

# Magnetically powered GRB

- Magnetic field good for getting the E out of the engine
- Acceleration of the flow
- Prompt radiation

G. Drenkhahn & HCS 2002, A&A

# Roles of magnetic field

## Origin (Central engine)

- differential rotation (winding-up of field lines, MHD turbulence) *or*
- Intrinsic (ordered, stable) field in progenitor core

## Poynting flux driven Outflow

- I. Accelerates flow
- II. Dissipation of  $B^2 \Rightarrow$  prompt radiation

Radiation produced in strong B-field:  $B^2 / 8\pi > \rho c^2$

# Types of magnetic outflow

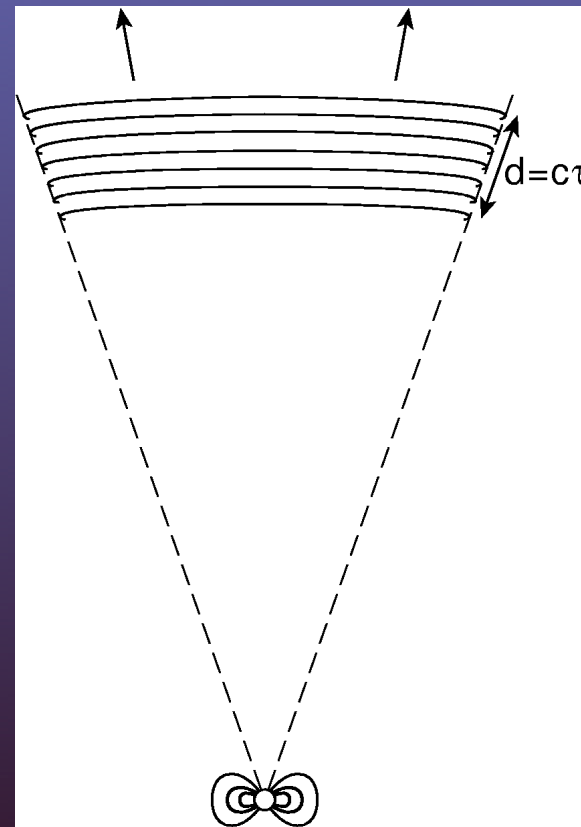
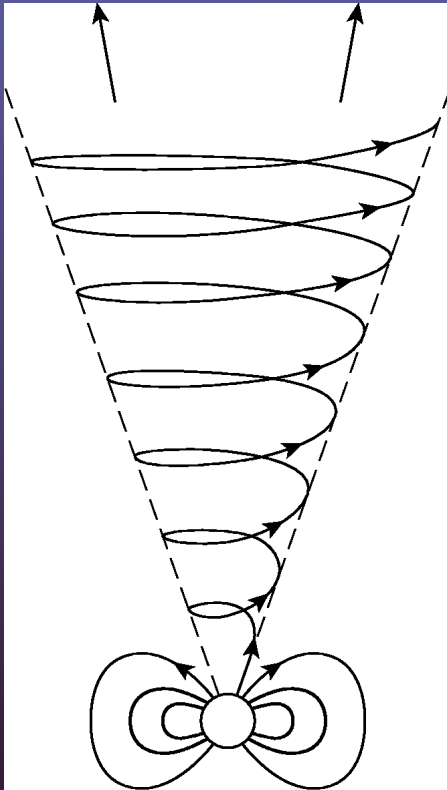
1. 'isotropically tangled field':  $P_{\text{mag}} \sim \rho^{4/3}$ 
  - expansion like rad. pressure:  $\Gamma \sim r$
  - complete conversion ME to KE

*Fields produced by magnetic rotators:*

2. 'DC' field  
axisymmetric rotator ('aligned' case)
3. 'AC' case  
nonaxisymmetric rotator

# 'DC' outflow

Centrifugal jet model (AGN,  $\gamma$ -QSO's, proto\*\*)

