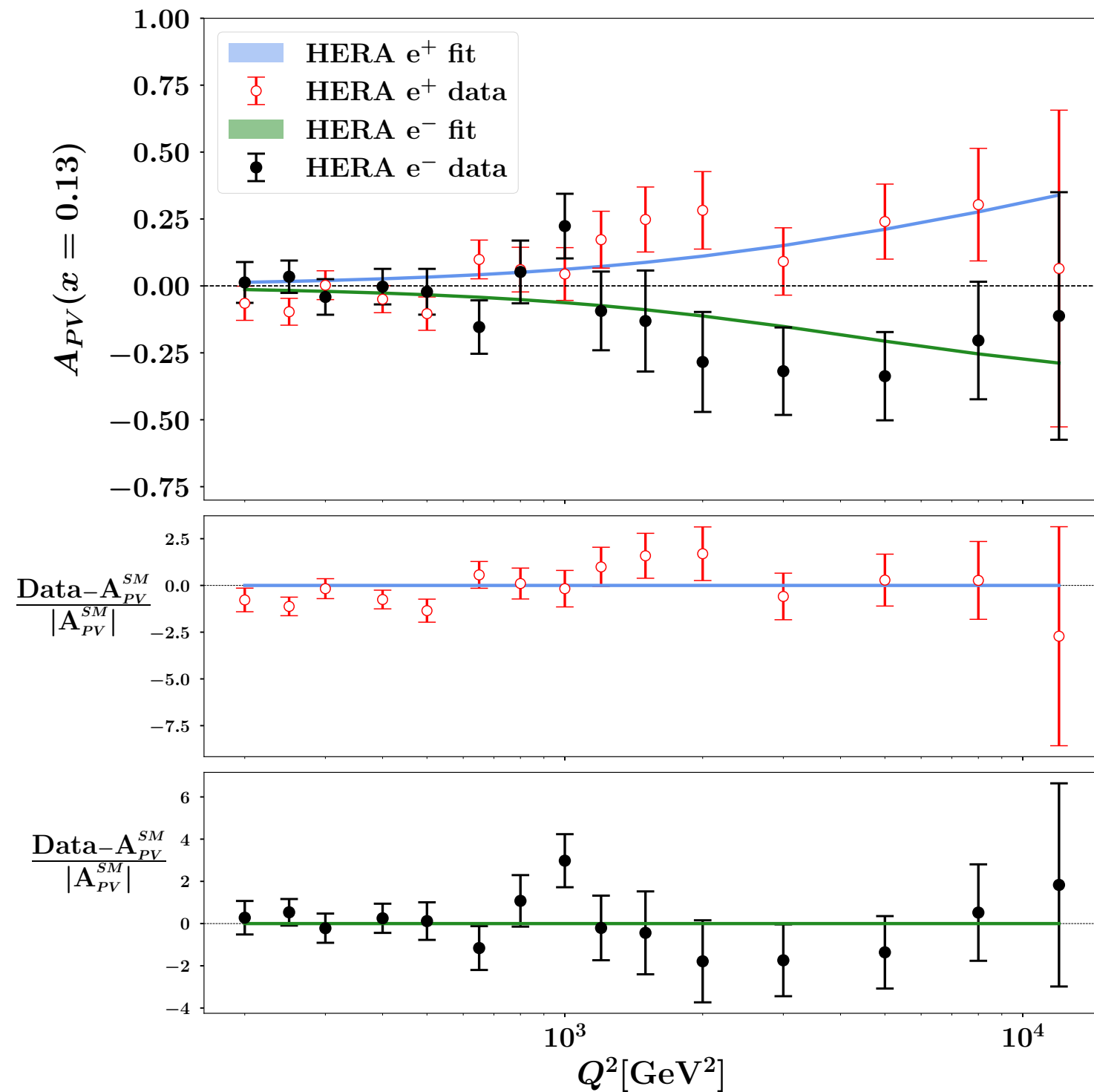
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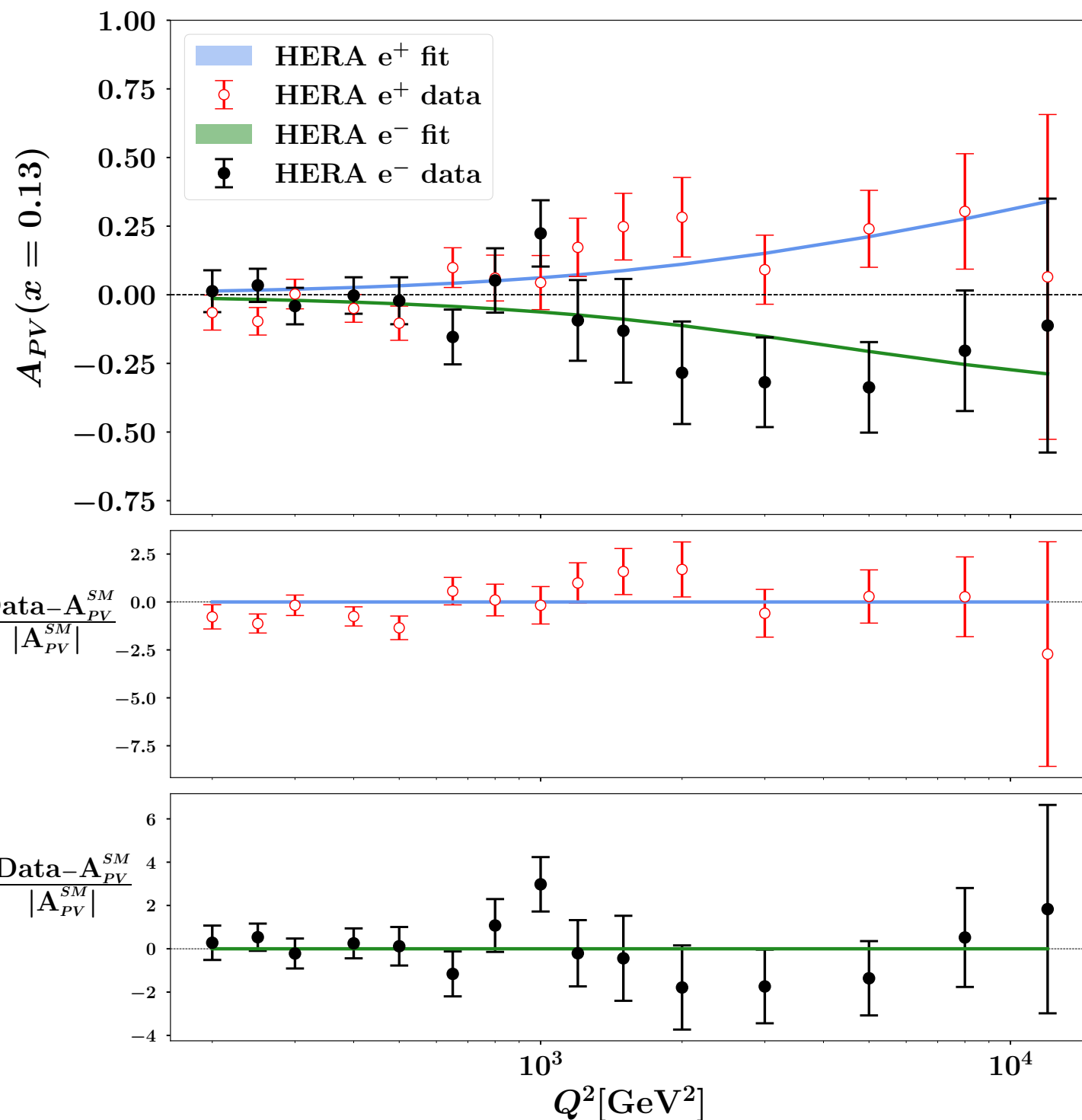
Fit)

7

Results of the fit: data vs theory

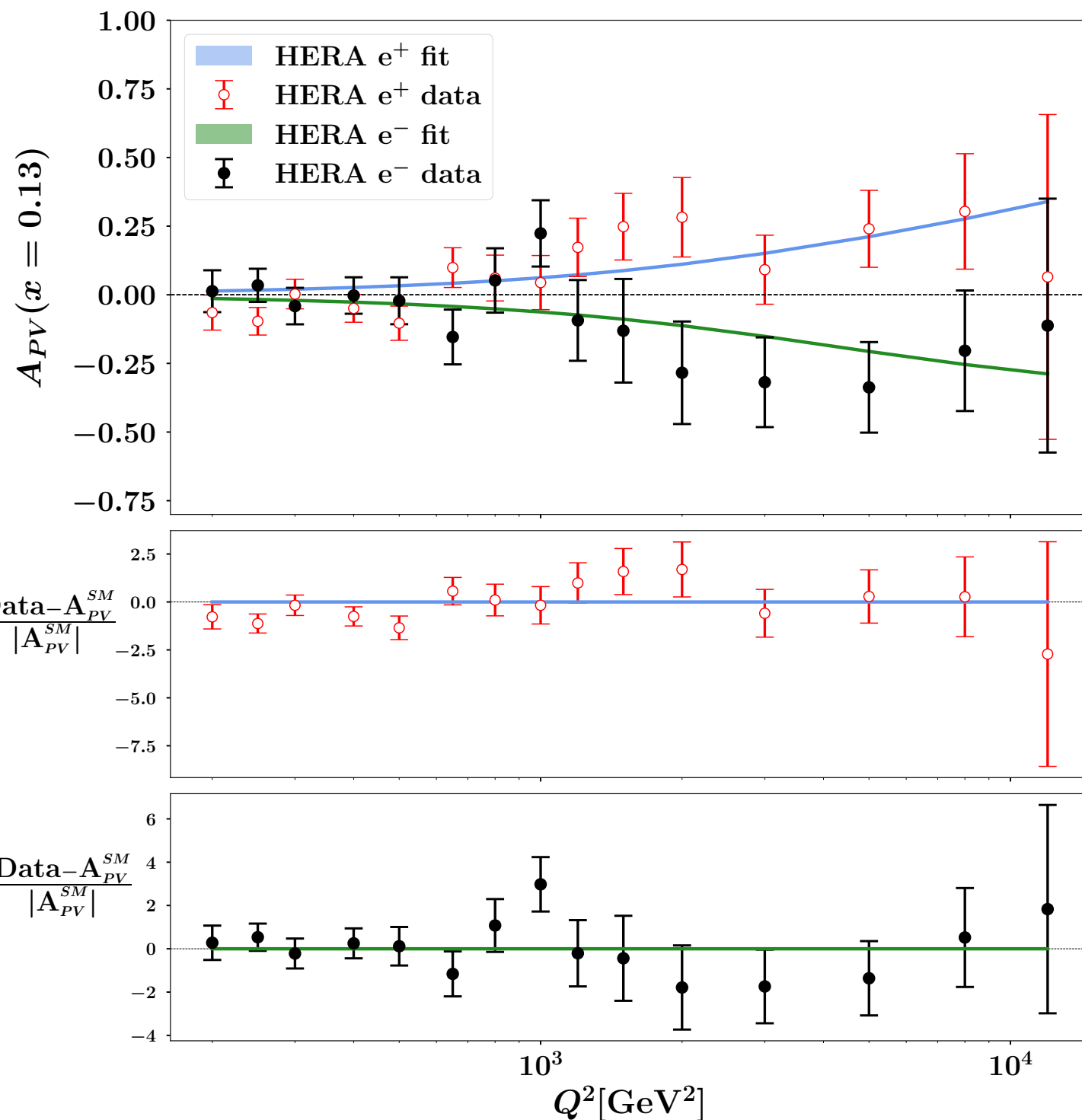


Results of the fit: data vs theory



Very small uncertainties in the predictions because the fit is dominated by data with smaller errors

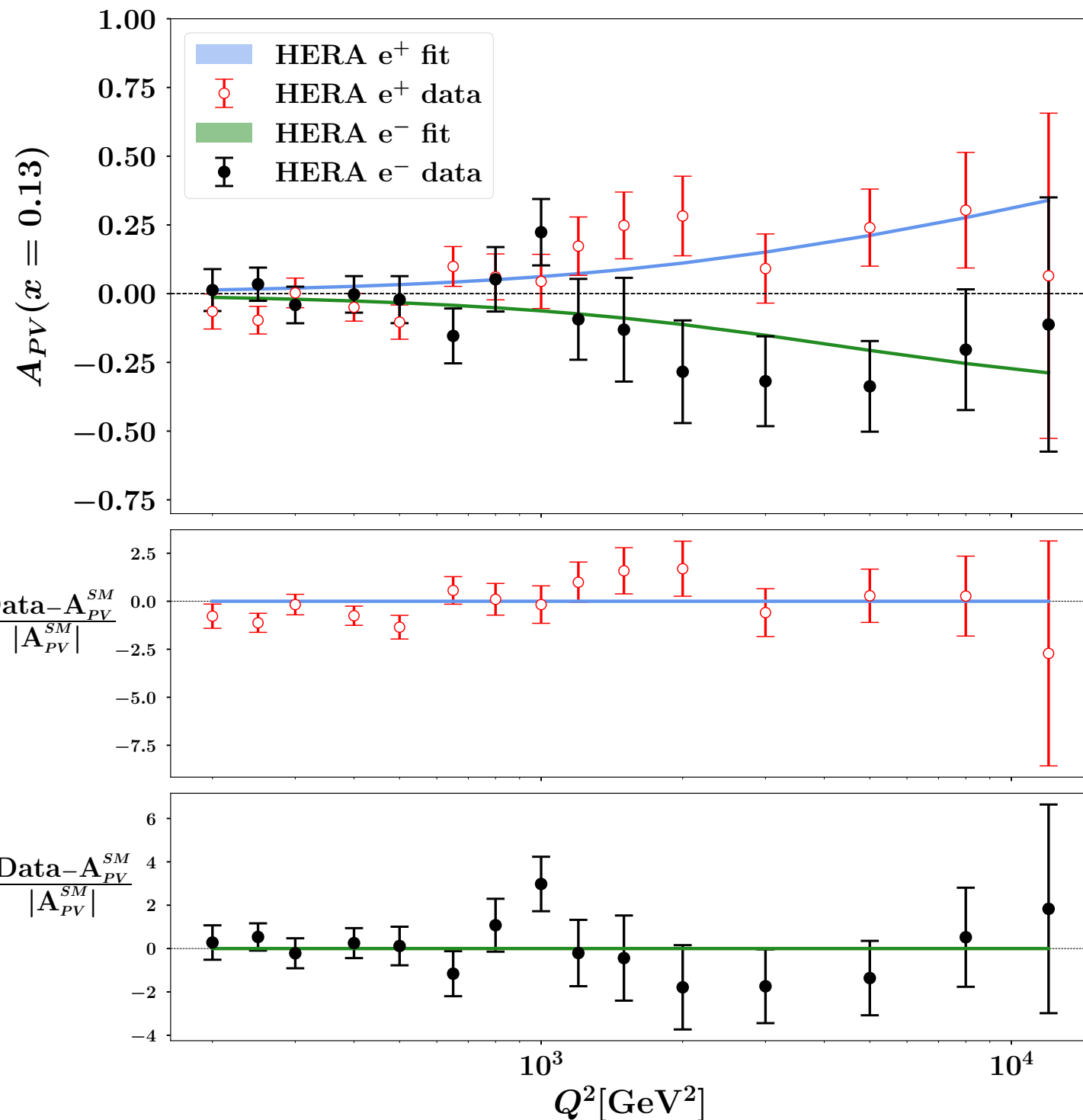
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There's room for a better description for positron asymmetry at low- Q

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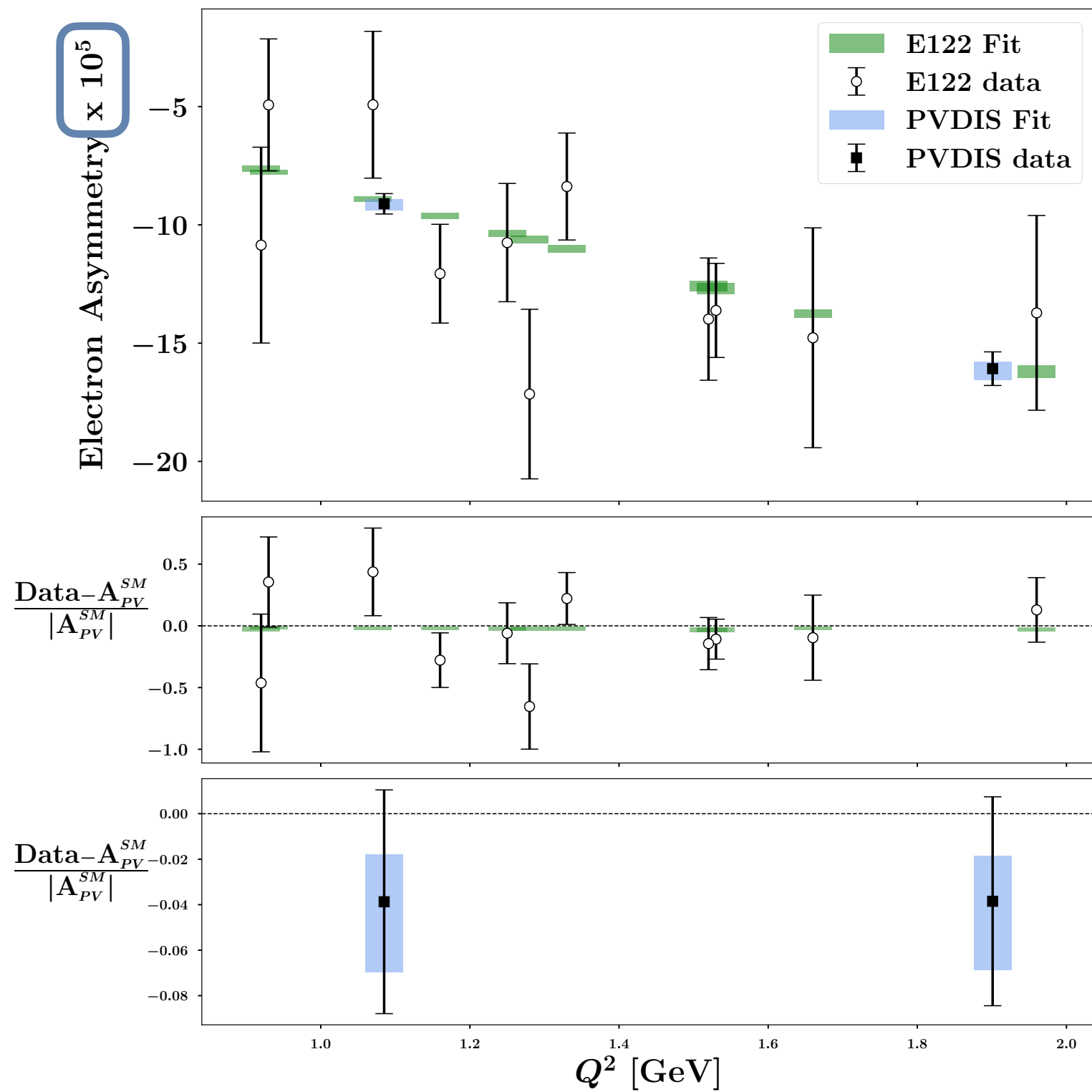