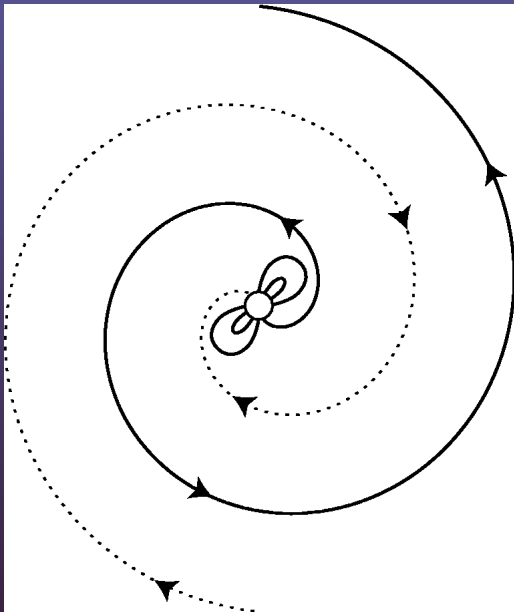


# 'DC' outflows

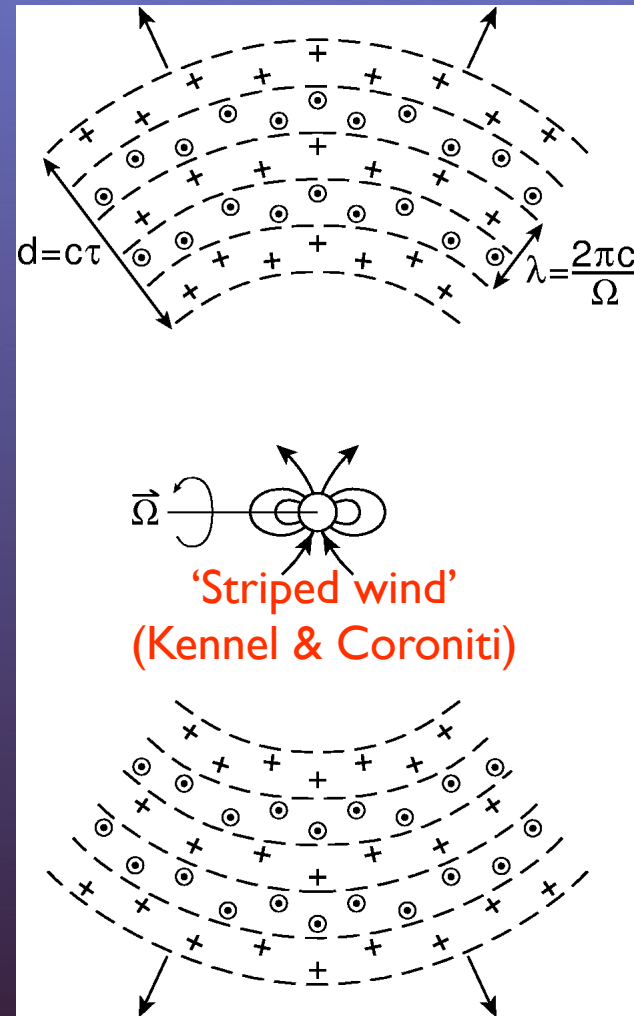
- Magneto-centrifugal acceleration
- AGN, protostars
- nonrelativistic:  $\sim 50\%$  into KE
  
- relativistic:
  - either  $\Gamma_\infty < \text{a few}$
  - or  $\frac{\Gamma_\infty \rho c^2}{B^2} \ll 1$  ( $\Gamma_\infty \gg 1$ )
  
- inefficient conversion of  $B^2$  to KE  
*cause: curvature force balances pressure gradient*  
(F.C. Michel 1969; Daigne and Drenkhahn 2002)

# 'AC' outflow

Nonaxisymmetric rotator



(top view)



(side view)

# Reconnection

- Wavelength of striped wind

$$\lambda \sim 2\pi v / \Omega \sim 2\pi r_L \quad \lambda' = \Gamma \lambda$$

- Reconnection speed  $v'_{\text{rec}} \sim \epsilon v'_A \sim \epsilon c$  ( $\epsilon = 0.1?$ )

- Reconnection time (in lab frame)  $\tau_{\text{rec}} \sim \frac{\Gamma^2}{\epsilon \Omega}$

-  dissipation at 'interesting' distances  
(near photosphere for  $\Gamma = 100$ )