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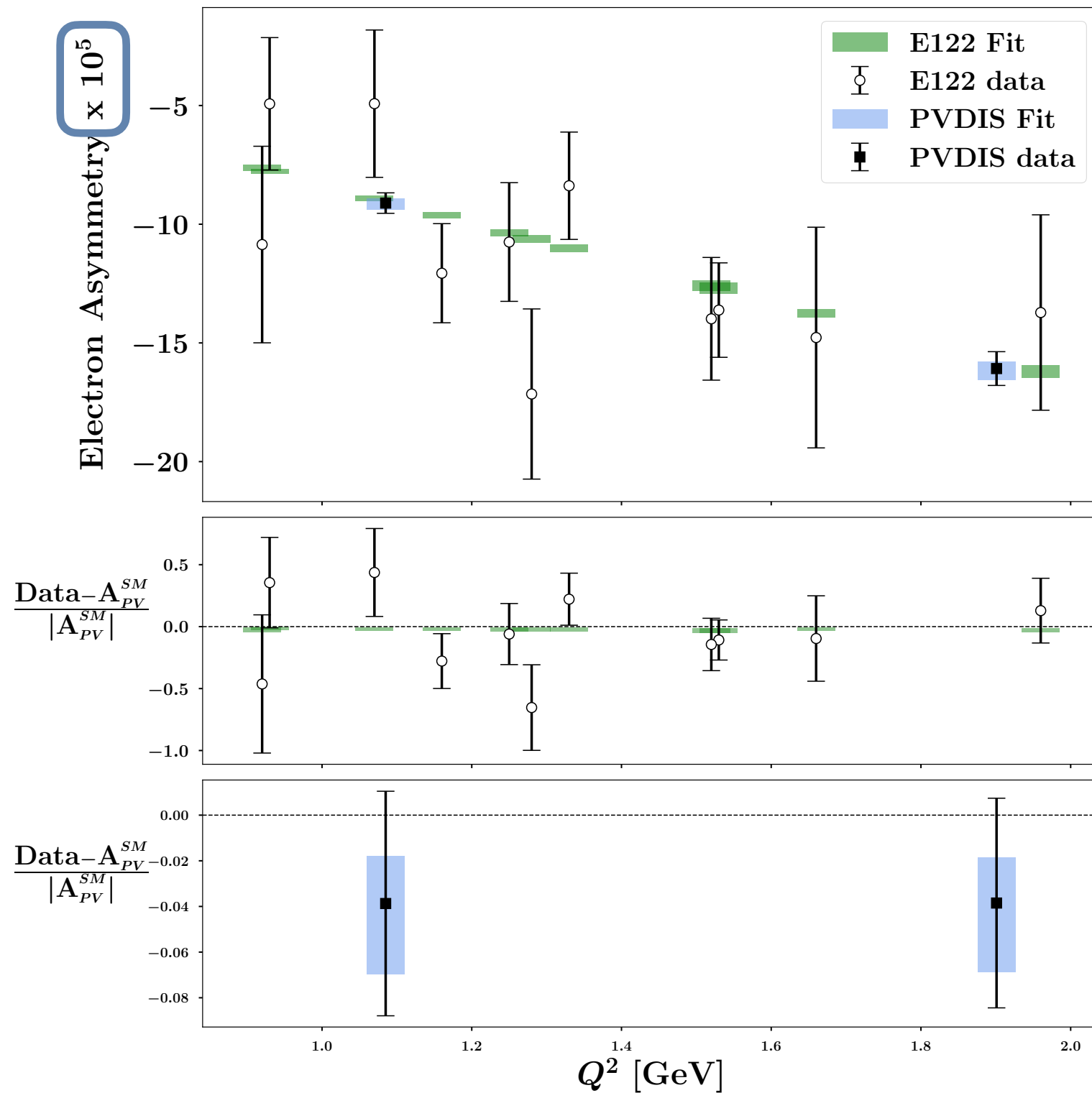
There's room for a better description for positron asymmetry at low- Q

Agreement for electron asymmetry, but too large errors at low- Q

Results of the fit: data vs theory

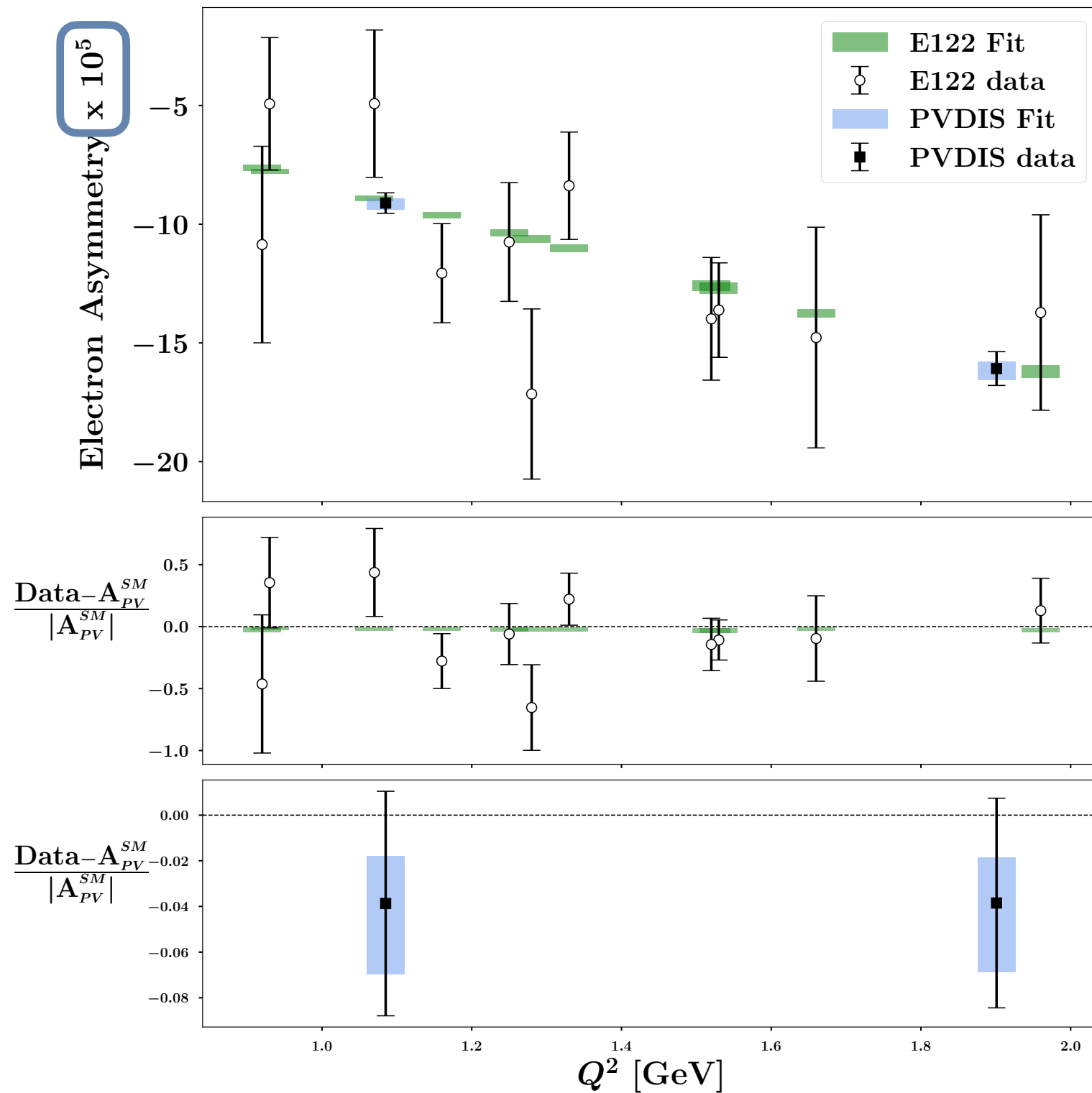


Results of the fit: data vs theory



Sizeable improvement of the fit
w.r.t. SM predictions

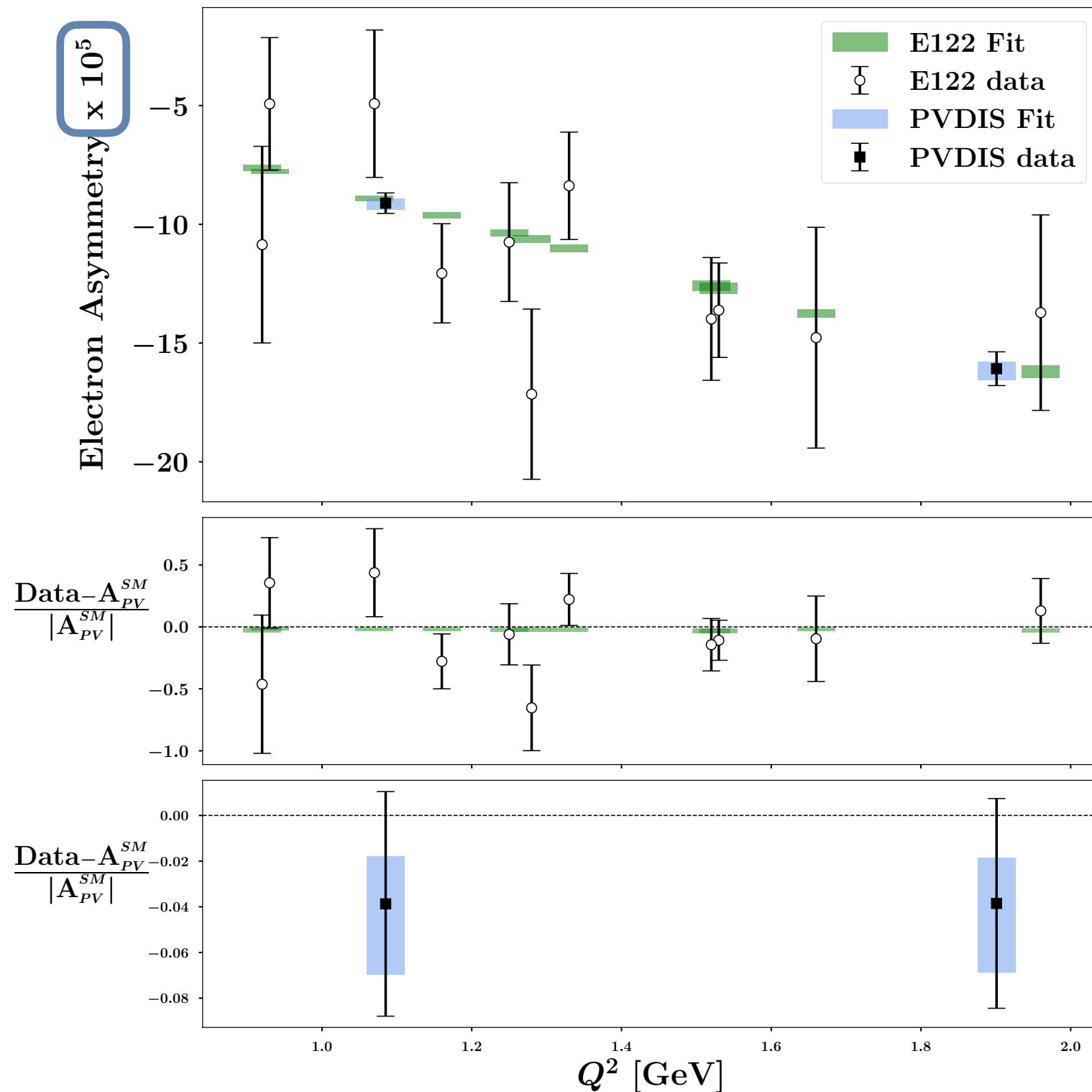
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Old dataset with still quite large
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Sizeable improvement of the fit
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Old dataset with still quite large
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Data points which actually
drive the fit due to very small
experimental errors ($\sim \%$)

Results: size of the strong PV effect

$$g_1^{\text{PV}}(x) = \alpha g_1(x)$$

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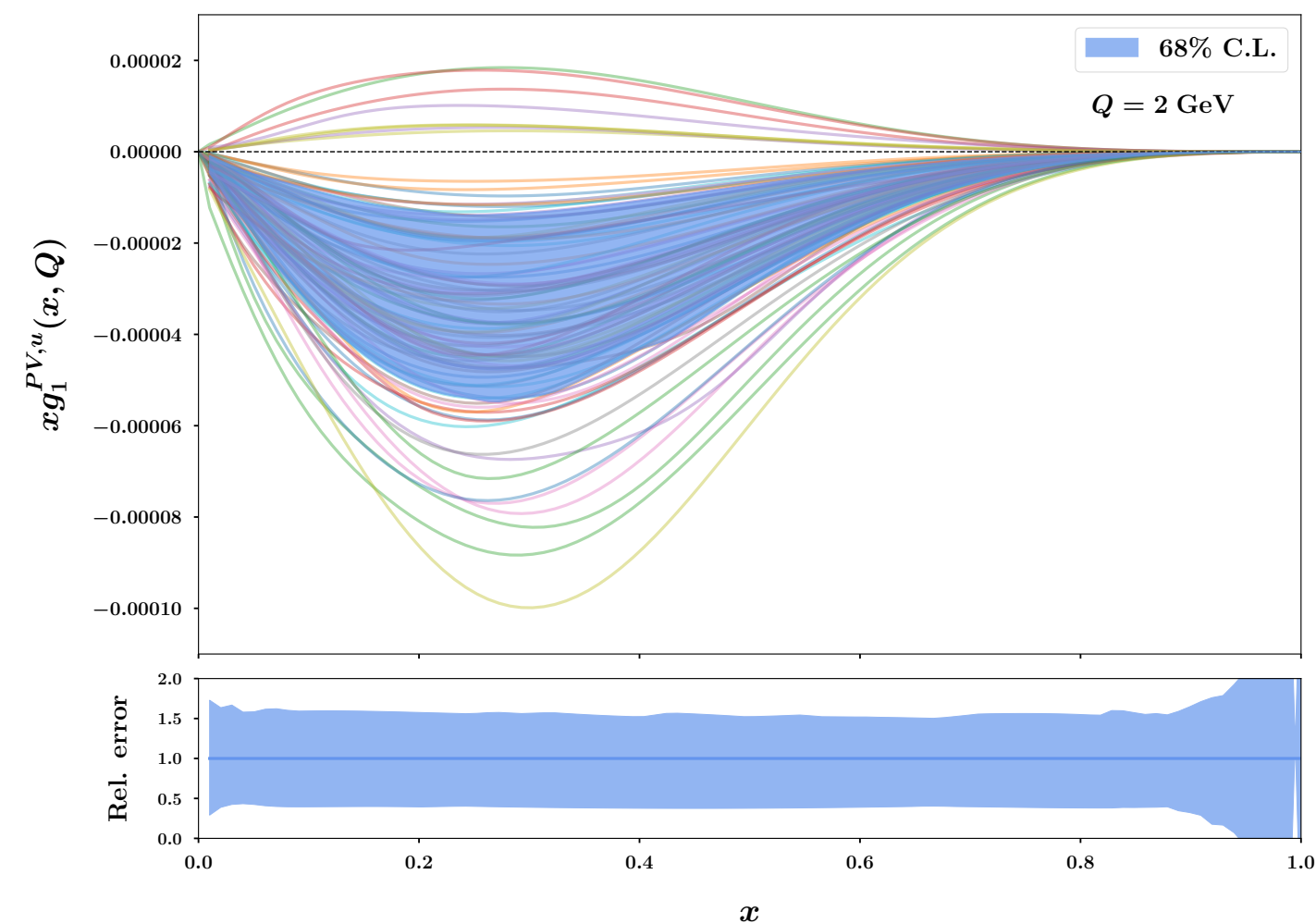
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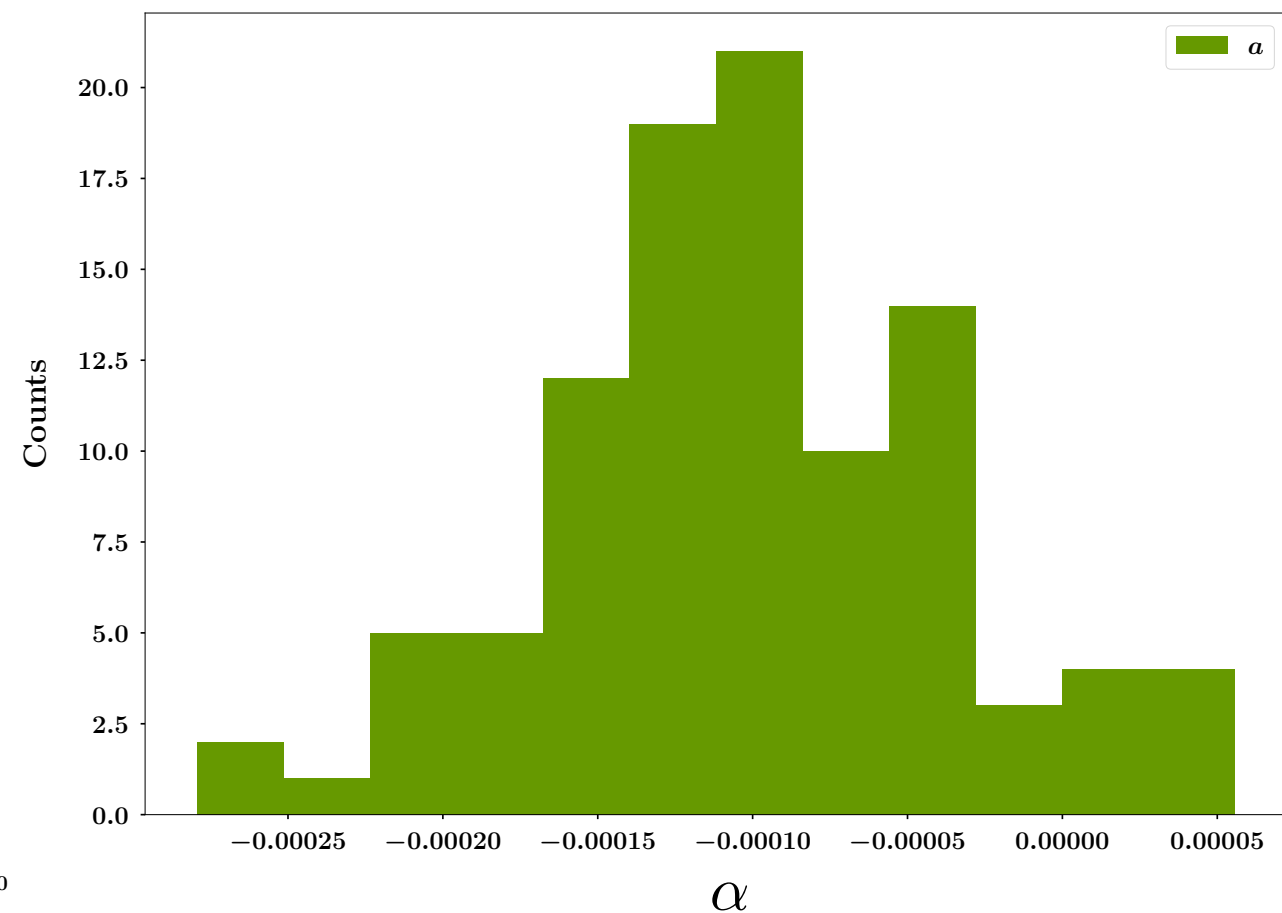