# Flow acceleration by dissipation

plane flow:  $v(x), B^2(x)$

dissipation:  $\partial_x B^2(x) < 0$

→ pressure gradient accelerates in flow direction

faster dissipation → steeper gradient

hydro: Bernoulli:  $\frac{1}{2}v^2 + w = E, w = p + e$



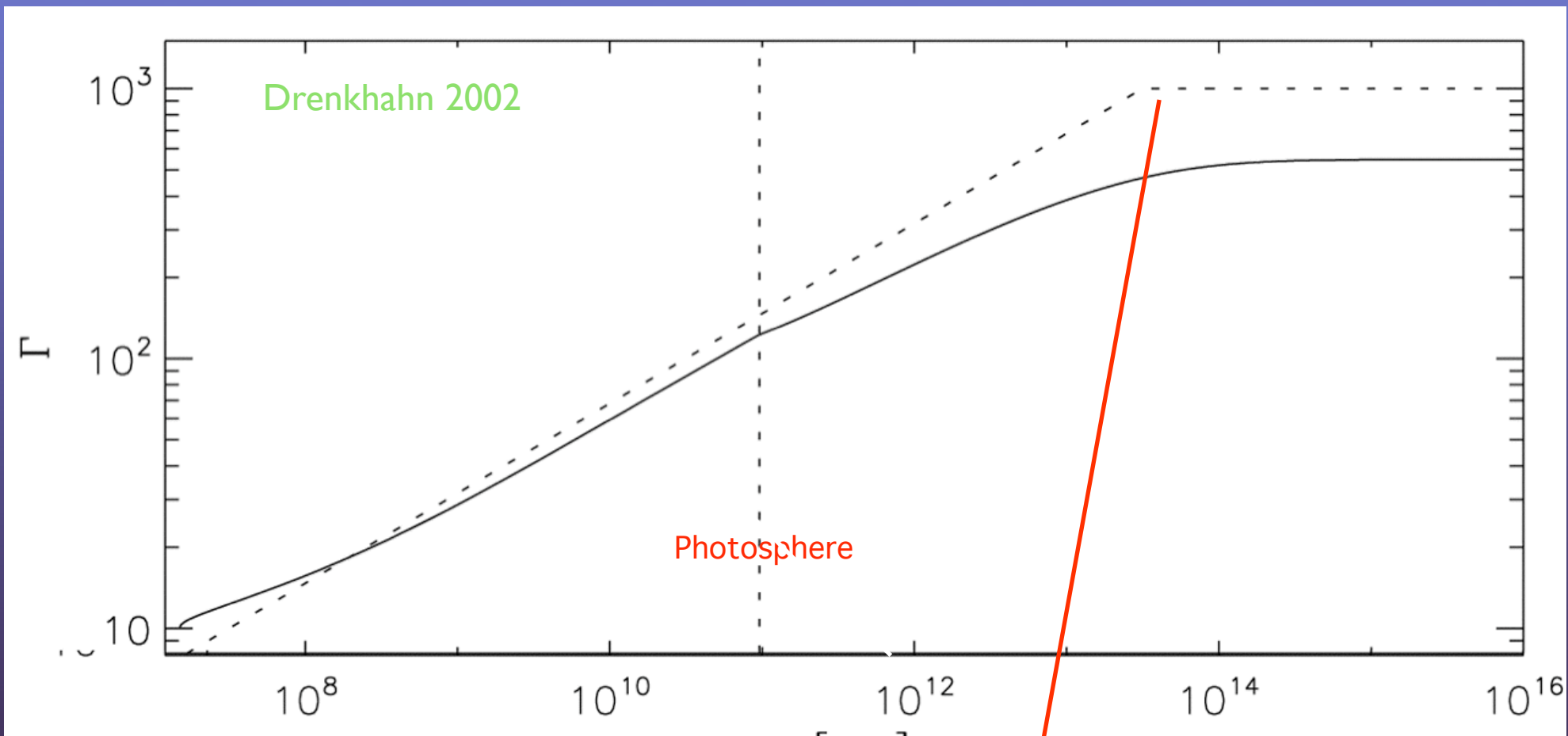
# Flow acceleration in AC outflow

Optically thick:

$B^2$  → radiation → 100% KE  
(as classical fireball)