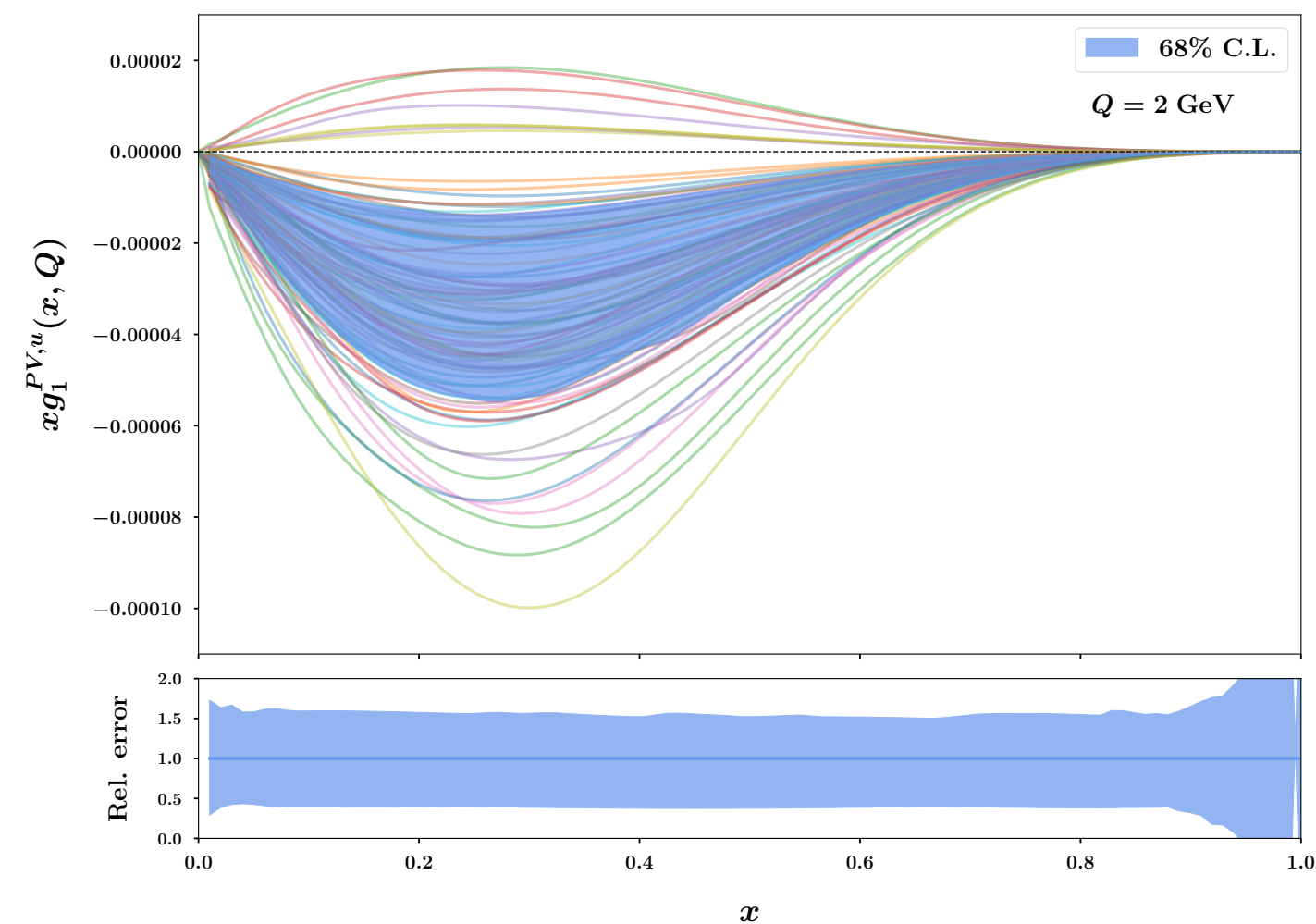
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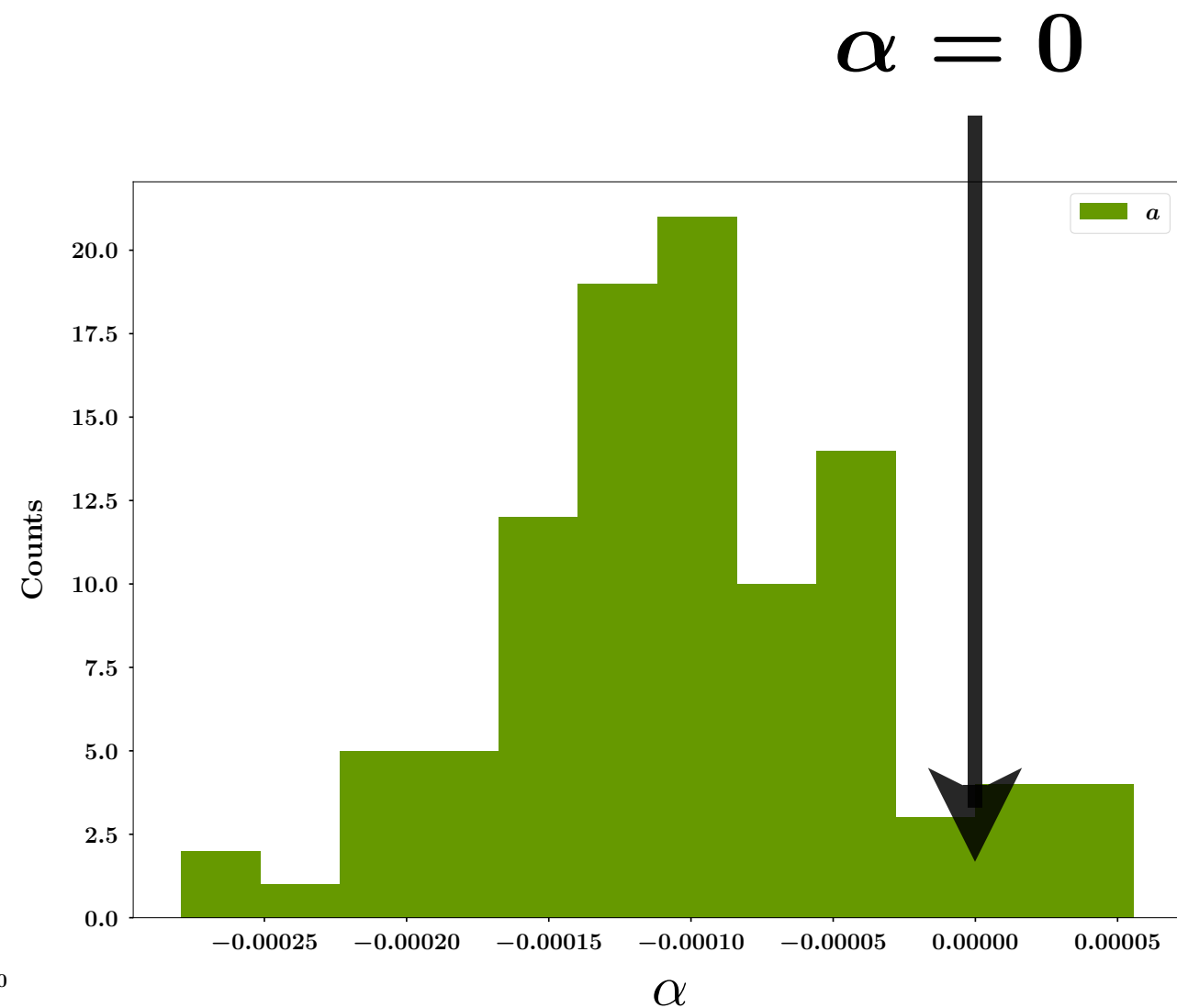
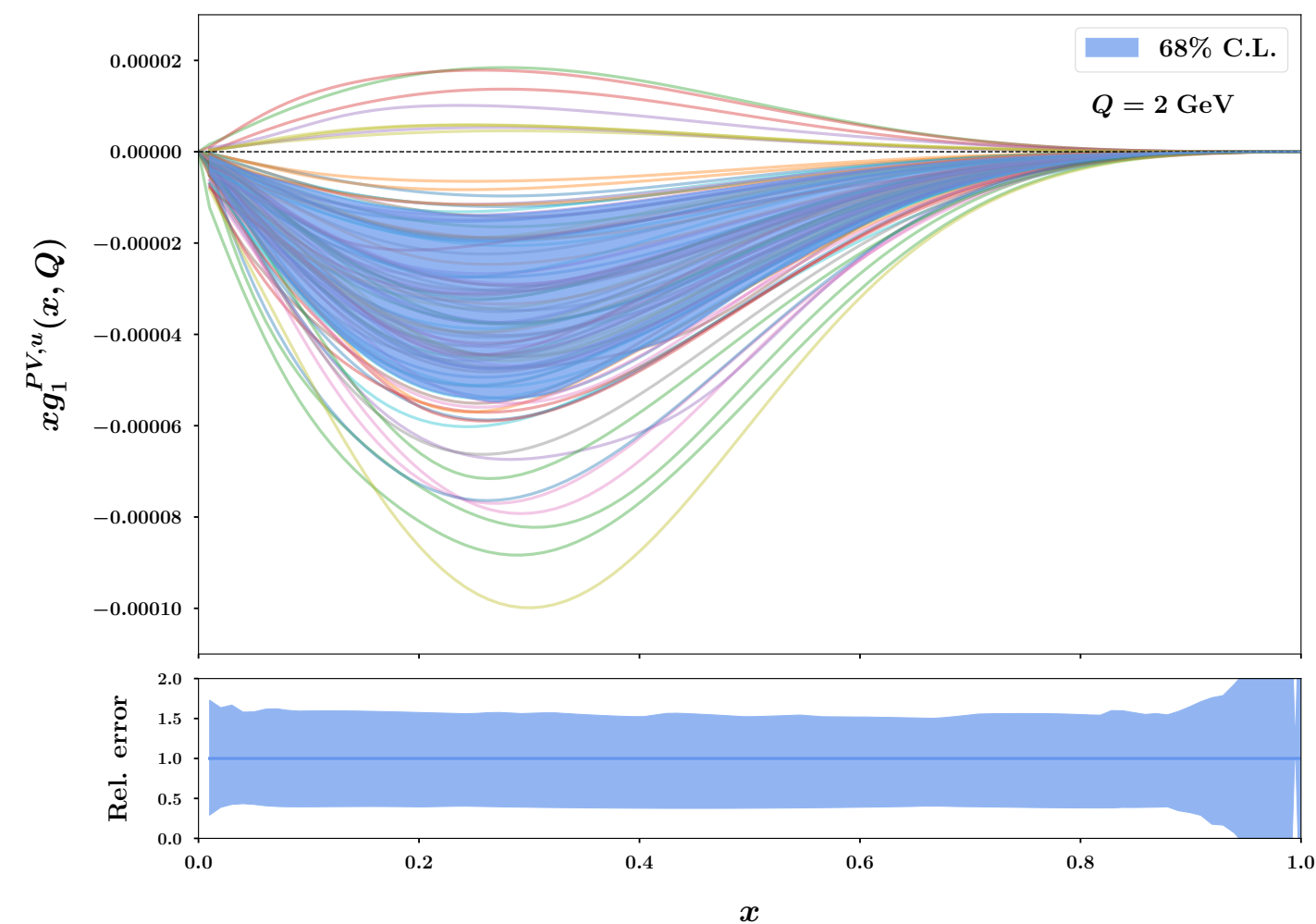
$$\alpha = (-1.01 \pm 0.66) \cdot 10^{-4}$$



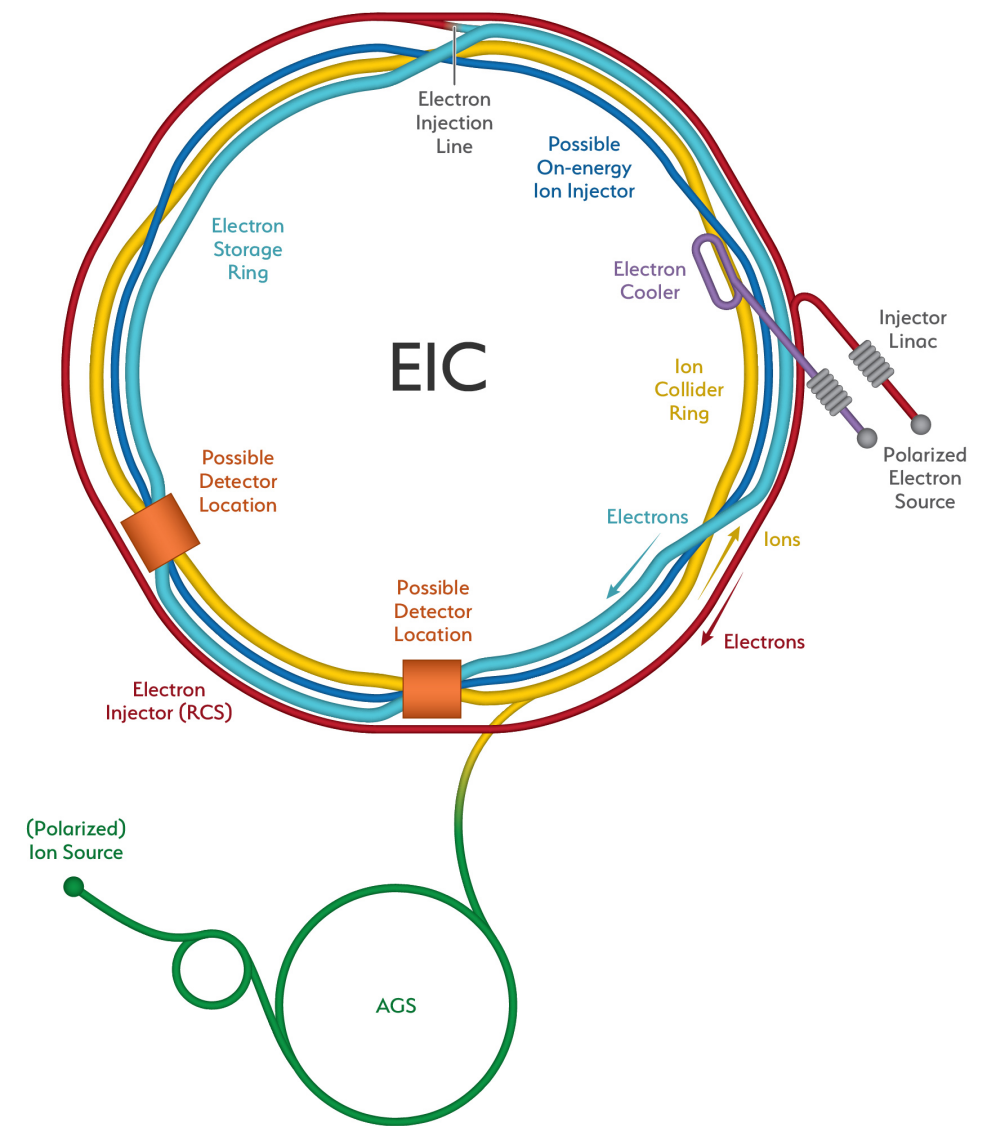
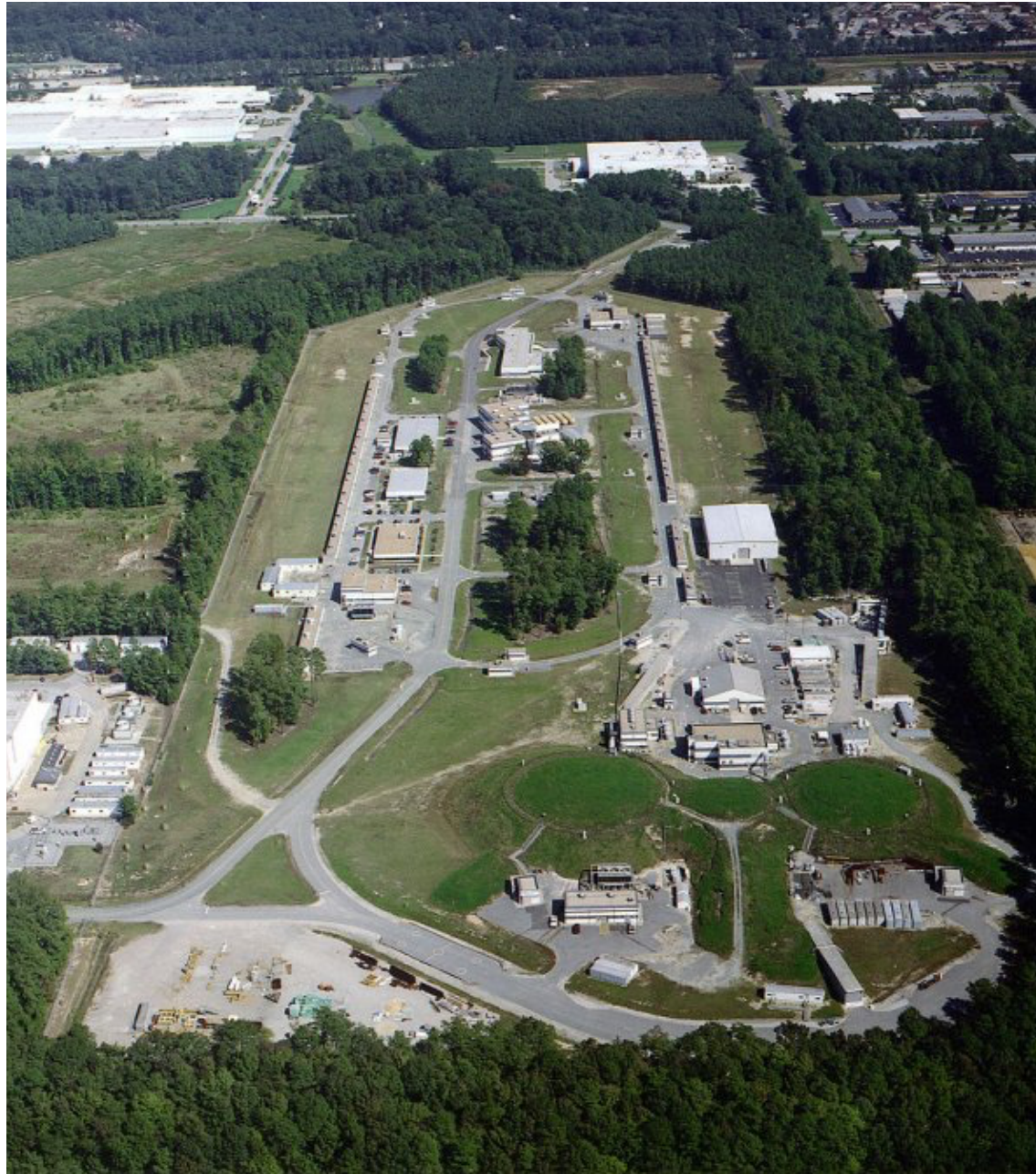
Results: size of the strong PV effect

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Future facilities



Impact of future data

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JLab 12 GeV — SoLID detector

Wood, Bennet, Cho, et al., Science 275 (1997)

Souder, Reimer, Zheng, JLab Experiment E12-10-007 (2022 update)

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SoLID (d)