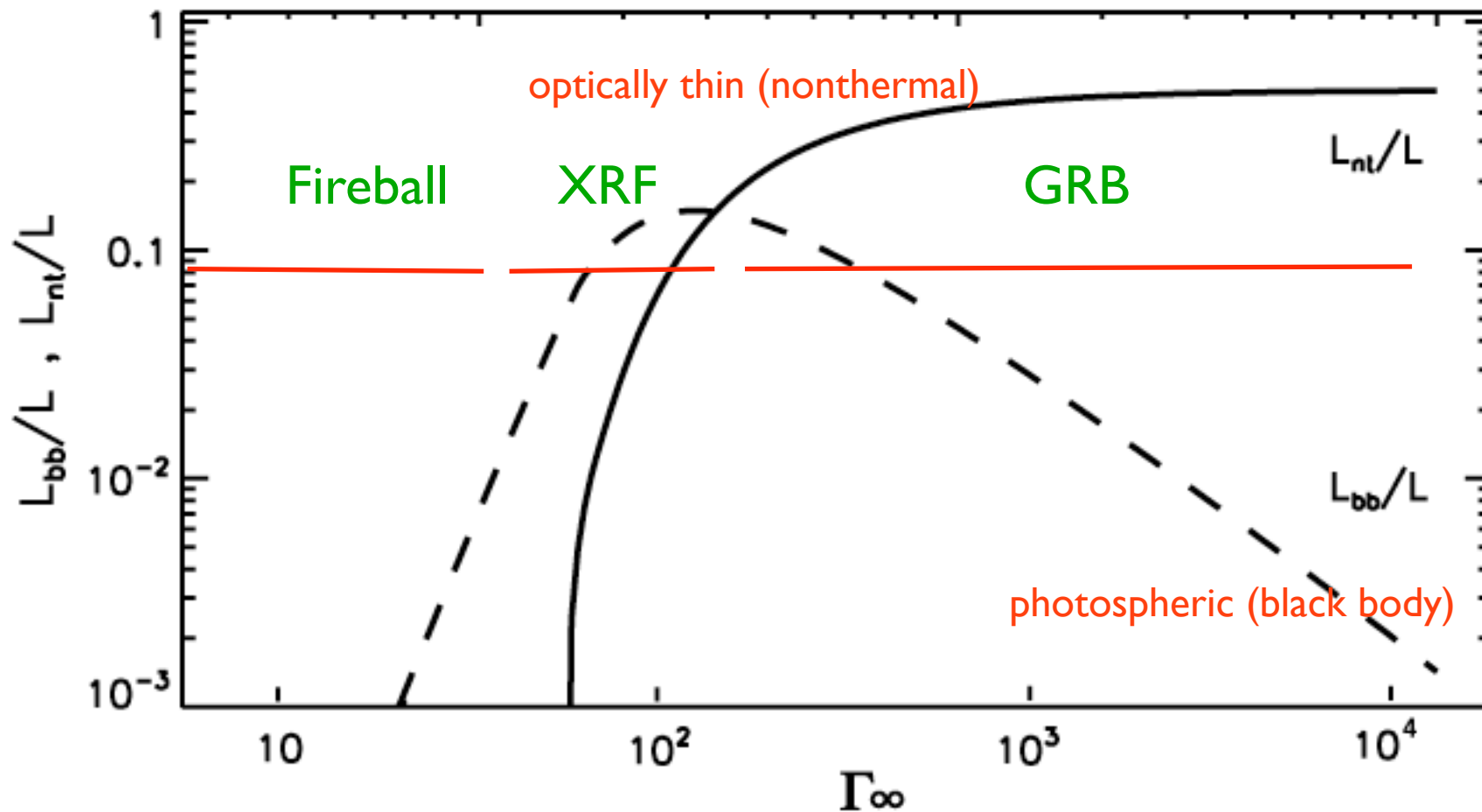
Optically thin:

$B^2$  → radiation → 50% KE  
(escapes) 50% radiation



$$\left. \begin{array}{ll} \Gamma \sim r^{1/3} & r < r_s \\ \Gamma_\infty & r > r_s \end{array} \right\}$$