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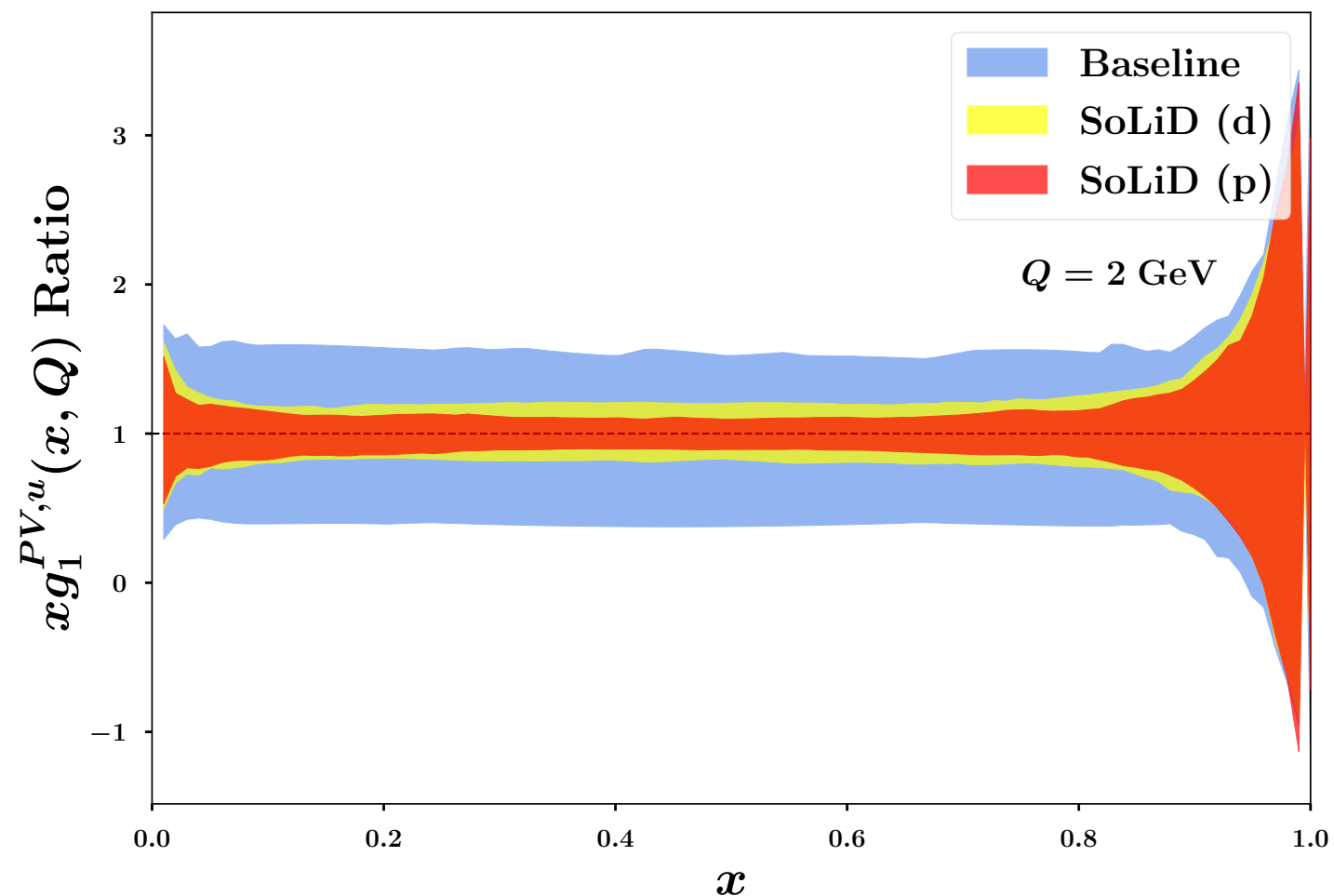
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Impact of future data

Electron-Ion Collider (EIC)

Abdul Khalek, et al., Nucl. Phys. A 1026 (2022)

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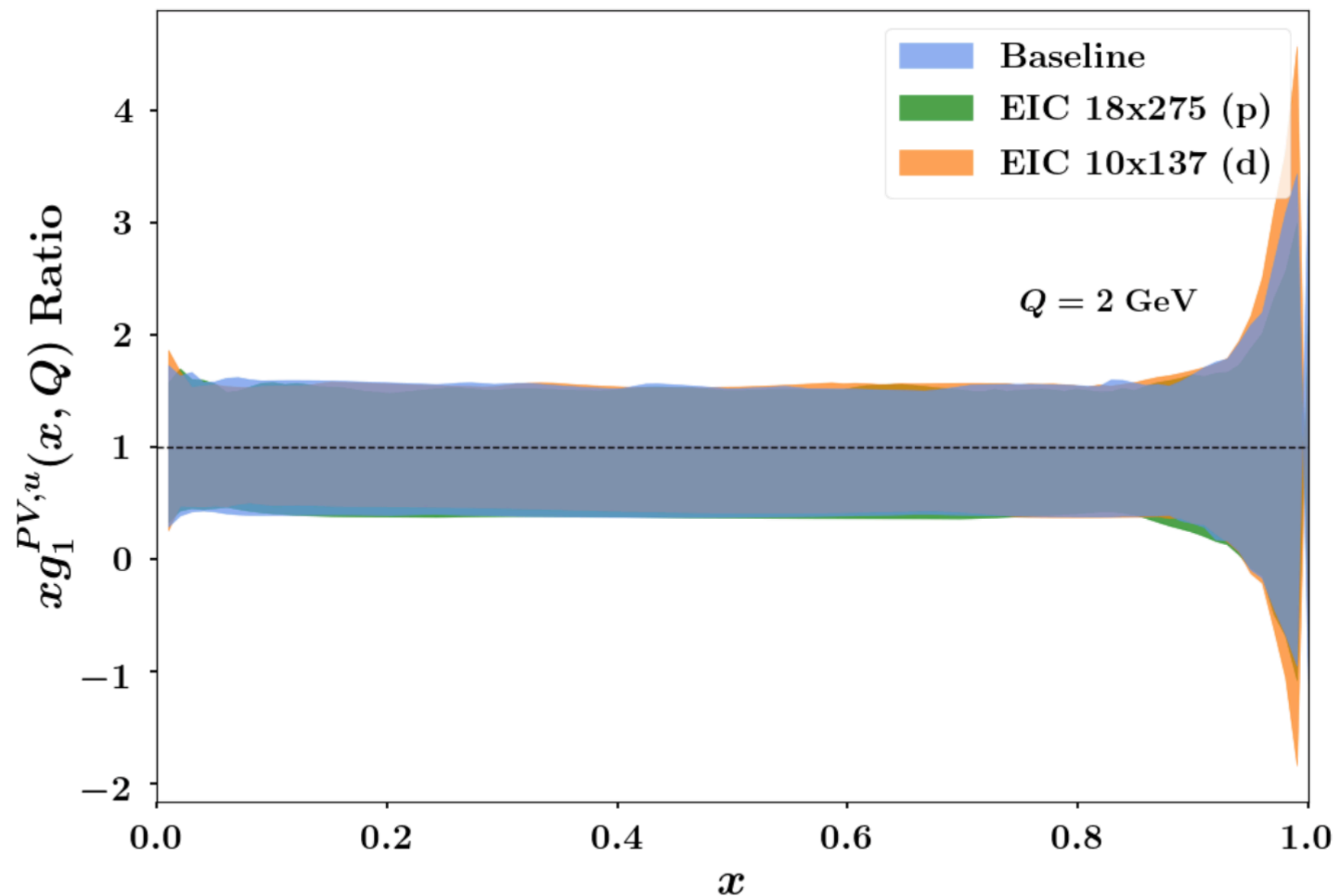
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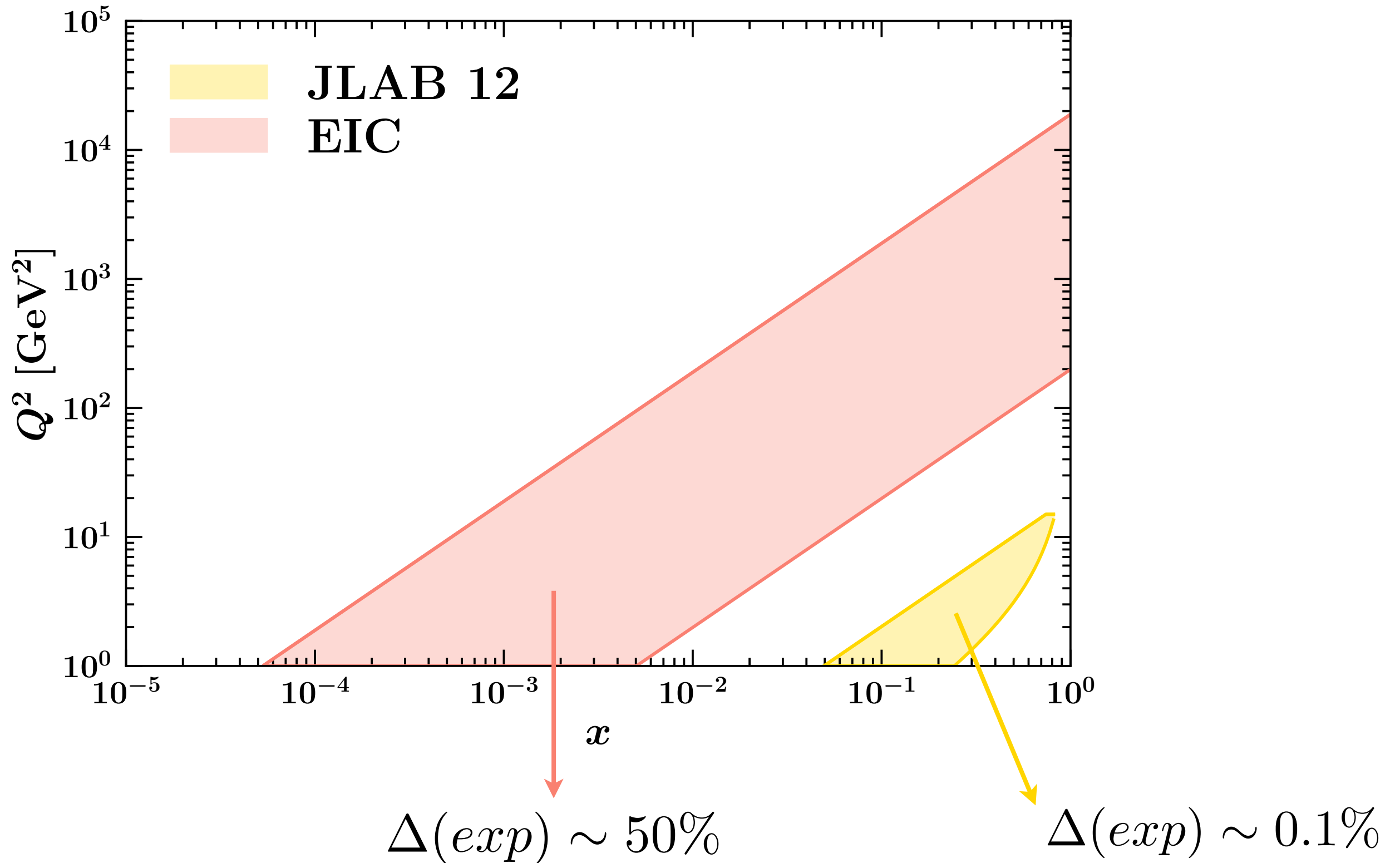
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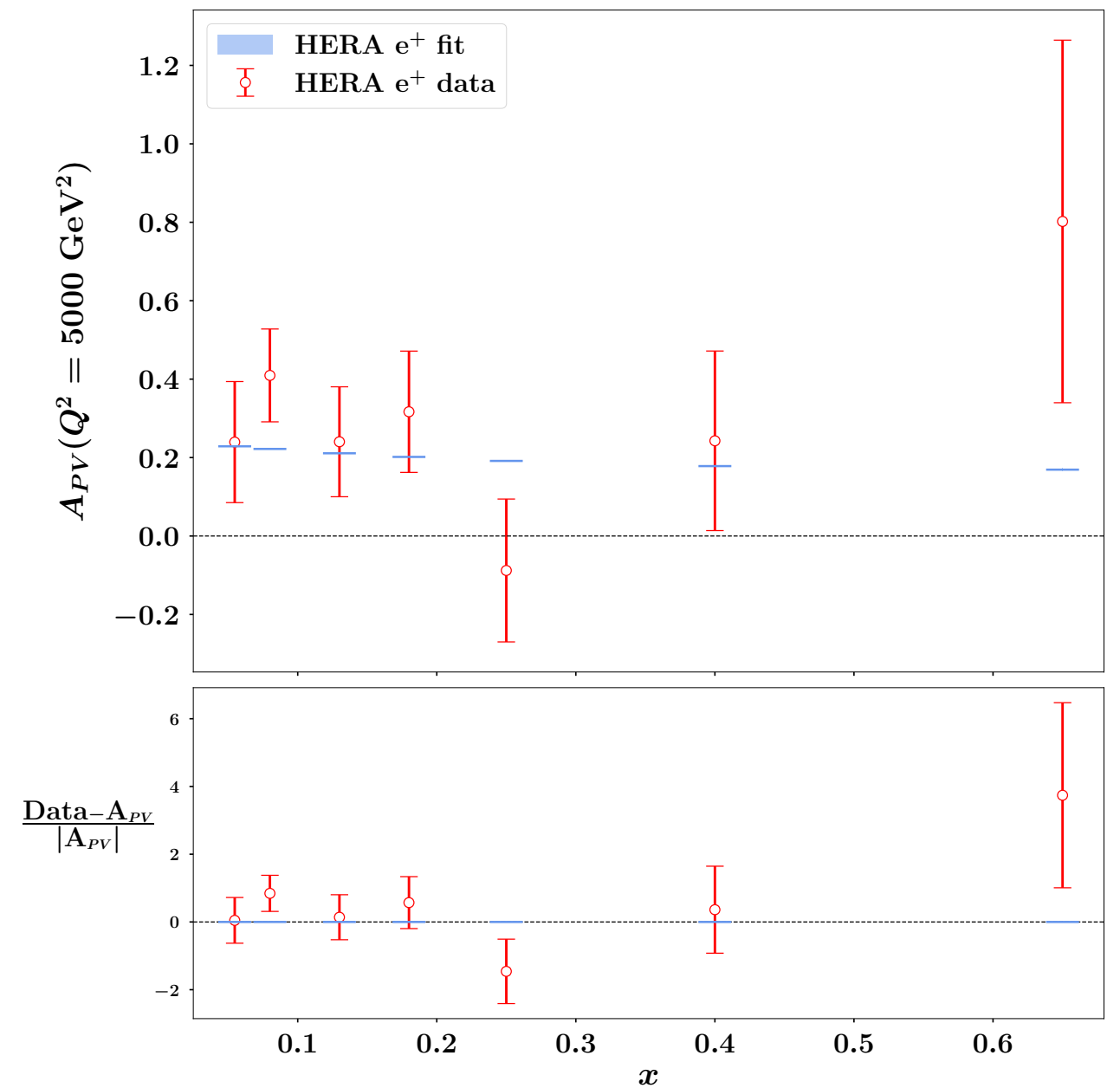
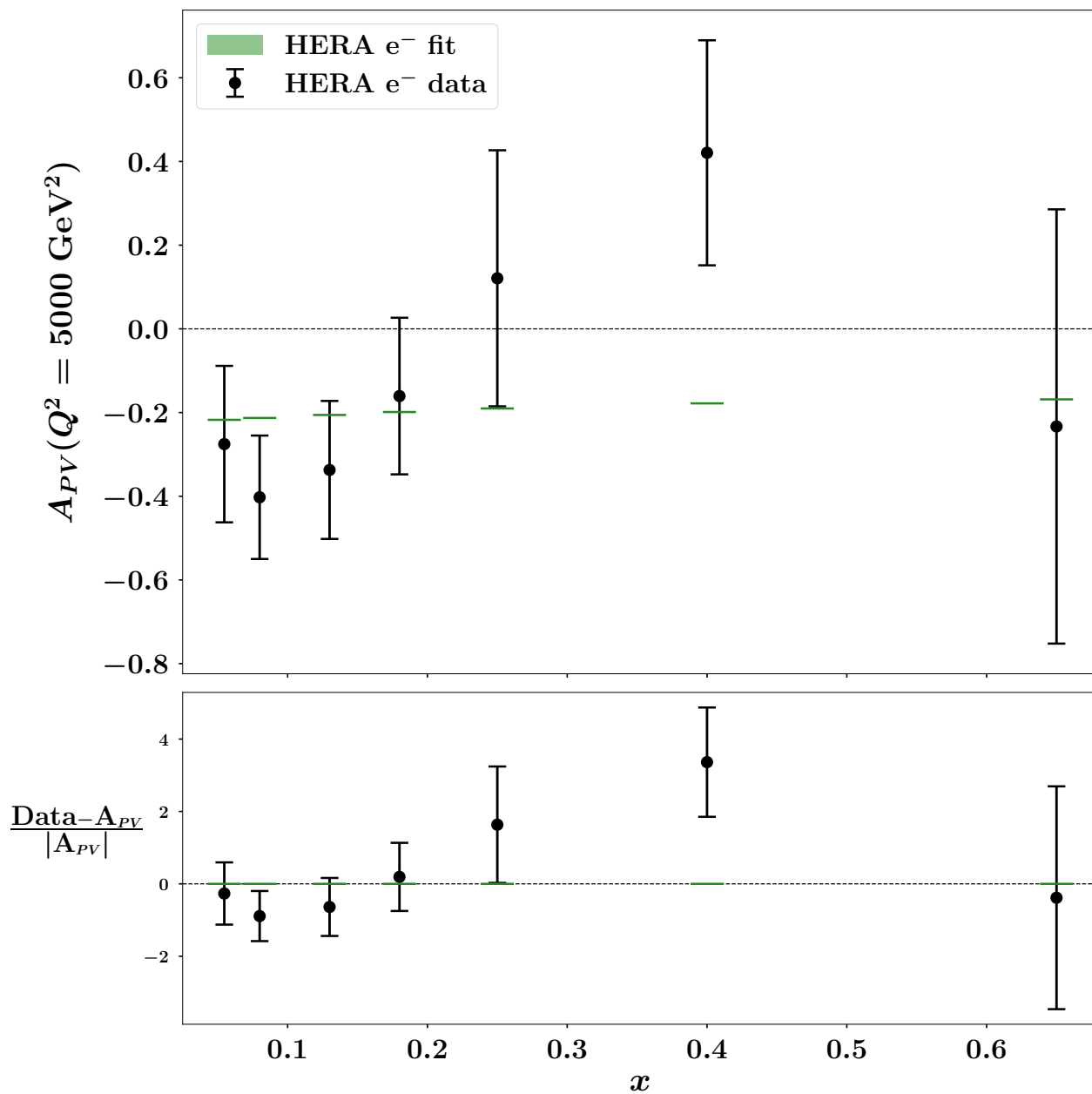


Step forward: dependence on x

- New model of the PV parton distribution

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Step forward: a new CP-odd PDF

- Further investigations on a new P-odd, CP-odd distribution function arising when considering the polarisation of the target

$$\begin{aligned} \Phi^q(x, Q^2) = & \left\{ f_1^q(x, Q^2) + g_1^{\text{PV}q}(x, Q^2)\gamma_5 \right. \\ & + S_L \left(g_1^q(x, Q^2)\gamma_5 + f_{1L}^{\text{PV}q}(x, Q^2) \right) \\ & \left. - \not{S}_T \left(h_1^q(x, Q^2)\gamma_5 - e_{1T}^{\text{PV}q}(x, Q^2) \right) \right\} \frac{\not{n}_+}{2} \end{aligned}$$

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$$\Delta x_B g_5(x_B, Q^2) \approx \Delta x_B g_5^{(\gamma)}(x_B, Q^2) = \frac{1}{2} \sum_q e_q^2 x_B f_{1L}^{\text{PV}(q-\bar{q})}$$

PDFs in DIS processes

Quark Polarization

Nucleon Pol.

	U	L	T
U	$f_1(x)$		
L		$g_1(x)$	
T			$h_1(x)$

PDFs in DIS processes

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Electric dipole moment

Summary

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Summary

- The strong P- violation can give origin to a new structure function in DIS cross section for one-photon exchange
- A fit of present experimental data is compatible with a non-zero contribution from a new strong PV parton density
- To better assess the presence (or not) of this PV effect we need very precise experimental data
- Improvements in the theoretical framework of our analysis are surely needed to obtain more and more accurate results