# Radiation from Poynting flux in AC model



Drenkhahn and HCS 2002

# Summary

- Magnetic extraction of rotational/gravitational energy
- AC vs DC models,  
Poynting flux conversion problem DC model
- Efficient dissipation in AC model
  - 50% prompt radiation. - Smooth bursts -
- Flow acceleration by dissipation of  $B^2$
- Uncertainty: reconnection physics



# Poynting flux

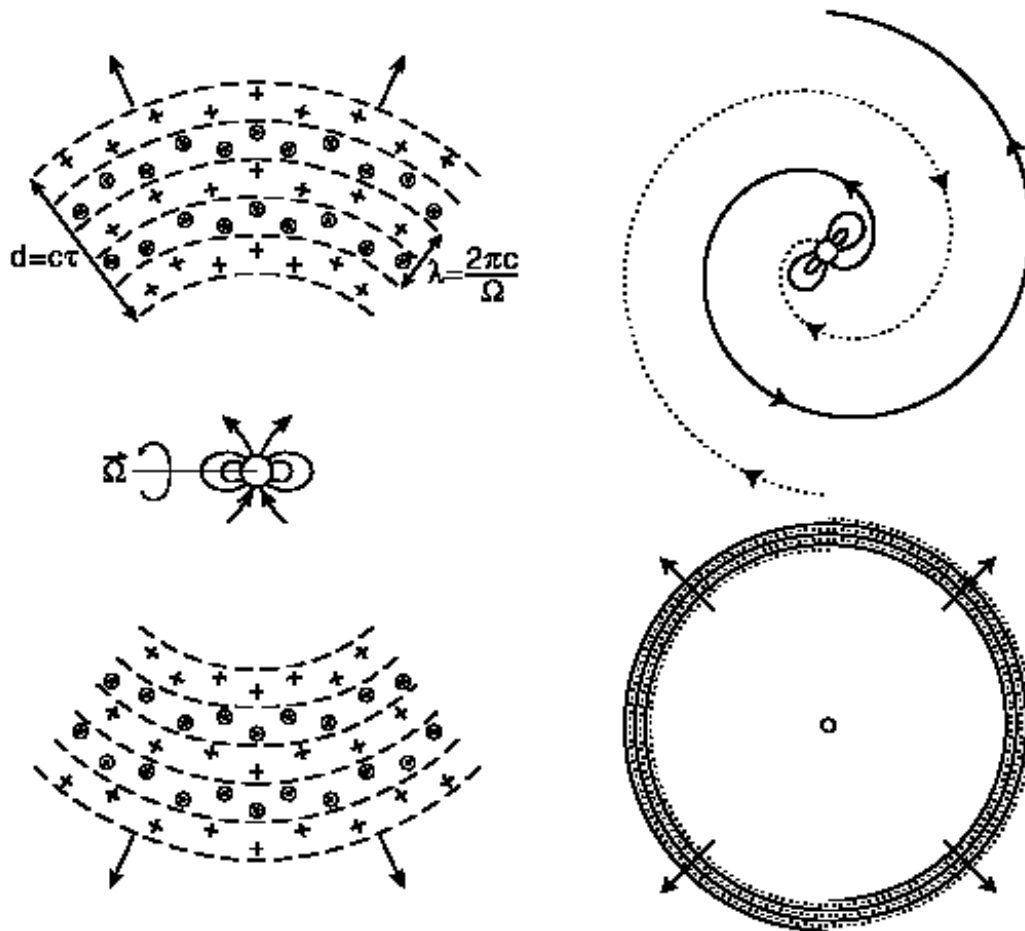
$$S = \frac{c}{4\pi} E \times B$$

$$|S| = c \left( \frac{E^2}{8\pi} + \frac{B^2}{8\pi} \right)$$

in MHD:  $E = v \times B/c$ ,  $S = v_{\perp} \frac{B^2}{4\pi}$

magnetic energy flux:  $F_m = v_{\perp} \frac{B^2}{8\pi}$

$$S = 2F_m$$



**Fig.2.** Field configuration in quasi-spherical magnetic outflow driven by a perpendicular rotator ('pulsar-like' case) (schematic). Left: view in the equatorial plane, with dots and pluses indicating field lines into and out of the plane of the drawing. Right: top view from the rotational pole. Bottom right: same view on larger scale, at a later time  $t \gg \tau$ .

'AC' outflow  
(nonaxisymmetric rotator)